

STRUCTURAL CAPACITY EVALUATION OF DRILLED SHAFT  
FOUNDATIONS WITH DEFECTS

by

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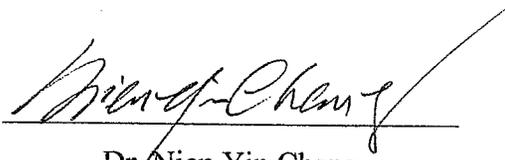
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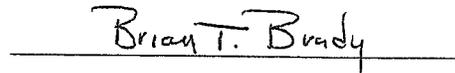
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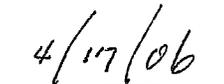
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Structural Capacity Evaluation of Drilled Shaft Foundations with Defects  
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## **ABSTRACT**

Drilled shafts have become very popular deep foundation supports. Drilled shafts can be constructed in a wider range of ground conditions with less noise and vibration than driven piles. Quality assurance (QA) and quality control (QC) of drilled shafts has become a concern due to difficulties in locating defects and determining load bearing capacity. Various non-destructive evaluation (NDE) techniques have been developed to estimate the integrity of the concrete. While NDE techniques provide a powerful tool and have been widely accepted, many variables and unknowns can affect the measurement results. Results are more difficult to interpret, leading to unnecessary litigation over shaft integrity. In addition, influences of surrounding ground, stress states under different load conditions, and crack development during concrete curing further complicate determination of shaft performance.

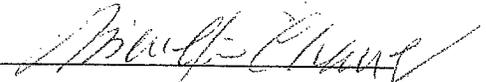
This study focuses on the load bearing capacity evaluation of drilled shafts under various conditions by analysis methods and numerical models. The analysis is approached first from identification of design criterion and construction procedures, with a brief review of NDE techniques. The analysis method is based on principles and theorems from engineering mechanics, geotechnical engineering, concrete chemistry, and geophysical engineering. The analysis results are used as input to the numerical analysis. The numerical model employed in this research is incorporated into the Geostructural Analysis Package (GAP), combining the widely accepted numerical methods of Discrete Element Method (DEM), Particle Flow Method (PFM), Material Point Method (MPM), and Finite Differencing (FD), together with engineering mechanics constitutive models, concrete chemistry models,

thermodynamics models, and geophysical tomography and holography for geotechnical engineering application. GAP has been successfully used for ground characterization in highway engineering and mining operations.

This study explores many concerns recently raised for drilled shaft design, construction and maintenance. Recommendations and conclusions may provide engineers with more information and a better understanding of drilled shaft foundations to revolutionize foundation design, concrete mix design, construction techniques, NDE measurement, and defect evaluation, to improve performance and efficiency with reduced litigation risk.

This abstract accurately represents the content of the candidate's thesis. I recommend its publication.

Signed



Dr. Nien Yin Chang

## DEDICATION

I dedicate this thesis to my wife, Kathy Haramy, and my supervisor, Bob Welch, for their unfaltering understanding and support while I was pursuing my master's degree and writing this thesis.

## ACKNOWLEDGMENT

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## CONTENTS

Figures.....	xiii
Tables.....	xxiii
<u>Chapter</u>	
1 Introduction.....	1
1.1 Purpose and Objectives.....	5
1.2 Background-Drilled Shaft Foundations.....	7
1.2.1 Description.....	7
1.2.2 Advantages and Disadvantages.....	12
1.2.3 Construction Inspection and Observation Methods.....	13
1.2.3.1 Down-Hole Inspections.....	14
1.2.3.2 Probe Inspection.....	14
1.2.3.3 Video Camera Inspection.....	15
1.2.3.4 Shaft Wall Sampling and Rock Socket Wall Roughness Inspection.....	16
1.2.3.5 Electro-Mechanical and Acoustic Shaft Caliper.....	17
1.3 NDE Methods for Determining Drilled Shaft Integrity.....	18
1.3.1 Overview.....	19
1.3.1.1 History of Non-Destructive Evaluation Methods.....	19
1.3.1.2 Summary of a National DOT Synthesis on Use of NDE Methods.....	22
1.3.2 Sonic Echo and Impulse Response (SE and IR).....	25
1.3.2.1 Basic Theory and Procedures.....	27
1.3.2.2 Applications/Limitations.....	29
1.3.2.3 Testing Equipment.....	32
1.3.2.4 Defect Definition.....	32
1.3.3 Gamma-Gamma Density Logging (GDL).....	32
1.3.3.1 Basic Theory and Procedures.....	32

1.3.3.2 Applications/Limitations.....	33
1.3.3.3 Testing Equipment.....	34
1.3.3.4 Defect Definition .....	34
1.3.4 Crosshole Sonic Logging (CSL).....	37
1.3.4.1 CSL Basic Theory.....	37
1.3.4.2 CSL Applications/Limitations .....	43
1.3.4.3 CSL Testing Equipment.....	44
1.3.4.4 CSL Test Procedures and Results.....	53
1.3.5 Other Specialized Logging Methods .....	57
1.3.5.1 Neutron Moisture Logging (NML).....	57
1.3.5.2 Temperature Logging.....	58
2 CSL Data Processing and Interpretation Using 3-D Tomography .....	60
2.1 Basic Principles for 3-D Tomography .....	60
2.2 Case Studies.....	63
2.2.1 Bridge Foundation Construction Site 1.....	64
2.2.1.1 CSL Test Procedures.....	66
2.2.1.2 CSL Test Results and Analysis.....	71
2.2.1.3 Tomographic Imaging of the CSL Test Results .....	73
2.2.2 Bridge Foundation Construction Site 2.....	74
2.2.2.1 CSL Test Procedures.....	78
2.2.2.2 CSL Test Results and Analysis.....	83
2.2.2.3 Tomographic Imaging of the CSL Test Results .....	85
2.2.2.4 Pile Repair Procedure .....	91
2.3 Tomographic Imaging Summary and Recommendations.....	99
3 Field Monitoring of Drilled Shaft Temperature, Velocity, Density, and Moisture	101
3.1 Temperature Monitoring.....	101
3.1.1 Temperature Logging in Drilled Shaft 1 Abutment 1.....	102
3.1.2 Temperature Logging in Drilled Shaft 2-Pier 2.....	106
3.1.3 Temperature Monitoring With Thermocouples.....	109

3.1.4 Temperature Monitoring - Conclusion .....	111
3.2 Velocity Monitoring Results.....	112
3.3 Density Monitoring.....	115
3.4 Moisture Monitoring.....	123
3.5 Summary of NDE Monitoring .....	125
4 Concrete Defects and Curing Chemistry .....	128
4.1 Hydration Rates and Heat Generation during Concrete Curing .....	130
4.2 Curing Chemistry Modeling .....	133
4.2.1 Empirical Modeling Methods .....	134
4.2.2 Micro-Modeling Methods (M3).....	135
4.3 Thermal Issues for Concrete Construction in the Field .....	136
4.3.1 General Aspects of Thermal Cracking Analyses.....	137
4.3.2 Problems with the 20 °C Limit.....	139
4.3.3 The Importance of Thermal Modeling in Concrete Structural Design and NDE .....	140
4.4 Engineering Practice for Controlling Thermal Issues in Concrete Construction	141
4.4.1 Temperature Profiling.....	141
4.4.2 Simple and Practical Techniques for Reducing Thermal Concrete Cracking With Standard Construction Techniques .....	142
4.4.2.1 Concrete Placement Temperature.....	142
4.4.2.2 Aggregate Properties.....	143
4.4.2.3 Cement Properties.....	143
4.4.3 Field Measures to Reduce $\Delta T$ , Techniques and Implications .....	145
4.4.3.1 Special Construction Measures.....	145
4.5 Comparative Evaluation of Thermal Control Measures .....	146
4.6 Environmental Effects on Curing Chemistry and Concrete Quality .....	148
4.6.1 Changes in Ground Water Heat Conductivity .....	150
5 Numerical Modeling .....	152
5.1 Establishment of Numerical Model .....	153
5.2 Theoretical Models .....	154

5.3 Thermal Modeling .....	155
5.4 Engineering Mechanics.....	161
5.5 Discrete Element Method (DEM) Background .....	165
5.5.1 Discrete Element Method Definition.....	167
5.5.2 Equation of Motion.....	168
5.5.3 Contact Mechanics.....	171
5.5.3.1 Non-Linear Hertz-Mindlin Contact Model.....	172
5.5.3.2 The Visco-Elastic Contact Model.....	176
5.5.4 Validation of Numerical Models .....	179
5.5.4.1 Energy Conservation.....	179
5.5.4.2 Damping and Dynamic Relaxation (DR) Tests .....	181
5.5.4.3 Wave Propagation.....	183
6 Numerical Modeling Analysis of CSL in Drilled Shafts.....	186
6.1 Geostructural Analysis Package (GAP) Model Description.....	186
6.2 Factors Affecting CSL Velocity Measurements.....	190
6.3 CSL Velocity Variations.....	195
6.4 Effect of Surrounding Material on CSL Signals.....	195
6.5 CSL Wave Interaction with Rebar.....	204
6.6 Tube Effects.....	212
6.6.1 Tube Material: PVC versus Steel Tubes.....	214
6.6.2 Tube Debonding.....	222
6.6.3 Sensor Drift within the Access Tubes.....	231
6.7 Concrete Cracking Effects .....	238
6.7.1 Concrete Strength Reduction.....	246
6.8 Honeycombs Effects.....	247
6.9 Effect of Voids.....	255
7 Numerical Modeling of Concrete Curing .....	263
7.1 Empirical Curing Model Method.....	263
7.2 Curing Model Presentation .....	266

7.3 Curing Model Simulation .....	268
7.3.1 Compression .....	269
7.3.2 Cracking.....	276
7.3.3 Heat.....	282
7.3.4 Hydration .....	286
7.3.5 Temperature.....	286
7.4 Discussion.....	296
8 Numerical Testing of Axial Load Capacity of a Drilled Shaft with Anomalies....	299
8.1 Axial Loading Model Analysis.....	299
8.1.1 Displacement of 4 mm.....	301
8.1.2 Displacement of 4 cm .....	304
8.1.3 Displacement of 8 cm .....	307
8.1.4 Displacement of 12 cm .....	310
8.1.5 Displacement of 16 cm and 20 cm.....	313
8.2 Load-Settlement Curve Analysis .....	313
8.2.1 Loosened Soil.....	318
8.3 Discussion.....	320
9 Summary, Conclusions, and Recommendations for Future Research.....	323
9.1 Use and Interpretation of CSL Data.....	323
9.1.1 Effects of CSL Access Tubes .....	323
9.1.2 The Potential of Numerical Modeling .....	324
9.1.3 Concrete Curing and Stress.....	325
9.2 Suggestions for Improvements .....	325
9.2.1 Use and Interpretation of CSL Data.....	325
9.2.2 Use of CSL Access Tubes.....	325
9.2.3 Concrete Pouring .....	325
9.3 Suggestions for Future Direction.....	326

<u>Appendix A</u> .....	327
<u>Appendix B</u> .....	337
<u>Appendix C</u> .....	341
<u>References</u> .....	361

## FIGURES

Figure 1.1 Photo. 3m Diameter, 32m Deep Drilled Shaft Foundation for a Bridge Structure Located at State Highway 19 over the Missouri River at Vermillion, South Dakota.....	2
Figure 1.2 Schematic Diagram of a Typical Drilled Shaft Foundation.....	9
Figure 1.3 Photo Showing Drilled Shaft Construction.....	10
Figure 1.4 A Schematic Showing the CSL Setup.....	21
Figure 1.5 State DOT Survey Participants.....	23
Figure 1.6 Map Showing the Responding State DOTs that Use NDE for QA/QC of Drilled Shafts.....	23
Figure 1.7 The Survey Results for the Question; “Does your state DOT use NDE for QA/QC of drilled shafts?”.....	24
Figure 1.8 Survey Results for the Questions a) Which is the primary NDE method your state uses for drilled shafts and b) What is the main reason your state selects the primary NDE method?.....	26
Figure 1.9 Sonic Echo and Impulse Response Equipment and Setup.....	28
Figure 1.10 Sonic Echo Record and Depth Calculation.....	30
Figure 1.11 Depth Calculations Using Frequency Domain Data for the Impulse Response Method.....	31
Figure 1.12 Gamma-Gamma Density Logging Equipment. (AMEC Earth & Environmental, Inc.).....	35
Figure 1.13 Gamma-Gamma Density Logs and Results. (Geophysics, 2002).....	36
Figure 1.14 Basic Wave Elements.....	39
Figure 1.15 Freedom NDTPC Family of Instruments (Olson Engineering, Inc.).....	47
Figure 1.16 PILELOGs – Full Waveform Cross-hole Sonic Logging System (InfraSeis, Inc.).....	50
Figure 1.17 PISA – Pile Integrity Sonic Analyzer (Geosciences Testing and Research, Inc.).....	52
Figure 1.18 (a) Full Waveform Stacked Traces (InfraSeis, Inc.) and (b) CSL Log Plot –First Arrival Time (FAT), Apparent Velocity and Relative Energy Versus Depth (GRL & Assoc., Inc.).....	55
Figure 1.19 Drilled Shaft with Defects.....	56

Figure 2.1 Pictures Showing Locations of (a) Boring B-5, (b) Boring B-6, and (c) Boring B-7 .....	65
Figure 2.2 Schematic of Site 1 Bridge Plan and Subsurface Profile .....	67
Figure 2.3 Drilled Shaft, (a) Horizontal Cross-Section, (b) Vertical Cross-Section .	68
Figure 2.4 Drilled Shaft Installation and CSL Measurements.....	70
Figure 2.5 3-D and 2-D Tomographic Representations of the A1-S2 Shaft Interior. Green Represents Velocity Contours of “Questionable” Zones.....	75
Figure 2.6 Schematic of Site 2 Bridge Plan and Subsurface Profile .....	77
Figure 2.7 Drilled Shaft Details (a) Horizontal Cross-Section, (b) Vertical Cross-Section.....	79
Figure 2.8 Variations in Apparent Velocity Due to Non-Uniform Tube Spacing. CSL Log from CP4 between Tubes 2&3 .....	83
Figure 2.9 (a) Initial CLS Test of the A2-4, (b) CSL Test of the A2-4 After 16 Days of Curing.....	86
Figure 2.10 Difference Tomograms Between Pre- Grouting Test #2 and Pre-Grouting Test #1 .....	87
Figure 2.11 2-D and 3-D Tomographic Interpretation of the Geometry and Location of the Defect at A2-4 .....	88
Figure 2.12 Location of the Coreholes and CSL Tubes of the A2-4 .....	90
Figure 2.13 Coring Procedure of the A2-4 at Site # 2 Bridge .....	90
Figure 2.14 (a-c) Cores from the SE Core Hole (in Between CSL Tubes 2-3) and (d-g) Cores from the Corehole in-between CSL Tubes 1-3 of the A2-4 Drilled Shaft for “Site 2 Bridge.....	92
Figure 2.15 Close-Up Look at the Defect with Velocity Reduction Counters (30% & 50% Reduction) .....	93
Figure 2.16 Close-Up Look at the Defect with Velocity Reduction Counters (20% Reduction and Combination of all).....	94
Figure 2.17 (a) & (b) Mechanism Used for Pressure Grouting .....	96
Figure 2.18 Difference Tomograms in Between Post-Grouting Test and Pre-Grouting Test #2 .....	97
Figure 2.19 CSL Retest Results After Pressure Grouting.....	98
Figure 3.1 Temperature Monitoring of A1-S1 at 6 hrs. (Black), 12 hrs. (Blue) and 24 hrs. (Red) after Concrete Placement .....	103

Figure 3.2 Temperature Monitoring of A1-S1 at 6 hrs. (Black), 12 hrs. (Blue), 24 hrs. (Red), 2 days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6 days (Yellow) after Concrete Placement .....	104
Figure 3.3 Temperature Monitoring of A1-S1 Averaged from the 4 Access Tubes at Depths of 3m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta).....	105
Figure 3.4 Temperature Monitoring of P2-S2. Temperatures at 1 hr. (Black), 24 hrs. (Red), 2 days (Green), 3 days (Purple), 4days (Orange), 5 days (Teal) and 6 days (Yellow) after Concrete Placement .....	107
Figure 3.5 Temperature Monitoring of P2-S2. Temperatures are Averaged from the 4 Access Tubes at depths of 0.8 m (Black, Gravel), 5 m (Blue, Clay), 10 m (Red, Clay), and 12.5 m (Green, Shale Bedrock) .....	108
Figure 3.6 Temperatures from Embedded Thermocouples of A2-S2- Red at the Center of Shaft at 2.4 m, Blue Near Rebar Cage at Same Depth, and Green Temperature Differential Between Both Stations.....	110
Figure 3.7 Temperatures from Embedded Thermocouples of Shaft P-3 at Site 2 Near Rebar Cage- Red at 3.66 m (Above Groundwater Table), Blue at 12.8 m (Below Groundwater Table), and Green is Temperature Differential Between Both Stations.....	111
Figure 3.8 CSL Velocity Measurements of A1-S1- Velocities at 1 day (Red), 2 days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6days (Yellow) After Concrete Placement.....	114
Figure 3.9 CSL Velocity Measurements of A1-S1 between Tubes 1-3 and 2-4 at 1 day (Red), 2days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6 days (Yellow) after Concrete Placement .....	116
Figure 3.10 Average CSL Velocity Measurements of A1 S1. Static Corrected Velocity Values are Averaged from the 4 Access Tubes (and Six CSL Test Paths) at Depths of 3m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta).....	117
Figure 3.11 CSL Velocity Measurements of P2- S2- at 3 days (Purple) and 4 days (Orange) After Concrete Placement.....	118
Figure 3.12 CSL Velocity Measurements of P2- S2- between Tubes 1-3 and 2-4 at 3 days (Purple) and 4 days (Orange) After Concrete Placement .....	119
Figure 3.13 GDL Density Monitoring of A1-S1- with 1 day (Red), 2 days (Green), 3 days (Purple),and 4 days (Orange) After Concrete Placement.....	120

Figure 3.14 Average GDL Density Monitoring of A1-S1- Densities are Averaged from the 4 Access Tubes at Depths of 3 m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta) .....	121
Figure 3.15 GDL Density Monitoring of P2-S2. Densities at 1 day (Red), 2 days (Green), 3 days (Purple), and 4 days (Orange) After Concrete Placement..	122
Figure 3.16 NML Moisture Monitoring of A1-S1- at 1 day (Red), 2 days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6 days (Yellow) After Concrete Placement .....	124
Figure 3.17 NML Moisture Monitoring of A1-S1. Moisture Values are Averaged from the 4 Access Tubes at Depths of 3 m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta) .....	126
Figure 3.18 NML Moisture Monitoring of P2-S2- at 2 days (Green), 3 days (Purple), and 4 days (Orange) After Concrete Placement .....	127
Figure 4.1 Typical Rate of Heat Evolution during Cement Hydration.....	132
Figure 4.2 Temperature Plot from Data Progressively Collected from Access Tubes .....	142
Figure 5.1 2D and 3D Thermal Network Mesh for Heat Conducting Calculations	159
Figure 5.2 Visco-Elastic Contact Model for DEM .....	167
Figure 5.3 Blocks in Contact .....	169
Figure 5.4 Identical Elastic Rough Spheres in Contact .....	174
Figure 5.5 Hertz Contact of Solids of Revolution .....	175
Figure 5.6 Stack Balls Setup for Energy and Dynamic Relaxation Numerical Tests .....	180
Figure 5.7 Total Energy of Stack Ball .....	181
Figure 5.8 Dynamic Relaxation Test Results .....	183
Figure 5.9 1-D P-Wave Propagation in a Rod .....	185
Figure 6.1 Material Palettes used in GAP Models. Defects Shown in Red Include Honeycombs, Cracking, and Debonding. Darker Colors on the Left Represent Lower Values. These Palettes are used to Display Corresponding Velocity, Wave Compression, Average Stress, Temperature, Heat Generation, Hydration Phase, Tension Strength, Modulus, etc. A Cross-section of the 1 m Drilled Shaft used in the Study is Shown on the Right. The Shaft is in the Center, Surrounded by Dry Sand, Wet Sand, Clay, and Rock. Portions of the	

Wet Sand, Clay, and Concrete are Hidden to Show the Internals of the Model. .....	187
Figure 6.2 Location of Drilled Shaft Cross-section Surrounded by Rock.....	191
Figure 6.3 Location of 3D Section within Drilled Shaft.....	192
Figure 6.4 Rock (Top Left) vs. Clay (Top Right) at 20 $\mu$ s, with Difference (Bottom) .....	196
Figure 6.5 Rock (Top Left) vs. Clay (Top Right) at 60 $\mu$ s, with Difference (Bottom) .....	197
Figure 6.6 Rock (Top Left) vs. Clay (Top Right) at 120 $\mu$ s, with Difference (Bottom) .....	198
Figure 6.7 Rock (Top Left) vs. Clay (Top Right) at 300 $\mu$ s, with Difference (Bottom) .....	199
Figure 6.8 Rock (Top Left) vs. Clay (Top Right) at 500 $\mu$ s, with Difference (Bottom) .....	200
Figure 6.9 CSL Signals from Rock vs. Clay, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom).....	201
Figure 6.10 No Rebar (Top Left) vs. Rebar (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	206
Figure 6.11 No Rebar (Top Left) vs. Rebar (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	207
Figure 6.12 No Rebar (Top Left) vs. Rebar (Top Right) at 120 $\mu$ s, with Difference (Bottom).....	208
Figure 6.13 No Rebar (Top Left) vs. Rebar (Top Right) at 300 $\mu$ s, with Difference (Bottom).....	209
Figure 6.14 No Rebar (Top Left) vs. Rebar (Top Right) at 500 $\mu$ s, with Difference (Bottom).....	210
Figure 6.15 CSL Signals from No Rebar vs. Rebar, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom) .....	211
Figure 6.16 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 20 $\mu$ s, with Difference (Bottom).....	215
Figure 6.17 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 20 $\mu$ s, with Difference (Bottom).....	216

Figure 6.18 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 120 $\mu$ s, with Difference (Bottom).....	217
Figure 6.19 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 300 $\mu$ s, with Difference (Bottom).....	218
Figure 6.20 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 500 $\mu$ s, with Difference (Bottom).....	219
Figure 6.21 CSL Signals from PVC vs. Steel Access Tubes, between Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom) .....	220
Figure 6.22 Tube Debonding (Top Left) vs. No Tube Debonding (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	225
Figure 6.23 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	226
Figure 6.24 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 120 $\mu$ s, with Difference (Bottom).....	227
Figure 6.25 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 300 $\mu$ s, with Difference (Bottom).....	228
Figure 6.26 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 500 $\mu$ s, with Difference (Bottom).....	229
Figure 6.27 CSL Signals with Tube Debonding vs. No Tube Debonding, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom).....	230
Figure 6.28 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	232
Figure 6.29 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	233
Figure 6.30 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 120 $\mu$ s, with Difference (Bottom).....	234
Figure 6.31 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 300 $\mu$ s, with Difference (Bottom).....	235
Figure 6.32 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 500 $\mu$ s, with Difference (Bottom).....	236
Figure 6.33 CSL Signals with Outside Sensor Drift vs. Inside Sensor Drift, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom).....	237

Figure 6.34 Cracking Defect (Top Left) vs. No Defect (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	240
Figure 6.35 Cracking Defect (Top Left) vs. No Defect (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	241
Figure 6.36 Cracking Defect (Top Left) vs. No Defect (Top Right) at 120 $\mu$ s, with Difference (Bottom).....	242
Figure 6.37 Cracking Defect (Top Left) vs. No Defect (Top Right) at 300 $\mu$ s, with Difference (Bottom).....	243
Figure 6.38 Cracking Defect (Top Left) vs. No Defect (Top Right) at 500 $\mu$ s, with Difference (Bottom).....	244
Figure 6.39 CSL Signals with a Cracking Defect vs. No Defect, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom).....	245
Figure 6.40 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	249
Figure 6.41 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	250
Figure 6.42 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 120 $\mu$ s, with Difference (Bottom).....	251
Figure 6.43 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 300 $\mu$ s, with Difference (Bottom).....	252
Figure 6.44 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 500 $\mu$ s, with Difference (Bottom).....	253
Figure 6.45 CSL Signals with a Honeycomb Defect vs. No Defect, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom).....	254
Figure 6.46 Void Defect (Top Left) vs. No Defect (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	257
Figure 6.47 Void Defect (Top Left) vs. No Defect (Top Right) at 20 $\mu$ s, with Difference (Bottom).....	258
Figure 6.48 Void Defect (Top Left) vs. No Defect (Top Right) at 120 $\mu$ s, with Difference (Bottom).....	259
Figure 6.49 Void Defect (Top Left) vs. No Defect (Top Right) at 300 $\mu$ s, with Difference (Bottom).....	260

Figure 6.50 Void Defect (Top Left) vs. No Defect (Top Right) at 500 $\mu$ s, with Difference (Bottom).....	261
Figure 6.51 CSL Signals with a Void vs. No Defect, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom) .....	262
Figure 7.1 Rate of Heat Generation (Cal/hr) used in the Numerical Model.....	264
Figure 7.2 Curing Compression. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference .....	270
Figure 7.3 Curing Compression. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference .....	27265
Figure 7.4 Curing Compression. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference .....	274
Figure 7.5 Curing Compression. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference .....	275
Figure 7.6 Curing Fracture. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference.....	277
Figure 7.7 Curing Fracture. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference .....	279
Figure 7.8 Curing Fracture. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference.....	280
Figure 7.9 Curing Fracture. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference.....	281
Figure 7.10 Curing Heat. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference.....	283
Figure 7.11 Curing Heat. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference.....	284
Figure 7.12 Curing Heat. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference.....	285
Figure 7.13 Curing Heat. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference.....	287
Figure 7.14 Curing Hydration. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference.....	288
Figure 7.15 Curing Hydration. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference .....	289

Figure 7.16 Curing Hydration. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference.....	290
Figure 7.17 Curing Hydration. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference.....	291
Figure 7.18 Curing Temperature. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference .....	292
Figure 7.19 Curing Temperature. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference .....	294
Figure 7.20 Curing Temperature. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference .....	295
Figure 7.21 Curing Temperature. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference .....	297
Figure 8.1 Compression Stress at Initial Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference .....	302
Figure 8.2 Fracture Extent at Initial Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference .....	303
Figure 8.3 Compression Stress at 4 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference .....	305
Figure 8.4 Fracture Extent at 4 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference .....	306
Figure 8.5 Compression Stress at 8 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference .....	308
Figure 8.6 Fracture Extent at 8 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference .....	309
Figure 8.7 Compression Stress at 12 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress,	

No Defect. Center: Compression Stress. Right: Compression Stress Difference .....	311
Figure 8.8 Fracture Extent at 12 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference .....	312
Figure 8.9 Compression Stress at 16 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference .....	314
Figure 8.10 Fracture Extent at 16 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference .....	315
Figure 8.11 Compression Stress at 20 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference.....	316
Figure 8.12 Fracture Extent at 20 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference .....	317
Figure 8.13 Effect of a Defect at Two Different Depths on Load Bearing Capacity .....	319
Figure 8.14 Effect of a Defect on Load Bearing Capacity with Shaft in Compacted Soil.....	321
Figure 8.15 Effect of Soil Compaction on Load Bearing Capacity.....	322

## TABLES

Table 1.1 Numerical Relationship between Path Length (PL), Transit Time (TT), Frequency (f), Period ( $T=1/f$ ), Velocity ( $V=PL/TT$ ), and Wavelength ( $\lambda=V/f$ ) .....	42
Table 1.2 Recommended Number of Access Tubes Versus Shaft Diameter (Olson Engineering, Inc.).....	45
Table 1.3 Technical Specification for the PILELOG - CSL system.....	51
Table 1.4 Transducers Specifications .....	53
Table 2.1 CSL Results from the Eight Shafts at Abutments 1 and 2, Site 1.....	72
Table 2.2 Summary of CSL Results at Site 2 .....	80
Table 4.1 Properties of Typical Ceramics.....	129
Table 4.2 Compounds Involved in the Concrete Curing Process (Kosmatka 2002) .....	131
Table 4.3 Surface Cracking Risks for a Structure with Concrete Thickness of 1.5 m .....	139
Table 4.4 Effects on Crack Sensitivity (Springenschmid 1998).....	144
Table 4.5 Comparison of Measures on $\Delta T$ , Concrete Strength, and Overall Concrete Quality.....	147
Table 4.6 Ground Water Flow in Soil.....	151
Table 6.1 Property Ranges Corresponding to Material Color Palettes .....	188
Table 6.2 Material Properties used in Models .....	189
Table 6.3 Thermal Expansion of PVC and Steel (inches/100 ft).....	221
Table 7.1 Curing Model Coefficients .....	265

## **1 Introduction**

Spread footings are generally preferred as foundations for structures when conditions permit. If the upper soils are weak and/or susceptible to scour and the structural axial/lateral loads are large, a deep foundation is typically recommended. Although many types of deep foundations are in use today, the most popular are driven piles and drilled shafts. Prior to selecting the type of deep foundation, the engineer must obtain sufficient information on the structural load transfer mechanism between the subsurface materials and the foundation. Historically, standard deep foundation design practices were simple with a large factor of safety for axial loads and serviceability (settlement) was typically not considered. Today, foundations are designed for much larger loads per element, and deformation/displacement calculations for both axial and lateral loading conditions are required. The effect of extreme conditions such as seismic activity, scour conditions, and vessel impacts are also included. Higher loads naturally result in less design redundancy within the foundation. Non-redundant deep-drilled shafts beyond 3-m diameter have recently been constructed on several bridges (Figure 1.1).

The implementation of drilled shafts as deep foundations for bridges has increased dramatically in recent years. A reason for this growth has been the advent of routine non-destructive evaluation (NDE) techniques. Drilled shaft performance, the ability to resist applied loads with an assumed safety factor, is not only dependent on the design but also on the quality of construction practices. All foundation elements must therefore be installed according to the design specifications without flaws. The use of outdated “routine practice” construction specifications and methods frequently produced undesirable situations during construction. Detailed routine inspection procedures by qualified inspectors during drilled shaft construction are essential but



**Figure 1.1 Photo. 3m Diameter, 32m Deep Drilled Shaft Foundation for a Bridge Structure Located at State Highway 19 over the Missouri River at Vermillion, South Dakota.**

may not be adequate in evaluating the final shaft integrity. Construction defects occurring during concrete placement in deep foundations are typically not obvious, and often result in structural stability or safety issues.

Recent research indicated that tremie poured concrete does not flow into the annular area as commonly thought in drilled shafts (Brown, 2003). Concrete flow through steel reinforcement is a behavior dependent on many characteristics. The relative size of the coarse aggregate in the concrete mix and the minimum space between reinforcement bars is one of the most relevant factors. The clear spacing to aggregate diameter ratio (CSD) is generally greater than 20. As the demand for larger capacity foundations increases, the shaft diameter and the steel amount in the rebar cage also increases. Recommendations call for a minimum cage spacing of 3 to 5 times the coarse aggregate to allow for free flow of concrete past the reinforcement into the annular area of the shaft (O'Neill and Reese, 1999). If the rebar cage has small clearance spacing due to high steel amounts, the following may occur: (a) sediment will settle out of the slurry and slough off to the side as concrete is poured, decreasing the bond between concrete and bearing strata; (b) voids in the concrete may be created outside the cage, reducing side resistance, and (c) concrete may not effectively flow into the annular area, and may create a void space, exposing steel reinforcement to ground water (Brown, 2003).

Defects are defined as zones in which the drilled shaft structural material or configuration has a lower load carrying capacity than originally designed. Defects in drilled shafts may be caused during drilling, construction, or casing, and may include soil intrusions, honeycombs, voids, and concrete mixed with soil or slurry. These anomalies or defects may produce other long-term weaknesses within the drilled shaft, such as exposing rebar to corrosion. Exposed rebar has reduced resistance to buckling or lateral loads, and thus reduces the life expectancy of the foundation. Current structural design methods for drilled shafts are inadequate because the

presence of flaws is not considered. A substantial cost savings can be realized if foundation flaws are detected early, when repairs can be made.

Obtaining accurate and timely information on the integrity of concrete structures such as drilled shaft foundations is essential for project economy, progress, and success. In the mid 1980's, a campaign was launched intending to simulate the development of mobile, inexpensive, reliable non-destructive methods for assessing the quality of drilled shafts during construction (Litke, 2005). These NDE methods are increasingly being adopted for quality assurance on highway projects to assess the integrity of deep foundations and other civil engineering structures. Quality assurance and control for bridge foundations is essential for building a safe and long lasting bridge.

Present NDE methods do not yield absolute values of material physical properties, but measure geophysical dynamic properties that correlate to the material physical properties. Therefore, material modulus and strength within a structure can only be estimated based on the value of in situ geophysical measurements, creating justifiable concern about the accuracy of the results.

Cross-hole sonic logging (CSL), the most popular NDE method within state department of transportations, has been routinely used for several decades to characterize the integrity of drilled shafts. Although 3-D tomographic data acquisition and analysis has been recently applied, CSL technique is still hampered by uncertainty with respect to what specifically constitutes defective concrete. If CSL data provides accurate information on the geometry and location of defects in a drilled shaft, the structural loading capacity can be determined in 3 D modeling as discussed latter.

One fundamental problem is establishing an appropriate technical definition for what may be called “local average velocity (LAV)”, which is used as the reference datum

within a velocity log along the drilled shaft. The following general guidelines are presently used for rating concrete quality within deep foundations using velocity data from CSL results:

- Good/Acceptable concrete: 0-10% reduction (from “LAV”)
- Questionable concrete: 10-20% reduction
- Poor/Not Acceptable concrete: >20% reduction

Obviously, from the above criteria, it is critical to calculate the “local average velocity” for each drilled shaft with some accuracy. Velocity deviations from the local average at any point along the drilled shaft are used as the measure to characterize the foundation integrity. If a drilled shaft contains several contaminated low velocity zones, the “local average velocity” is proportionally reduced, and therefore invalid concrete ratings may be produced.

Ultimately the question to be answered is not whether the foundation has defects (because defects or flaws are often unavoidable), but to determine the effects of defect frequency, geometry, and location on the structural performance of the drilled shaft foundation.

### **1.1 Purpose and Objectives**

This research will mainly focus on the evaluation of the structural integrity of drilled shafts using the crosshole-sonic logging method. The research objectives are mainly to analyze the effectiveness of crosshole sonic logging (CSL) surveys to characterize the integrity and bearing capacity of deep-drilled shaft foundations. Numerical models will be constructed to isolate, control, and measure the effects of various phenomena.

A well-established, comprehensive numerical model based on the Particle Flow Code (PFC) method will be used for this research. PFC is a Discrete Element Method

(DEM) that uses combinations of small spherical elements bounded by springs of various stiffness to model the larger, more complex elements commonly used in DEM. This modeling method was selected because it supports solids, with effects of friction, interlocking, collisions, and cracking, as well as fluids and solid/fluid interaction. This method also has the capability to model dynamic crack propagation, seismic waves, and static loading in concrete, soil, and other geotechnical materials. The PFC method was also expanded to model a wider range of phenomena, such as concrete curing, heat transfer, thermal cracking, honeycombing, surrounding ground conditions, ground water effects, and corrosion.

This study will simulate CSL surveys under various conditions commonly encountered in the field. The effect of the following factors on velocity propagation will be examined:

1. Access tube-- including tube bending, sensor drift and orientation within the tubes, steel versus PVC tubes, thermal expansion during concrete hydration, and tube debonding.
2. Rebar--including CSL signal reflection and dispersion, rebar thermal expansion, and rebar debonding.
3. Concrete hydration in typical ground conditions and at different curing times, using chemical hydration rates, heat transfer, and thermal stress.
4. Common defects will be introduced into the models, such as honeycombing, soil intrusion, and thermal cracking. Simulated CSL surveys will be evaluated for effectiveness to detect and classify these defects using simulated waveform analysis.

Next, numerical stress analysis will be performed on defects within the drilled shaft to estimate effects on bearing capacity and structural integrity.

The purpose of this study is to explore the potential to process full-waveform seismic data collected from existing survey techniques to obtain a more accurate and comprehensive estimate of drilled shaft performance and structural integrity. The evaluation of steel corrosion in the drilled shaft is also of importance since it may reduce the design life of the drilled shaft.

## **1.2 Background-Drilled Shaft Foundations**

Since this research is mainly focused on the evaluation of drilled shafts with defects, this section will provide a brief overview of drilled shaft design and construction, advantages and disadvantages, and construction inspection and observations methods.

### **1.2.1 Description**

Drilled shafts are cast-in-place deep foundation support elements constructed by drilling a cylindrical hole, lowering a structural steel rebar cage into the hole, and then filling the hole with concrete. There are numerous methods and problems associated with each method in completing each of these three steps. The geological environment influences the appropriate course of action to create a reliable structural element. Drilled shafts are typically capable of supporting high, concentrated loads. Drilled shafts are the foundation of choice for heavily loaded, seismically sensitive structures, because of their ability to resist axial and lateral loads. However, sensitivity in construction practice is important for successful implementation of this type of foundation.

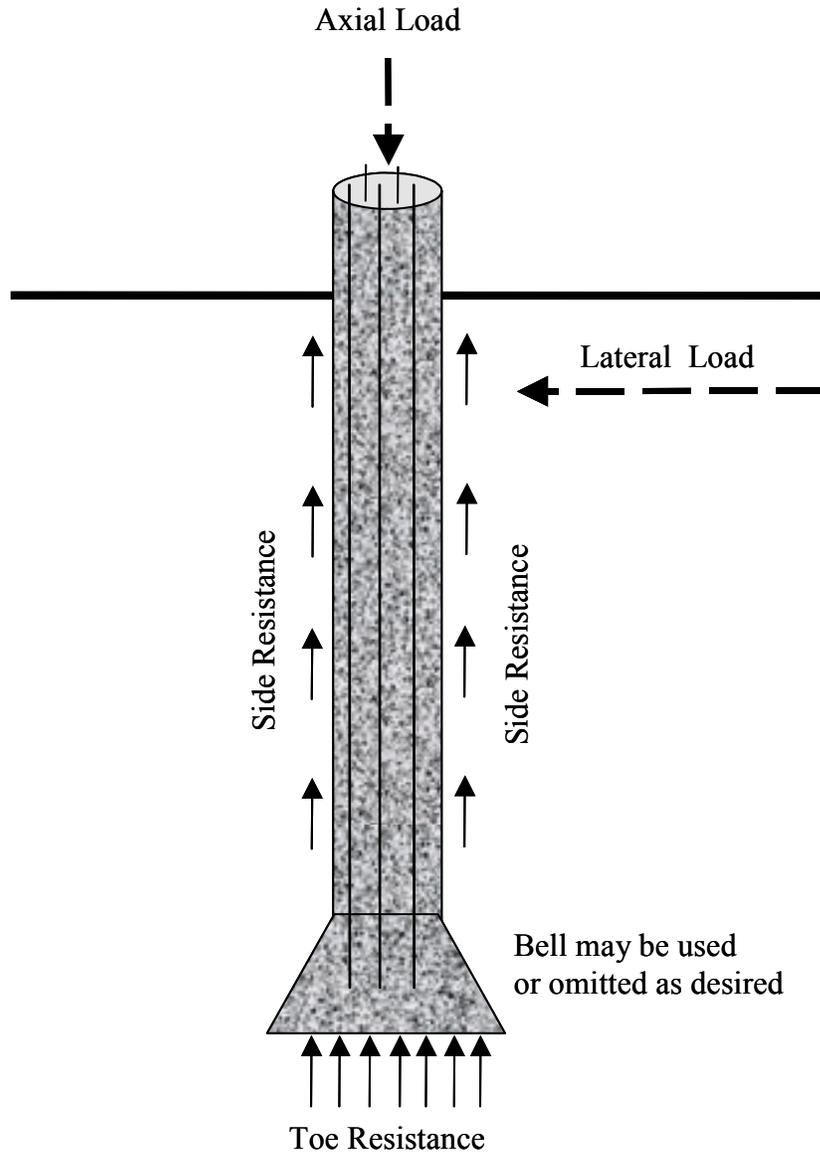
Drilled shafts, also referred to as “drilled caissons”, “drilled piers”, “cast-in-drilled-hole piles”, and “bored piles”, typically range from 0.5 to 4-m in diameter and can be placed at depths up to 50 m. Several factors influence the ratio of depth to diameter (L/D), such as the nature of the subsurface soil profile, the groundwater table level, whether or not a rebar cage is required, the concrete mix design, and the lateral

support requirements. Typically the aspect ratio of drilled shaft, its length divided by its diameter, is less than 30 ( $L/D < 30$ ). Available drilled shaft construction equipment is capable of drilling cylindrical holes up to 6-m in diameter, to depths of up to 75 m.

Depending on subsurface soils and design load conditions, the diameter at the base of the shaft may be increased (belled) up to three times the diameter of the shaft to increase base resistance. Structural loads are supported by base resistance, side resistance, and existing bedrock, if accessible. A typical schematic of drilled shaft construction with loading is shown in Figure 1.2, and a typical drilled shaft construction operation is shown in Figure 1.3

Drilled shafts are constructed straight, belled, and rock-socketed using two different methods:

- Dry method – construction of a shaft without water interference. The dry construction method consists of drilling the shaft excavation, removing loose material from the excavation, and placing the concrete in a relatively dry excavation. Casing may be used as temporary or permanent; the temporary casing construction method is normally used when excavations in the dry construction method encounter water bearing or caving soil formations. A temporary casing is placed into the impervious formation to produce a watertight seal at the bottom. The casing is withdrawn during concrete placement. The permanent casing method consists of placing a casing to a prescribed depth before excavation begins. If caving or water bearing soils are encountered during dry drilling, the hole is filled with water and drilling advances the excavation.



**Figure 1.2 Schematic Diagram of a Typical Drilled Shaft Foundation.**



**Figure 1.3 Photo Showing Drilled Shaft Construction**

- Wet or slurry methods – constructing a shaft either with ground water or under water using tremie concrete. In this type of operation, drilling slurry (typically commercial bentonite clay mixed with water) or polymer slurry is used to stabilize the excavation, or to prevent inflow when ground water is encountered in the excavation that cannot be dewatered.

Typical problems that may be encountered during construction, such as hole caving, casing advancing and retreat, dewatering, and obstructions, can best be evaluated by drilling a full size test shaft during the exploration or design phase of the project.

If this is not feasible, the geotechnical engineer must include an advisory on the potential problems that may be encountered during shaft construction. Some subsurface conditions affecting construction procedures are:

- Soil stability against caving or collapse: Test holes are drilled to determine the need for casing during construction dry method should only be allowed in non-collapsible soils.
- Groundwater elevation and water inflow rates (artesian water conditions): These should be estimated to indicate if dewatering is needed and determine the method of concrete placement to be used.
- Bedrock elevation or large boulders: If these are expected along the axis of the drilled shaft, specialized drilling equipment may be required and included in the estimate.
- Weak soil layers just below the base of the shaft: For this condition, drilling may have to extend below the weak strata.

### **1.2.2 Advantages and Disadvantages**

The use of drilled shafts as deep foundations has several advantages and disadvantages over driven piles and smaller diameter pre-stressed concrete piles.

#### Advantages:

- Drilled shafts can be constructed in soils with cobbles and boulders, and can be drilled in rock.
- Mobilization/demobilization costs are generally less, especially if the foundations are a small part of the project.
- Subsurface soils can be examined during the drilling.
- Drilled shaft diameter and length can easily be altered in the field if different soil conditions are encountered than anticipated.
- The structure can be supported on one large diameter column instead of several piles.
- Drilled shaft construction generates less noise and pollution, and is favored in urban areas and where environmental concerns are an issue.
- Drilled shafts have better resistance to large lateral loads such as wind, and better resistance to lateral impact from ships or vehicles.
- Drilled shafts are easier to install in regions with shallow rock.
- Lower impact when right-of-way constraints are an issue.
- Improved economy because each shaft replaces a large numbers of piles and pile caps.

#### Disadvantages:

- Drilled shafts are highly dependent on contractor experience and workmanship. Quality control is not easily performed after construction. If defects occur during construction, they are not seen and may cause a poor foundation that is unable to support design loads. This is important, especially if only one or two drilled shafts are used.

- When soil is excavated during drilling, the existing ground lateral are reduced therefore drilled shafts generally have less soil frictional capacity than driven piles. The concrete/soil friction may sometimes accommodate this loss.
- Pile driving increases the density of the soils beneath the tip, whereas shaft construction does not. Lower bearing capacity at the toe results from the removal of soil during drilling.
- Drilled shaft capacity testing is expensive and is normally only used on larger projects with many shafts.
- Defects during construction are difficult to detect without the aid of non-destructive methods.
- If the drilled shaft is constructed in slurry, concrete contamination may occur during concrete displacement of the slurry, reducing concrete strength.
- Occasionally, soils may cave into the drilled shafts during construction.

### **1.2.3 Construction Inspection and Observation Methods**

During construction, full time inspection of drilled shafts by qualified personnel is a necessary part of the process. Inspection observation methods such as probes, video camera inspection, remote shaft wall inspection devices, or various calipers are not suitable substitutes for routine “topside” construction inspection. Remote or indirect observation methods are valuable alternatives to direct entry of personnel into drilled shaft excavations. They should be considered whenever appropriate to reduce the risks associated with direct entry of personnel.

Observations made during construction are essential for quality construction of drilled shafts. The shaft depth, diameter, plumbness, bottom conditions, reinforcement, concrete continuity, and bearing conditions are most easily checked during

construction. Some of these observation methods include excavation around the shaft for relatively shallow inspection, down-hole inspection for end bearing conditions or rock sockets, and video camera devices for remote inspection. In rare circumstances it is justifiable to create a test drilled shaft that can be extracted for inspection. Before concrete placement, the bottom of the shaft can also be probed by drilling or coring to determine if there are voids or soft zones in the material at the base of the shaft.

This summary focuses on traditional “topside” inspection for routine drilled shaft construction. However, recognizing that “down-hole” inspections are still sometimes performed, this summary provides guidance to the inspector (and geotechnical engineer) on technical considerations for such inspections. Federal safety regulations for entering shafts are promulgated by OSHA. Individual states, owners, or contractors may have additional regulations.

#### **1.2.3.1 Down-Hole Inspections**

Down-hole inspections by qualified personnel provide an opportunity to determine the condition of the bearing stratum of drilled shafts, and provide guidance to the geotechnical engineer and inspector about the technical conditions to observe and note. Direct down-hole observation provides the best opportunity to view and manually explore end bearing conditions and/or rock socket with a geologist’s hammer, pocket penetrometer, or a short manually pushed, thin-wall sampler. Samples can be obtained and preserved. Shaft walls in earth cannot safely be observed because of the need for protective casing to enter the shaft.

#### **1.2.3.2 Probe Inspection**

It is sometimes necessary to probe below the bottoms of drilled shafts to determine if there are voids or cavities that will interfere with the load carrying capacity. This step

is often necessary for rock sockets in limestone and dolomites or for drilled piers carrying very high loads. The procedure is usually to core a 50 or 75-mm diameter hole about 1 to 3 m below the excavated bottom of rock socket using an air-track rig. For elements founded in soil strata, pre-construction borings at each shaft location are sometimes recommended.

### **1.2.3.3 Video Camera Inspection**

Video camera inspection of drilled shafts is increasingly common for shafts that are either inaccessible, constructed over water, or where direct entry by personnel is not desired. Certain video systems can be used in shafts constructed with slurry. The video camera system provides real-time images, as well as a videotaped record, of the shaft walls and bottom conditions. While different procedures for videotaping the shaft walls are used, an efficient method begins at the bottom of the casing by performing a 360° rotation around the shaft, lowering the camera a fixed distance (300 mm), and performing another 360° rotation at that level. The procedure is repeated until reaching the bottom of the shaft. The camera angle is changed to view the shaft bottom. A weighted engineering tape, fixed at the north edge of the shaft wall, can provide a convenient depth and azimuth reference. The miniaturization of cameras has allowed smaller shafts to be inspected.

The greatest advantage of video camera inspections is that they avoid the need for entry of personnel into shafts. The camera provides a real time view, allowing the geotechnical engineers at the surface to evaluate the shaft during the inspection. A permanent videotape record allows later viewing as well. The camera provides observation in inaccessible small diameter shafts, shafts under water, or shafts constructed with slurry. The disadvantage is that the video camera provides only a visual image, without opportunity to physically sample or probe the shaft.

#### **1.2.3.4 Shaft Wall Sampling and Rock Socket Wall Roughness Inspection**

The wall roughness of rock sockets have become of interest, as research shows a correlation between wall roughness and side shear capacity in certain types of bedrock, such as shale and mudstones. Some shaft designs call for grooves to be cut in the walls or rock sockets and drilling tools that cut grooves are commonly in use.

A shaft wall sampler is a device lowered into a drilled shaft excavation that is capable of remotely retrieving a small sample of the shaft sidewall. This device can obtain small diameter “tube” samples of soils or soft rock from the sidewall of a shaft at any depth. The samples can be extruded and used to observe the magnitude and rate of slurry cake buildup, rate and magnitude of sidewall softening, and for evaluation of sidewall strength. Samples of cohesive soil can be tested for comparison to strength parameters used during design.

A more sophisticated “shaft inspection device” may also be used, which includes remote socket wall sampling, a video camera, calipers for measuring the diameter of the shaft and a probe that can measure the thickness of sediment on the bottom of the shaft.

Like video camera inspections, these devices offer the advantage of “topside” operation without risk of personnel entering the shaft excavation. For shafts constructed under water or with slurry, these methods and equipment offer capabilities for down-hole inspection testing that are not otherwise currently available.

The roughness of the wall of a rock socket can vary substantially, depending on rock type, jointing, rock strength, drilling tools, drilling technique, presence of a roughening tooth, and roughening technique. A down-hole laser-based measurement device has been developed for precise measurement of socket-wall roughness. The

equipment may be used in sockets greater than 600 mm in diameter. The precision of socket-wall roughness measurements is within 2.5 mm. In addition to confirming the size and location of grooves, this device also provides a detailed vertical profile of the sidewall, including asperities and vertical angularity.

These devices also offer the advantage of operation from “topside” without risk of personnel entering the shaft excavation. For shafts constructed under water or with slurry, they offer capabilities for measuring the roughness of a rock socket that are not otherwise currently available.

### **1.2.3.5 Electro-Mechanical and Acoustic Shaft Caliper**

Shaft calipers are lowered into a shaft excavation from the ground surface to measure the gross diameter or shape of a drilled shaft excavation. Typically, calipers are used in shafts excavated under water or with the slurry method, although they can also be used in dry holes. A chief objective is to check for necking, squeezing, or zones of caving in drilled shafts that are in soil. Obviously, calipers cannot be used in shafts with either temporary or permanent casing. They are also less important for rock sockets made in competent rock formations.

The two main types of shaft calipers are electro-mechanical and acoustic. Electro-mechanical shaft calipers were developed for monitoring oil well drill holes. The devices can be operated in dry shafts, or shafts completely or partially filled with water or slurry.

The devices are typically four-pronged, spring-loaded steel “feelers,” much like the feeler rods in a pressure meter, only much larger. The radius value is calibrated to the feeler rotation, which is measured by an electrical potentiometer. The precision of this device is approximately 6 mm radially and 1 mm in depth. The maximum sized hole diameter that can be measured with this precision is about 2 m.

An alternative and increasingly common method of shaft inspection is by acoustic methods. Acoustic methods require a fluid (water or slurry) for signal transmission, as acoustic calipers only function when submerged. An additional benefit of these systems is that verticality of the shaft can also be assessed.

Although specific features of different devices vary, the acoustic calipers use one or more radial-spaced ultrasonic transducers to transmit and receive acoustic signals between the sensor and the borehole wall. The diameter of the borehole is measured at a rapid rate while the caliper is lowered. The sensor usually incorporates a magnetometer and an accelerometer, which are used to directionally orient the caliper data. This information can then be used to provide a three-dimensional model of the shaft cavity. Results are provided in real time and in digital form.

Similar to video camera inspections, shaft calipers offer the advantage of operation from “topside” without risk of personnel entering the shaft excavation. For shafts constructed under water or with slurry, they offer capabilities for measuring the diameter of a drilled shaft that is not otherwise currently available.

### **1.3 NDE Methods for Determining Drilled Shaft Integrity**

NDE techniques are used with the expectation of replacing expensive and potentially destructive full-scale static and dynamic load testing techniques. However, when disputes arise over questionable NDE results, full-scale load testing may be required to avoid lost time and/or legal costs. As understanding and trust in NDE increases, situations requiring reliance on full-scale testing can be reduced. This section will provide an overview and the history of the development of NDE methods for use as QA/QC tools during drilled shaft construction. A summary of results is included from a recent comprehensive synthesis conducted under an FHWA contract to the knowledge and applicability of NDE methods within the State DOT’s. The survey

results indicated that the majority of responding states use crosshole sonic logging as the primary NDE method for characterizing drilled shaft integrity.

Several widely used methods including sonic echo, impulse response, gamma-gamma density logging, crosshole sonic logging, and other methods are briefly described. Since the main focus of this research is on CSL data and results, a more detailed discussion of this method will be provided.

### **1.3.1 Overview**

Geophysical non-destructive evaluation techniques have long been accepted in the petroleum, mining, and metallurgical industries. Over the past century, many imaging techniques have been developed using methods such as X-ray, acoustic/sonic energy, radar, infrared, electrical/electromagnetic, and nuclear. These methods are conducted either from the surface or using downhole probe technologies. Cross-hole logging, an acoustic technique, has its roots in petroleum exploration, and has been through several phases of development. Electrical logs were first introduced in the 1920's to identify oil-bearing formations. By the mid-1940's, electronic downhole systems were in use. During this era, the widespread deployment of electromagnetic, acoustic, and nuclear logging systems, including the use of gamma-density and neutron-porosity probes, was seen. These logging systems were developed mainly to comprehensively characterize reservoir conditions by measuring water (versus. oil or gas) saturation, formation porosity, and permeability.

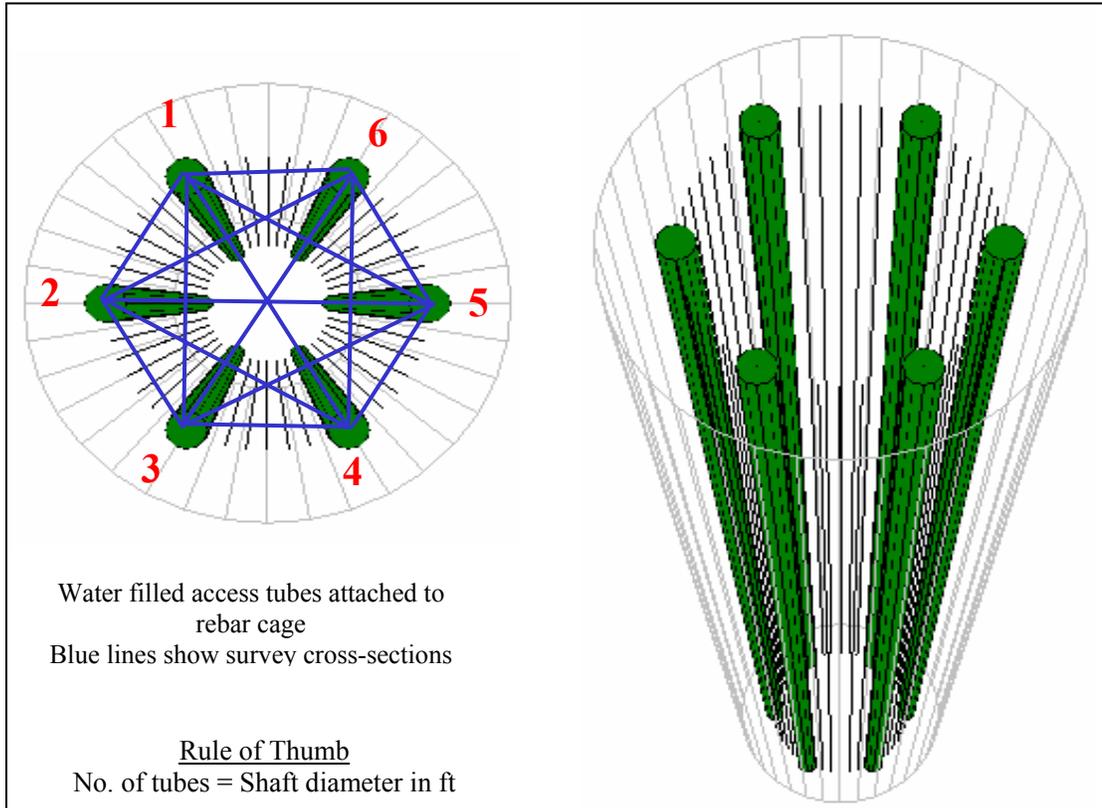
#### **1.3.1.1 History of Non-Destructive Evaluation Methods**

The first sonic probe logging system was introduced in the 1950's and consisted of a single acoustic source and two in-line receivers. The second-generation sonic probe was initiated a decade later and consisted of a source with multiple pairs of receivers to compensate for borehole effects. These systems became popular for mining

applications, including exploration of base metals and uranium, for shallow (<1,000 m depths) oil and gas applications, and civil and environmental engineering applications. The engineering applications included logging for geotechnical, ground water, hydro-geological, geo-environmental, and other environmental engineering objectives.

Pacquet and others originally researched downhole sonic logging for concrete evaluation in the early 1970's at the Experimental Center for Research and Studies in Building and Public Works in France. This led to the development of the cross-hole sonic logging (CSL) and gamma-gamma density logging systems for deep foundation quality assurance (Stain, 1982). Prior to the mid-1980's, quality assurance integrity testing of drilled shafts was mainly performed using the Sonic Echo (SE) and Impulse Response (IR) seismic test methods (Koten and Middendorp, 1981; Davis and Dunn, 1975). These seismic methods required only one free surface. However, such methods detect only large defects, generally with cross-sectional area change greater than 5%, and only work properly on drilled shafts with maximum length-to-diameter ratios of 20:1. Smaller defects located below a major defect are shadowed and may not be identified. The type of soil in which the shaft is embedded limits the penetration of the seismic signal.

The drawbacks associated with the SE and IR methods, recent advancements in PC-based digital signal recording and processing, and better understanding of the physical factors affecting test performance have resulted in development of the current cross-hole logging methods using both ultrasonic and nuclear sources. Recently, cross-hole sonic logging has become the standard method for characterizing concrete structure integrity in drilled shaft foundations. CSL tests provide information about concrete integrity by transmitting an ultrasonic signal from a tube, through the structure, and receiving the signal in an adjacent tube. This test is usually conducted with the transmitter and receiver at the same horizon, but may be



**Figure 1.4 A Schematic Showing the CSL Setup**

conducted with a predetermined vertical offset between the probes. This offset distance is limited by the signal power level and frequency used during testing. CSL access tubes are usually 50 mm in diameter and are securely tied to the rebar cage in a vertical orientation before shaft construction. The number of tubes required is determined from the diameter of the drilled shaft (Figure 1.4).

Although this method has proven to be valid, the results are generally difficult to interpret and were therefore often ignored by the project site engineer. Recent studies have shown that refining CSL data presentation with color-coded 3-D images vastly improves concrete pier integrity characterization and is more likely to be used by the project site engineer, ultimately minimizing risk and reducing cost.

#### **1.3.1.2 Summary of a National DOT Synthesis on Use of NDE Methods**

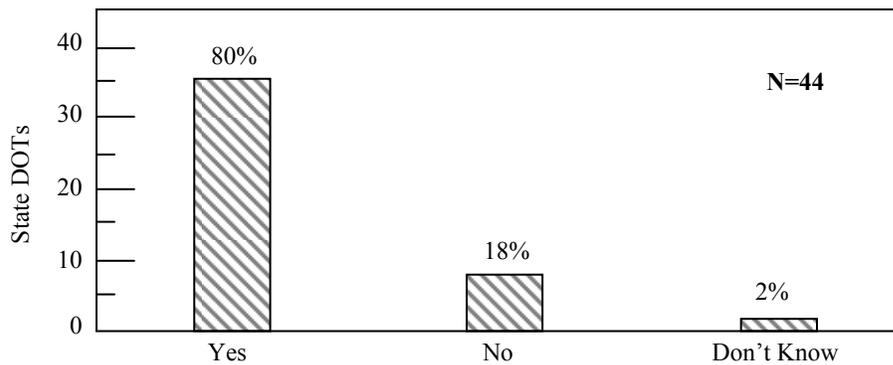
NDE practices varied considerably from state to state. Some states have minimal experience with these methods while others use NDE on all drilled shafts. A synthesis was conducted by California State University (Tufenkjian, 2003) to determine the current and future application of NDE methods for evaluating drilled shaft integrity among state DOTs. The survey questions were developed in parts, aimed at determining how many transportation agencies use NDE for testing drilled shafts, the level of experience that they have in these methods, and the types of NDE methods most implemented in their state. About 44 out of the 50 (88%) of the State Department of Transportations participated in the survey (Figure 1.5), 43 states (98%) reported using drilled shafts for deep foundation.

As with any statistical data, it is important to use caution when drawing conclusions from the data. A state responding to the affirmative could potentially use drilled



shafts only on a single bridge. Regardless, the survey does indicate widespread familiarity with drilled shafts.

Of the 44 respondents, a majority of 35 states (80%) reported using NDE techniques routinely for quality assurance and quality control on drilled shafts (Figures 1.6 and 1.7).



**Figure 1.7 The Survey Results for the Question; “Does your state DOT use NDE for QA/QC of drilled shafts?”**

When asked if their state uses other quality assurance verification procedures, 80% responded positively. The overwhelming alternative procedure mentioned by the responding states was drilled shaft coring followed by load testing using conventional means, or by use of an Osterberg load cell. Only 36% indicated that they were “very familiar” with NDE methods, while 64% indicated that their state was “somewhat familiar” with NDE methods for testing drilled shafts. Almost all responding states (93%) indicated the need for additional training.

When asked which NDE method is the primary method used by the state DOT, the answer was consistent with the literature, where the overwhelming majority of 33 out of 35 states (94%) that use NDE responded that the crosshole sonic logging method was the primary method used (Figure 1.8). Only Caltrans indicated that they use the

gamma-gamma method as the primary method, and if defects are detected, they apply the crosshole sonic logging method as a secondary method for verification. Although sonic echo does not require installation of tubes and is quicker and cheaper to perform, it is surprising that only one state responded that they use this method as the primary NDE test.

Over half of the states that use NDE indicated that CSL was primarily chosen out of familiarity with the technique, and not for any other reasons or requirements. The vast majority (83%) of the states using NDE were satisfied with the effectiveness of the method, while 14% were not satisfied. Of those who were not satisfied, the common explanation was that a standard or an acceptance criterion had not been established, or that the NDE results were highly subjective and open to interpretation. About half of the states specify non-destructive evaluation for drilled shafts under slurry only, and one third indicated that all their drilled shafts constructed with temporary casing for caving control are specified for testing. Only 17% of the respondents indicated that all their drilled shafts are tested regardless of conditions.

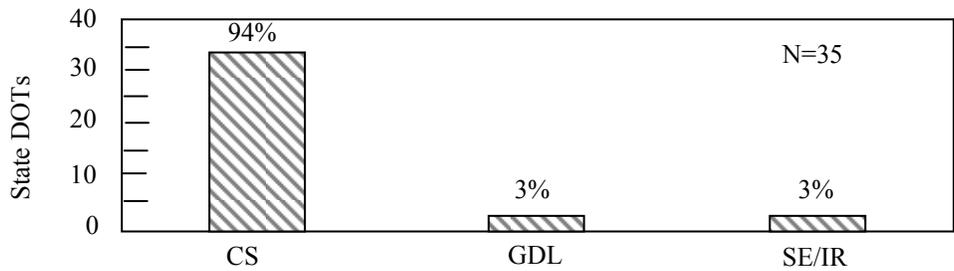
A majority of the states also indicated that very few imagery or calibrations are done in the shaft prior to concrete placement for quality control measures.

### **1.3.2 Sonic Echo and Impulse Response (SE and IR)**

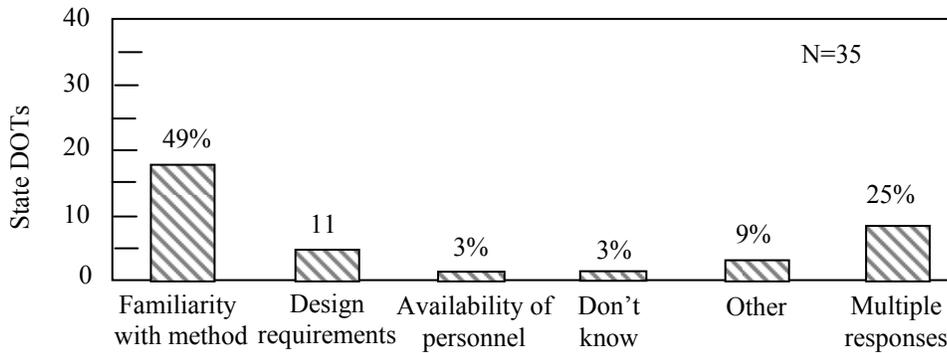
These methods are sometimes referred to as pile integrity methods. Additional names for the sonic echo method include echo seismic and pulse echo. Other names for the impulse response method include sonic mobility, transient dynamic response, impulse response spectrum, transient response, and transient dynamic response.

These techniques are relatively inexpensive, and sophisticated test equipment is not required. These methods are more commonly used to evaluate existing shafts, pre-cast driven concrete or timber piles, and auger-cast piles than newly constructed

shafts. Their use during construction is typically to confirm results from other NDE tests if required. These techniques have also been used on shallow concrete structures such as wing walls, provided the top of the wall is accessible. SE and IR tests are generally performed to approximate the length of deep foundations, to detect anomalies, soil inclusions, pile necking, and shaft diameter bulging.



(a)



(b)

**Figure 1.8 Survey Results for the Questions a) Which is the primary NDE method your state uses for drilled shafts and b) What is the main reason your state selects the primary NDE method?**

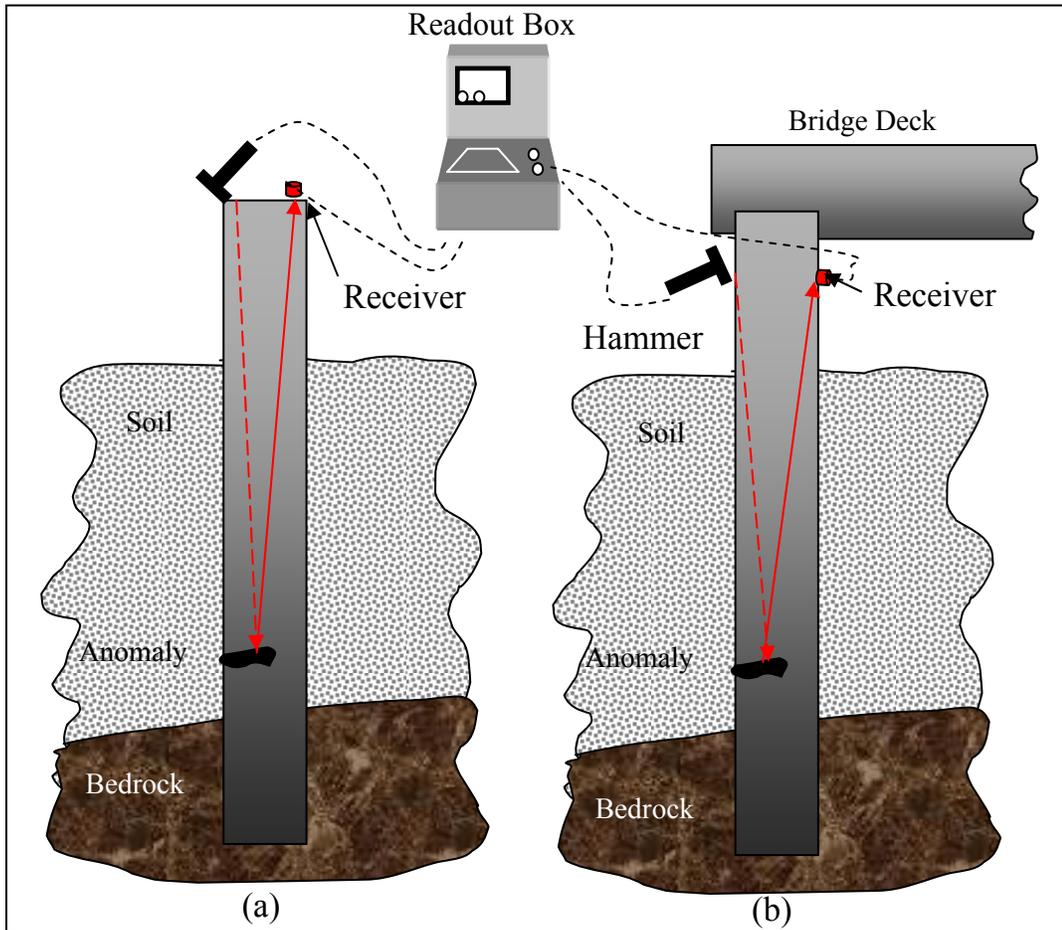
### **1.3.2.1 Basic Theory and Procedures**

Sonic echo and impulse response test equipment simply require a small hand-held impulse hammer with a built-in load cell, and an accelerometer. During the test, the top of the shaft is struck with the hammer, creating a downward traveling compressional wave. The generated wave typically travels down the shaft until a change in acoustic impedance (depending on variations in velocity, density, and/or shaft diameter) is encountered, where the wave reflects back and is received by an accelerometer placed next to the impact point, as illustrated in Figure 1.9.

The same data is collected for both types of tests. These data are analyzed in the time domain for the SE method, and in the frequency domain in the IR method. SE signals are integrated to produce travel time velocities, and may require the application of a gain function or sophisticated signal processing techniques to enhance weak reflections and compensate for energy damping.

The tests for SE are typically performed with different frequency filters to optimize reflections from the foundation toe, and to reduce the effect of surface waves or reflections from a discontinuity at a shallow depth, which result in higher frequencies. In an IR test, a digital analyzer automatically calculates the transfer and coherence functions, after transforming the time records of the hammer and the receiver to the frequency domain.

For drilled shafts, the best results from SE/IR tests are obtained if the top of the drilled shaft is exposed to allow receiver attachment and hammer strikes as illustrated in Figure 1.9a. If, however, the top of the shaft is not exposed, the test can be performed on the side, providing at least the upper 300 to 600 mm of the shaft is exposed (Figure 1.9b). In cases where the superstructure is in place, the SE/IR data is more difficult to interpret because of the many reflecting boundaries, and multiple accelerometers may be required.



**Figure 1.9 Sonic Echo and Impulse Response Equipment and Setup.**

For accurate results, it is important to also measure the P-wave velocity of the concrete in the tested structure. It is not reliable to assume concrete velocity or to measure it in the laboratory using ultrasonic pulse velocity tests. Concrete velocities vary based on the mix, aggregate size, structure age, state of weathering, or other degradation. Local velocity can be easily measured if two sides of the structure of a sufficient length are exposed. A source placed a known distance from a receiver can be used to obtain a first arrival signal for computing the P-wave velocity.

### 1.3.2.2 Applications/Limitations

Sonic Echo data are used to determine the depth of the foundation based on the time separation between the first arrival and the first reflection events, or between any two consecutive reflection events ( $\Delta t$ ) according to the following equation:

$$D = V \times \frac{\Delta t}{2}, \quad (1.1)$$

where

D is the reflector depth, and V is the velocity of compression waves.

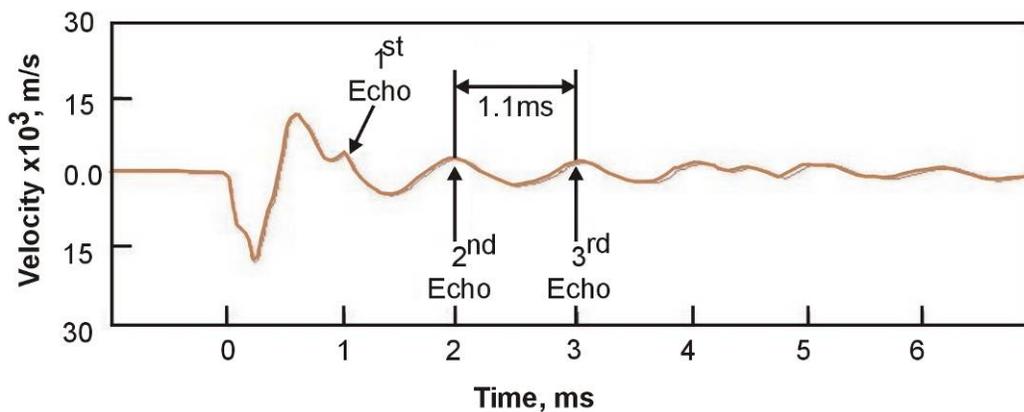
Figure 1.10 shows a sonic echo record and the depth calculation using the second and third echoes. The multiple echoes are all interpreted as coming from the same reflector since they are spaced equally in time. Any pair may be used to calculate the two-way travel time between the source and the reflector. The second and third echoes appear to be the clearest pair in the figure.

A reflector from the bottom of the Sonic Echo data can also be used to determine the existence of a bulb or a neck in a shaft, or indicate end conditions of the shaft based on the polarity of the reflection events. Impulse Response data are used to determine the depth of reflectors according to the following equation:

$$D = \frac{V}{(2 \times \Delta f)}, \quad (1.2)$$

where

$\Delta f$  - the distance between two peaks in the frequency spectrum plot (velocity/force versus frequency) or between zero frequency and first peak for soft bottom conditions.



$$\text{Depth} = V \times \Delta t / 2 = 3,652 \times 1.1 \times 0.001 / 2 = 2.01 \text{ m}$$

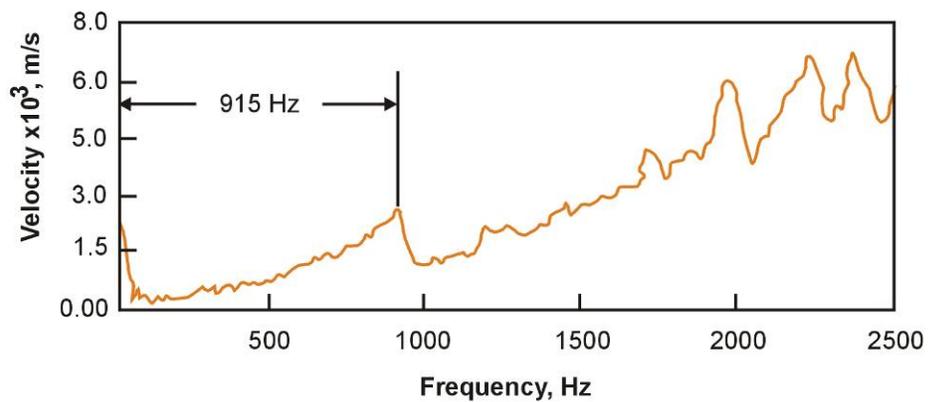
**Figure 1.10 Sonic Echo Record and Depth Calculation**

The multiple echoes from a discontinuity or the bottom of the shaft, as seen in the sonic echo method, result in increased energy at the frequency of the echo. This causes a peak in the frequency spectrum. Under conditions where there is a hard material beneath the structure, the second harmonic of the echo is also evident. Using the frequency difference between zero and the main echo frequency or between the first and second harmonic frequencies in the above formula gives the depth of the structure. IR data also provide information about the dynamic stiffness of the foundation. This value can be used to predict foundation behavior under working

loads or correlated with the results of load tests to more accurately predict foundation settlement. Example data for the impulse response method is shown in Figure 1.11, along with the depth calculations.

The SE/IR method works best for free-standing columnar-shaped foundations, such as piles and drilled shafts, without any structure on top. Typically, SE/IR tests are limited to shafts or piles of length-to-diameter ratios of 20:1. Higher ratios (30:1) are possible in softer soils but are not generally recommended. The method can only detect large defects with cross-sectional area change of greater than 5%.

A toe reflection is not possible if the pile is socketed in bedrock of similar dynamic stiffness (or acoustic impedance) as concrete. If the pile is embedded in very stiff soils, signal penetration may be limited to 7.5 m. For the softer soils, echoes can be observed from piles of up to 75 m in length. This method cannot be used for steel H-piles.



$$\text{Depth} = V/(2 \times \Delta f) = 3,652/(2 \times 915) = 1.98 \text{ m}$$

**Figure 1.11 Depth Calculations Using Frequency Domain Data for the Impulse Response Method**

### **1.3.2.3 Testing Equipment**

The testing equipment consists mainly of a hand-held hammer and one accelerometer. The hammer is equipped with a trigger that is connected to a data acquisition system on which the seismic reflection data received by the accelerometer is stored and processed.

### **1.3.2.4 Defect Definition**

The SE and IR methods are sensitive to changes in the shaft impedance and can identify the location of an irregularity or soil intrusion, but cannot accurately determine the size of the defects. Small defects can only be detected if larger ones above them do not shadow them. This shadowing effect is eliminated by downhole methods such as crosshole sonic logging or gamma-gamma density logging.

## **1.3.3 Gamma-Gamma Density Logging (GDL)**

The 4-pi gamma-gamma density logging method was developed specifically for integrity testing of concrete foundations. Unlike crosshole sonic logging tests, GDL tests can be effective even when the access tube is slightly debonded from the concrete. Tube-debonding may have minimal affects on the results. Since this method utilizes a nuclear source, in state licensing and special handling permits are required to operate this system.

### **1.3.3.1 Basic Theory and Procedures**

In GDL, a weak Cesium-137 (radioactive) source emits gamma rays into the surrounding material. A small fraction of the gamma ray photons are reflected back to the probe due to Compton scattering. The intensity of the reflected photons is measured and recorded by a NaI-scintillation crystal as counts per second (cps). The measured cps is dependent on the electron density of the surrounding medium, which is directly proportional to the mass per unit volume of the tested medium. The GDL

instrument is generally calibrated in a test block constructed of the same concrete mix, with an access tube of the same material (PVC or steel) as those used in the structure to be tested. This will provide direct correlation between gamma intensity (measured cps) and concrete density ( $\text{g}/\text{mm}^3$ ).

This downhole logging technique is generally performed using air or water-filled PVC access tubes attached to the rebar cage in the foundation prior to concrete placement. Steel tubes have also been used with GDL tests. It must be recognized, however, that the thicker or denser the tube material, the lower the measured counts per second (cps), since the tube itself absorbs some of the electrons.

#### **1.3.3.2 Applications/Limitations**

In the GDL test, the radius of investigation is largely governed by  $\frac{1}{2}$  of the source-detector spacing in the instrument. Source-detector spacing up to 350 mm are commonly used. The tests are performed in all tubes to obtain data around the perimeter of each tube. Good concrete will result in a near continuous alignment of the data. Anomalous zones due to soil intrusions, poor concrete, or voids are characterized by a high cps, indicating low density.

An obvious disadvantage of the method is the limited depth of penetration. This technique is not suitable for detecting large anomalies inside the reinforcement cage, but only along the outer perimeter of the shaft. Typically this method allows for soil intrusions or other anomaly characterization at a maximum radius of about 180 mm from the center of the tube. The location and geometry of the defect within the shaft cannot be determined, only its existence and depth. Combining CSL with gamma-gamma density method could provide a good complement.

### **1.3.3.3 Testing Equipment**

Figure 1.12 shows the equipment used for gamma-gamma logging. Current equipment is based on lightweight geophysical logging systems that use a laptop computer for computer control, data acquisition, and storage. One person can operate this equipment.

Data processing is conducted with a microcomputer similar to that used for acquisition. The data are usually processed for bulk density. These calculations are preformed during real-time data acquisition or post-acquisition with a software analysis package.

### **1.3.3.4 Defect Definition**

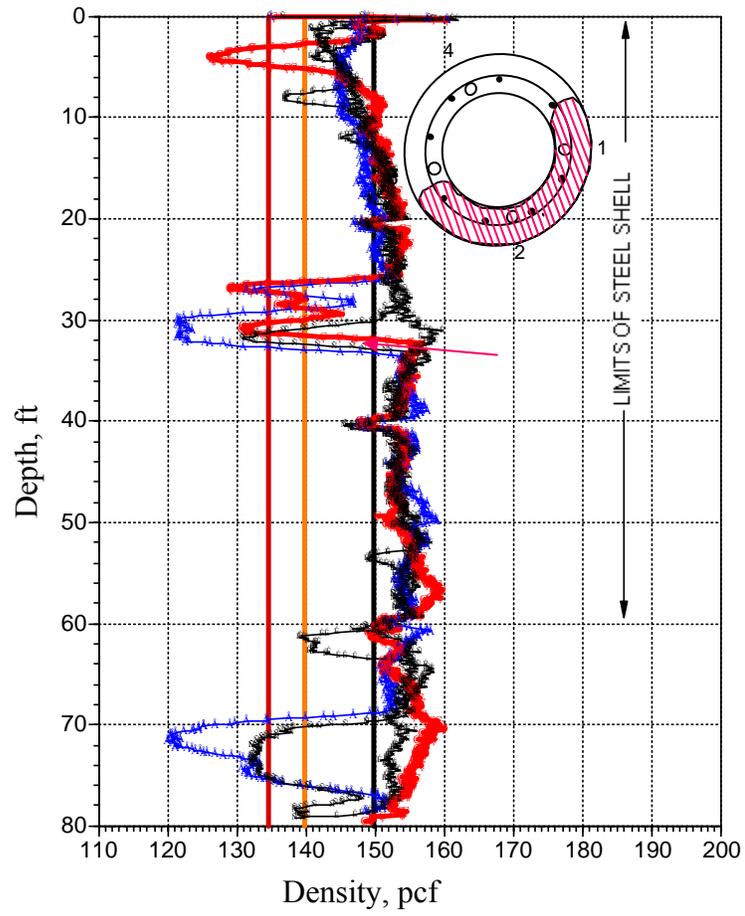
Variations in backscatter intensity are indicative of density variations within the drilled shaft. The GDL technique is therefore able to detect drops in average bulk density, indicating flaws in the material surrounding the access tube.

A typical GDL log is shown in Figure 1.13. This figure shows the GDL data from all access tubes plotted in unit weight versus depth from a drilled shaft, and a photo of the exposed upper portion of the shaft. Each plot also displays three vertical lines representing 1) the mean (M), 2) mean minus two standard deviations (M-2SD), and 3) mean minus three standard deviations (M-3SD).

The GDL results are used to define “questionable” concrete conditions as a zone with reduction in unit weight between 2SD and 3SD, and a “poor” concrete condition as a zone with reduction in unit weight of greater than 3SD from the mean (M). These criteria are based on the statistical observation that a cps data set approximates a standard normal distribution probability function in which 99.7% of the data is within  $M \pm 3SD$ . Therefore, when data points are identified beyond 3SD, they represent anomalous zones. While this criterion is generally accepted to define flaws, The



**Figure 1.12 Gamma-Gamma Density Logging Equipment. (AMEC Earth & Environmental, Inc.)**



**Figure 1.13 Gamma-Gamma Density Logs and Results. (Geophysics, 2002)**

computation procedures used by different testers for computing the M and SD is inconsistent. Some compute M and SD based on data from one tube, while others may define these quantities based on data collected from all tubes within a shaft, or all tubes from a group of shafts that may form a single overall foundation element for a superstructure. Obviously, the concrete soundness evaluation may vary based on which method was used in computing M and SD.

### **1.3.4 Crosshole Sonic Logging (CSL)**

The most commonly used drilled shaft foundation down-hole integrity test is cross-hole sonic logging (CSL), also known as ultrasonic testing (ASTM D6760-02). The cross-hole sonic logging technique is an indirect, low strain, non-destructive imaging method for detecting defects inside the rebar cage of a drilled shaft or diaphragm wall element. CSL has become a standard test within most of the USDOT and FHWA, and is currently performed on most drilled shaft in the United States and other developed countries. Prior to the acceptance of CSL, quality assurance testing in the United States was performed only on a very limited number of drilled shafts primarily using the sonic echo and impulse response test. Gamma-gamma density logging tests are gaining popularity as backup tests to CSL for defect identification. Several variations of the CSL equipment and techniques exist, including a source (pulse transmitter) and a receiver simultaneously lowered in the same tube (single hole ultrasonic test, dubbed “SHUTT”), a source and a receiver lowered in adjacent tubes, and a source and multiple receivers lowered in separate tubes. The single source and receiver in adjacent tubes is the most commonly used today. CSL has gained credibility based on tests that were successfully conducted in the United States on hundreds of shafts with depths up to 120 m (tested in China).

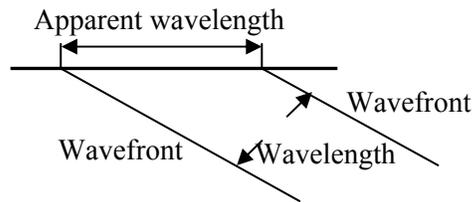
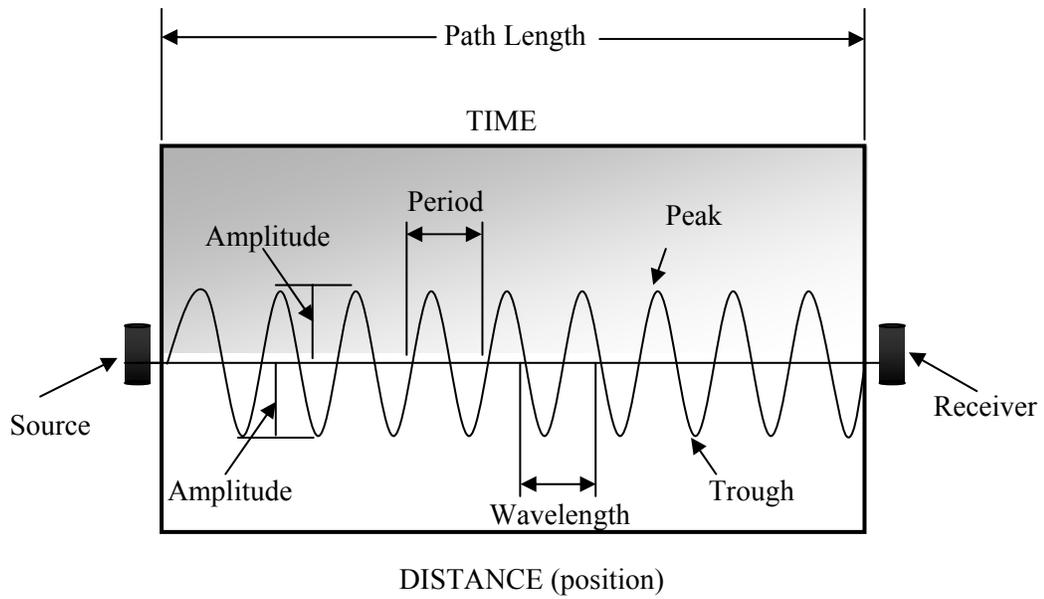
#### **1.3.4.1 CSL Basic Theory**

The CSL method is a “derivative” of the ultrasonic pulse velocity test. The basic

principle of the CSL test is that ultrasonic pulse velocity through concrete varies proportionally with the material density and elastic constants. A known relationship between fractured or weak zones and measured pulse velocity and signal attenuation is fundamental for these tests. Research has shown that weak zones reduce velocities and increase attenuations. During CSL measurements, the apparent signal travel time between transmitter and receiver are measured and recorded. By measuring the travel times of a pulse along a known distance (between transmitter and receiver), the approximate velocity can be calculated as a function of distance over time. If a number of such measurements are made and compared at different points along the concrete structure, the overall integrity of the concrete can be assessed.

The first-arrival travel times (FAT) recorded during CSL testing are known as compressional, primary, longitudinal, or P-wave arrivals. The P-wave is the wave having discrete particle motion in the same direction, as the wave is moving. The surface of the constant phase, or the surface on which particles are moving together at a given moment in time, is called the wavefront. An imaginary line perpendicular to the wavefront is called a ray path. It is often assumed that a beam of produced ultrasonic energy travels along the ray path (Robert E. Sheriff and Lloyd P. Geldart, 1995). Basic elements of the emitted wave during CSL testing are presented in Figure 1.14. The following are definitions of terminology used with CSL analyses (Robert E. Sheriff, 1978):

- wavelength ( $\lambda$ ) - distance between successive repetitions of a wavefront,
- amplitude (A) - maximum displacement from equilibrium,
- period (T) - time between successive repetitions of a wavefront,
- frequency ( $f$ ) - number of waves per unit time,



**Figure 1.14 Basic Wave Elements**

- velocity (V) - speed at which a seismic wave travels, proportional to the frequency and wavelength ( $V=f\lambda$ ),
- apparent wavelength - distance between successive similar points on a wave measured at an angle to the wavefront,
- apparent velocity - product of frequency and apparent wavelength.

Velocity of the P-wave in homogenous “isotropic” media is related to the modulus and density of the medium through which the wave travels, and is given as:

$$V_p = \sqrt{\frac{(4/3\mu + k)}{\rho}}, \quad (1.3)$$

where

$V_p$  - velocity of the P-wave

$\mu$  - shear modulus of the medium through which the wave travels,

$k$  - bulk modulus of the medium through which the wave travels,

$\rho$  - density of the medium through which the wave travels.

$$k = \frac{E}{3(1-2\nu)} \quad (1.4)$$

$$\mu = \frac{E}{2(1+\nu)}, \quad (1.5)$$

where

$\nu$  is Poisson’s ratio of the medium.

The P-wave velocity can then be written as:

$$V_p = \sqrt{\frac{E(1-\nu)}{(1+\nu)(1-2\nu)}}, \quad (1.6)$$

where

$E$  - dynamic elastic modulus or Young's modulus

During CSL analysis, the first arrival times of the P-wave are picked using an automated picker within the CSL software, and the pulse velocity can be calculated as:

$$PulseVelocity = \frac{PathLength}{TransitTime}, \quad (1.7)$$

For accurate results, it is recommended that the path lengths and transit times be measured with a precision greater than 1%. Although pulse velocity varies with different concrete mixes, the average pulse velocity of a typical concrete is approximately 4,000 m/s. Knowing the linear distance between the transmitter and receiver (path length), and the pulse transit time (first arrival time of the P-wave), the pulse velocity can then be calculated. If the CSL access tubes are not installed in a near vertical position and the distance between them varies significantly along the length of the shaft, errors in velocity calculations may occur, and the results may be misleading.

The seismic wavelength can be calculated based on the known frequency of the transmitted signal and the calculated pulse velocity as shown in Table 1.1. Table 1.1 suggests that the higher the transmitted frequencies used during CSL testing, the shorter the wavelength, allowing for the detection of smaller defects. However, the tradeoff is that the higher the source signal frequency, the greater the signal

absorption<sup>1</sup> and the shorter the wavelength. This implies that if higher frequencies are used during the CSL testing, more accurate detection of small defects is permitted, but signal absorption will also be high, limiting the penetration range of the method. Although most CSL systems operate at 35 kHz, frequencies in the range between 30 kHz and 90 kHz are used for CSL tests. At frequencies of about 90 kHz, the wavelength is at about the size of the aggregate. At this scale, the concrete can no longer be considered a homogeneous material. Therefore very high frequencies are not recommended.

**Table 1.1 Numerical Relationship between Path Length (PL), Transit Time (TT), Frequency (f), Period (T=1/f), Velocity (V=PL/TT), and Wavelength ( $\lambda$ =V/f)**

PL, (m)	TT x10 <sup>-4</sup> , (s)	1/f, (kHz)	1/f x10 <sup>-5</sup> , (s)	V=(PL/TT), (m/s)	$\lambda$ = (V/f), (m)
0.6	1.6	35	2.8	3,750	0.1
0.6	1.6	50	2.0	3,750	0.075
0.6	2.4	35	2.8	2,500	0.071
0.6	2.4	50	2.0	2,500	0.05

The energy of an ultrasonic wave is a measure of the motion of the medium as the wave passes through it. Energy per unit volume is called energy density (Robert E. Sheriff and Lloyd P. Geldart, 1995). A wave passing through a medium possesses both kinetic and potential energy. Because the medium oscillates as the wave passes through it, energy is converted back and forth from kinetic to potential forms, but the total energy remains fixed. When the particle has zero displacement, the kinetic

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<sup>1</sup> Absorption is the process responsible for the gradual and sometimes complete disappearance of wave motion. The elastic energy associated with wave motion passes through the medium, becoming slowly absorbed and transformed into heat (Robert E. Sheriff and Lloyd P. Geldart, 1995).

energy is maximum and potential energy is zero. Conversely, when maximum displacement of the particle occurs, the kinetic energy is zero, and the total energy is all potential energy. When the total energy equals the maximum value of the kinetic energy, the energy density for a harmonic wave is proportional to the first power of the density of the medium, and to the second power of the frequency and amplitude as shown in the following equation:

$$E=2\pi^2\rho f^2A^2 \quad (1.8)$$

where

$E$  = total energy

$\rho$  = density

$f$  = transmitted frequency

$A$  = wave amplitude

#### **1.3.4.2 CSL Applications/Limitations**

Cross-hole sonic logging methods are the most conclusive non-destructive geophysical methods available for evaluating the integrity of newly constructed concrete drilled shaft foundations, slurry walls, and seal footings. This method provides information about the material in the zones directly between the access tube pairs, but cannot provide information about material outside those zones or below depths at which the probes were lowered. The soil/concrete interface cannot be evaluated from CSL data. CSL testing is applicable for large-diameter piers of practically unlimited lengths.

Since the typical distances between the access tubes of a pier are relatively short, the travel path of the pulse emission will also be short. Consequently, there is no significant loss of signal energy because of absorption, and higher frequencies (40 to 50 kHz) may be successfully used to obtain higher resolution.

CSL is a popular method in urban areas because of the minimal environmental impact (such as noise, vibrations, or radiation effect) on the test area. Also, this test provides a means to determine the quality of concrete placed in a deep foundation without unnecessary disturbance to the surrounding soil, rebar cage, or to the drilled shaft itself.

Before a CSL test can be performed, the access tubes must be properly installed prior to concrete placement. The tubes must be free of obstacles and must retain water throughout the testing period. The water provides coupling of the sonic probes to the structure. The drilled shaft can be tested between 2 and 40 days after concrete placement if steel access tubes are used, and 2 to 10 days if schedule 40 PVC tubes are used. Access tube debonding may occur after 40 day for steel tubes and after 10 days of concrete placement for PVC tubes, preventing wave transmission through the concrete. If this occurs, the shaft cannot be tested in that tube. In special cases where the drilled shaft diameter is large and retardants are used, it is not recommended to test the piles before 4 days. In certain cases, drilled shafts with steel piles have been tested several years after installation without signs of de-bonding.

The number of tubes required is determined by the diameter of the drilled shaft. Various recommended shaft diameters are shown in Table 1.2. For existing shafts, coreholes must be drilled to allow access for the CSL transmitter and receiver.

#### **1.3.4.3 CSL Testing Equipment**

Although many systems are commercially available, AASHTO have not standardized CSL test equipment. Most systems available consist of a pair of hydrophones attached to separate coaxial cables and a data acquisition system. The coaxial cables are either pulled manually or with a motorized winch to control the rate at which the probes are pulled. For the purpose of this report, a brief discussion on the most commonly used systems will be presented.

**Table 1.2 Recommended Number of Access Tubes Versus Shaft Diameter  
(Olson Engineering, Inc.)**

Shaft Diameter (D)	Number of Tubes	Tube Spacing, degrees
$D \leq 2.5\text{ft (0.76 m)}$	2	180
$2.5 (0.76 \text{ m}) < D \leq 3.5 \text{ ft (1.07 m)}$	3	120
$3.5 \text{ ft (1.07 m)} < D \leq 5.0 \text{ ft (1.52 m)}$	4	90
$5.0 (1.52 \text{ m}) < D \leq 8.0 \text{ ft (2.43 m)}$	6	60
$8.0 (2.43 \text{ m}) < D$	8	45

**Olson Engineering – CSL System**

The CSL-1 and CSL-2 systems built by Olson Engineering, Inc., are PC-based analog systems designed for detecting defects in concrete drilled shafts and slurry walls using one or more receivers in boreholes. The receivers are electronically bandpass filtered around their resonant frequency to reduce noise. A single transmitter and a single receiver are used with the CSL-1 system, and a single transmitter with multiple receivers (hydrophones) is used with the CSL-2 system. The CSL-2-system reduces test time dramatically, especially if collecting multiple sets of offset data for tomography. In both systems, the probes are pulled to the surface over a wheel counter to control speed and accurately measure probe location within the 50 mm diameter access tubes. The logging rate of the CSL-1 system permits complete testing of a 30 m deep pair of tubes with 500 test records in about four minutes with two persons, and in less than eight minutes for one person. The CSL-2 option provides a second hydrophone receiver to permit simultaneous logging of two tube pairs, allowing faster testing of large shafts and diaphragm walls. All data are recorded onto the Freedom NDTPC hard drive, permitting review of individual records. The raw data are typically archived on magnetic media for long-term data

storage after analysis and printing of results. A typical system setup is shown in Figure 1.15. The systems have the following features:

- Ease of data collection and analysis with the portable, battery powered, Freedom NDTPC.
- Ruggedized, lightweight, and water resistant.
- Optional tomographic imaging software available.
- Ability to review all signals immediately following the tests and to archive on tape or disks.
- Ability to output results to a printer for quick field use.
- Provides immediate on-screen field results with graphical presentation of signal time, velocity, and/or energy.
- On-screen cursors to allow precise definition of defect depth and severity.
- State-of-the-art design provides extended testing distances up to 8-m-diameter shafts (less resolution of defects for longer paths).
- One or two person operation.
- Internal 12 volt DC battery powered, or external 12 volt DC (car) or automatic 90 – 260 volt AC power source flexibility.
- Capability of displaying results in both metric and English units.
- CSL-1 system for single log or CSL-2 system for multiple simultaneous logs simultaneously.

#### **Specifications for the Freedom NDTPC**

- Pentium Single board computer (SBC) (486 option available) 16 or 32 Megabytes of Ram.



**Figure 1.15 Freedom NDTPC Family of Instruments (Olson Engineering, Inc.)**

- Aluminum chassis with two module bays in a high-impact sealed plastic instrument case.
- 2.1 Gb hard drive and 1.44 Mb floppy drive.
- 2 serial COM ports and 1 parallel port.
- Transflective LCD Monochrome 9.4 in diagonal display VGA (640 X 480), excellent in sunlight, and backlit for nighttime viewing with output for external SVGA monitor.
- Color Screen Option.
- LED battery condition indicators.
- DOS Operating System/Windows option available.
- 86 key removable keyboard with cover.
- 1 MHz Data Acquisition 12 bit A/D Card.
- ISA Back-plane with 4 slots (2 full-length open slots).
- 1 – half-length slot for SBC.

- 1 – full-length slot for A/D Card.
- An (FAA approved) 13.5 lb (6.1 kg) sealed rechargeable/removable battery set.
- Built-in connector for internal modem or LAN.
- Freedom NDTPC Size is 18.5 inches x 14.74 inches x 7.5 inches (47x37x19 cm).
- 35 lb (16 kg) with batteries (standard system).

#### Other system options

- 486 and 686 Single Board Computers.
  - SBC with PCI/ISA Backplane (1 PCI, 1 PCI/ISA combo, 2 ISA full length).
  - 1 – 2/3-length open PCI slot.
  - 1 – Combo ISA/PCI full-length slot for SBC.
  - 1 Full-length ISA slot for data acquisition card.
- LCD color VGA display.
- Automobile power interface cable.
- Additional rechargeable battery set with charger.
- Additional memory.
- Larger capacity hard drive.
- Touch pad mouse.
- Internal modem.
- Windows 95/Windows NT.
- Six current NDE modules available.
- Custom modules designed per customer specifications-not limited to NDE.

#### Standard power supply

- External AC/DC power converter (90 – 260 volt AC input, 15 volt DC output).

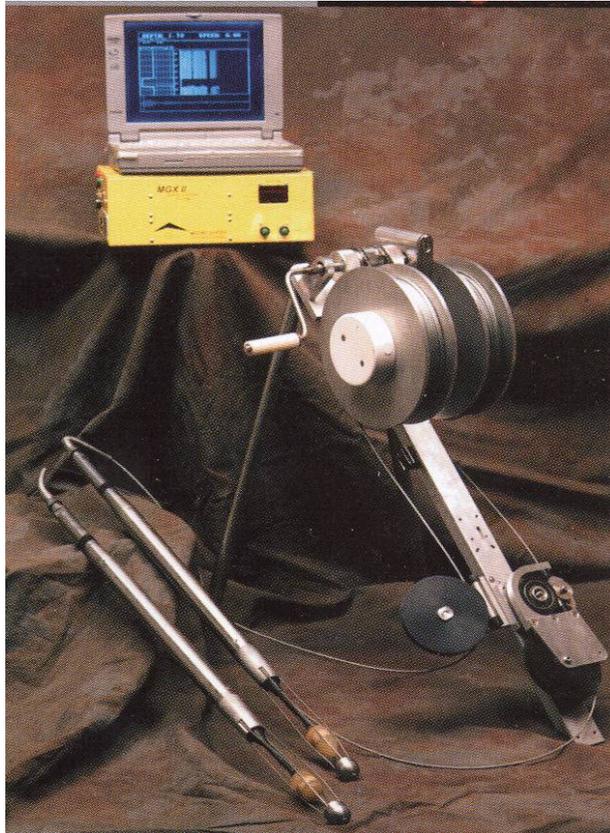
- Sealed rechargeable battery set (FAA approved).
- Standard system has a running time of approximately 8-9 hours on internal batteries.

### **PILELOG - CSL System**

The full-waveform cross-hole sonic system is designed for logging of drilled shaft foundations, slurry walls and dams between water-filled plastic or steel tube pairs. The PILELOG system shown in Figure 1.16 offers in situ characterization of placed concrete displaying the data in either color or gray-scale full-waveform “concrete sonogram” output. Unlike other systems, this system improves downhole-logging technology by providing downhole probes with on-board A/D cards, amplifiers and filter circuitry, multiplexers, source drivers, and modems. This allows the signal to be digitized at the probe and transmitted with very limited interference from electrical or magnetic noise.

#### General features

- Automated winch system for fast and accurate logging of the shaft.
- Downhole digitization with 12-bit resolution.
- Use of full waveform sonic logging software for a full “Sonogram” display.
- Use of any standard 386 or better portable computer for the display and control of the system.
- Centering tool to minimize mechanical pull noise resulting from probes bumping on the side of the tube.
- Ultra-portable design with ruggedized waterproof chassis.
- Technical specifications as summarized in Table 1.3.



**Figure 1.16 PILELOGs – Full Waveform Cross-hole Sonic Logging System (InfraSeis, Inc.)**

**Table 1.3 Technical Specification for the PILELOG - CSL system**

<b>Probe OD</b>	3.5 cm	<b>Probe length:</b>	0.5m
<b>Winch:</b>	Tripod with dual split drum 61 – 122 m	<b>Depth Interval:</b>	5 cm with 2 independent depth measuring system
<b>Logging Speed:</b>	Variable, up to 12 m/min	<b>Frequency of Sonic Wave:</b>	38 kHz
<b>Sampling Rate:</b>	Programmable, maximum 2 $\mu$ sec	<b>Samples Per Trace</b>	Programmable, up to 1024 samples
<b>Dynamic Range:</b>	12 bits plus configurable gain	<b>Transducers:</b>	Piezo-electric transmitter/receiver
<b>Shipping Weight:</b>	31.75 kg	<b>Voltage:</b>	110/220 V

**CHUM - CSL System:**

The CHUM system is an instrument for testing piles using the ultrasonic method. The CHUM equipment is shown on Figure 1.17. This system does not utilize a constant speed winch for pulling the probes during the testing. The operator monitors the probe movement on the screen.

General features

- Perform quality control on bored piles, drilled shafts, slurry wall elements, and barriers.
- Detect anomalies as small as 10 cm (resolution depends various conditions).
- Determine the exact depth of these anomalies.
- Perform real-time tomography to determine the size and location of anomalies.
- Perform single-hole ultrasonic tests.



**Figure 1.17 PISA – Pile Integrity Sonic Analyzer (Geosciences Testing and Research, Inc.)**

General specifications

- *Performance:* up to 4 m diameter in good quality concrete.
- *Cable length:* 50 m (standard), 100 m (optional).
- *Depth wheel:* one bi-directional Omron E6A2-CW3C, 100 pulses per revolution (standard), additional bi-directional depth meter enabling real-time tomography (optional).
- *Output:* Arrival time and energy/attenuation curves, dual presentation, “waterfall” presentation, fuzzy-logic tomography and parametric tomography, all in either black and white or color. Report generation in Windows – based word processing format.
- *Software:* Windows–based, optimized for pen control, automatic determination of first arrival time, automatic gain control.

**Table 1.4 Transducers Specifications**

<b><u>Transducers specifications:</u></b>	<b>Transmitter</b>	<b>Receiver</b>
Ceramic element	Max voltage: 250 V	Power supply: 12 V
Probe length: 250 mm	Max pulse repetition rate: 40 Hz	Impedance: 50 ohm
Diameter: 25 mm	Charge circuit: 22 ohm, 2 $\mu$ F	
Frequency: 50 kHz		
Probe weight~ 200 g		

**1.3.4.4 CSL Test Procedures and Results**

CSL testing can be performed on either drilled shaft foundations or pre-cast concrete piles, provided that 50-mm-diameter steel or PVC access tubes capable of holding water are installed (50-mm-diameter holes can be cored, if necessary). These tubes must extend at least 1 m above the top of the shaft to compensate for water displaced by insertion and removal of the transmitter, receiver, and cable. To reduce the chances of tube debonding, steel access tubes are preferred (steel tubes are not suitable if SHUT is to be applied). If schedule 40 PVC tubes are used, the tests must be performed within 10 days after concrete placement to avoid debonding at the PVC/concrete interface. Other factors may also cause debonding:

- 1) Disturbance of tubes during or shortly after concrete placement.
- 2) Improperly tying the tubes firmly to the cage.
- 3) Delays in filling the tubes with water.

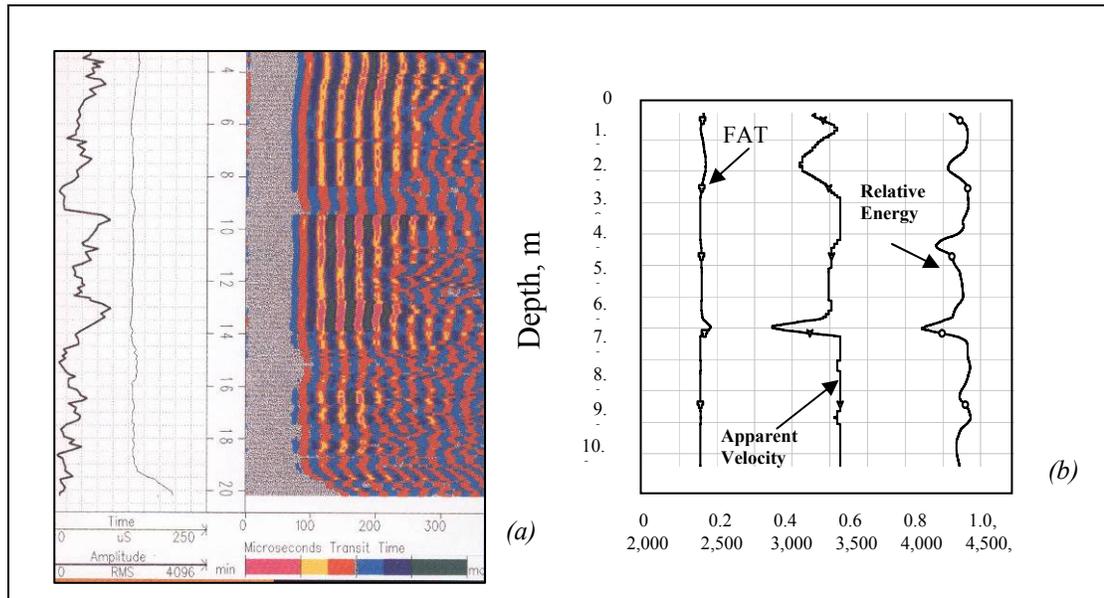
To perform CSL testing, two probes, a piezoelectric transmitter, and a receiver are lowered to the bottom of two access tubes. These probes are simultaneously pulled vertically at a constant interval while pulses are created and recorded. During testing, the transmitter and receiver are maintained at the same elevation to create a horizontal signal travel path between the transmitter and the receiver. The cables to the probes

pass through a meter-wheel that is connected to the data acquisition control unit. The meter-wheel controls the ultrasonic wave pulse by triggering the pulse generator at predetermined vertical intervals, causing the transmitter probe to emit an ultrasonic pulse. The timer circuit measures the time between pulse emission and subsequent detection by the receiver. Since the number of pulses emitted is a function of meter-wheel rotation and the wheel circumference is known, the depth of the probes can be calculated. All records are automatically stored on the system hardware.

In general, the range of frequencies used for concrete testing is between 20 kHz and 250 kHz, with 35 kHz being most commonly used for field-testing of drilled shafts. Since concrete is a heterogeneous material, high-frequency pulses (short wavelengths of energy) are unsuitable for use because of the considerable amount of energy attenuation. The corresponding wavelength is approximately 200 mm for lower frequencies (20 kHz) and approximately 16 mm for the higher frequencies (250 kHz).

The waveform of the raw data is digitized and continuously displayed with the positive peak of the received pulse presented and the negative peak displayed as blank space. In some CSL systems, the full waveform traces are stacked and displayed in a format representing vertical profiles of the pulse propagation time through the concrete (dubbed “waterfall” profiles) as shown in Figure 1.18(a). Other logs depict the arrival times, apparent velocity, and energy amplitude versus depth, as shown in Figure 1.18(b).

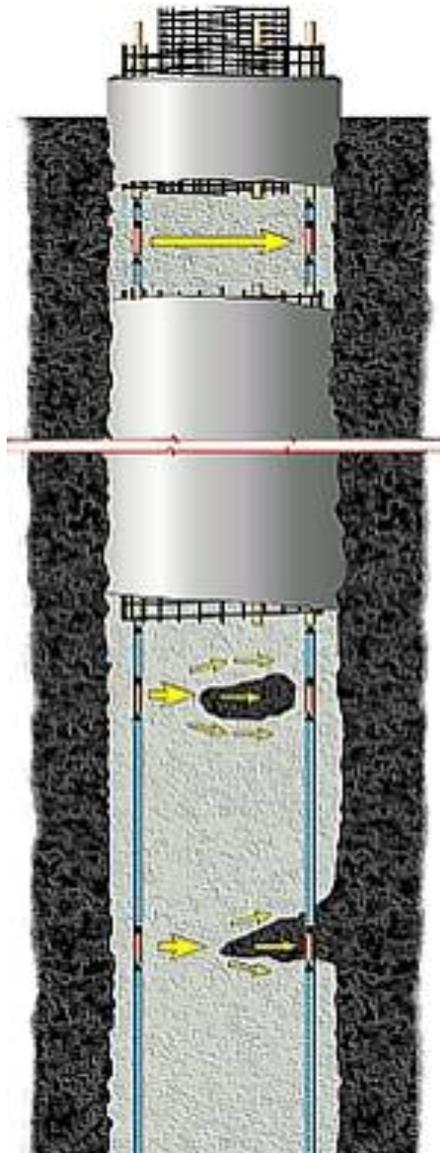
CSL results can be evaluated on-site immediately following testing. Concrete integrity can be preliminary assessed based on first arrivals and signal amplitude. Good quality concrete is indicated by constant travel time per unit distance and good signal amplitude. Where the pulse velocity is reduced by defects or low modulus material, the propagation time will be longer, and the amplitude will decrease. Several irregularities can be identified at different locations within the same-drilled



**Figure 1.18 (a) Full Waveform Stacked Traces (InfraSeis, Inc.) and (b) CSL Log Plot –First Arrival Time (FAT), Apparent Velocity and Relative Energy Versus Depth (GRL & Assoc., Inc.)**

shaft as shown in Figure 1.19. In some cases, defects can significantly reduce pulse amplitude, causing the signal to be lost completely. Poor bonding between access tubes and the concrete, or de-lamination, can also cause complete signal loss. Steel tubes provide improved bonding with concrete, but the high mechanical impedance of steel may cause attenuation of the signal transmission and the signal may not be as well defined when PVC tubes are used. Since the tubes must be oversized to permit free passage of the probes and to allow for minor bending of the tubes during placement, the probes are somewhat free to move laterally. Consequently, this may cause variation in transmitted pulse strength and received signal amplitude.

The received amplitude of an ultrasonic pulse can also vary depending on aggregate shape, orientation, and local changes in aggregate distribution. Concrete defects such as gravel zones, soil inclusions, bentonite inclusions, or honeycombing have a much



**Figure 1.19 Drilled Shaft with Defects**

lower propagation velocity, and their presence can usually be detected.

Current CSL tests only indicate that an anomaly may exist somewhere between two access tubes. It is, however, difficult to determine the geometry and exact location of the anomaly with the respect to tube location. To better characterize defects in terms of size, geometry, and location, additional CSL tests are performed. Data are collected with several offsets between transmitter and receiver in adjacent boreholes and used for detailed analysis and cross-hole tomography. A 2-D color tomogram is then plotted to better identify anomaly geometry and location.

### **1.3.5 Other Specialized Logging Methods**

Other geophysical logging probes can be used to assess the condition of in-place concrete. This includes temperature logging and neutron logging for evaluating concrete curing conditions, and for measuring moisture content respectively.

Electrical and ground penetrating radar (GPR) logging can also be used for examining the condition and positioning of rebar within the cage.

In the next section, a brief description of neutron-moisture logging (NML) and the temperature logging will be presented.

#### **1.3.5.1 Neutron Moisture Logging (NML)**

In the neutron-moisture logging (NML) method, an americium-beryllium neutron source in sizes of 1- to 5-curies source is used to emit high-energy neutrons into the surrounding material. Helium-3 detectors are used to record the interactions that occur in the vicinity of the access tubes. Two different neutron-logging techniques can be used: 1)- geophysical neutron probes with a large source size (>1 curie) and long spacing (>30 cm) with radius of investigation of about 15-18 cm and, 2)- engineering probes with a small source size (<100 millicuries) and short spacing (<30 cm) with radius of investigation of 2.5-5 cm. Three general types of neutron-porosity

logs exist: neutron-epithermal neutron, neutron-thermal neutron, and neutron-gamma. Cadmium foil may be used to shield Helium-3 detector from thermal neutrons. Neutron-epithermal neutron logs are least affected by the chemical composition of surrounded material.

Fast neutrons, emitted by a source, undergo three basic types of reactions with matter adjacent to the access tubes (concrete, steel, and possibly moisture and soil) as they lose energy and ultimately are captured. These physical interactions include inelastic scatter, elastic scatter, and absorption or capture. In elastic scatter, the mass of the scattering element controls the loss of energy by the neutron. Light elements (mostly hydrogen element in water) are most effective in moderating, or slowing neutrons, whereas heavy elements have little effect on neutron velocity or energy. The moderating and capture processes result in the number of epithermal and thermal neutrons and capture gamma photons being inversely related to the hydrogen content of concrete, at source-to-detector spacing greater than approximately 30 cm. If detectors are located closer than 30 cm from the source, as in engineering moisture probes, the number of moderated and captured neutrons increases with increasing hydrogen content.

Typical NML logs are presented in a similar format as GDL logs with measured neutron counts per second (cps) displayed along with the mean and the -2 and the -3 standard deviation from mean vertical guidelines. High moisture zones are indicated by low count rates deflection in the data.

#### **1.3.5.2 Temperature Logging**

The temperature logging of concrete can be estimated by measuring the water temperature in the access tubes over time using very sensitive temperature instrumentation. Since the access tubes are generally at the same radial distance from the center of the shaft, no direct measurements of the high central temperature can be

measured with this method. Thermocouples can be embedded in the center of the shaft at any elevation to measure the temperature gradient during concrete curing.

## **2 CSL Data Processing and Interpretation Using 3-D Tomography**

Tomography is a generic term that technically means to “draw an image or a section” of a target material. The first concept of tomography originated in the medical field where CAT (computer aided tomography) scans have become standard practice. Research for adapting tomography to more restrictive geometries encountered in the geotechnical field has accelerated since Devaney (1980) introduced geophysical diffraction tomography. Since then, 3-D tomographic imaging methods have been used worldwide in the geotechnical and geological fields. Geotechnical imaging capabilities with tomographic methods have been significantly improved in recent years and expanded to accurately characterize the subsurface and to detect underground cavities, geological anomalies, and subsurface discontinuities.

### **2.1 Basic Principles for 3-D Tomography**

The basic principles of tomography are borrowed from the medical field where imaging of a body is done by multidirectional CAT-scans. Tomography for medical purposes is used to display the loss in intensity of x-rays due to absorptive properties of different body parts. Because x-ray imaging depends entirely on variations in absorption with no refraction or diffraction, medical and seismic tomography are not perfectly analogous. In CAT-scanning, the x-rays travel mostly in straight lines in many directions, whereas in seismic tomography, the ray paths can bend appreciably depending on the velocity contrast within the medium.

The main concept of 3-D seismic tomographic imaging is the creation of color-coded images that provide a clear and detailed representation of property variations within a medium from seismic rays projected through the medium. Travel time tomography involves imaging the seismic properties from the observation of the transmitted

compressional first arrival energy (Dines and Lytle, 1979). The relationship between the travel time  $t_i$  and the velocity field  $v_{(x,y)}$  is given by the line integral for a ray “ $i$ ”:

$$t_i = \int_{R_i} \frac{ds}{v_{(x,y)}} \quad (2.1)$$

where

$ds$  is the path length,

$R_i$  denotes the curve connecting a source receiver pair that yields the least possible travel time according to Fermat’s principle.

Tomography is an attempt to match calculated travel times from model responses to the observed data by inversion of these line integrals. Initially, the region of interest is divided into grids of uniform cells “ $j$ ” of constant velocity cells and a discrete approximation of the line integral is assumed as:

$$t_i = \sum_j \Delta S_{ij} \cdot n_j \quad (2.2)$$

where

$\Delta S_{ij}$  is the distance traveled by ray “ $i$ ” in cell “ $j$ ”

$n_j$  is the slowness (inverse of velocity) within cell “ $j$ ”.

Using a first order Taylor expansion and neglecting residual error, from equations (2.1) and (2.2), the following equation can be written in matrix form as:

$$\bar{y} = A\bar{x} \quad (2.3)$$

where

$\bar{y}$  is the difference between computed travel times obtained from the model and the observed travel times obtained from the field

$\bar{x}$  is the difference between the true and the modeled slowness

$A$  is the Jacobian matrix.

In travel time tomography, Equation 2.3 is usually solved by two methods: 1)- the matrix inversion approach (e.g. conjugate gradient (CG) matrix inversion technique) (Nolet, 1987; Scales, 1987); and 2)- the “back-projection” inversion technique, adapted from medical tomography (e.g. simultaneous iterative reconstruction technique (SIRT)) (Herman, 1980; Ivanson, 1986).

In both techniques, the acoustic wave-field is initially propagated through a presumed theoretical model, and a set of travel times are obtained by ray tracing through the cells (forward modeling step). The travel time equations are then inverted iteratively to solve for the changes in slowness that produces a best-fit solution with the lowest root mean square (RMS) error between the observed and computed travel times (inversion step). The model is then modified, new ray paths traced, and the process repeated until the slowness distribution matches observations within acceptable tolerances. In practice, an adequate tomographic solution can be obtained if enough ray paths penetrate the medium in multiple directions. To reach this, the recording procedure uses large number of source/receiver locations. Color-coded tomograms of the velocity distribution within the medium are then generated from inversion results as the final step in the tomography data processing. Tomogram interpretation is the next step for defining areas of defects by evaluating velocity changes through the medium (Robert E. Sheriff and Lloyd P. Geldart, 1995).

In velocity tomography, only the first arrival pulses are considered. Therefore, only the signal component that travels through the fastest path is used in the analysis. As the velocity changes through the medium due to energy absorption, the slowness ( $1/\text{velocity}$ ) of any uniform cell of the medium may change not only the travel time, but also the ray path.

A number of software algorithms for performing travel time tomography exist. These algorithms utilize straight or curved rays, 2-D or 3-D matrix inversion, and 2-D or 3-

D graphic packages to display the results. For accurate volumetric imaging of anomalies in drilled shafts, it is critical to use a software package with the following characteristics: a)- curved ray tracing or wave propagation; b)- true 3-D tomographic inversion; c)- 3-D display of data. Two-dimensional tomographic inversion produces defect images in 2-D planes (panels), which is inadequate for reconstructing the size and shape of anomalies in some cases.

## **2.2 Case Studies**

CSL data obtained from several drilled shafts constructed for two bridges were re-processed in 3-D using RockVision3D (developed by NSA Engineering) tomographic imaging software. This software incorporates the simultaneous iterative reconstruction process (SIRT) to converge the solution set to a range of values within operator-specified limits. The program has the capability for mesh initialization, data filtering and processing, and reconstruction of tomograms.

Velocity tomograms were produced using the curved-ray method to obtain results with highest accuracy. The curved-ray technique used in the RockVision3D software computes the node value using the steepest descent on the travel-time mesh, nearly matching the computational efficiency of the straight-ray technique. Shooting curved-rays from the source to the receiver using a pixel-based mesh occasionally encounters problems such as shadow zones. Use of a node-based mesh rather than a pixel-based mesh eliminates these inconsistencies. CSL seismic signals are picked, analyzed, and processed to derive velocity tomographic images. A velocity tomogram is created from measuring the time it takes for each ray to travel through the medium from the source to receiver. Typically areas of relatively higher velocity generally correspond to areas of more competent or consolidated material, whereas areas of relatively lower velocity represent zones of less consolidated or medium to

soft material. Once the velocity tomogram is calculated, 2-D cross-sections or 3-D velocity contours can be displayed.

Two sites are selected to evaluate the effectiveness of implementing 3-D tomographic imaging methods on CSL field data to accurately define the geometry and location of anomalous areas within a drilled shaft. The results were also used to propose a plan for corrective action, and to determine the effectiveness of the recommended corrective plan.

### **2.2.1 Bridge Foundation Construction Site 1**

At this site, two larger diameter concrete casings of approximately 1.525 m and 1.675 m diameter were installed extending to the top of bedrock, and the annular space between the casings was filled with sand to accommodate seismic design requirements.

During the subsurface characterization, three borings were advanced below the bridge foundation. The following describes the materials encountered in each of the borings:

- Boring B-5 was advanced at the left side of the proposed abutment 2 location as shown in Figure 2.1a. This boring encountered sandy gravel with cobbles and boulders from 0 to 6.9 m deep and sandstone from 6.9 to 11.4 m deep.
- Boring B-6 was advanced at the left side of the proposed abutment 1 location as shown in Figure 2.1b. This boring encountered sandy gravel with cobbles and boulders from 0 to 4.05 m deep and sandstone from 4.05 to 8.7 m deep.



(a)



(b)



(c)

**Figure 2.1 Pictures Showing Locations of (a) Boring B-5, (b) Boring B-6, and (c) Boring B-7**

- Boring B-7 was advanced on the right side of the proposed pier location shown in Figure 2.1c. This boring encountered sandy gravel with cobbles and boulders from 0 to 1.2 m deep and sandstone from 1.2 to 6.6 m deep.

The subsurface profiles from each boring and borehole location with respect to the new bridge design are summarized in Figure 2.2.

The drilled shafts for the bridge at this site have a diameter of 915 mm and lengths ranging from 6.3 m to 10.0 m. The drilled shafts were socketed 3 m into bedrock with permanent corrugated steel casing extending to the tops. Three 50 mm diameter steel CSL access tubes were attached to the inside of the reinforcing rebar cages extending approximately 75 mm above the bottom of the shafts. The horizontal spacing between adjacent tubes at the tops of the shafts was typically within 440 mm to 640 mm. The drilled shaft details are presented in Figure 2.3.

#### **2.2.1.1 CSL Test Procedures**

Cross-hole sonic logging for all eight drilled shafts at abutments 1 and 2 were conducted by GRL using a PISA-CHUM ultrasonic pulse analyzer system. The CSL results consisted of x,y plots of first arrival times (FAT) of the P-wave and “relative energy” versus depth. The plots are presented in Appendix A. The PISA-CHUM system plots the unitless “relative energy” rather than “absolute energy”. This is due to the fact that transmitted energy, signal frequency, and signal transit distance have an effect on absolute energy values. These parameters are mainly related to the test procedure and equipment and not to the concrete quality; therefore, no useful data are given. Relative energy values, on the other hand, are caused by changes within the tested medium and are, therefore, a better indication of shaft quality.

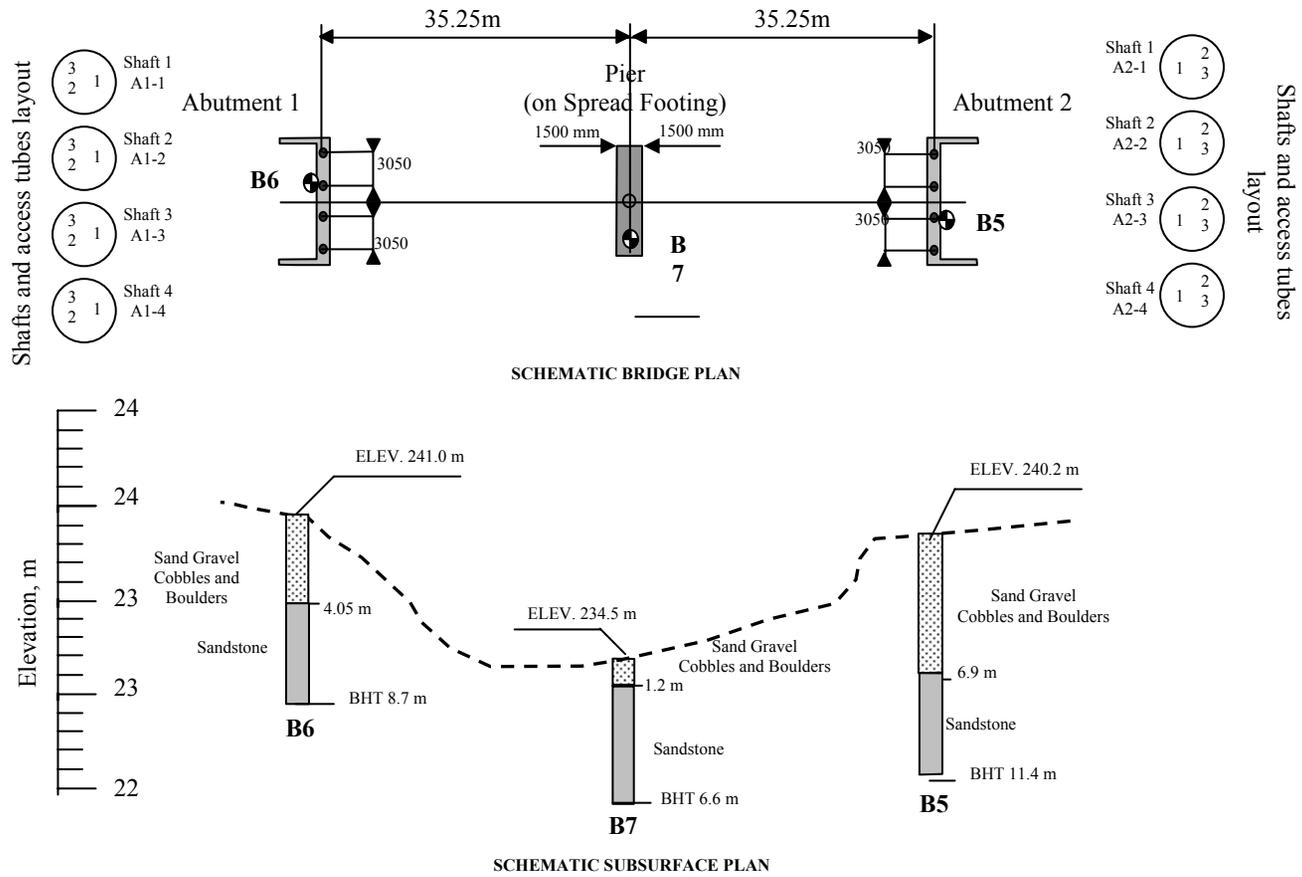
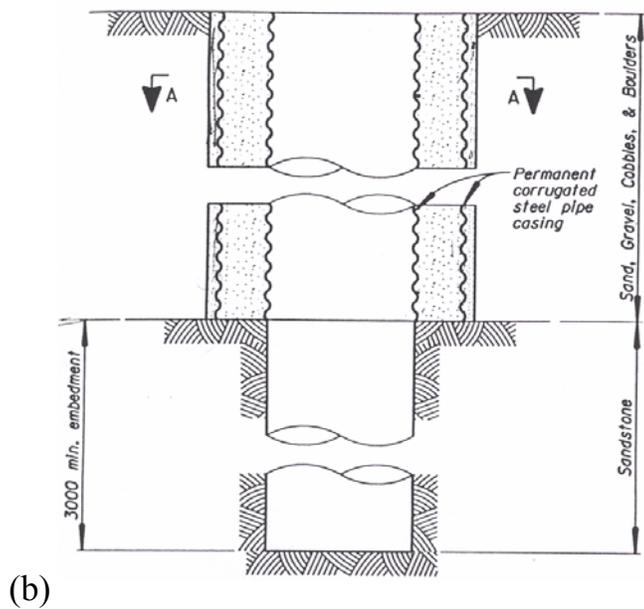
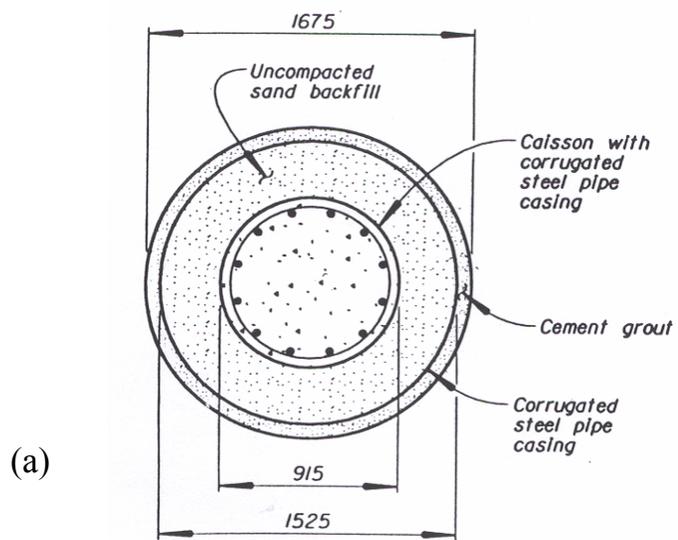


Figure 2.2 Schematic of Site 1 Bridge Plan and Subsurface Profile



**Figure 2.3 Drilled Shaft, (a) Horizontal Cross-Section, (b) Vertical Cross-Section**

Prior to testing each shaft, the CSL access tube lengths and the horizontal spacing between the tubes (at the top of shafts) were accurately measured and recorded. Each of the three tube pair combinations (1-2, 2-3, and 1-3) was logged once with the CSL probes pulled at equal rates at the same horizon. The data (FAT) was immediately evaluated, and if a uniform data log was indicated, it was assumed that no defects existed between the tested pair, and testing proceeded to the next pair of tubes. If a significant data anomaly was depicted, the test was repeated between the same pair for reproducibility. If the time delays were still apparent, the cross-section was typically re-logged using probe vertical offsets of 0.5 m and 1.0 m. This was only necessary on shaft A1-2 (shaft number 2 in Abutment 1) for the tube pair 1-2, as will be discussed further. Shaft installation and CSL equipment setup is shown on Figure 2.4.

Slight differences between the length of meaningful CSL data and the computed length of concrete often occur. These differences are due to loss of CSL signal near the top of the drilled shaft and due to imprecision or occasional slippage in the depth recording apparatus. The CSL records near the top section of the shaft are often not reliable for evaluating concrete quality and cannot be used to precisely delineate the upper extent of the shaft surface. The reasons for this will be discussed further in the report. During field logging, data were always recorded from the bottom of the tubes to some elevation above the concrete. Only data along the concrete length are plotted, and all other data are removed.

The average FAT and velocity were computed for each cross-sectional log using data from the entire scan (excluding the top 0.5 m). To quantify abrupt signal delays in a scan, the maximum percent reduction in velocity over 1 m length interval was calculated by dividing the minimum average velocity for any five-centimeter interval by average velocity for a 1 m interval, above and below that location. This was done primarily to conform to the project concrete defect criteria listed in the specifications,



(a) Drilling Before Shaft Installation



(b) Casing Installation



(c) Abutment with four Drilled Shafts



(d) CSL Measurements

**Figure 2.4 Drilled Shaft Installation and CSL Measurements**

which require that the drilled shafts be assigned a concrete condition rating based on percent wave velocity reduction (discussed earlier in this report).

### **2.2.1.2 CSL Test Results and Analysis**

The CSL data were plotted (Appendix A) and analyzed according to the concrete rating criteria (CRC). Summaries of the results are shown in Table 2.1. The CSL results from all eight shafts except for shaft A1-2 produced relatively uniform scans with FAT delays and relative energy reductions of less than 10%. These scans are categorized as Good (G) as defined in the concrete condition rating criteria. The average velocities (excluding top 0.5 m) for all scans ranged from 3,149 to 4,047 m/s with an overall average of 3,495 m/s

For shaft A1-2, tube pair 1-2 yielded a signal delay and reduced energy zone approximately 1.5 to 2.5 m from the bottom of the shaft. Repeated CSL between tube pairs 1-2 with the probes vertically offset gave similar results. On-site data evaluation indicated that the maximum signal delay was between 15% and 25% greater than the average, which results in either a Questionable (Q) or Poor/Defect (P/D) rating based on concrete condition criteria. Further review and analysis of the first arrivals indicated the average arrival time for all data points in tube pair 1-2 in shaft A1-2 was 0.187 ms. Based on the nominal tube spacing of 0.78 m at the top of the shaft, the average calculated velocity for this scan is 4,171 m/s. The average of ten data points including and surrounding the longest arrivals time was 0.223 ms, yielding a maximum signal delay of 19%. This zone of maximum signal delay was located approximately 2 m from the bottom of the shaft and was re-classified as a Questionable zone (Q) according to the rating criteria.

The signal delay could be caused by a horizontal defect that may exist between tubes 1 and 2. Also, the increased travel distance for the offset scans may have decreased

**Table 2.1 CSL Results from the Eight Shafts at Abutments 1 and 2, Site 1**

Abut. Shaft #	Tube Pairs	Age, days	L, m	S, m	FAT, ms	V <sub>ave</sub> , m/s	V <sub>max</sub> Red. %	Depth % Red. m	Depth V <sub>min</sub> , )	CRC
A1-1	1-2	14	5.6	0.60	167	3594	4.0	0.4	4.6	G
A1-1	2-3	14	5.6	0.63	186	3397	5.1	1.9	4.3	G
A1-1	1-3	14	5.6	0.44	140	3149	4.3	4.3	4.7	G
A1-2	1-2	12	5.6	0.60	185	3269	19.0	2.1	2.1	Q
A1-2	1-2os.5	12	5.1	0.78	236	3329	11.0	2.0	2.0	Q
A1-2	12os.1	12	4.9	1.17	299	3926	7.3	3.0	3.0	G
A1-2	2-3	12	5.6	0.50	169	3210	7.0	1.2	1.2	G
A1-2	1-3	12	2.6	0.60	178	3386	7.0	1.7	1.7	G
A1-3	1-2	9	5.5	0.58	176	3293	3.4	1.9	1.9	G
A1-3	2-3	9	5.5	0.57	166	3442	7.6	4.2	4.2	G
A1-3	1-3	9	5.5	0.59	175	3376	4.0	3.9	3.9	G
A1-4	1-2	13	9.4	0.53	163	3255	6.4	6.2	6.2	G
A1-4	2-3	13	9.4	0.58	183	3177	7.6	8.2	8.2	G
A1-4	1-3	13	9.4	0.56	164	3433	8.4	7.4	7.4	G
A2-1	1-2	4	8.5	0.58	164	3540	7.0	7.1	7.1	G
A2-1	2-3	4	8.5	0.55	160	3450	5.1	3.0	3.0	G
A2-1	1-3	4	8.5	0.55	164	3541	3.6	4.0	4.0	G
A2-2	1-2	13	8.4	0.53	158	3355	4.8	4.3	4.3	G
A2-2	2-3	13	8.4	0.58	160	3642	8.7	4.0	4.0	G
A2-2	1-3	13	8.4	0.58	164	3535	5.1	6.3	6.2	G
A2-3	1-2	6	8.4	0.55	165	3404	2.9	4.5	4.5	G
A2-3	2-3	6	8.4	0.64	158	4047	3.9	0.8	0.8	G
A2-3	1-3	6	8.4	0.58	169	3436	3.5	0.7	0.7	G
A2-4	1-2	11	8.2	0.58	156	3731	4.7	6.5	6.6	G
A2-4	2-3	11	8.2	0.60	154	3897	4.3	4.0	4.0	G
A2-4	1-3	11	8.2	0.63	145	4019	3.3	6.8	6.8	G

Column 1 – abutment-shaft number. A1-1 = abutment 1, shaft 1  
 Column 2 - access tube pair tested. 1-2 indicate test between tubes 1 and 2  
 Column 3 - concrete age at the time of testing  
 Column 4 - measured tube length to the top of concrete  
 Column 5 - spacing “S” between tubes on top of the shaft  
 Column 6 - average FAT from the entire log  
 Column 7 - average Velocity from the entire log ( $V_{ave}=S/FAT_{ave}$ )  
 Column 8 - maximum % reduction in velocity over 1-m distance

Column 9 - location of maximum velocity reduction from bottom of shaft  
Column 10 - location of minimum velocity from bottom shaft  
Column 11 - concrete condition rating criteria, based on project specifications

the amount of error that can be caused by non-parallel transducer spacing. For example, the tubes or the rebar cage to which they are attached may shift during cage placement or concrete placement. Furthermore, the location of each probe within a 50-mm tube can deviate by 25 mm, since the probe diameter is approximately half the tube diameter. Thus, probe spacing can fluctuate by up to 50 mm depending on whether or not the probes are centered in the access tubes. For smaller tube spacing, this potential error source is higher. This factor alone can result in FAT delays of up to 8% for a tube spacing of 0.6 m, which is a typical size for these shafts. Based on the above discussions, the concrete quality rating criteria given in the specifications may be conservative and should be adjusted to consider shaft diameter and tube spacing.

### **2.2.1.3 Tomographic Imaging of the CSL Test Results**

The CSL data measured between the three access tubes of abutment 1 shaft 2 were processed for P-wave first arrival times. The data were then processed using the RockVision3D software for generating 3-D velocity tomograms of the shaft interior. The input information for the tomogram generation was; 1) depth of the shaft where the first arrived component of the signal was measured, 2) the first picked arrived time at each depth, and 3) tube separation distance.

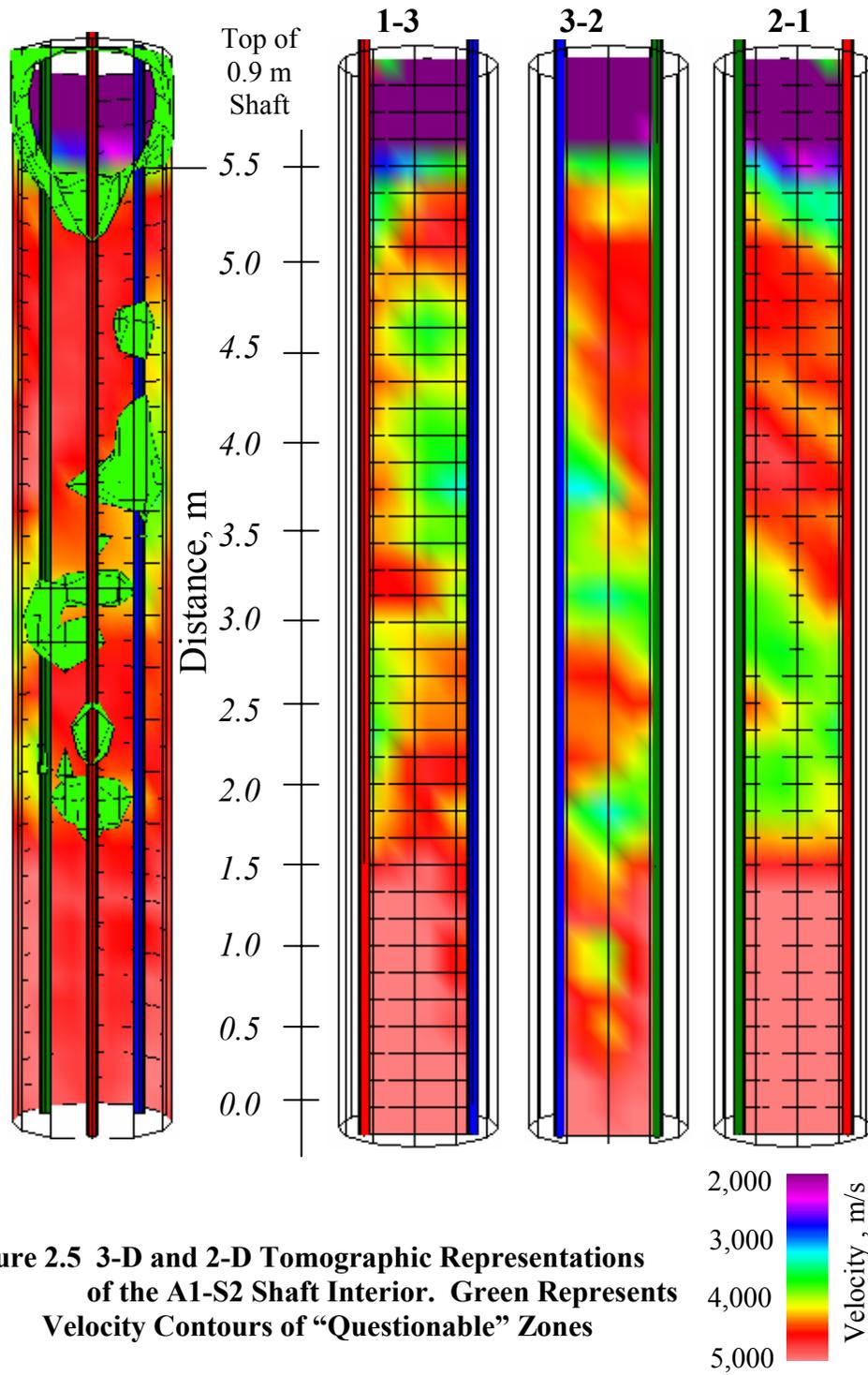
The program code is designed to provide multiple iterative reconstructions of path length for calculated seismic velocity determined from measured travel times. Ray paths are calculated by propagating a finite-difference wave front across the surveyed shaft from a known source location. For low velocity contrast, straight rays are often assumed. In higher velocity contrast, the rays bend (refract) resulting in longer ray paths.

A 3-D representation of the shaft interior was constructed and imaged to produce 3-D contours velocities (green areas in the figure) to emphasize areas of “questionable” integrity and 2-D cross-sections between access tubes Figure 2.5. From these images, three distinct velocity contrast zones are seen: *zone 1* with maximum measured velocity (red), which indicates that the concrete is in “good” condition; *zone 2* with middle range velocity (green), indicating velocities 10%-20% lower than the maximum measured velocity, and *zone 3* upper zone (purple) showing the extent of the shaft with the velocities down to 2,000 m/s. This zone shows the top of the shaft where the tubes are outside the concrete and is not an indication of any defects in the upper area of the shaft. The locations, size, and orientation of the anomalies are clearly depicted in these images.

Horizontal cross-sections looking from the top of the shaft at 0.5-m intervals are also plotted and shown in Appendix B. The first image at 5.5 m from the bottom of the shaft shows the portion of the shaft with the velocities down to 2,000 m/s. Going deeper into the shaft, the location of an anomalous zone with the velocities of the concrete showing “questionable” structure condition can be clearly seen. Images were produced to compare the results of the CSL x,y plots with the tomographic imaging maps. By plotting color-coded 3-D tomographic images of the ultrasonic data (CSL), accurate location of anomalous/questionable zones and their geometries can result in more reliable information about the shaft concrete integrity.

### **2.2.2 Bridge Foundation Construction Site 2**

The CSL data logs from abutment 2 shaft 4 (A2-4) indicated a significant signal delay between all tubes at a depth between 6 m and 7 m from the top of the shaft. A signal velocity delay of about 14%, 29%, and 50% was recorded between access tubes 1-2, 1-3, and 2-3, respectively. Although the CSL logs indicated an anomalous area



**Figure 2.5 3-D and 2-D Tomographic Representations of the A1-S2 Shaft Interior. Green Represents Velocity Contours of “Questionable” Zones**

within A2-4, the size, geometry, and exact location of the defect could not be determined.

Four borings were advanced for subsurface exploration. Survey results indicated that upper soils consisted of alluvial deposits of silty sand with cobbles and boulders overlaying highly fractured (decomposed) shale rock. The quality and strength of shale increased with depth.

The following are results from each boring:

- Boring B-1 was located at the proposed pier location in the right lane of the existing bridge. Boring B-1 encountered silty sandy gravel with cobbles and boulders from 0 to 5.1 m. Decomposed shale was encountered from 5.1 to 5.25 m. The bottom 1.5 m of casing was lost in the hole during extraction, and drilling was terminated.
- Boring B-2 was located at the left side of the proposed abutment 1 location. Boring B-2 encountered silty sandy gravel with cobbles from 0 to 2.7 m, and weak shale was encountered from 5.1 to 14.4 m.
- Boring B-3 was located at the left side of the proposed pier location. Boring B-3 encountered silty sandy gravel with cobbles and boulders from 0 to 5.1 m, and shale was encountered from 5.1 to 11.7 m.
- Boring B-4 was located at the right side of the proposed abutment 2 location. Boring B-4 encountered silty sandy gravel with cobbles and boulders from 0 to 5.4 m, and shale was encountered from 5.4 to 11.1 m.

The groundwater elevations are assumed to coincide with the level of the water in the stream channel below the bridge at the time of drilling. The subsurface profiles from each boring and borehole locations with respect to the new bridge design are shown in Figure 2.6.

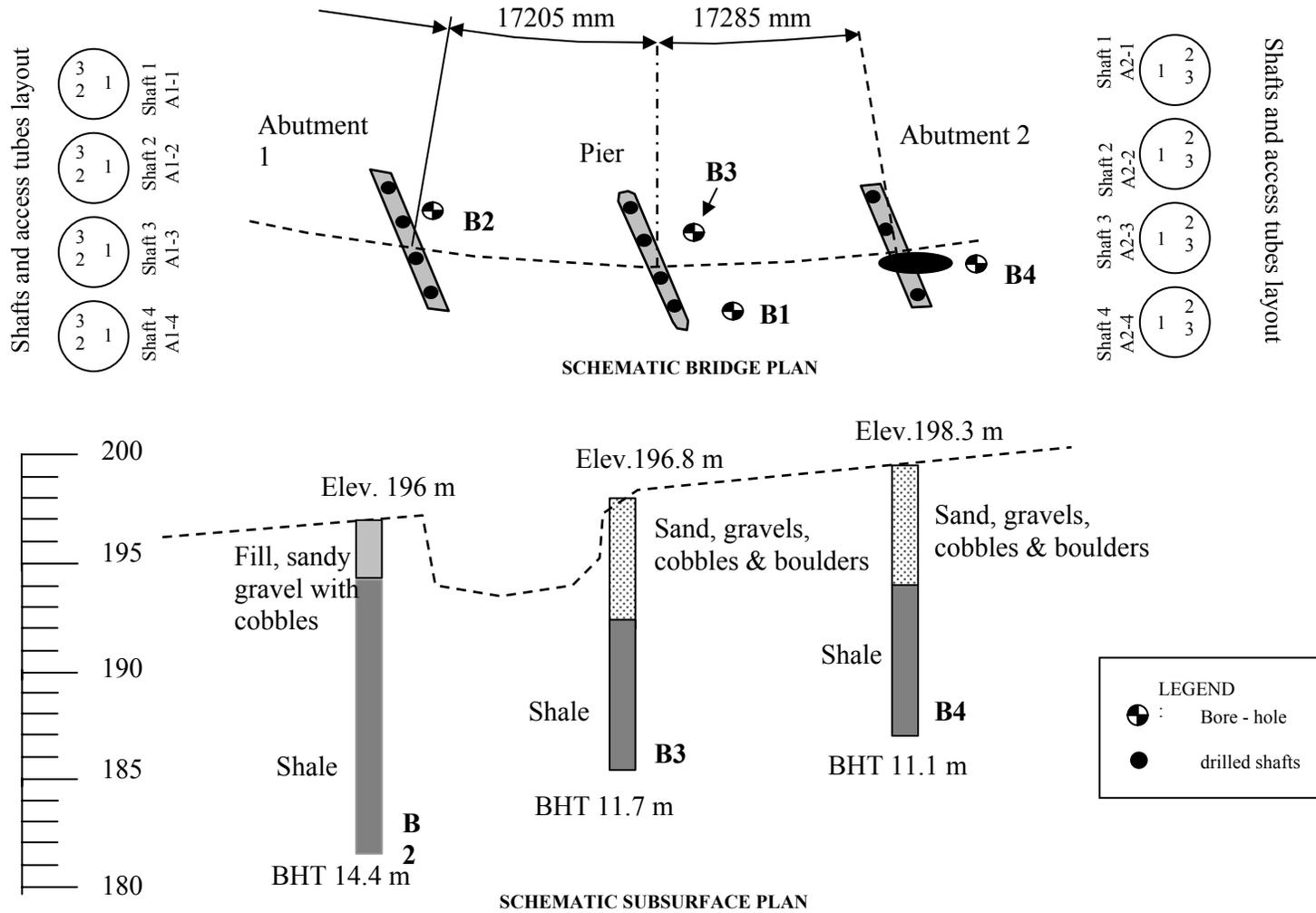
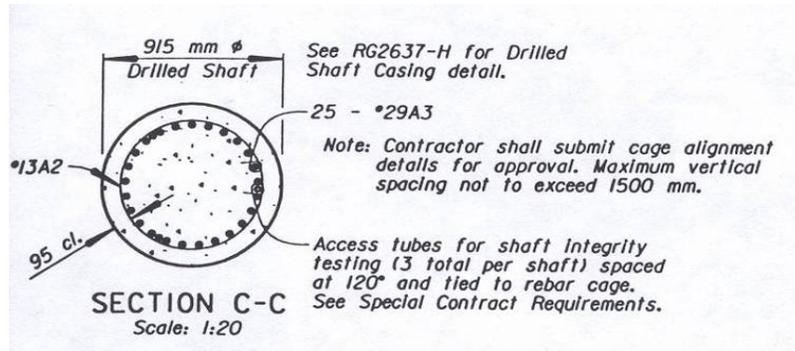


Figure 2.6 Schematic of Site 2 Bridge Plan and Subsurface Profile

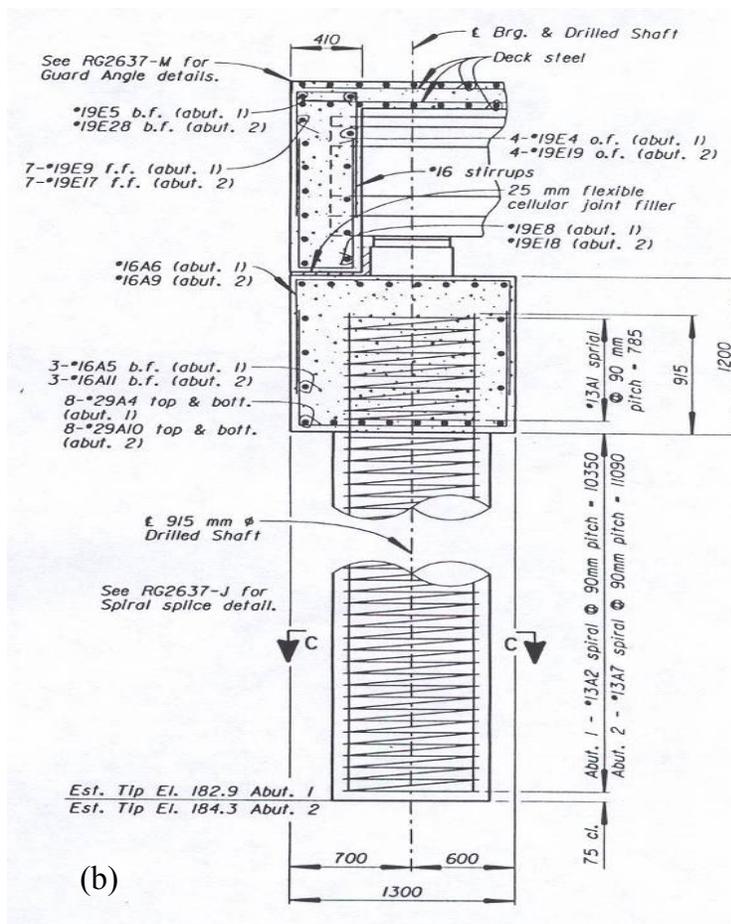
The bridge is two span with four drilled shafts in each abutment and four drilled shafts in the pier. The 912-mm-diameter abutment shafts and the 1,220-mm-diameter pier drilled shafts extended to an estimated depth of about 11 m. Each shaft was drilled into rock sockets with permanent corrugated steel casing extending to the pile top. Larger diameter casings extend to the top of bedrock, and the annulus between the two casings was filled with sand. The 912-mm and 1,220-mm shafts were equipped with three and four CSL access tubes, respectively. The 50 mm diameter access tubes were attached to the inside of the reinforcing rebar cage and were extended to approximately 0.3 m above the bottoms of the shafts. The measured access tube lengths embedded in concrete ranged from approximately 8.2 m to 12.2 m. The shafts are referred to as A1-1, A1-2, A1-3, and A1-4 for abutment 1; A2-1, A2-2, A2-3, and A2-4 for abutment 2. The shafts of the central pier are referred to as CP1, CP2, CP3, and CP4. The detailed drawings for the drilled shaft casings are presented in Figure 2.7.

#### **2.2.2.1 CSL Test Procedures**

Cross-hole sonic logging for all drilled shafts at this site was performed by GRL, using a PISA-CHUM Ultrasonic Pulse Analyzer system. Prior to testing, the CSL access tube lengths and the horizontal spacing of the access tubes at the top of each shaft were accurately measured and recorded. The measured tube spacing ranged from 0.5 to 0.96 m and was used to calculate the “apparent” wave velocity. The “apparent” velocities are, therefore not direct measurements but are calculated by dividing the measured nominal tube spacing, measured at the top of the shaft, by the measured FAT. Every possible tube pair combination was logged with the probes pulled at the same horizon; thus, three logs were possible for each 912-mm-diameter shaft and six logs for each 1,220-mm-diameter shaft. During testing, the transmitter pulse was sent and received at 10-mm intervals along the length of the tube. The CSL results consisted of plots of measured first-arrival times (FAT) of the P-wave,



(a)



(b)

**Figure 2.7 Drilled Shaft Details (a) Horizontal Cross-Section, (b) Vertical Cross-Section**

measured “relative energy”, and calculated “apparent” velocity versus depth. A summary of all CSL data and results are shown in Table 2.2, and all plots are presented in Appendix C. The CSL logs were evaluated on-site for accuracy and uniformity. If relatively uniform logs were indicated in the field, the next tube combinations were tested. If a significant FAT delay was depicted, the test was repeated, with no probe offsets, for reproducibility. If FAT delays were apparent, the same cross-section was re-logged using probe vertical offsets of 0.5-m intervals. At this site, this was only necessary on shaft A2-4 for all tube pairs. Due to the signal delay significance, this set of tests was also repeated about two weeks later. In an attempt to better locate the anomaly and to determine if tube debonding might have affected the signal delay, a single-hole CSL test was conducted with the transducer and receiver stacked vertically at a 0.5 m offset. Unfortunately, the entire signal traveled through the water filling the tube, and the results were inconclusive. A third test was conducted at this shaft after coring and high-pressure jet grouting repairs were performed.

**Table 2.2 Summary of CSL Results at Site 2**

Shaft	Tube Pair / log	Test Length (m)	Tube Dist. (m)	FAT Ave (ms)	V <sub>avg</sub> (m/s)	V <sub>max</sub> Red. %	Depth V <sub>max</sub> % M	V <sub>min</sub> (m/s)	Depth V <sub>min</sub> (m)	CRC
A1-1	12	10.7	0.53	148	3581.1	10	0.7	2970	0.7	G
A1-1	23	10.8	0.52	174	2988.5	5	4.3	2760	4.3	G
A1-1	13	11.0	0.55	145	3793.1	6	3.3	3526	3.3	G
A1-2	12	9.9	0.49	137	3576.6	6	2.1	3400	9.0	G
A1-2	23	10.3	0.58	153	3790.8	7	9.1	3440	9.1	G
A1-2	13	10.6	0.55	148	3716.2	7	3.8	3354	0.8	G
A1-3	12	10.1	0.55	158	3481.0	7	3.6	3274	0.0	G
A1-3	23	10.1	0.55	148	3716.2	5	3.7	3438	0.5	G
A1-3	13	10.2	0.55	163	3374.2	9	8.9	3031	1.8	G
A1-4	12	11.8	0.58	180	3222.2	5	1.6	2921	1.6	G

**Table 2.2 Summary of CSL Results at Site 2**

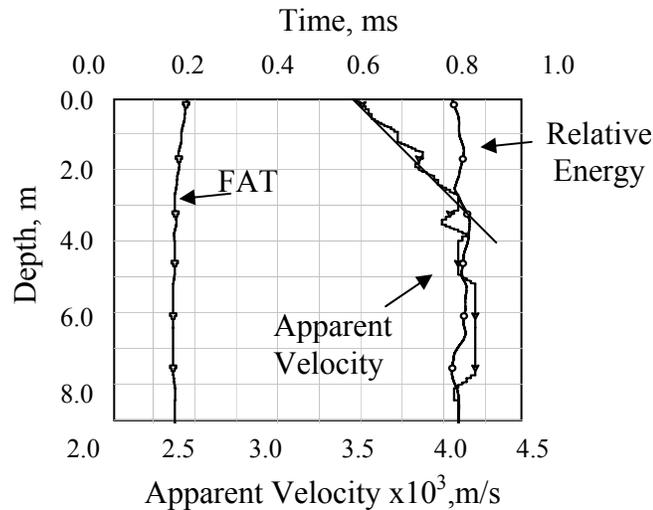
Shaft	Tube Pair / log	Test Length (m)	Tube Dist. (m)	FAT Ave (ms)	V <sub>avg</sub> (m/s)	V <sub>max</sub> Red. %	Depth V <sub>max</sub> % M	V <sub>min</sub> (m/s)	Depth V <sub>min</sub> (m)	CRC
A1-4	23	11.9	0.52	145	3586.2	6	3.3	3192	2.8	G
A1-4	13	12.2	0.49	146	3356.2	5	6.0	3178	6.0	G
A2-1	12	10.5	0.46	125	3680.0	4	9.1	3235	6.1	G
A2-1	23	10.9	0.55	151	3642.4	7	2.0	3290	2.0	G
A2-1	13	10.9	0.61	167	3652.7	5	1.9	3368	1.9	G
A2-2	12	10.4	0.46	130	3538.5	5	1.3	3100	1.3	G
A2-2	23	11.3	0.55	166	3313.3	5	4.3	3093	0.0	G
A2-2	13	10.5	0.61	169	3609.5	10	6.7	3189	0.0	G
A2-3	12	11.9	0.52	142	3662.0	2	1.9	3566	1.9	G
A2-3	23	10.0	0.49	163	3006.1	7	4.6	2813	1.0	G
A2-3	13	10.0	0.55	151	3642.4	6	7.6	3346	7.6	G
A2-4	12	11.5	0.55	160	3437.5	26	6.2	2498	6.2	P
A2-4	12OF	10.6	0.55	212	2594.3	26	6.5	2508	6.5	P
A2-4	23	11.3	0.52	150	3466.7	85	6.2	<1000	6.2	P
A2-4	23OF	10.6	0.52	221	2352.9	45	6.0	<1000	6.0	P
A2-4	13	11.8	0.55	158	3481.0	85	6.3	<1000	6.3	P
A2-4	13OF	11.1	0.55	225	2444.4	80	6.1	1520	6.1	P
A2-4R1	12	9.0	0.55	155	3540.5	15	5.0	2983	5.0	Q
A2-4R1	23	9.6	0.52	141	3675.8	41	5.5	1962	5.5	P
A2-4R1	13	9.6	0.55	138	3976.7	26	5.5	2600	5.5	P
A2-4R1	3SH	9.4	0.50	1112	449.64	NA	NA	NA	NA	NA/W
A2-4R1	2SH	8.2	0.50	1205	414.94	NA	NA	NA	NA	NA/W
A2-4R1	1SH	8.8	0.50	1022	489.24	NA	NA	NA	NA	NA/W
A2-4R2	12	8.3	0.55	155	3548.4	6	5.3	3253	0.6	G
A2-4R2	13	9.4	0.52	160	3250.0	22	5.4	2344	5.4	P/Q
A2-4R2	23	8.2	0.55	161	3416.1	13	5.3	2500	5.3	Q
CP1	12	10.0	0.70	173	4046.2	5	0.3	3390	0.3	G

**Table 2.2 Summary of CSL Results at Site 2**

Shaft	Tube Pair / log	Test Length (m)	Tube Dist. (m)	FAT Ave (ms)	V <sub>avg</sub> (m/s)	V <sub>max</sub> Red. %	Depth V <sub>max</sub> % M	V <sub>min</sub> (m/s)	Depth V <sub>min</sub> (m)	CRC
CP1	13	9.7	0.96	242	3966.9	8	0.0	3296	0.0	G
CP1	14	9.7	0.61	160	3812.5	4	0.5	3466	0.5	G
CP1	23	9.8	0.70	174	4023.0	6	0.8	3576	0.8	G
CP1	24	9.7	0.88	229	3842.8	4	0.3	3451	0.3	G
CP1	34	9.9	0.70	165	4242.4	4	0.0	3697	0.0	G
CP2	12	9.1	0.58	160	3625	5	2.6	3452	8.2	G
CP2	13	8.8	0.91	233	3905.6	8	0.0	3305	0.0	G
CP2	14	9.2	0.73	162	4506.2	3	2.7	4056	0.0	G
CP2	23	9.2	0.70	168	4166.7	5	2.3	3487	0.4	G
CP2	24	8.9	0.91	225	4044.4	5	8.7	3652	0.3	G
CP2	34	9.3	0.67	161	4161.5	9	0.9	3503	0.9	G
CP3	12	10.5	0.70	169	4142	5	3.4	3731	0.5	G
CP3	13	10.5	0.88	215	4093	7	6.3	3735	3.4	G
CP3	14	10.7	0.58	158	3670.9	9	3.4	3177	3.4	G
CP3	23	10.5	0.52	144	3611.1	6	8.9	3192	8.5	G
CP3	24	10.1	0.88	226	3893.8	8	0.4	3408	0.4	G
CP3	34	10.4	0.76	159	4779.9	6	0.0	4318	0.0	G
CP4	12	9.4	0.64	175	3657.1	10	7.6	3206	7.6	G
CP4	13	9.1	0.88	220	4000	7	2.5	3418	0.1	G
CP4	14	9.2	0.58	152	3815.8	7	5.9	3400	5.9	G
CP4	23	9.2	0.67	157	4267.5	5	0.1	3539	0.0	G
CP4	24	9.3	0.88	223	3946.2	7	0.5	3361	0.4	G
CP4	34	9.2	0.61	147	4149.7	6	5.1	3847	7.0	G

Visual inspection of the tubes at the top of the drilled shafts indicated that many of the tubes might not be parallel and might be slightly skewed. Therefore, it was believed that many of the variations in apparent velocity were due to non-uniform

tube spacing rather than variable shaft quality. This is especially true for the logs such as CP4-23 (pier shaft 4, tubes 2-3), which exhibit a gradual sloping change in apparent velocity over a distance of several meters as shown in Figure 2.8. More abrupt changes in arrival time and apparent velocity over shorter distances, with



**Figure 2.8 Variations in Apparent Velocity Due to Non-Uniform Tube Spacing. CSL Log from CP4 between Tubes 2&3**

uniform records above and below, are more likely due to deviations in concrete quality.

During CSL logging, data were recorded from the bottom of the tubes to some elevation above the concrete. Data along the concrete length, as measured during the testing, are plotted, and all other data are removed.

#### 2.2.2.2 CSL Test Results and Analysis

The CSL data were plotted and analyzed according to the concrete condition criteria project specifications. The CSL x,y logs (Appendix B) consist of plots of arrival time, “apparent” velocity, and “relative” energy for all tested shafts.

Based on the CSL results from the first set of tests performed, all abutment drilled shafts with the exception of drilled shaft A2-4 were categorized as G (good) per the ranking system given in the project specifications. This indicates that the logs do not show arrival time signal distortions or arrival time delays that deviate by more than 10% from the average log arrival time.

The CSL record for shaft A2-4, however, indicates a significant delay and signal loss at a depth between 6 and 7 m from the top of the shaft, and was rated as P/D (Poor/Defect). This means that the logs showed a decrease in wave velocity of 20% or more, and that a high probability of concrete defect exists. Abrupt velocity reductions at this depth ranged from about 14% for tube pair 1-2 greater than 50% for tube pair 2-3 and were recorded in both normal and offset logs. Since the maximum signal losses were measured between tubes 2-3 and 1-3, the defect might be centered close to tube number 3. However, the exact geometry and location of the defect is not clear.

The retest of shaft A2-4 (16 days later) was conducted to determine the accuracy of the CSL tests and to evaluate the intensity of the anomaly after further concrete curing. The logs showed similar results with minor reduction in signal delay magnitudes from the previous tests. This indicates that CSL results were accurate, a defect existed at 6 to 7 m depth, and further concrete curing had somewhat improved the conditions. CSL logs from both tests are shown in Figure 2.9. The figure shows that the signal delays in the event logs had been reduced from about 14%, 29%, >50% after test 1 to 5%, 25% and 32% after test 2 for tube pairs 1-2, 1-3, and 2-3, respectively.

Difference tomograms between the signals obtained from pre-grouting *Test 1* and *Test 2* were also calculated and are presented in Figure 2.10, as three sets of tomograms representing crosscuts between access tubes. The first tomogram of each

set shows a 3-D rotated image of the areas with signal improvement of at least 500 m/s. The second tomogram of each set shows 2-D cross-sectional difference in signal improvement between both pre-grouting tests. The figures depict areas (red colored) of signal improvement up to 1000 m/s.

### **2.2.2.3 Tomographic Imaging of the CSL Test Results**

Based on both CSL test results, it became obvious that a significant zone of deficient concrete existed in A2-4, and immediate remediation was required. Obtaining core samples from the anomalous zone to physically inspect the concrete, to confirm actual location, and to grout encountered deficient zones was the obvious solution. Since the CSL logs did not indicate the size, geometry, and severity of the defect, it was difficult to recommend a placement location for the 50-mm-diameter core holes. A 3-D velocity tomographic analysis of the A2-4 shaft using the CSL data produced a clear image of the geometry and location of the anomaly as shown in Figure 2.11. The average ultrasonic apparent velocity was calculated to be approximately 3,660 m/s. The 3-D images indicated most of the area within the shaft had a velocity greater than the average, indicating sound concrete. The zones with velocity contours of 10% (velocity of 3,294 m/s in green) and 20% (velocity of 2,928 m/s in blue) reduction were plotted. A minor zone of about 10% reduction was depicted in the upper part of the shaft between 0.5 and 2.5 m, and a 20% reduction zone that extended across the entire shaft diameter was depicted between 6.6 and 7.5 m depth. After reviewing the tomographic images, the defects within shaft A2-4 were located on top of the shaft and two core holes were drilled. Concrete core samples were retrieved for physical investigation and evaluation. The core holes were drilled at the abutment 2 shaft 4 in between tubes 1-3 and 2-3 perpendicular to the line in between tubes from their middle point, and in the outside of the tubes triangle. The 50-mm-diameter core holes were drilled 150 mm from the spiral rebar cage perpendicular to

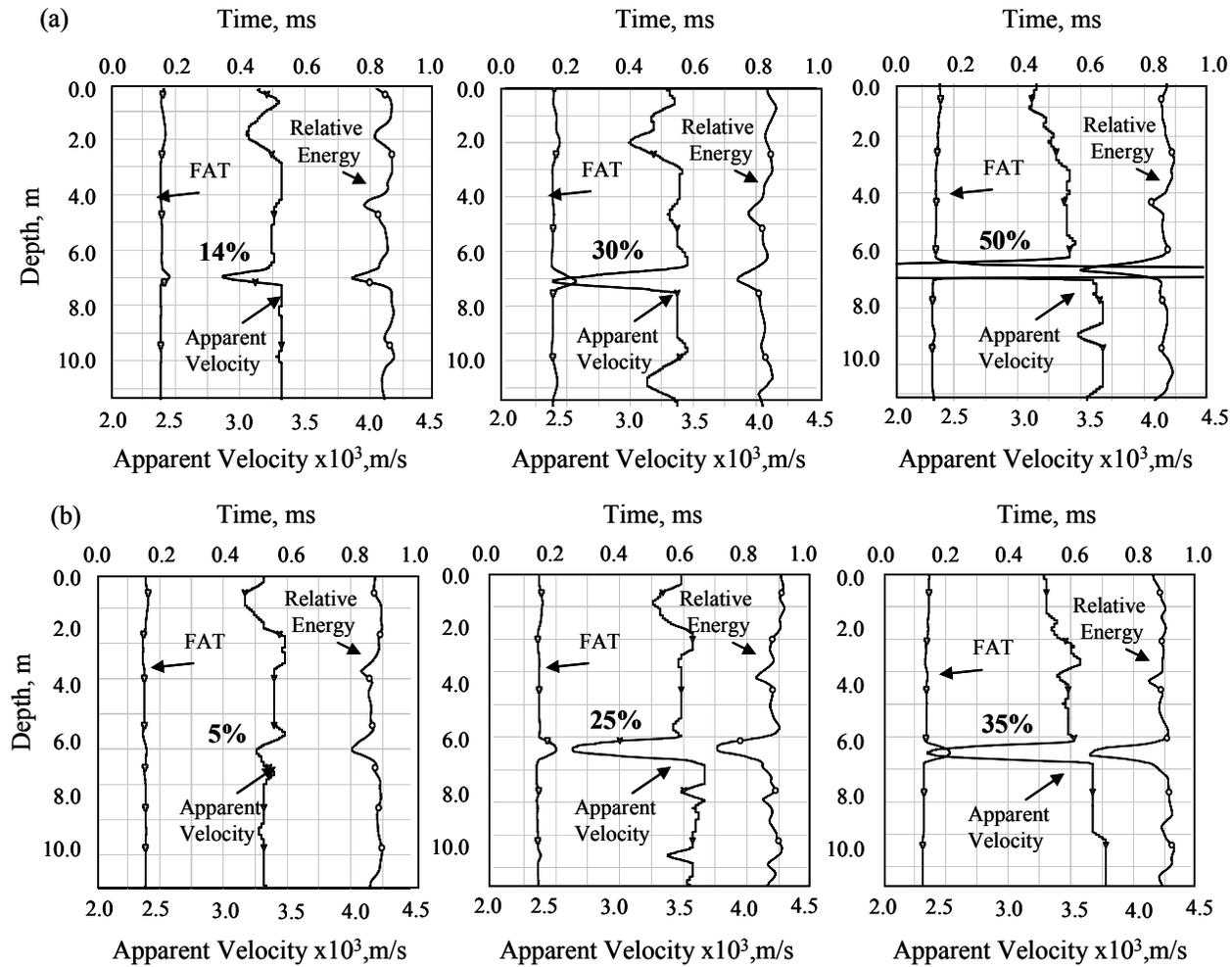
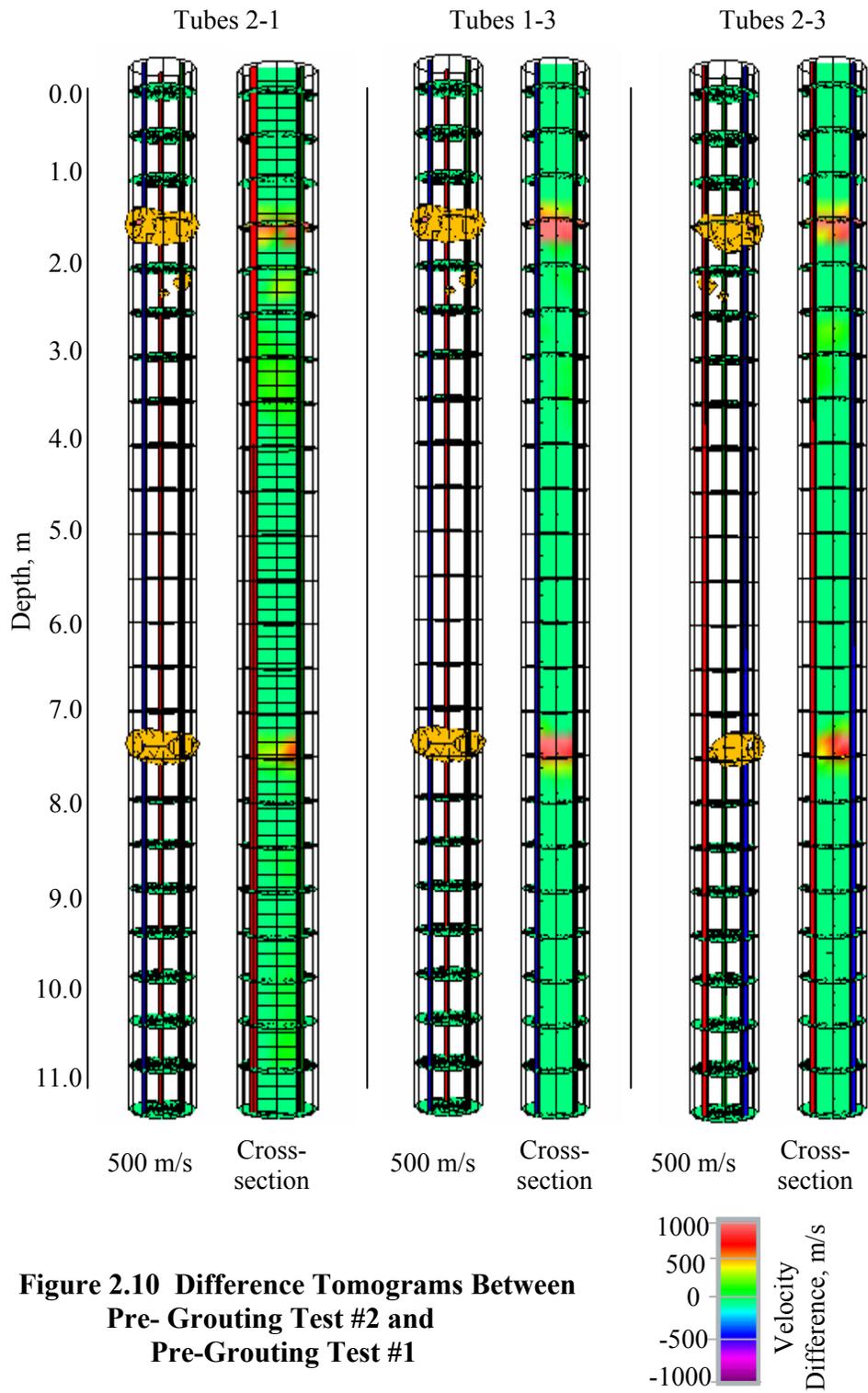
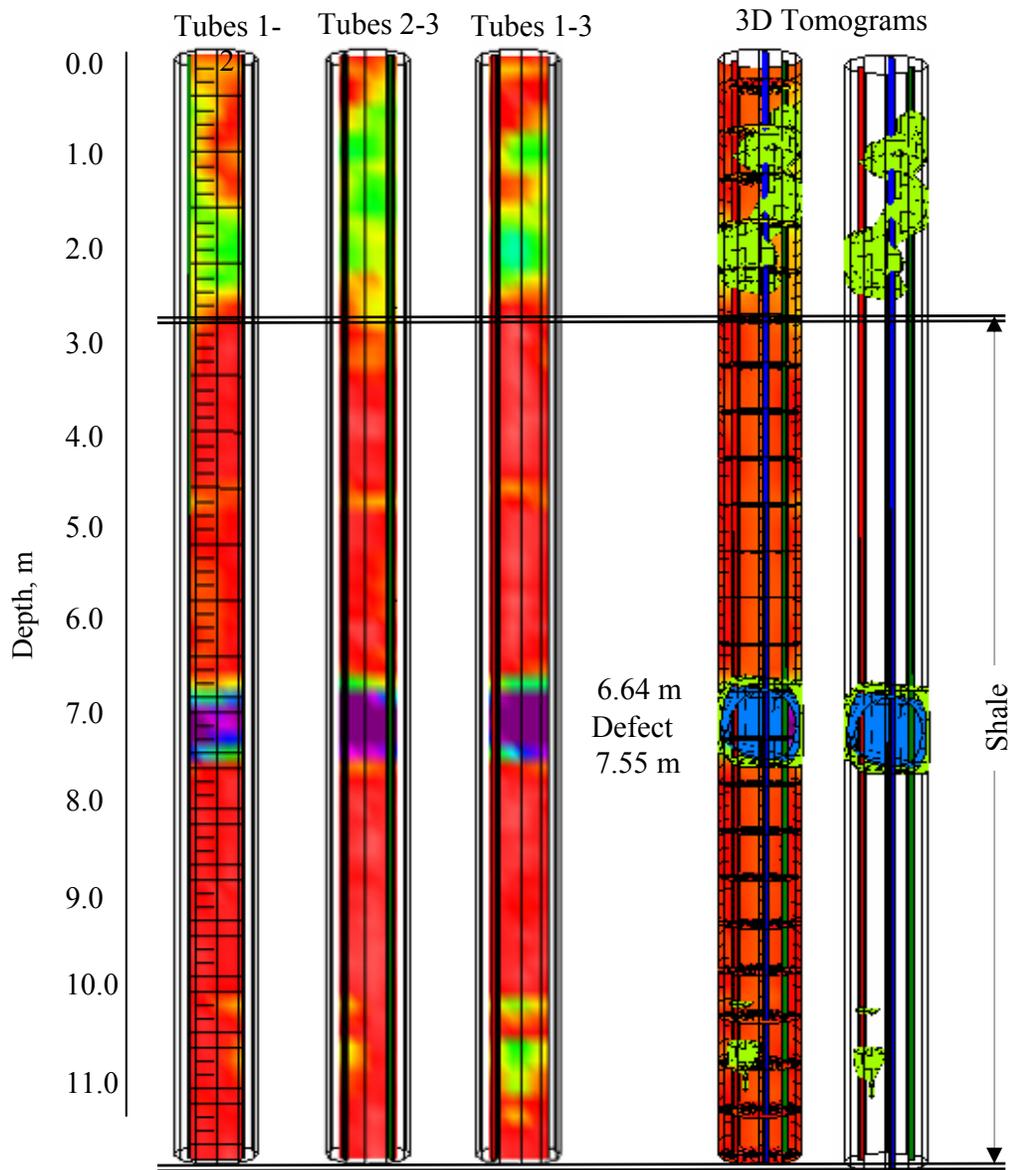


Figure 2.9 (a) Initial CLS Test of the A2-4, (b) CSL Test of the A2-4 After 16 Days of Curing

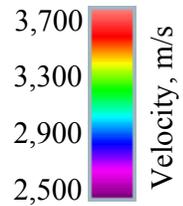


**Figure 2.10 Difference Tomograms Between Pre-Grouting Test #2 and Pre-Grouting Test #1**



Average Shaft Velocity is 3,660 m/s-- 10% Green (3,294 m/s), 20% Blue (2,928 m/s)

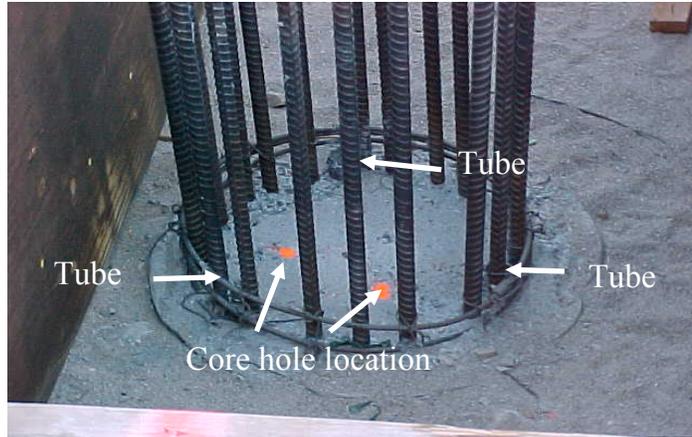
**Figure 2.11 2-D and 3-D Tomographic Interpretation of the Geometry and Location of the Defect at A2-4**



the middle point of the line in between tube pairs 1-3 and 2-3, as shown in Figure 2.12. The coring procedure is presented in Figure 2.13. The southeast (SE) core hole (between tube pairs 2-3) was advanced to a depth of 8.38 m and southwest (SW) (between tube pairs 1-3) was advanced to a depth of 9.14 m. At each location, extracted cores resulted in numerous mechanical fractures of the core as shown in Figure 2.14. Most of these fractures are attributed to hammering on the core barrel while extracting the core from the barrel. Since the core spins as the drill rotates, determining core orientation is not possible. The coring results were logged, and the cores were photographed.

Core inspection indicated that no defective concrete was encountered during coring in the core hole between tubes 2-3. However, the core hole between tube 2-3 encountered a weak zone, 0.15 m long, at about 6.5 m from the top of the shaft. The anomaly consisted of a pocket of well-graded, yellow-brown sand in one-half of the core. The sand pocket abruptly terminated in good concrete. Below the sand pocket, the core contained mechanical fractures resulted in a short 50-mm section of somewhat more competent concrete core that represents the last few millimeters of core run #7. Core runs #8 and #9 were all in good uncontaminated concrete. The orientation of the sand pocket could not be ascertained. A low-density concrete zone was also encountered between 1 m and 2 m from the top of the shaft as indicated in the tomograms. This zone was not of concern.

Although a weak sand pocket existed at the predicted depth, coring results did not indicate the anomaly zone with the same size and intensity as was recorded by the CSL testing and tomography imaging. This discrepancy might have been due to vertical CSL tube deviation or because the standard 20% deviation in the velocity was not correct.



**Figure 2.12 Location of the Coreholes and CSL Tubes of the A2-4**



**Figure 2.13 Coring Procedure of the A2-4 at Site # 2 Bridge**

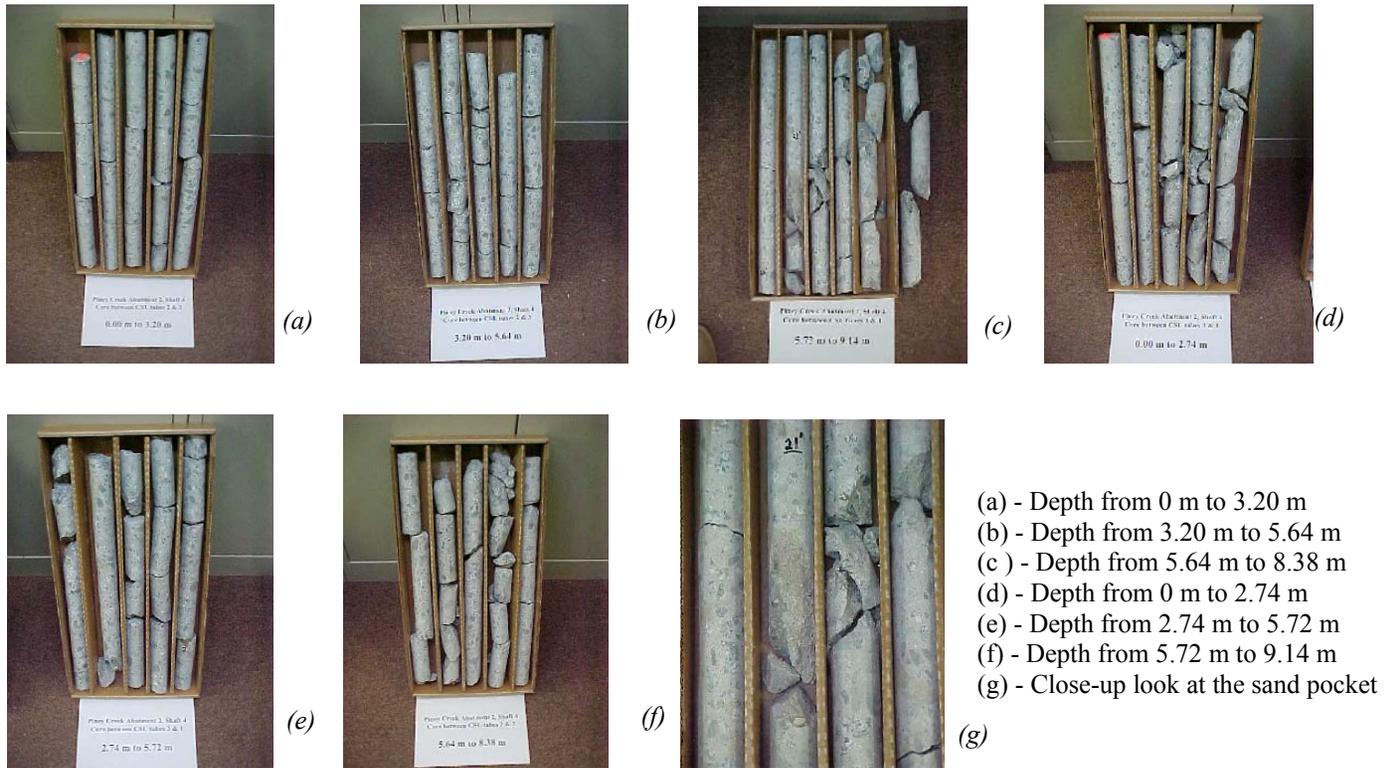
Further analysis of the CSL data with the 3-D tomography techniques was conducted to determine the percent in velocity deviation that should have been contoured to match the coring results. The data were reprocessed, and a close-up image was plotted of the zone between 6.5 and 7.5 m depth. The projection of the two core-holes showing contours of the 20%, 30%, and 50 % reduction in velocity is shown in Figure 2.15 and Figure 2.16. From the figures, it can be seen that the sand pocket coincided with the 30% velocity reduction, and not the 20% as specified in the guidelines.

#### **2.2.2.4 Pile Repair Procedure**

A pile repair procedure was developed with the objective to improve the defect zone in the A2-4 drilled shaft. Permeation grouting to improve the strength and reduce permeability of the low-density zones within the shaft was recommended.

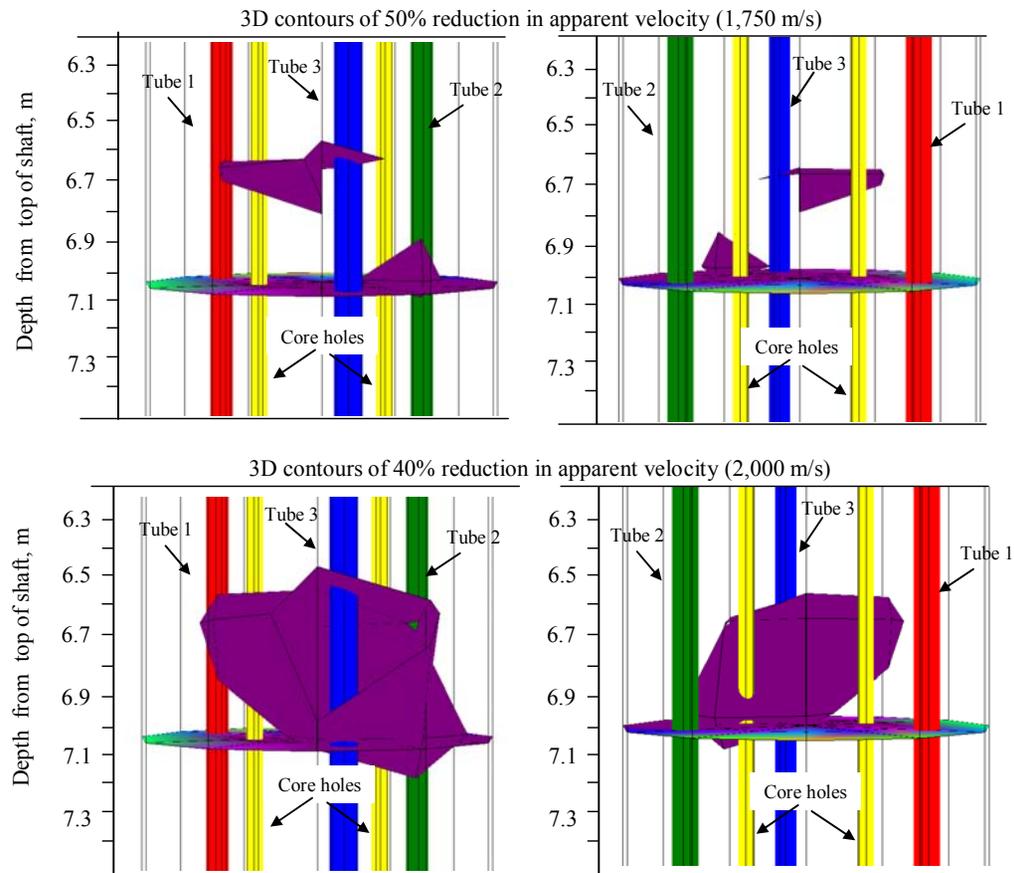
Permeation grouting has been effective in the past to improve the concrete density and the density of the granular soil around and below the drilled shaft to improve resistance capacity. Pressure grouting is a process where a suspension of super-fine cementations slurry or resin grout is pumped under a predetermined pressure into a porous material. The grout will penetrate the pores, harden, and become a permanent part of the material matrix. Drilled shaft repair at this Bridge was done using Fosrock Ultracem grout. As a general rule for effective grouting, the minimum diameter opening that suspended cement particles will enter is five times the effective cement grain size.

During pressure grouting, packers were installed and seated in the core hole between tubes 1-2 at a depth of a few meters above the top of the zone of deficient concrete. A pressure gage was located near the grout plant to monitor the pressure in the sealed holes. Water was injected to test the seating of the packer and to flush the sand out of the grout zone. The pressure quickly reached 3.5 MPa and was maintained for a

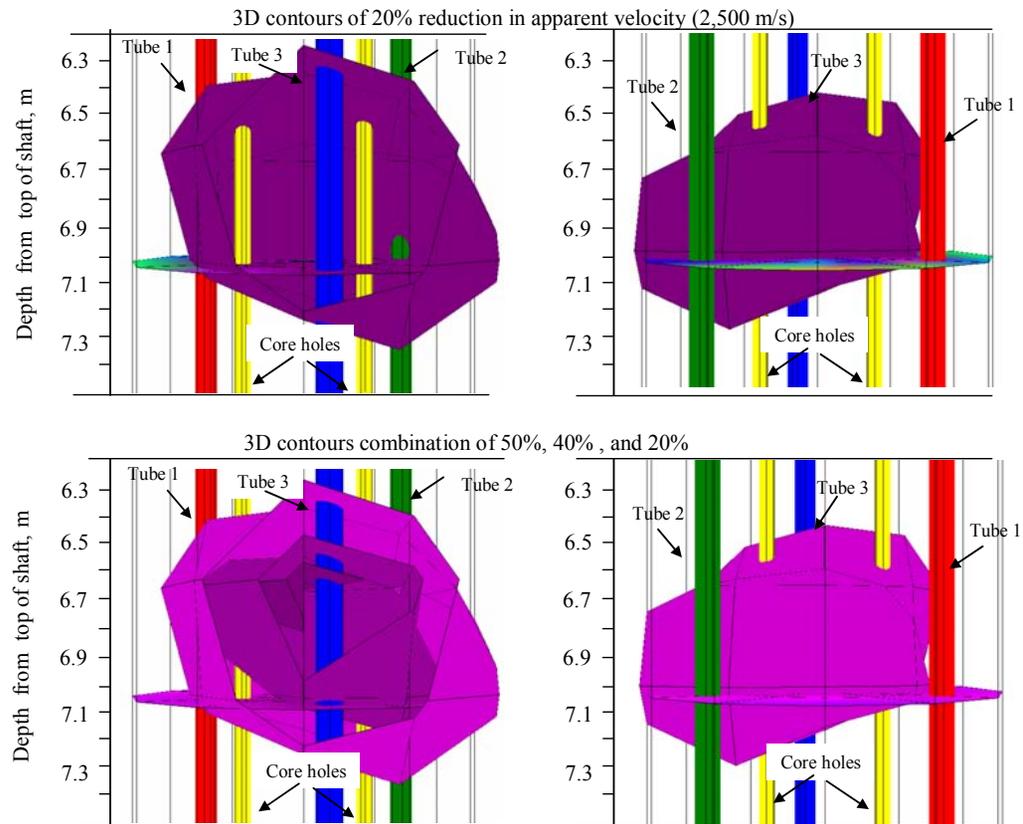


(a) - Depth from 0 m to 3.20 m  
 (b) - Depth from 3.20 m to 5.64 m  
 (c) - Depth from 5.64 m to 8.38 m  
 (d) - Depth from 0 m to 2.74 m  
 (e) - Depth from 2.74 m to 5.72 m  
 (f) - Depth from 5.72 m to 9.14 m  
 (g) - Close-up look at the sand pocket

**Figure 2.14 (a-c) Cores from the SE Core Hole (in Between CSL Tubes 2-3) and (d-g) Cores from the Corehole in-between CSL Tubes 1-3 of the A2-4 Drilled Shaft for “Site 2 Bridge**



**Figure 2.15 Close-Up Look at the Defect with Velocity Reduction Counters (30% & 50% Reduction)**



**Figure 2.16 Close-Up Look at the Defect with Velocity Reduction Counters (20% Reduction and Combination of all)**

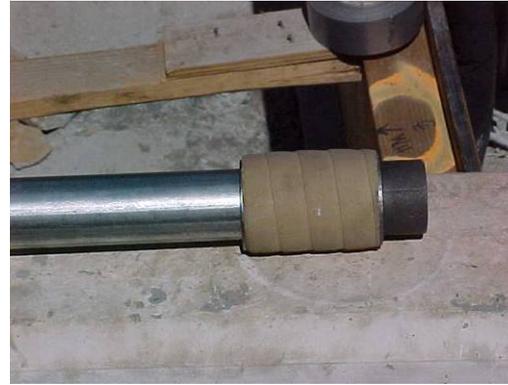
certain period of time. No connections with the other core hole or the outside of the shaft were noticed. This confirms that no weak zones that may require grouting were encountered. This hole was then filled with grout to the top of the shaft. Figure 2.17 shows the mechanism that was used during the grouting procedure. Difference tomograms between the signals obtained from pre-grouting (Test 2) and post-grouting were calculated and are presented in Figure 2.18 as three sets of tomograms representing cross-sections between access tube pairs. The first tomogram of each set shows areas of velocity improvement of at least 500 m/s in 3-D contours. The second tomogram of each set shows 2-D cross-sectional differences in velocity improvement between pre- and post-grouting tests. The figures depict areas (red) of signal improvement up to 1,000 m/s caused by grouting. The same procedure was performed in the core hole between tubes 2-3. However, no pressure was measured during packer testing even though about 100 gallons of water were pumped into the hole. This indicates that a significant defect existed at this depth. It was also determined that there was contact through to the outside of the shaft. Therefore, the contractor wanted to clean out as much of the fines in the decomposing shale as possible and remove all the sand from the shaft. Almost all of the grout material was used to fill the core holes and build the required 3.5 Mpa pressure.

After the successful grouting of the A2-4 shaft, CSL retesting was performed using the standard procedures. Initial measurements of the depth of the tubes indicated tubes 1 and 3 were approximately 10.4 m deep, whereas tube 2 was initially 9.1 m. Dropping the weight at the end of the measuring tape to the bottom apparently compacted the soft bottom or caused some of the sediment at the bottom of the tube to go into suspension. When testing began, the depth to the bottom of tube 2 was 9.3 m. When testing cross-sections 1-2 and 2-3, the bottom of tube 2 was used as a starting point for both transducers.

The CSL retest results (after repair), Figure 2.19, indicated a minor signal velocity reduction at a depth of approximately 6 m from the top. These velocity reductions ranged

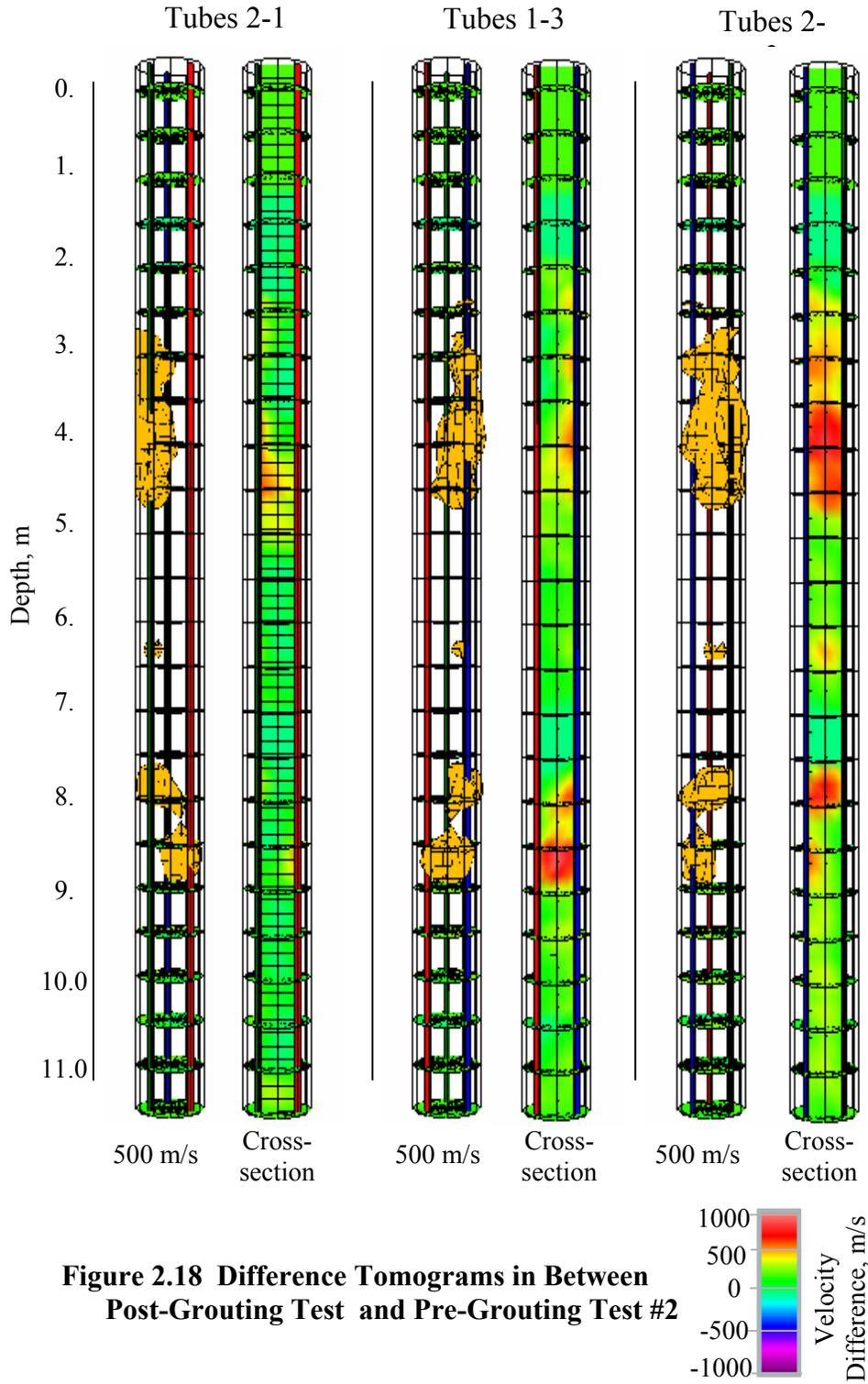


(a)



(b)

**Figure 2.17 (a) & (b) Mechanism Used for Pressure Grouting**



**Figure 2.18 Difference Tomograms in Between Post-Grouting Test and Pre-Grouting Test #2**

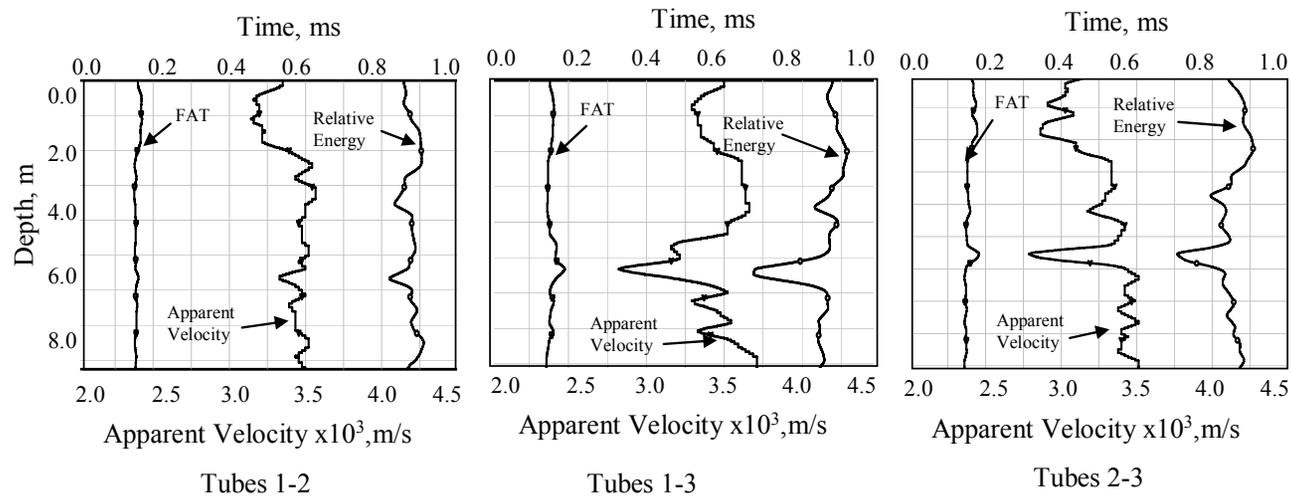


Figure 2.19 CSL Retest Results After Pressure Grouting

from 7% for tube pair 1-2 to about 16% for tube pairs 1-3 and 2-3. The average velocity was estimated at 3,800 m/s for pairs 1-2 and 2-3, and 3,900 m/s for pair 1-3. The results indicate that the grouting procedure had improved the concrete density within the anomalous zone and reduced the intensity of the defect, but did not completely eliminate the defect. Based on the retest results and the location of the defect within the drilled shaft, the drilled shaft was acceptable for further bridge construction.

### **2.3 Tomographic Imaging Summary and Recommendations**

Several conclusions were derived from these field investigations:

1. The cross-hole sonic logging method, despite certain limitations is; (a) a valid and conclusive technique in assessing the integrity of deep concrete foundations; (b) is flexible and economical for use in deep shafts; (c) is accurate and repeatable but highly sensitive to measurement errors; for example, relatively minor deviations of a tube can introduce significant deviation in the “*first arrival time*” picks that are related to the dynamic property of the medium as “apparent” velocity; (d) is capable of locating structural defects and detecting velocity variations within a medium; and, (e) is a two-dimensional method, which makes it difficult to interpret the results in terms of size and geometry of defects or lateral (in vertical cross-section perspective) variations in velocity distribution.
2. Accurate interpretation of CSL results is an important issue in evaluating the integrity of deep foundations. Tomography is a method that may overcome the limitations in CSL concerning the interpretation of results. Three-dimensional color-coded tomographic imaging adds an advantage to the CSL system output by allowing imaging the location, size, and geometry of a defect with high accuracy.

3. Tomography software separates and presents certain specific velocities representing various questionable zones of defect geometry with high resolution.
4. An important advantage of tomography is the capability to provide a visual image of lateral variations in velocity within a structure. The process is capable of determining inter-tube velocity variations of 5% or better.
5. Zero probe-offset data produce the highest range of velocities because of the smaller path length during the CSL data collection. Best aperture and therefore highest image resolution converges when combining rays from several offsets. For tomography, CSL data collection with offsets may be more effective for accurately imaging concrete structures.
6. Tomography research on the Site #2 Project has shown no-analogy between the CSL test results, tomographic interpretation, and coring results. For this case study, CSL data collection was performed four different times on the same shaft (initial test, test with the offsets, retest after 16 days of curing, and retest after pressure grouting). In each case, the CSL data detected the defect on the same horizon, but with some improvement followed by the pile repair procedure. Based on the coring results, the defect within the shaft corresponded better to a 30% increase in velocity than to a 20% increase.

### **3 Field Monitoring of Drilled Shaft Temperature, Velocity, Density, and Moisture**

To understand the mechanism by which a drilled shaft cures under field conditions, two newly constructed drilled shafts (at a different site than the ones described in chapter 2) were monitored for up to seven days, immediately following concrete placement using the following four different geophysical logging methods: a) temperature logging to monitor the temperature gradient during concrete curing; b) crosshole sonic logging to monitor the effect of temperature on velocity variations; c) gamma-gamma density logging to monitor changes in density; and d) neutron-moisture logging to monitor changes in moisture.

#### **3.1 Temperature Monitoring**

Temperature monitoring was performed on two shafts using both temperature logging in the access tubes, and thermocouples embedded in the concrete. A third drilled shaft was also monitored at another site using only thermocouples embedded in the center and near the rebar cage during concrete pouring.

The tested drilled shafts were 0.9 m and 1 m in diameter, between 13-14.5 m in depth supporting a two-span bridge with two abutments and one pier with only two shafts per substructure unit. Each shaft contained four 50 mm diameter steel access tubes attached to the rebar cage. Continuous temperature logging was performed at abutment 1, shaft 1 and pier 2, shaft 2. Thermocouples were installed in abutment 2, shaft 2 to continuously monitor the temperature gradient of the concrete as the concrete cured. Class A (AE) concrete with a 28-day breaking strength of 27,600 kPa, placement slump of 25-100 mm, water/cement ratio of 0.44 (by weight), and air content of 5% was used to construct the drilled shaft.

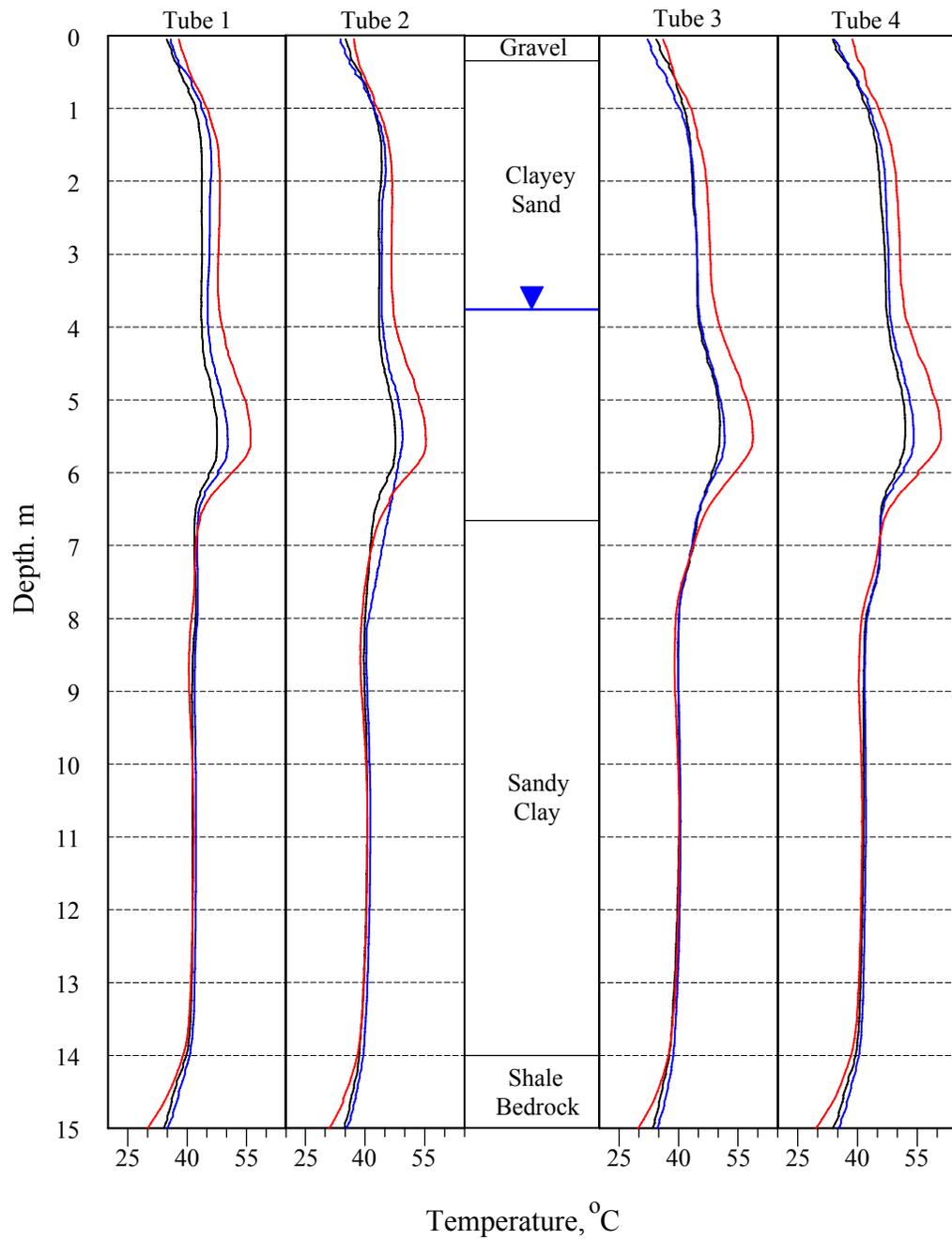
### 3.1.1 Temperature Logging in Drilled Shaft 1 Abutment 1

The temperature monitoring results from abutment 1 shaft 1 (A1-S1) are shown in Figure 3.1. The plots show the temperature at 6 hours (black), 12 hours (blue), and 24 hours (red) after concrete placement. In this figure, the temperature logs from four access tubes in the shaft are displayed as a function of depth on the vertical axis. Also presented in the depth axis is the soil profile as reported during excavation. The soil profile consisted of a 0.2 m layer of gravel/boulders overlaying a 6.7 m sandy clay, 14 m clayey sand, and shale bedrock. The groundwater was encountered at a depth of 3.8 m. An initial rise in the shaft's temperature is observed in the first 24 hours after the concrete placement. Although not measured the soil temperature is estimated to be 10-15°C.

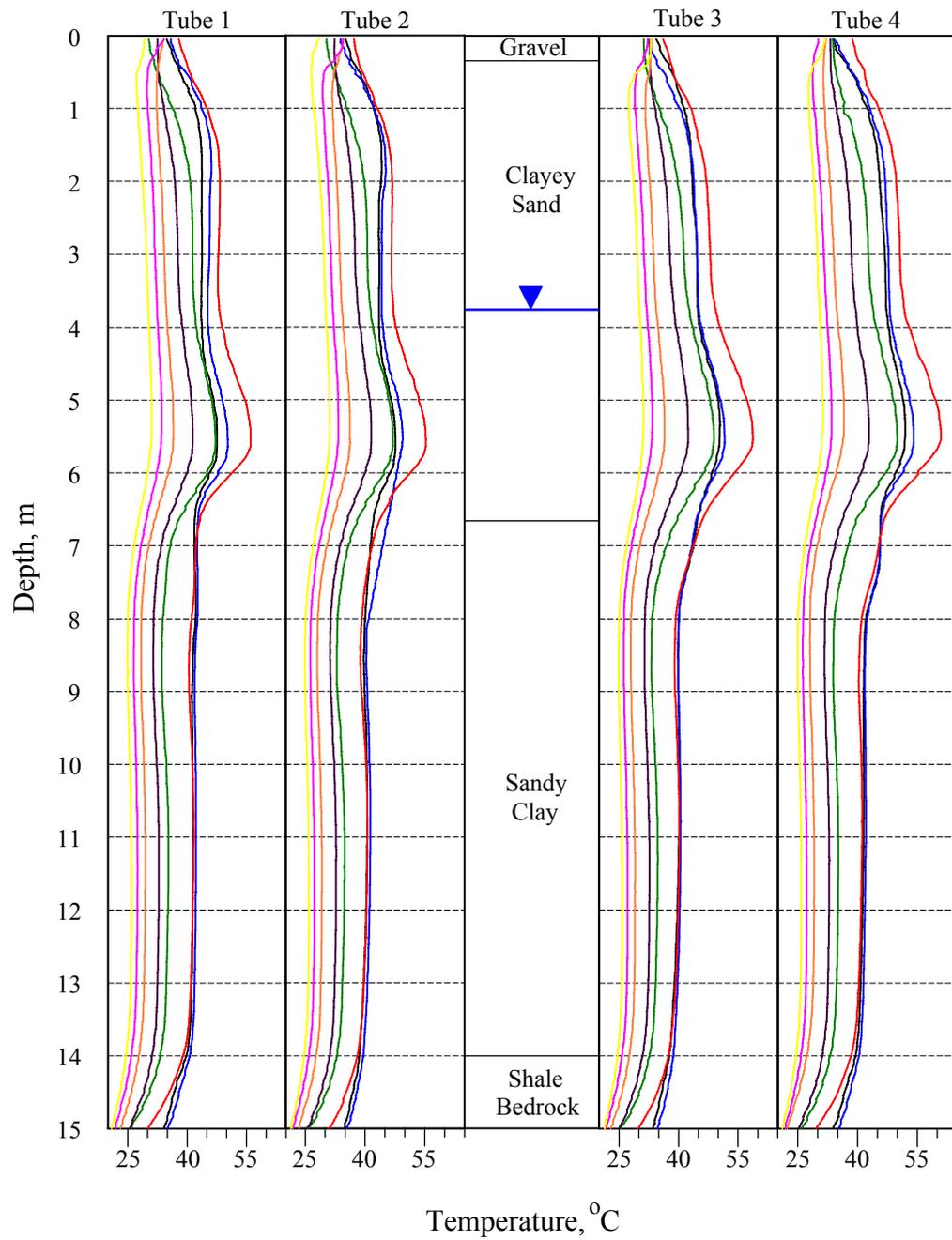
The complete thermal history of the shaft in the first 6 days after the concrete placement is presented in Figure 3.2. The temperature logs from the first 24 hours after concrete placement were combined with other temperature logs from two to six days. The data indicates a gradual decrease in temperature after the initial rise. Temperature values at five different depth points are plotted as a function of time in Figure 3.3. In this figure, the temperature values from the four access tubes are averaged at 3 m (in sand above the groundwater table displayed in black); at 6 m (in sand below the groundwater table in blue); at 9 m (clay in red); at 12 m (clay in green); and at 15 m (bed rock in magenta).

The following conclusions can be drawn from the temperature logging studies:

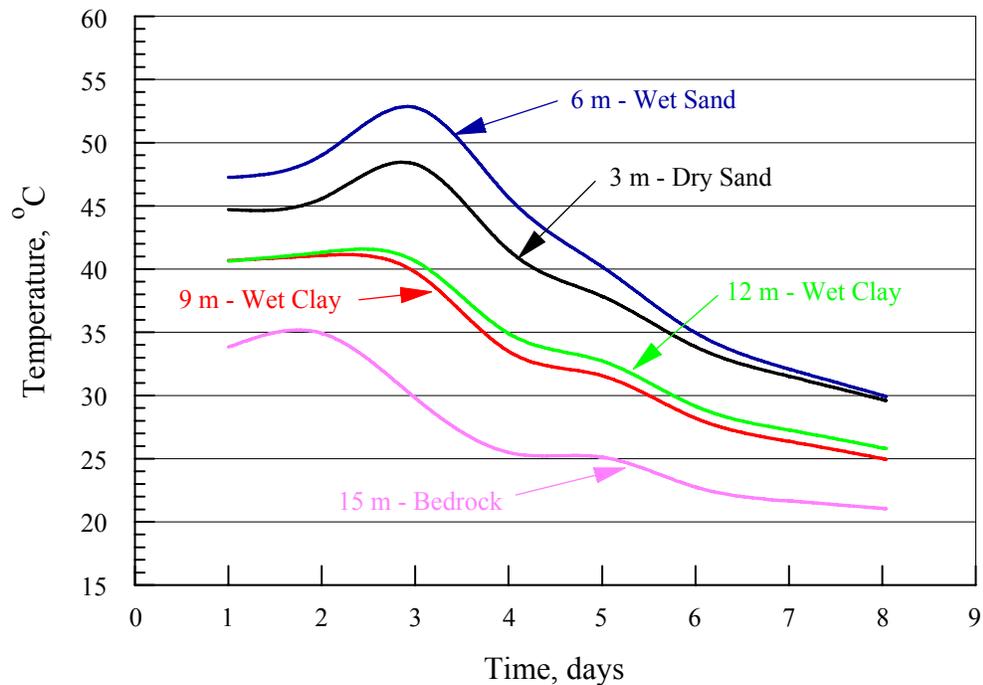
- At a given time period after the concrete placement, the shape of the temperature curve appears to be a function of the thermal conductivity of the



**Figure 3.1 Temperature Monitoring of A1-S1 at 6 hrs. (Black), 12 hrs. (Blue) and 24 hrs. (Red) after Concrete Placement**



**Figure 3.2 Temperature Monitoring of A1-S1 at 6 hrs. (Black), 12 hrs. (Blue), 24 hrs. (Red), 2 days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6 days (Yellow) after Concrete Placement**



**Figure 3.3 Temperature Monitoring of A1-S1 Averaged from the 4 Access Tubes at Depths of 3m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta)**

materials surrounding the drilled shaft. Therefore, in a typical drilled shaft, the shaft's temperature, and its curing rate or age, is non-uniform with depth. In this example, the shaft's temperature was highest (least cure) in the sand/gravel zones, cooler in the clayey zone, and coolest (most cure) at the bedrock level.

- In the sandy zone, shaft temperature rose more rapidly than at the clay and bedrock levels. From Figure 3.3, peak temperature was reached about 12 hours after concrete placement in the clay and bedrock levels, as compared to 24 hours in the sand level. Peak temperatures were reached after 12

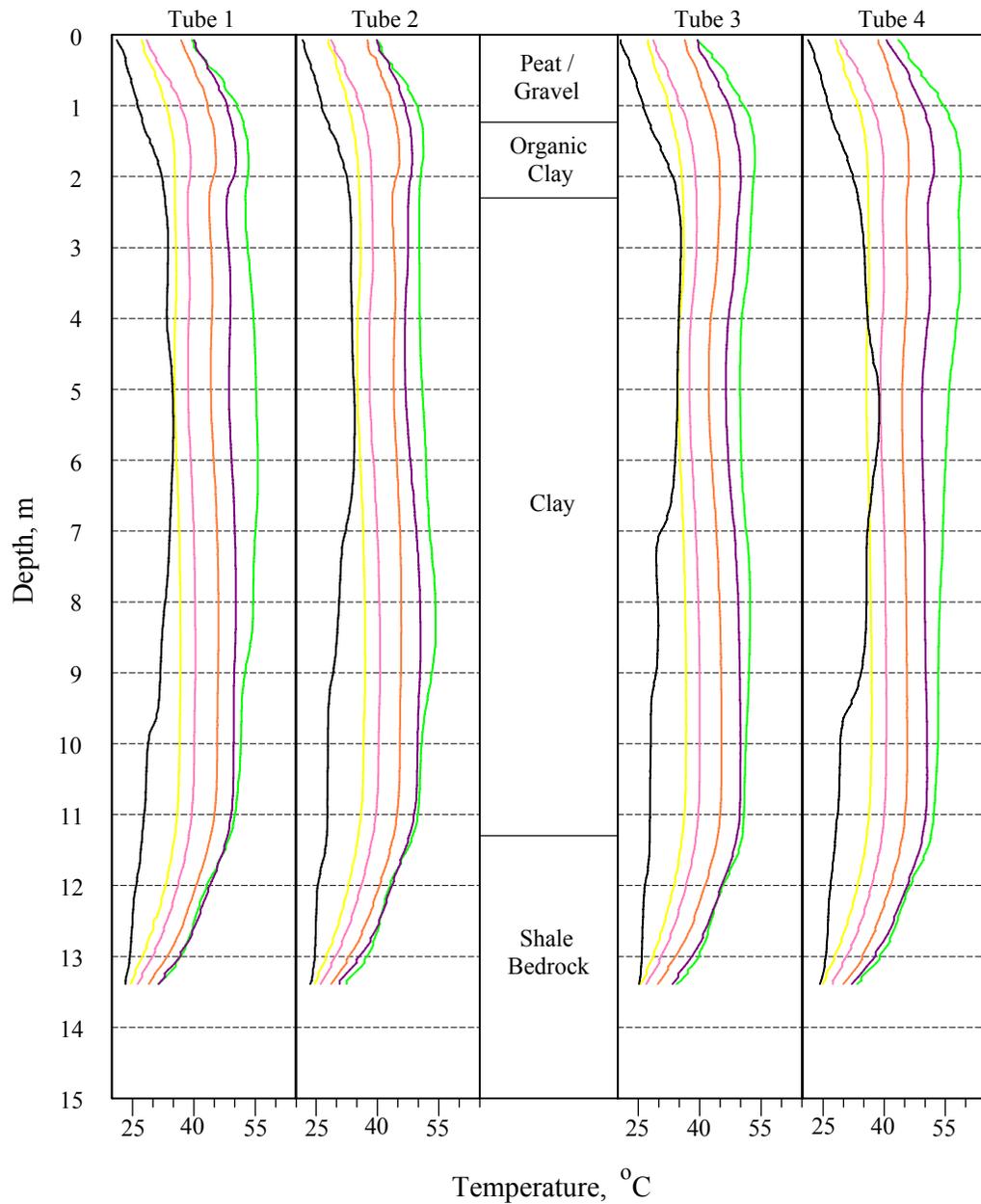
hours at 9 m, 12 m, and 15 m depths and after 24 hours at 3 m and 6 m depths. The maximum temperature reached was at 52.7 °C (at 6 m depth), and reduced to 30 °C after 6 days. Maximum temperature differential in the shaft after 1 day of curing was about 23 °C. This differential was reduced to 9 °C after 6 days of curing, resulting in a more uniform temperature curve.

- A localized “hot spot” was observed in abutment 1 shaft 1 as shown in Figure 3.1 and Figure 3.2 between the depths of 3.7 and 7.7 m. According to the construction records, an additional 6-7.5 m<sup>3</sup> of concrete had to be used at these depths. Therefore, the higher temperature could be due to shaft belling at these depths. The groundwater table also had a minor effect on concrete temperature, but due to the shaft bulging at the water table elevation it is difficult to determine the exact effect.
- In the top 1 m near the surface, cooler temperatures were observed due to heat escaping to the air. For tubes 2 and 3, the shaft temperature decreased from 6 to 12 hours before rising to 24 hours (Figure 3.1). After 24 hours the temperature decreased, except for a temperature increase in the top 0.6 m after 3 days (Figure 3.2). High fluctuations in temperature were observed in top 0.6 m of the shaft.

### **3.1.2 Temperature Logging in Drilled Shaft 2-Pier 2**

Temperature monitoring was also conducted in pier 2, shaft 2 (P2-S2). The results are shown in Figure 3.4 from 1 hour to 6 days after concrete placement. The soil profile consisted of 1.22 m of peat, with gravel overlaying 2.3 m of clay with organics, 11.28 m of clay, and shale bedrock. The groundwater was at the surface.

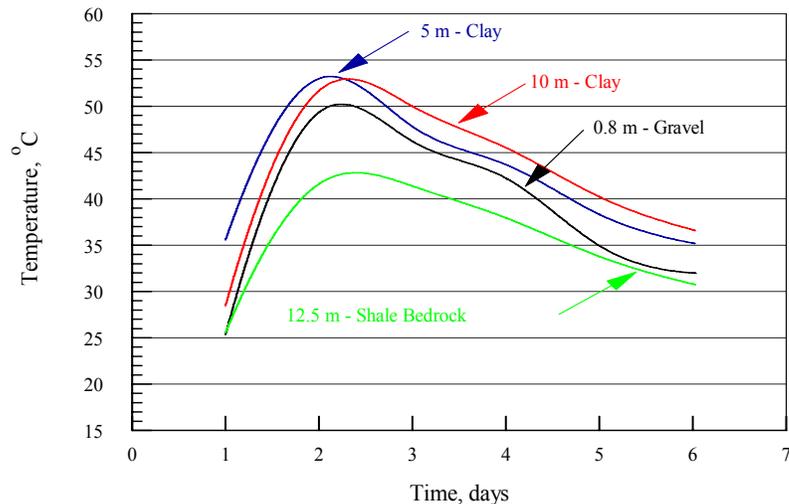
Temperatures at five depths are plotted as a function of time in Figure 3.5. In this figure, the temperature values from the four access tubes are averaged at 0.8 m (in



**Figure 3.4 Temperature Monitoring of P2-S2. Temperatures at 1 hr. (Black), 24 hrs. (Red), 2 days (Green), 3 days (Purple), 4days (Orange), 5 days (Teal) and 6 days (Yellow) after Concrete Placement**

gravel displayed in black); at 5 m (in clay in blue); at 10 m (clay in red); and at 12.5 m (shale bedrock in green). The following conclusions can be drawn from the temperature logging studies from this shaft:

- At a given time period after the concrete placement, the shape of the temperature curve appears to be a function of the thermal conductivity of the soil/rock interface in the hole. The shaft's temperature was highest (least cure) in the clay zone, cooler near the surface, and coolest (most cure) in the bedrock. No localized “hot spot” was observed in this dataset.
- As shown in Figure 3.5, peak temperatures were reached after 48 hours. The maximum temperature reached was at 53 °C (at 5 m depth), and gradually reduced to 35 °C after 5 days. The maximum temperature differential in the shaft was about 10 °C after 6 hours of curing. This differential was reduced to 3.7 °C after 5 days of curing, resulting in a more uniform temperature curve .
- Cooler temperatures were observed in the top 1 m due to heat escaping to the air.



**Figure 3.5 Temperature Monitoring of P2-S2. Temperatures are Averaged from the 4 Access Tubes at depths of 0.8 m (Black, Gravel), 5 m (Blue, Clay), 10 m (Red, Clay), and 12.5 m (Green, Shale Bedrock)**

### 3.1.3 Temperature Monitoring With Thermocouples

Thermocouples were installed at two sites to monitor drilled shaft temperatures:

**Site 1** - A third shaft (abutment 2, shaft 2) at the above site was monitored with two thermocouples, one installed at the center, and the other attached to the rebar cage (side) at 2.4 m depth. The center thermocouple was attached to a single rebar that was driven in the shaft immediately after concrete placement. This study was performed to investigate the temperature differential between the center of the shaft and the side of the shaft at the rebar cage.

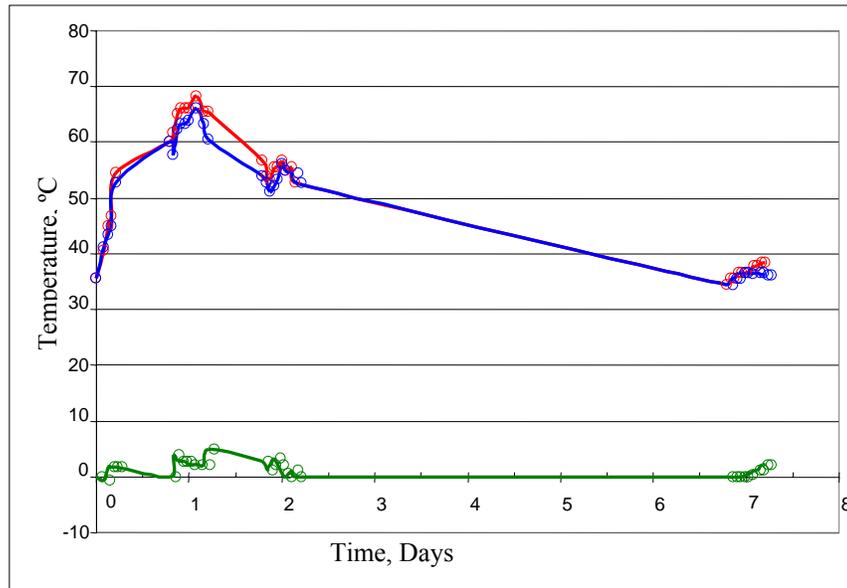
Peak temperature was reached after 26 hours both at the center and at the rebar cage in the shaft (Figure 3.6). The maximum temperature reached was at 68.3 °C at the center and 66.1° C at the cage. The maximum temperature differential between the center and the side was recorded as 5 °C after 29 hours.

**Site 2** - The temperature in a drilled shaft at another site was monitored for 18 days. The results are shown in Figure 3.7. Two thermocouple probes were installed outside the rebar cage in the north by northeast position at 3.66 m (shown in red) and 12.8 m (blue) depths. The groundwater table was at 8.23 m; therefore, the two probes were located at approximately 4.6 m above and below the groundwater table.

A Class A 19-cm concrete slump with 6.0% air was used to construct this drilled shaft. The concrete temperature at the placement was 11 °C. Concrete temperature monitoring began about 1.5 hours following concrete placement. As shown in Figure 3.7, peak temperature was reached in 20 hours at 41.1 °C.

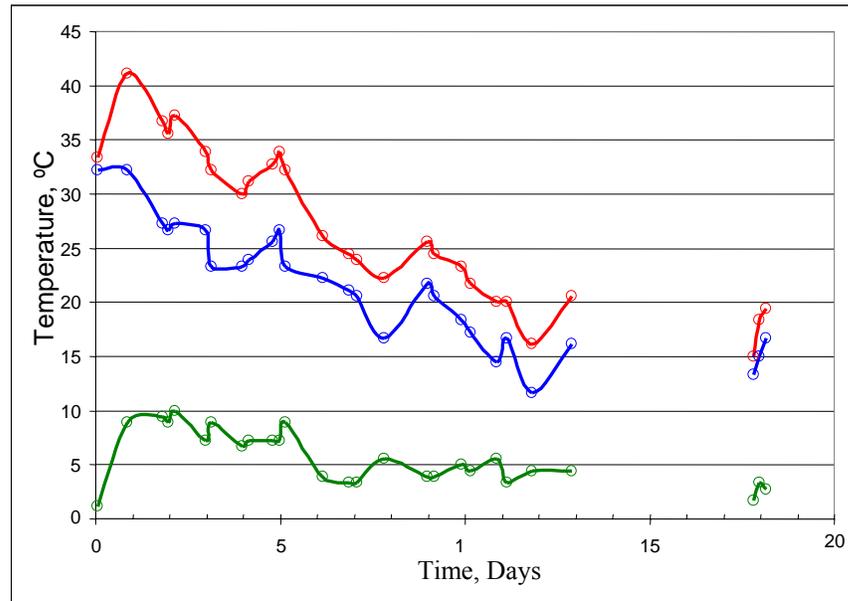
The following conclusions can be drawn from this study:

- At both measurement depths, the temperature curves are similar in shape and decrease with time as the shaft loses heat.



**Figure 3.6 Temperatures from Embedded Thermocouples of A2-S2- Red at the Center of Shaft at 2.4 m, Blue Near Rebar Cage at Same Depth, and Green Temperature Differential Between Both Stations**

- The shaft temperature measurements at the rebar cage are not uniform with depth. As expected, the groundwater table acted as a heat sink with the thermocouple placed at 4.57 m below the groundwater table measuring lower average temperatures than the one placed at 4.57 m above the groundwater table. Therefore, the shaft is generally hotter (less cured) above the groundwater table.
- Interestingly, at each measurement location, the temperature curve seems to recover and display distinct temperature jumps at about 4-day intervals. This is most likely due to the  $C_3A$  secondary hydration phase.
- The temperature differential between the two stations decreased with time as the shaft's temperature (or curing rate) stabilized. The temperature difference at the two stations is about 9 °C for the first 1-5 days, decreasing to about 5°C for the next 7 days, and converging to 3 °C after 18 days of measurement.



**Figure 3.7** Temperatures from Embedded Thermocouples of Shaft P-3 at Site 2 Near Rebar Cage- Red at 3.66 m (Above Groundwater Table), Blue at 12.8 m (Below Groundwater Table), and Green is Temperature Differential Between Both Stations

### 3.1.4 Temperature Monitoring - Conclusion

From both the temperature logging and embedded thermocouples studies, the following can be concluded:

- For the small diameter shafts observed in this study (less than 1 m in diameter), peak temperatures of about 41-68 °C were reached between 20-26 hours after concrete placement.
- Peak temperatures reduced to 23-35 °C after 6 days and to 12 °C after 12 days following concrete placement.
- The shaft curing rate is non-uniform as a function of depth in the first 6-7 days, depending on shaft diameter, materials properties surrounding the shaft, and depth of groundwater.

- After 6-7 days the temperature stabilizes, with a temperature differential of less than 5°C throughout.
- CSL measurements collected before the first 7 days of concrete placement will have lower sonic velocities (as it relates to concrete strength) than the lab measurements, and will be non-uniform with depth, unless the concrete strengths are corrected by maturity calculations.
- Temperature logging can be used to measure shaft peak temperature and temperature differential between the center and the edge (with the insertion of a thermocouple in the center). This data can be used to mitigate thermal cracking and durability problems in the shaft. According to Gajda and Vangeem (2002), in mass concrete “temperature limits are specified to seemingly arbitrary values of 57°C for the maximum allowable concrete temperature and 19°C for the maximum allowable temperature difference between the center and the surface of the mass concrete section”. A study is warranted to define these parameters in a drilled shaft environment.

### **3.2 Velocity Monitoring Results**

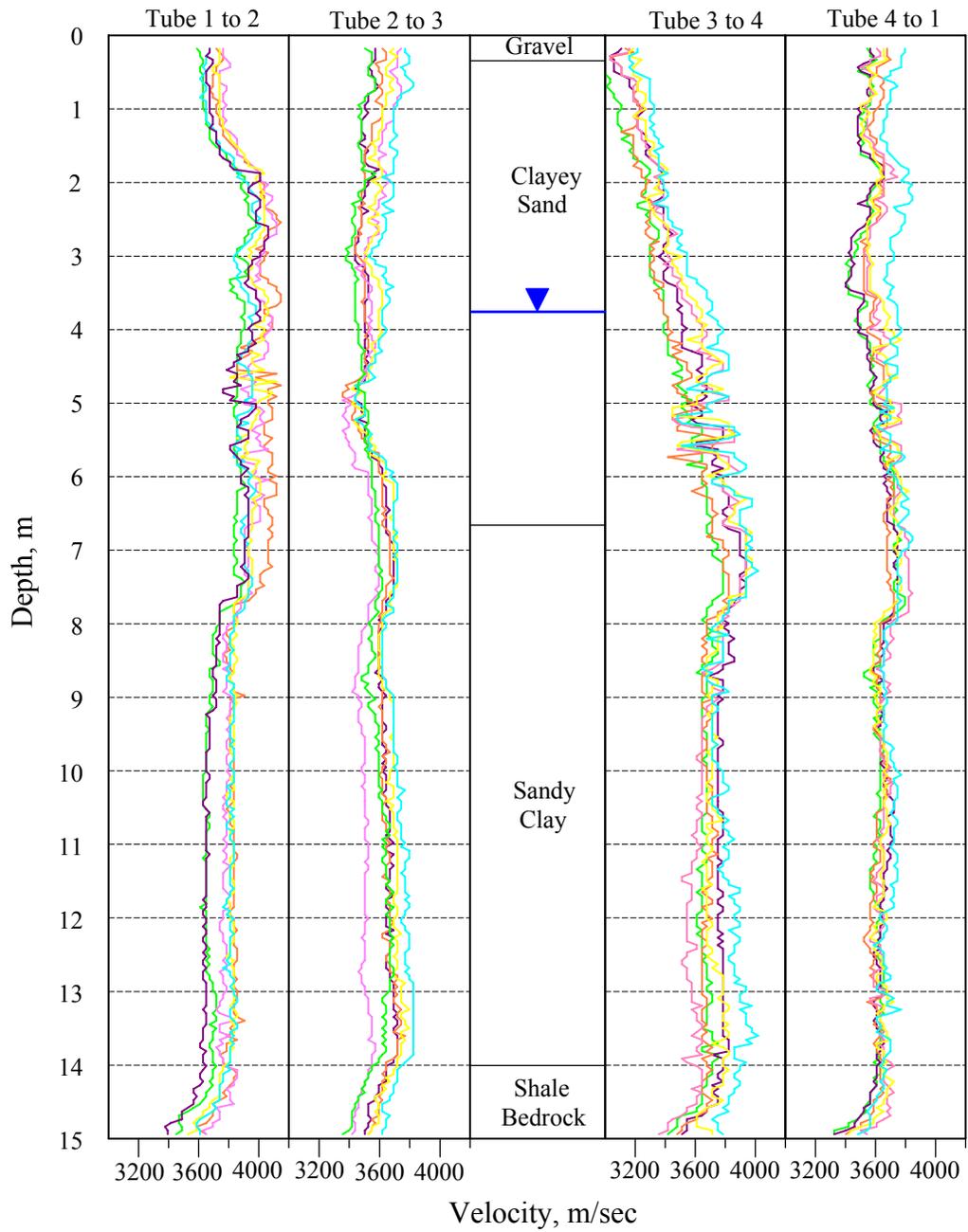
The results of velocity measurements from abutment 1 shaft 1 obtained from 1 day to 6 days after concrete placement are depicted in Figure 3.8. Six crosshole sonic logs were acquired using 4 perimeter logs and 2 diagonal logs each. In the figure, static-corrected CSL results are plotted in 6 separate sub-plots from 6 different access-tube pair combinations as indicated on the top label. Depths were measured from the top of the shaft and are shown on the vertical axis. The soil profile surrounding the drilled shaft is presented in the depth axis. In Figure 3.9, the diagonal CSL paths 1-3 and 2-4 are plotted in an expanded scale. Figure 3.10 shows the average CSL values (averaged over the 6 days) from four access tubes at five different depth points, plotted as a function of time.

Large tube bending was observed in the top 7.5 m of the shaft (see path 3-4) making static correction more difficult to apply. Low velocity values were observed in the bottom 1 m of the shaft.

Limited CSL monitoring was obtained from pier 2 shaft 2 from 3 days and 4 days following concrete placement. As indicated in Figures 3.11 and 3.12, a small increase in CSL velocity is observed from 3 and 4 days following concrete placement

The following conclusions can be drawn from the velocity monitoring study:

- Velocities appear to have direct correlation with time of curing. This is apparent from pier 2 shaft 2 as shown in Figures 3.11 and 3.12. For abutment 1 shaft 1 in Figure 3.8, the CSL curves on the whole were increasing with time; but not continuously. For the long CSL paths 1-3 and 2-4 plotted in an expanded scale in Figure 3.9, the velocity increase was more apparent. However, when the CSL values from four access tubes are averaged at five different depth points in Figure 3.10, a clear increase in velocity is observed.
- At a given time period, the velocity values appear inversely correlated with shaft temperature. For pier 2 shaft 2, the velocity values in Figures 3.11 and 3.12 correlated well with the shaft temperature shown in Figure 3.5, with clay indicating the lowest velocity (warmest), followed by gravel (cooler), and bedrock (coolest temperature). For abutment 1 shaft 1, average velocities should have increased from sand (warmest), followed by clay, and bedrock indicating highest velocity (coolest). This trend was generally observed; however, bedrock velocities were anomalously low (possibly due to a defect)



**Figure 3.8 CSL Velocity Measurements of A1-S1- Velocities at 1 day (Red), 2 days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6days (Yellow) After Concrete Placement**

and wet sand was anomalously high possibly due to being situated within the tube-bending zone.

- The velocity curves appears to taper off after about 4 days of curing.

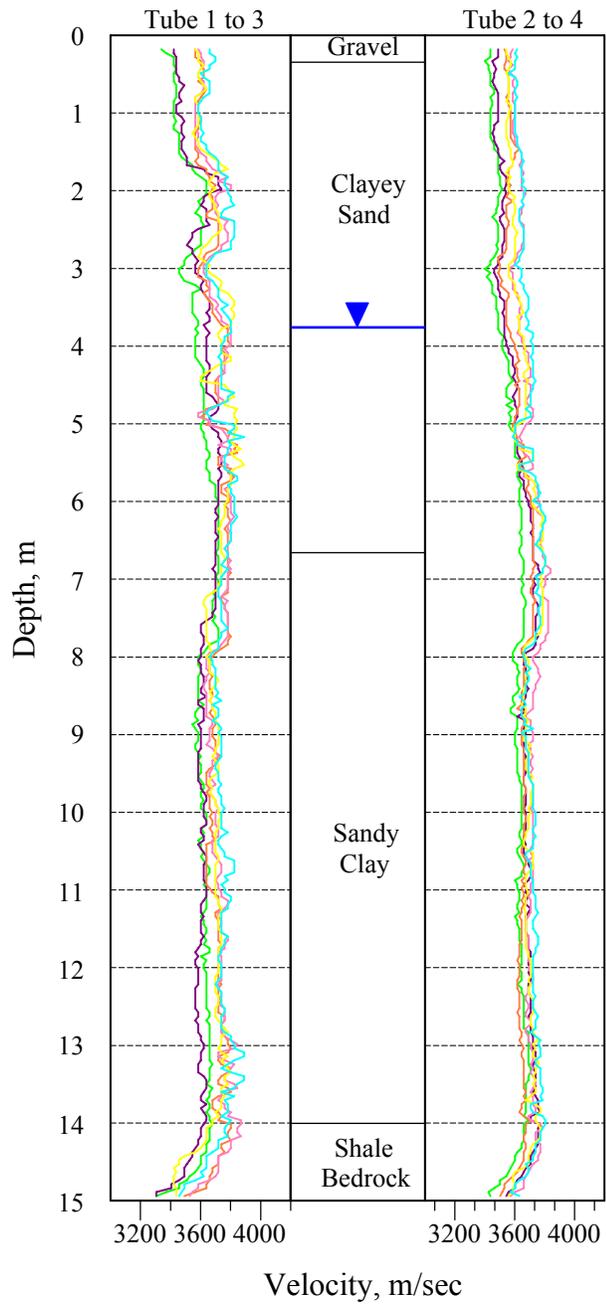
### 3.3 Density Monitoring

Density monitoring results from abutment 1 shaft 1 obtained from 1 day to 6 days after concrete placement are presented in Figure 3.13. In this figure, the gamma-gamma density logs (GDL) are plotted in 4 separate sub-plots from the tested access tubes. Each individual sub-plot depicts the GDL results from 355 mm source-detector separation presented in a magnified density scale of 2,100-3,200 kg/m<sup>3</sup> (130-200 lbs/ft<sup>3</sup>). Depths were measured from the top of the shaft and are shown on the vertical axis. The soil profile is also presented in the depth axis. The single-hole GDL results were more uniform than the CSL results, as they are not affected by tube bending. In Figure 3.14, GDL values from four access tubes are averaged at five different depth points and plotted as a function of time.

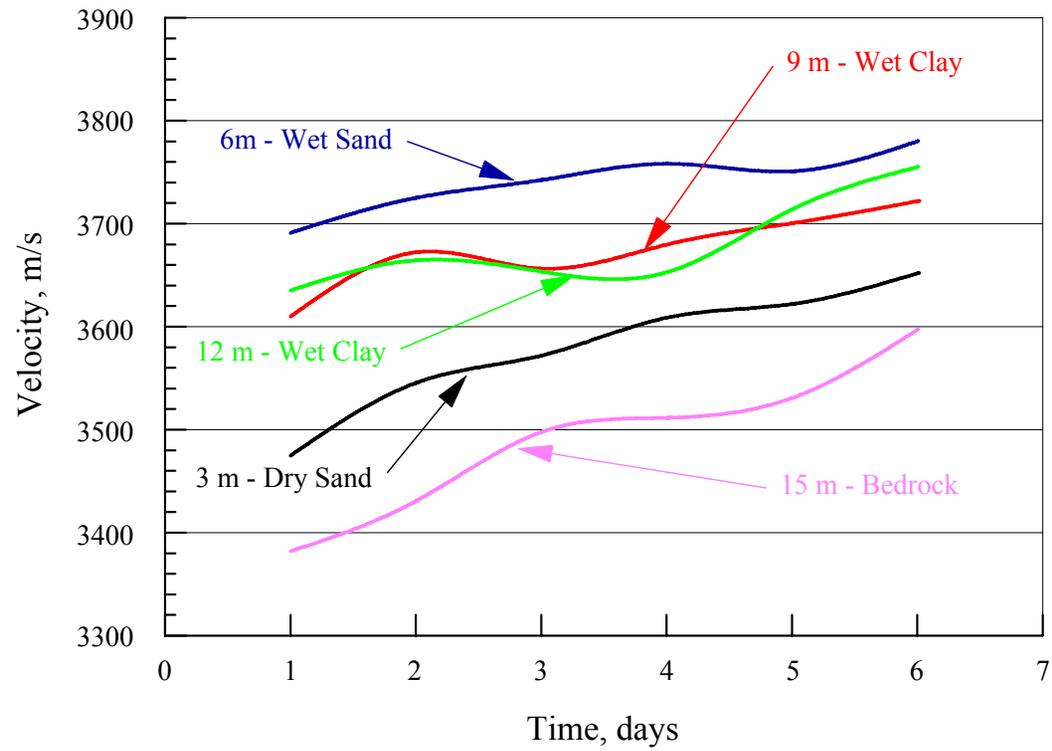
GDL monitoring was obtained from Pier 2 Shaft 2 from 1 day to 4 days after the concrete placement. As indicated in Figure 3.15, a steady increase in density values are observed in this dataset.

The following conclusions can be drawn from the density monitoring:

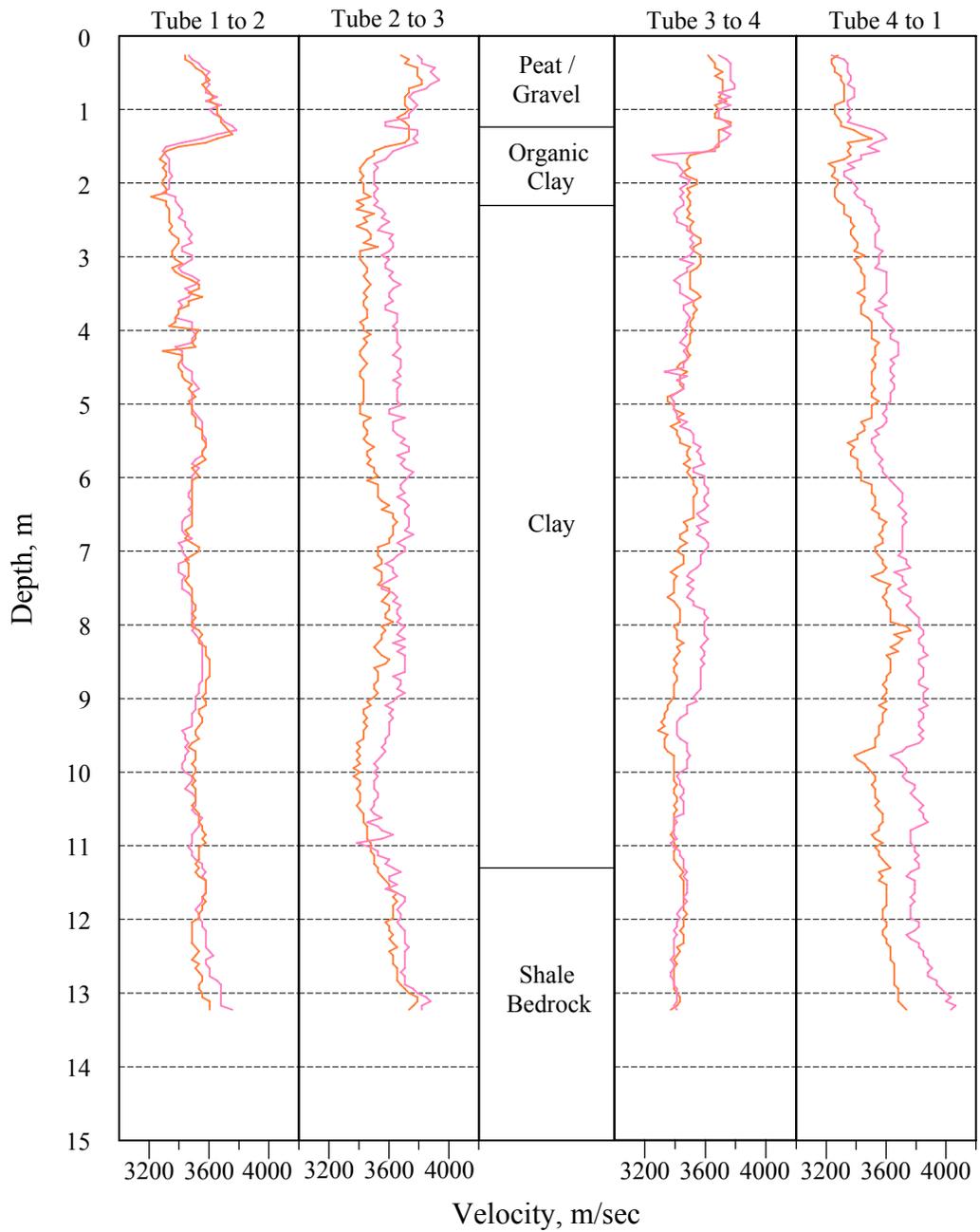
- Density values appear to slightly increase with time of curing. This is apparent from Pier 2 Shaft 2, as shown in Figure 3.15, for 1 to 4 days of curing. For abutment 1 shaft 1 in Figure 3.13, the density values also increased steadily from 1 to 4 days after the concrete placement. However, values then decreased after days 5 and 6. The reason is



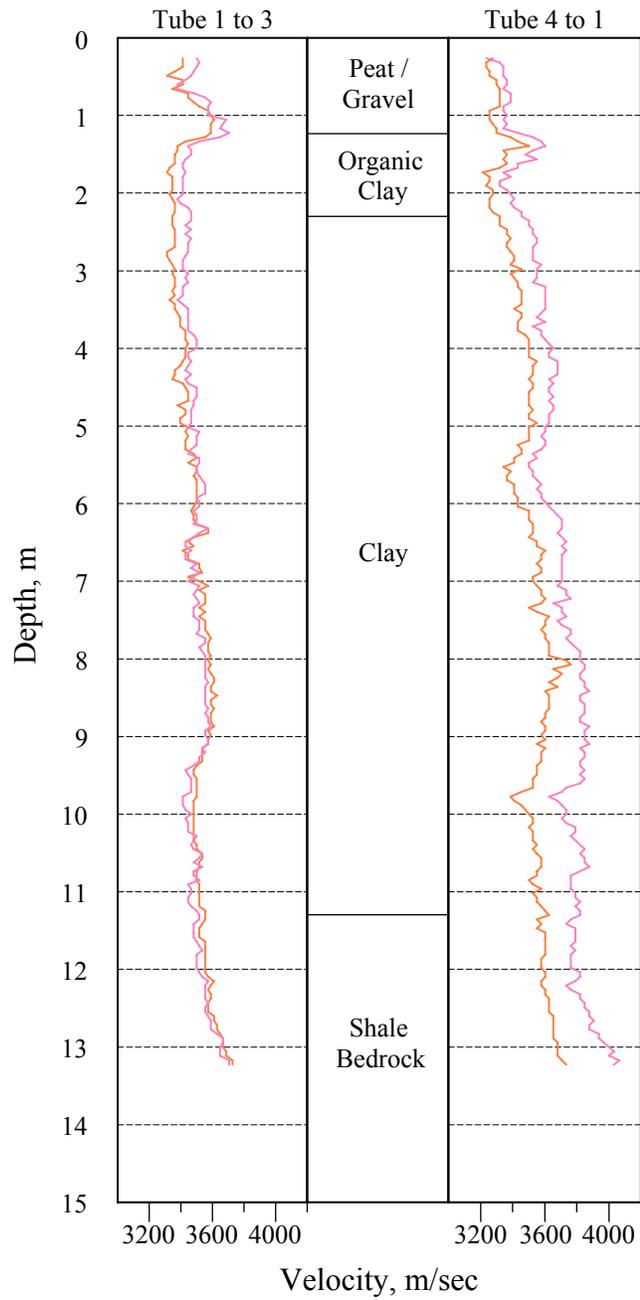
**Figure 3.9 CSL Velocity Measurements of A1-S1 between Tubes 1-3 and 2-4 at 1 day (Red), 2days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6 days (Yellow) after Concrete Placement**



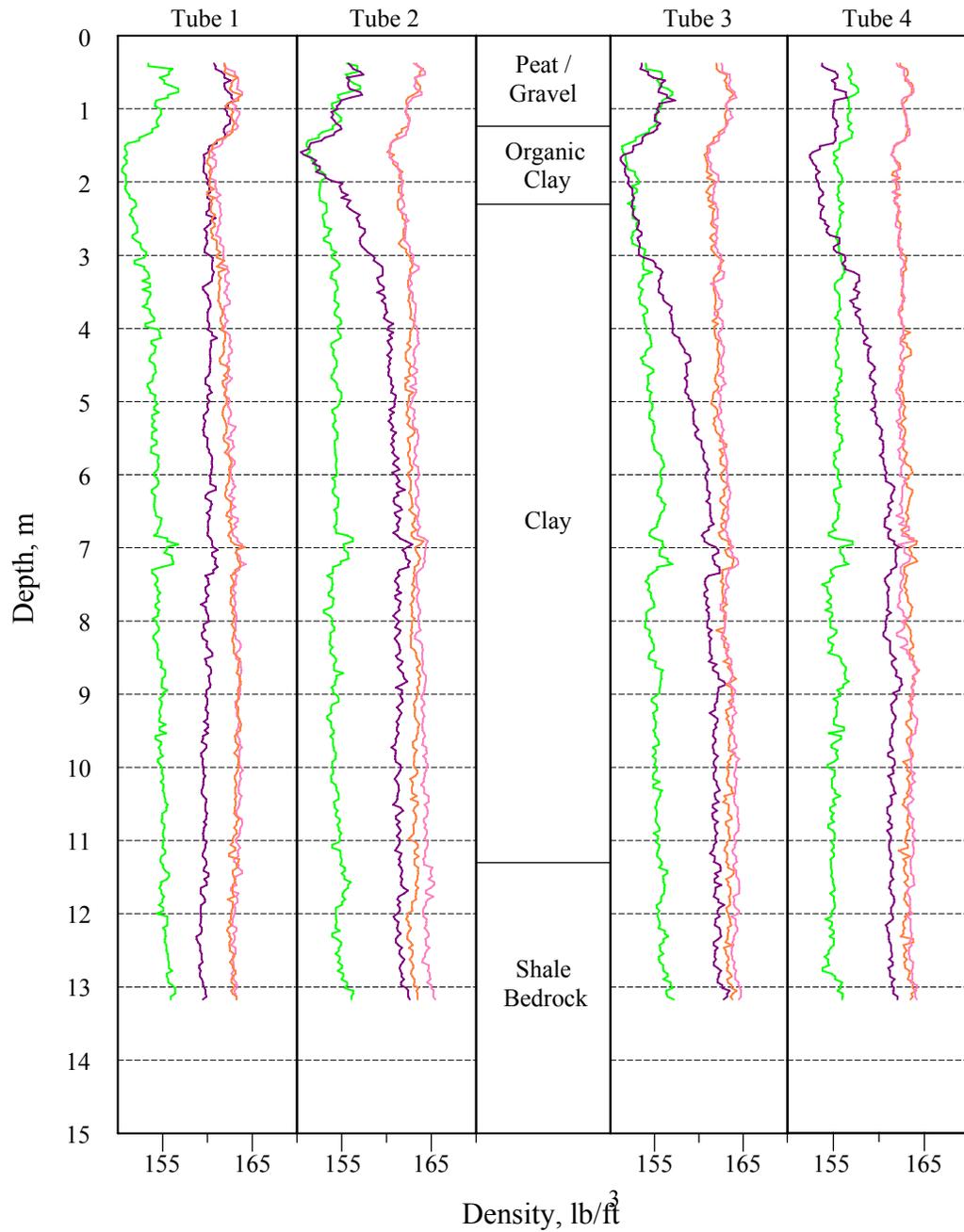
**Figure 3.10 Average CSL Velocity Measurements of A1 S1. Static Corrected Velocity Values are Averaged from the 4 Access Tubes (and Six CSL Test Paths) at Depths of 3m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta)**



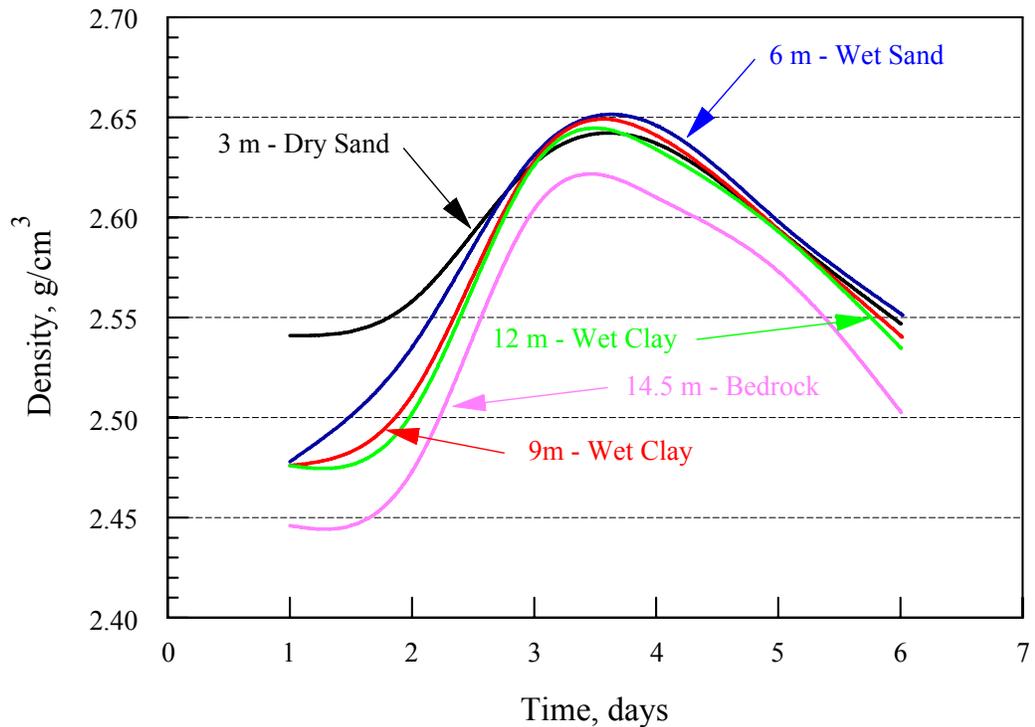
**Figure 3.11 CSL Velocity Measurements of P2- S2- at 3 days (Purple) and 4 days (Orange) After Concrete Placement**



**Figure 3.12 CSL Velocity Measurements of P2- S2- between Tubes 1-3 and 2-4 at 3 days (Purple) and 4 days (Orange) After Concrete Placement**



**Figure 3.13 GDL Density Monitoring of A1-S1- with 1 day (Red), 2 days (Green), 3 days (Purple), and 4 days (Orange) After Concrete Placement**

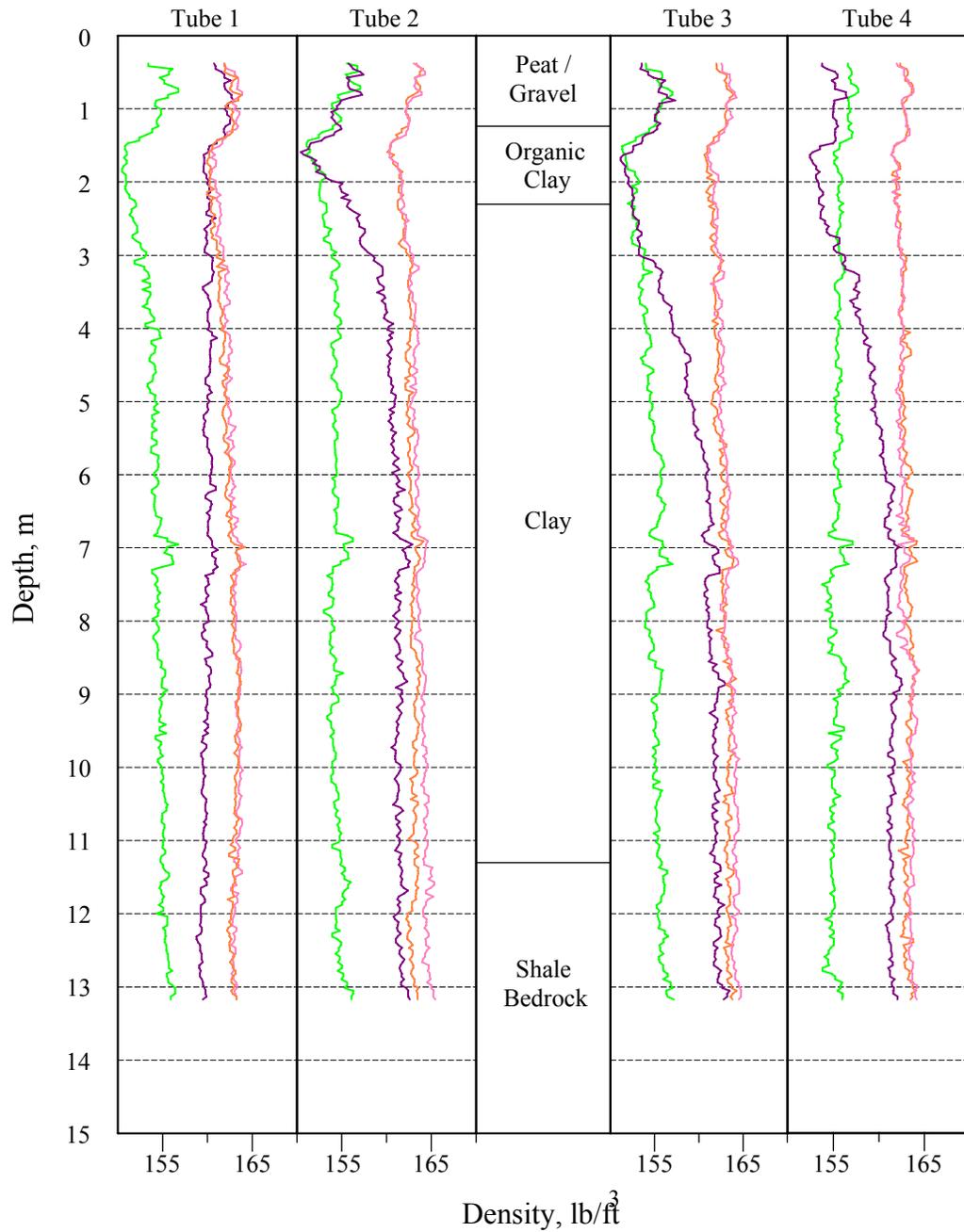


**Figure 3.14 Average GDL Density Monitoring of A1-S1- Densities are Averaged from the 4 Access Tubes at Depths of 3 m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta)**

unclear—possibly due to the formation cracks in the concrete during curing.

- A decrease in density can be seen in Figure 3.14. In this figure, the averaged GDL values are plotted from 3 m (in sand above the groundwater table displayed in black); 6 m (in sand below the groundwater table in blue); 9 m (clay in red); 12 m (clay in green); and 15 m (bed rock in magenta) depth levels. The reason for this decrease in density appears to contradict all expectations. This could be attributed to the high variability in the GDL data quality, and should not be interpreted as exact values.

■



**Figure 3.15 GDL Density Monitoring of P2-S2. Densities at 1 day (Red), 2 days (Green), 3 days (Purple), and 4 days (Orange) After Concrete Placement**

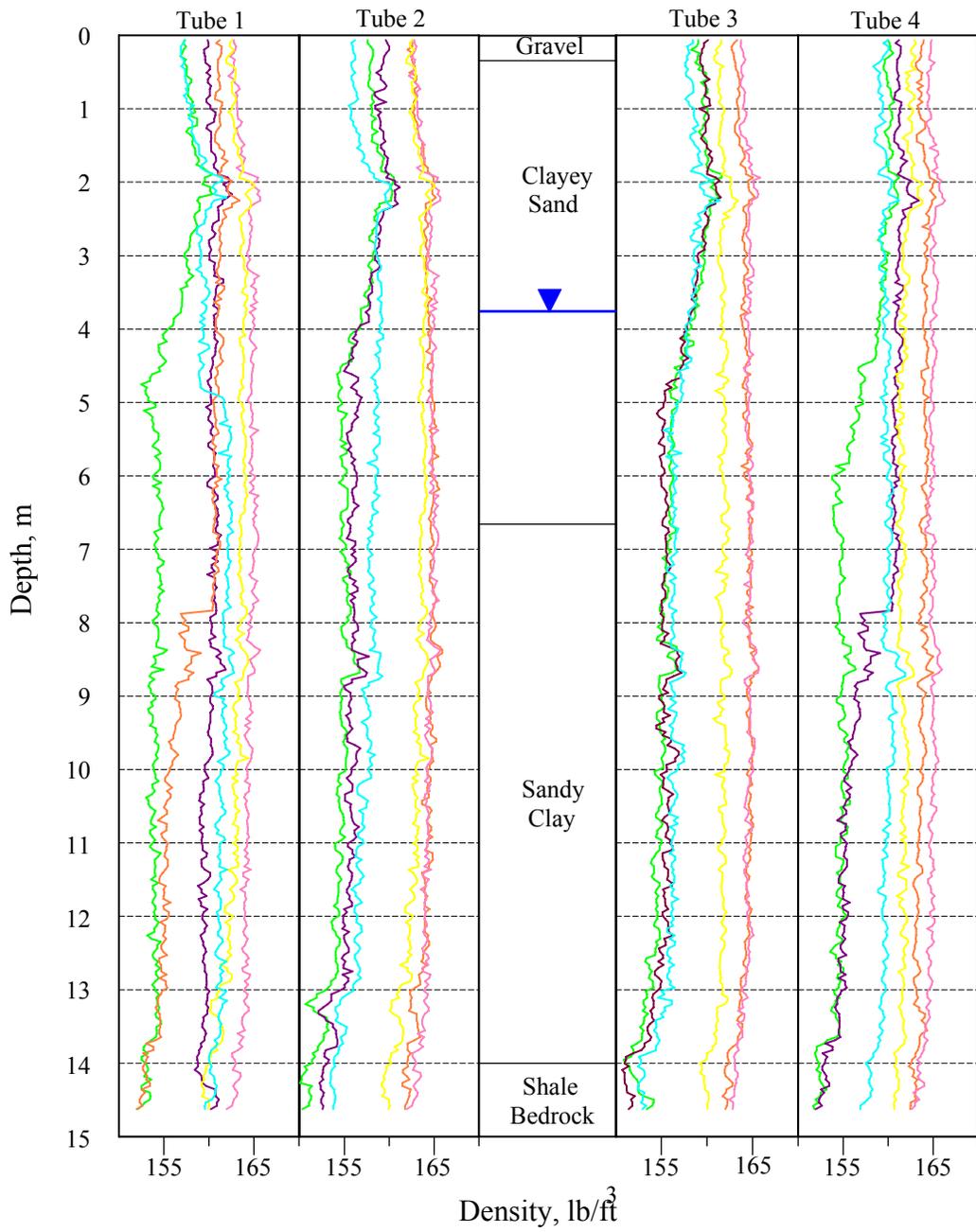
- At a given time period, the shape of the density (GDL) curves appear to correlate with neutron monitoring logging (NML) moisture curves, as discussed in the next section. For pier 2 shaft 2, the density values in Figure 3.15 correlated well with the relative moisture levels shown in Figure 3.18, with gravel (lowest moisture, lowest density), followed by clay and bedrock (highest moisture, highest density). For abutment 1 shaft 1, however, an inverse correlation was observed—possibly due to anomalously low densities in the bedrock (due to a probable “defect”) and anomalously high densities in the sand (possibly due to erroneous reading in the “hot spot” zone).

### **3.4 Moisture Monitoring**

The neutron monitoring logging (NML) results from abutment 1 shaft 1 obtained from 1 day to 6 days after concrete placement is depicted in Figure 3.16. In this figure, the NML results are plotted in 4 separate sub-plots from the tested access tubes. Each individual sub-plot is presented in a magnified scale of 90-170 counts per second (cps). Lower counts denote higher moisture content; therefore, in each sub-plot, moisture content increases from left to right. Depths were measured from the top of the shaft and are shown on the vertical axis. The soil profile as reported by the boring logs is also presented in the depth axis. In Figure 3.17, NML values from four access tubes are averaged at five different depth points and plotted as a function of time. A more limited NML monitoring was obtained from pier 2 shaft 2 from 2 days to 4 days after the concrete placement, and is displayed in Figure 3.18.

The following conclusions can be drawn from the neutron monitoring logging:

- Relatively speaking, the moisture level in abutment 1 shaft 1 in Figure 3.16 was lowest at the bedrock followed by clay and sand (highest), due to



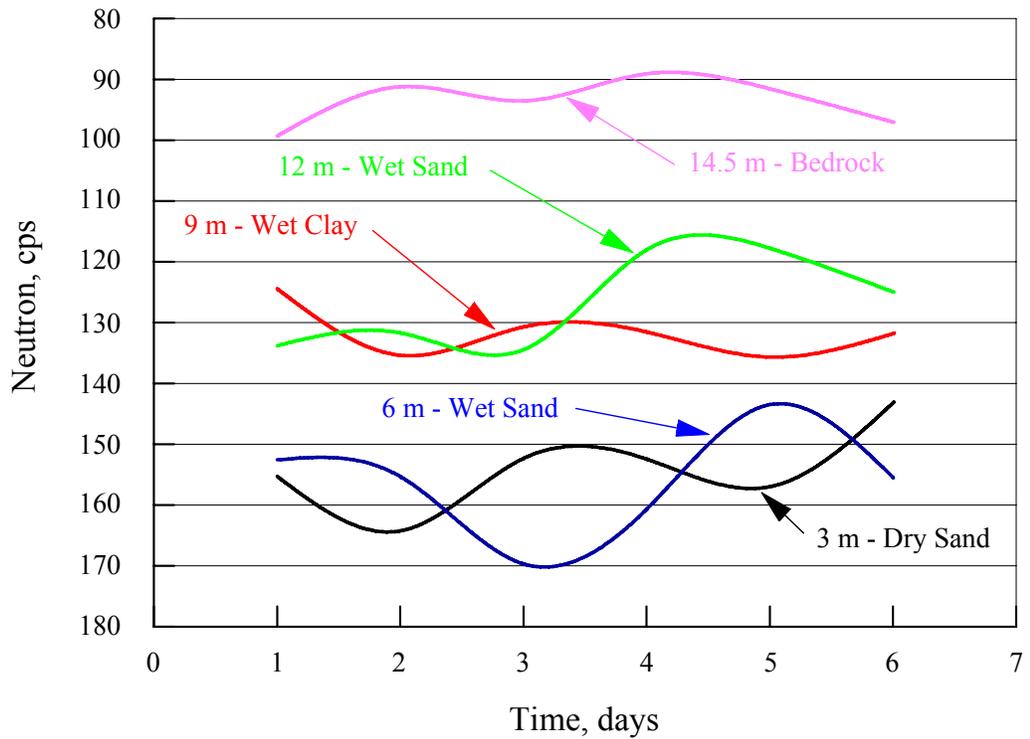
**Figure 3.16 NML Moisture Monitoring of A1-S1- at 1 day (Red), 2 days (Green), 3 days (Purple), 4 days (Orange), 5 days (Teal), and 6 days (Yellow) After Concrete Placement**

different hydration rates at these levels. This trend is also demonstrated in Figure 3.17 where the averaged NML values are plotted from 3 m (in sand above the groundwater table in black); 6 m (in sand below the groundwater table in blue); 9 m (clay in red); 12 m (clay in green); and 15 m (bedrock in magenta). Similar results were observed in the NML data from pier 2 shaft 2 (Figure 3.18).

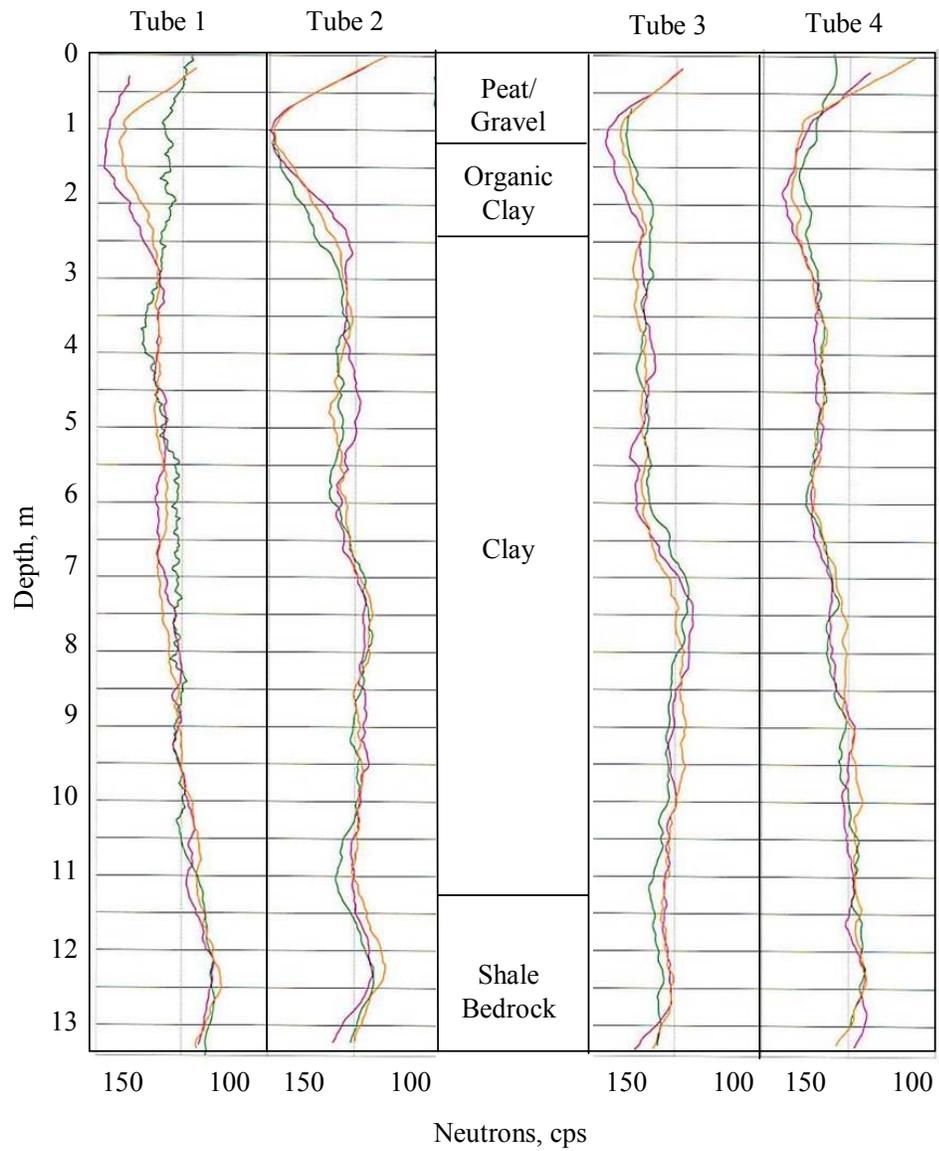
- After 24 hours, moisture values appear to change negligibly with time of curing.

### **3.5 Summary of NDE Monitoring**

It appears that the curing strength of the concrete in a drilled shaft is not only a function of time, but also a function of the physical properties of the surrounding soil/rock and the depth of the groundwater table. Specifically, two parameters from the soil profile can be observed to account for the variations in physical properties: thermal conductivity and permeability. Thermal conductivity affects relative changes in temperature. Permeability below the groundwater table affects thermal conductivity. The temperature in turn controls the curing rate and concrete strength—as it relates to incremental changes in velocity and density.



**Figure 3.17 NML Moisture Monitoring of A1-S1. Moisture Values are Averaged from the 4 Access Tubes at Depths of 3 m (Black), 6 m (Blue), 9 m (Red), 12 m (Green), and 15 m (Magenta)**



**Figure 3.18 NML Moisture Monitoring of P2-S2- at 2 days (Green), 3 days (Purple), and 4 days (Orange) After Concrete Placement**

#### **4 Concrete Defects and Curing Chemistry**

Concrete is basically the product of a mixture of two components: aggregate and paste. The paste consists of cementitious materials, such as pozzolan in Portland cement, water, and entrapped or purposely entrained air. The properties of concrete may be changed by adding chemical admixtures during the batching process. In newly mixed plastic concrete, the coarse and fine aggregates are held in suspension by the paste until the mass hardens into a rigid, homogeneous mixture of components. The semi-fluid mixture hardens into concrete by the chemical action of hydration of cement, not by loss of moisture. Cement hydration will continue to occur, increasing concrete strength with age, provided the concrete is properly cured. Proper curing requires deliberate action, such as using a sealing compound or insulating blankets, to maintain the moisture and temperature conditions in the freshly placed mixture. Concrete strength will continue to increase with age provided that water is available to react with unhydrated cement, a relative humidity above 80% is maintained, the concrete temperature remains above freezing, and sufficient space is available for hydration products to form in the matrix. The chemical and physical changes that occur in the concrete during the curing process fundamentally determine the strength and durability capabilities of the final concrete product.

Cement is the binding material that locks the mineral aggregates in a solid structure. Cement is classified as a ceramic material, with typical properties listed in Table 4.1. Perfect ceramic crystals have extremely high tensile strengths, with some ceramic glass fibers having ultimate strengths over 700 MPa. However, ceramic crystals often contain many cracks and other defects, reducing their tensile strengths to near-zero levels. This explains why cement has a high compressive strength, but a relatively low tensile strength. The ceramic cement crystals contain many cracks at the micro-scale, and weaken further as cracking propagates to a larger scale.

**Table 4.1 Properties of Typical Ceramics**

High melting point
High hardness
High compressive strength
High tensile strength (perfect crystals)
Low ductility (brittleness)
High shear resistance (low slip)
Low electrical conductivity
Low thermal conductivity
High corrosion (acid) resistance
Low coefficient of thermal expansion

The term corrosion is somewhat imprecise, but generally refers to progressive oxidation of metals. Ceramics consist of oxidized materials, so they do not oxidize or corrode. Ceramic materials, although not vulnerable to oxidation, are still vulnerable to other chemical processes that react with and break down the material. These processes can be compared with the weathering of rock in nature.

There is a definite impact of the chemical composition of the cured concrete on final shaft performance. The strength of continuous uniform chemical matrices of cement and concrete can be theoretically calculated. In practice, concrete is never a continuous matrix such as plastic or metallic materials. Similar to ceramics, concrete is rigid. Rigid materials can take only a limited amount of stress before cracking. Such stresses are inherently produced by the processes that form the concrete, particularly for large structures. As a result, an extensive body of literature has evolved to study the cracking of concrete.

The stresses that occur in curing concrete are a natural result of the processes that create the rigid concrete structure from the initial fluid concrete mix. The matrix

formed has a different structure, and thus a different density, than the original liquid. In addition, a large amount of heat is generated in the hydration process, resulting in an initial rise in temperature. The temperature then gradually declines as the chemical reaction comes to completion and generated heat is conducted outward. This process can vary from a few hours for small structures to many years for very large concrete structures, such as dams. A rise in concrete temperature creates a corresponding expansion, followed by contraction as the concrete cools. Once the concrete has substantially set up into a rigid matrix, expansion or contraction can easily cause cracking.

Structurally, the significance of cracking varies depending on the type of concrete. Concrete inherently is a material with good compressive strength, but has weak tensile strength strongly affected by cracking. Thus, for un-reinforced concrete, cracking can seriously affect performance. For reinforced concrete where the steel rebar absorbs tensile load, the effect is minor by contrast. For drilled shafts, where reinforced concrete is used and the major load is compressive, cracking is not a serious problem structurally, especially in the short run. Cracking causes more problems for shafts that experience substantial lateral loads. Cracking does however accelerate environmental attacks on both concrete and rebar over time.

Successfully modeling the curing process of concrete to predict cracking is an essential part of understanding the processes that lead to CSL velocity variations in drilled shafts.

#### **4.1 Hydration Rates and Heat Generation during Concrete Curing**

Modeling the curing process of concrete essentially entails modeling the cement hydration processes, together with the resultant physical effects of hydration. This includes modeling heat generation, temperature dissipation, microstructure formation,

and the resulting stiffening or setting of the concrete. The curing process for a typical Portland cement concrete mixture involves four major hardening compounds, together with gypsum, as shown in Table 4.2.

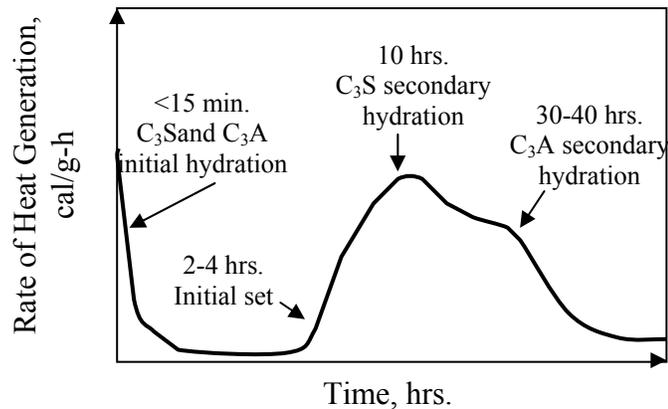
**Table 4.2 Compounds Involved in the Concrete Curing Process  
(Kosmatka 2002)**

Chemical Name	Chemical Formula	Shorthand Notation	Percent by Weight
Tricalcium Silicate	$3\text{CaO}\cdot\text{SiO}_2$	$\text{C}_3\text{S}$	50%
Dicalcium Silicate	$2\text{CaO}\cdot\text{SiO}_2$	$\text{C}_2\text{S}$	25%
Tricalcium Aluminate	$3\text{CaO}\cdot\text{Al}_2\text{O}_3$	$\text{C}_3\text{A}$	12%
Tetracalcium Aluminoferrite	$4\text{CaO}\cdot\text{Al}_2\text{O}_3\cdot\text{Fe}_2\text{O}_3$	$\text{C}_4\text{AF}$	8%
Gypsum	$\text{CaSO}_4\cdot\text{H}_2\text{O}$	$\text{CSH}_2$	3%

All of the hardening compounds,  $\text{C}_3\text{S}$ ,  $\text{C}_2\text{S}$ ,  $\text{C}_3\text{A}$ ,  $\text{C}_4\text{AF}$ , and  $\text{CSH}_2$ , hydrate at different rates and generate differing amounts of heat per unit weight, although only the silicates contribute to strength. Exact measurement of heat generation is complicated, but generally the amount of heat generated is proportional to the hydration of the cement. An example hydration/heat generation curve for a typical cement mixture, generated empirically, is shown in Figure 4.1.

Although a rough approximation, the rate and quantity of heat generation is a function of the following cement parameters (Breugel 1998):

- Cement chemical composition
- Cement fineness and particle size distribution
- Water/cement ratio
- Reaction temperature



**Figure 4.1 Typical Rate of Heat Evolution during Cement Hydration**

The reaction temperature is variable, as the heat generated by the hydration reaction increases the temperature. The degree to which this occurs depends on the size of the concrete sample and insulation from the ambient environment. Essentially all the heat of hydration generated in small un-insulated concrete structures is conducted to the environment, resulting in a temperature isothermally equivalent to that of the environment. By contrast, larger structures such as drilled shafts have an almost adiabatic regime, meaning that generated heat is self-adsorbed, causing a corresponding increase in temperature. In these cases, the temperature may rise 40°C or more, and may require significant time for cooling. Some very large structures such as dams may require years before the heat entirely dissipates. The majority of structures have a temperature regime somewhat between these extreme cases.

The reaction temperature is affected by the heat of hydration, which in turn affects the hydration process. As with most chemical reactions, the rate of reaction increases with temperature. Concrete in warmer, more insulated environments hydrates faster. Also, higher curing temperatures cause changes in the concrete microstructure, reducing the molecular length and size of the hydration structures in the paste. This reduces the strength of the concrete, which in turn increases susceptibility to cracking.

As hydration and concrete setting is highly dependent on curing temperature, modeling the temperature profile in curing concrete is important for estimating resulting properties, performance, and durability of the structure. The ideal case for maximizing concrete performance would be a cool isothermal environment, both at initial pouring and during setting, in which all heat generated is conducted out of the concrete, maintaining a cool uniform temperature profile throughout the concrete structure at all times. Unfortunately, this is typically not the case, with regions of increased temperature and steep temperature gradients existing within the structure. Both a general increase in temperature and non-uniformity can negatively affect the properties of the concrete structure. Any measures which can be taken to reduce the impact of heat and heating on concrete structures and improve the structural properties of the concrete is a key part of concrete engineering, and certain aspects are presently active subjects of discussion in civil engineering.

#### **4.2 Curing Chemistry Modeling**

Modeling the temperature profile to predict thermally induced mechanical stress and cracking is important to predict concrete performance. These stresses are a byproduct of normal strength development in young concrete. Excessive stress results in cracking. At early stages, significant changes to material properties take place due to chemical hydration reactions in the cement. The remaining properties, such as the thermal and mechanical development of the young hardening concrete, all occur in response to hydration. Therefore it is important to understand and definitively model the hydration process.

The microscopic chemical processes in the developing microstructure are the driving forces behind the development of concrete properties. Mathematical modeling of the thermal and mechanical properties of the concrete can be approached in various ways. The traditional and established approach has been to empirically model the material

properties of the concrete mixture from tables and charts. These properties can then be used to model the thermal and mechanical properties that describe the behavior of the hardening concrete mixture as a whole.

To go beyond empiricism requires developing models to link the microstructure of the developing concrete to macroscopic properties. This requires an understanding of how the micro-physics, chemistry, and associated micromechanics translate into microphysical phenomena such as creep, shrinkage, and fracture of the concrete structure. Up until very recently, this unified material science based approach has been viewed as very difficult, although new approaches are currently under development in these regards.

#### **4.2.1 Empirical Modeling Methods**

Empirically based models of concrete properties are focused on the macroscopic properties of the concrete. These models are related to uncertainties created by the variability of concrete curing. Variable parameters are used from tables and charts based on the study of concrete characteristics as a function of temperature, amount and type of cement and admixtures, water, and other variables. Dominant macroscopic characteristics such as the compressive strength or temperature are then used to estimate other macroscopic properties of the concrete.

Within this general category are a broad variety of techniques and formulas.

Empirical approaches rely more on studying the material properties of the concrete mixtures from tables and charts. More mathematical approaches attempt to model the behavior of concrete based on formulas derived from modeling a particular aspect of concrete curing, or from analysis of a particular aspect of concrete curing chemistry. Lokhorst describes five of these chief concepts (Lokhorst 1993):

- The porosity concept
- The gel-space ratio concept
- The degree of hydration concept
- Maturity laws (equivalent time laws)
- Chemistry-oriented strength laws

These concepts are used to derive mathematical models for increasing compressive strength with time. These models use empirical coefficients based on different grades of concrete and cement types, and also consider other variables such as hydration and temperature, depending on the equation. The compressive strength in turn provides information on other concrete properties, such as durability, tensile strength and stiffness.

#### **4.2.2 Micro-Modeling Methods (M3)**

Going beyond empiricism requires developing models to link the microstructure of developing concrete to the macroscopic properties. Concrete hardening is the result of a chemical reaction, and therefore going below the macroscopic level requires analyzing and modeling the molecular changes and dynamics that will eventually produce the final mature concrete product. At the molecular level, physical phenomena like the production of heat, formation of new chemical hydration bonds, and use of water are linked to the physical properties of the micro-aggregates that are being formed by concrete hydration.

Micro-modeling of the concrete mixture can be approached in a variety of ways. Most current analyses focuses on the concrete mixture as a mixture of two types of particles: macroscopic-sized particles of aggregate and largely microscopic-solidifying particles of cement paste. Physically, the viscoelastic (i.e. fluid) mixture

of the solid component (the aggregate) and the cement/water mixture gradually become more solid.

Modeling aggregate particles is fairly straightforward, since the aggregate is chemically inert and physically solid, with a fixed heat capacity and heat conductivity. Modeling cement is more complex, because all the physical, chemical, and structural properties of the particles are in transition. The cement is initially composed of course, dry particles, which start to dissolve and react upon contact with water. Modeling of this dynamic process using the solidification theory has been developed by leading concrete experts such as Bazant and Van Breugel (Bazant 1977).

Using solidification theory, the cement paste mixture is simplified using spherical cement particles divided arbitrarily into two layers: an outer layer of solidity, composed of hydrated cement, and an inner layer constructed of unhydrated fluid cement paste. Over the course of time, the liquid layer recedes while the solid layer propagates into the cement particle, and becomes more rigid.

Use of this solidification theory can allow combination of various physical equations governing and regulating the hydration reactions of concrete, such as temperature, moisture diffusion, and the physical properties of the concrete. However, its application is still under development.

### **4.3 Thermal Issues for Concrete Construction in the Field**

Large and medium-sized concrete structures, such as dams, tunnel linings, and drilled shafts, can generate large amounts of heat internally. High internal temperatures and temperature differentials can form between the interior and exterior of the concrete. This requires active measures to control heat related effects, such as using internal cooling or external insulation. Such measures are commonly used for massive

structures, but rarely considered for medium-sized structures. Usually limitations are specified for the maximum allowable temperature difference. Most state DOTs limit the interior/exterior temperature differential to 20 °C (35 °F) (Concrete Construction Magazine 2001).

Limiting the temperature differential is not an issue for relatively small drilled shafts. This becomes a significant challenge for drilled shafts exceeding 2 m in diameter. Internal temperatures may reach levels as high as 90 °C. Limiting the temperature difference to 20 °C may be difficult, if not impossible, without special measures, such as internal cooling. This is a topic of recent discussion concerning proper temperature controls for drilled shafts.

#### **4.3.1 General Aspects of Thermal Cracking Analyses**

Thermal cracking is the most prominent of adverse temperature effects on concrete structures. Thermal cracking arises from the uneven expansion and contraction of concrete structures during heating and/or subsequent cooling. Thermal cracking refers both to cracking that occurs in concrete at a young age when it is still curing and generating heat, as well as non temperature-induced stress of early age shrinkage. In either case, predicting the likelihood of thermal cracking involves modeling the stresses that arise in the curing concrete. Four main factors must be considered in such modeling – the chemical reactions during the hydration and curing processes, the temperature development in the concrete element being cast, the mechanical behavior of the young concrete, and any forces acting on the shaft from the surrounding environment as the concrete cures. An independent analysis of both the temperature development and resulting stresses are necessary for a thorough analysis of cracking tendency.

Engineering practice often uses rough estimates to reduce cracking risk, such as the specification of the 20 °C temperature differential ( $\Delta T$ ) limit. The maximum temperature difference in the structure is generally estimated from simple rules of thumb, charts, or temperature simulations. Estimates from such methods often provide an approximation of the actual cracking risk to be encountered in the structure. Such criteria assume a general relationship between  $\Delta T$  and tensile stress levels in concrete, an assumption not borne out in practice. Tensile stresses are directly correlated with cracking tendency, as cracking in a concrete element generally initiates when the tensile stress exceeds the tensile strength.

A review of Table 4.3 shows the weakness of estimating the cracking risk purely from the temperature differential. Cracking risk can be defined to be the point at which tensile stresses exceed the tensile strength of the concrete. This table concerns a 1.5-m thick concrete structure. Calculations are made of the maximum stress level using a temperature differential from 3 Cases: Case I-winter temperatures with warm initial concrete, Case II-summer temperatures with warm concrete and, Case III-summer temperatures with cool concrete. Case I approximates winter conditions, while Cases II and III correspond to summer temperatures. The cracking risk is lowest for Case I (winter scenario), even though it has the greatest internal/external temperature differential.

The cracking risk factors are from computations by Emborg (1994), of the maximum stress level ( $n_{\max}$ ) the concrete can absorb without cracking, compared to the actual thermal stress encountered. The cracking risk is much less in winter, in spite of a greater  $\Delta T_{\max}$ . A cooler initial concrete temperature reduces the maximum temperature differential, but increases the cracking risk, as shown in Case III. These calculations illustrate the problems with using a maximum temperature differential as the control factor for cracking risk.

**Table 4.3 Surface Cracking Risks for a Structure with Concrete Thickness of 1.5 m**

	<b>Parameter</b>	<b>Case I</b>	<b>Case II</b>	<b>Case III</b>
Initial Concrete Temperature	$T_i$	20 °C	20 °C	10 °C
Ambient Air Temperature	$T_{air}$	5 °C	20 °C	20 °C
Temperature Difference Cross-section	$\Delta T_{max}$	24.5 °C	18 °C	14.5 °C
Cracking Risk – (Max. Stress)l	$n_{max}$	0.45	0.53	0.54
Cracking Risk – (Temp. Difference)	$\frac{\Delta T_{max}}{\Delta T_{cr}}$	1.225	0.90	0.752
Correlation Factor	$\frac{\Delta T_{max}}{\Delta T_{cr}} \cdot n_{max}$	2.72	1.69	1.39

#### 4.3.2 Problems with the 20 °C Limit

As construction of drilled shafts demands larger and larger concrete structures, meeting overly simplistic measures such as the 20 °C limit become difficult, expensive, time consuming, and impractical. Using a measure designed for smaller concrete structures on large shafts can adversely affect structural integrity, rather than safeguard it. In some cases, specifying 20 °C temperature difference limit may be too restrictive, unnecessarily increasing time and cost and may not prevent damage from thermal cracking as intended. As foundation engineering complexity increases, the use of simple “rule of thumb” standards may not adequately meet design

requirements. Criterion for better QA/QC during construction may be required. Development of these controls is based on more detailed and thorough planning, modeling, and engineering analysis of the thermal profiles and resulting thermal stresses on the structure. Some of the techniques for such modeling are described below.

### **4.3.3 The Importance of Thermal Modeling in Concrete Structural Design and NDE**

Thermal/chemical modeling of concrete elements is important to evaluate the soundness and integrity of drilled shafts. Controlling thermal development, through careful modeling, is a key aspect to understand concrete curing and to minimize the risk of thermal cracking. Construction of large diameter drilled shafts requires a thorough understanding of temperature development during concrete curing. Numerical models are useful, not only to provide answers to specific problems, but also to develop a fundamental understanding of interaction between the physical, mechanical, and chemical properties during the curing process.

Thermal modeling is also important for understanding and evaluating CSL data since temperature profiles have direct influence on velocities, and can result in CSL velocity variations. Temperature is generated in the model according to empirical measurements of heat generated from the concrete hydration process. Understanding the temperature history of a structure plays a key role in determining the ultimate integrity of the drilled shaft. The likelihood that velocity variations may be caused by thermal cracking and other temperature related defects in the structure is an important factor to consider when evaluating the CSL profile. Techniques to analyze CSL data for cracking could result in a significant improvement in determining shaft integrity. As thermal modeling is a critical factor for CSL data, its role will be discussed in more detail in the following section.

## **4.4 Engineering Practice for Controlling Thermal Issues in Concrete**

### **Construction**

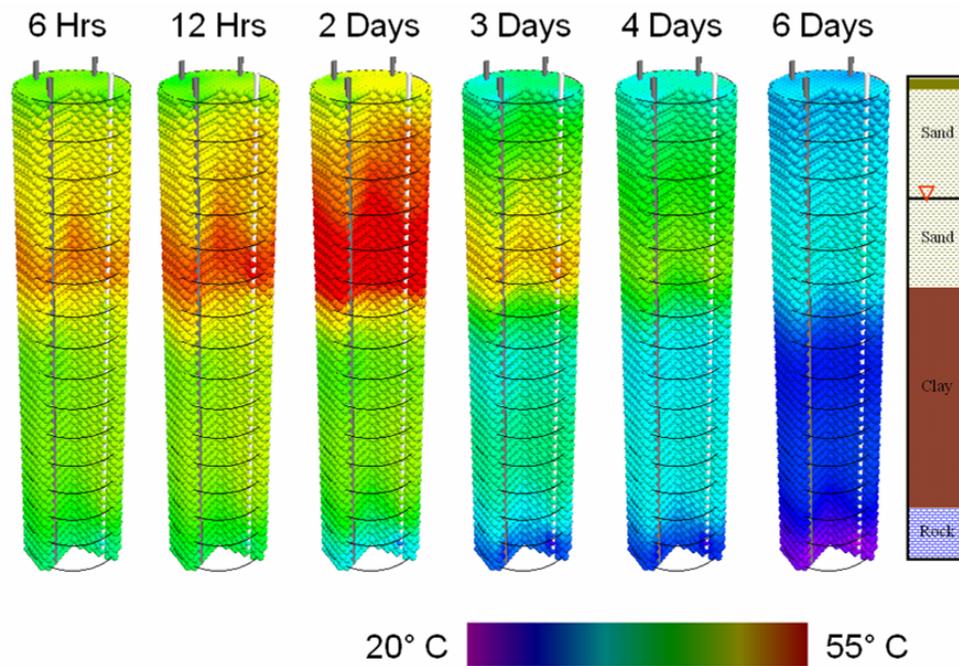
The physical and chemical properties of the concrete setting process make concrete vulnerable to curing defects. Stresses arising from heat generation during concrete curing lead to thermal stresses and hence concrete cracking. As a result, a substantial research has been conducted in the past to develop construction procedures to reduce concrete cracking.

There are two major categories of controls commonly used to control thermal development in concrete. The first sets of controls are designed to reduce the risk of thermal cracking in general. This includes measures that reduce heat build-up by using low-heat concrete, and measures that reduce the harmful effects of heat buildup using aggregate with a low-coefficient of heat expansion. These measures help ameliorate the effects of heat build-up, and generally improve the performance and durability of the finished product.

Excessively large heat buildup requires strict regulations to control, and may be expensive, time consuming, and impractical. Special controls may include external insulation and internal cooling. However, the effect of such measures may be problematic, regarding the actual performance of the concrete structure.

#### **4.4.1 Temperature Profiling**

The temperature of the water in CSL access tubes within a drilled shaft can be measured over time, as shown in Figure 4.2. Since the access tubes are generally at the same radial distance from the center of the shaft, no direct measurement of the higher central temperature is available. The temperature appears to peak at approximately two days, corresponding to the secondary hydration reaction.



**Figure 4.2 Temperature Plot from Data Progressively Collected from Access Tubes**

#### **4.4.2 Simple and Practical Techniques for Reducing Thermal Concrete Cracking With Standard Construction Techniques**

A number of measures can be used to prevent cracking. The degree of susceptibility of a concrete mixture to crack can be quantified by the cracking temperature. A low cracking temperature is an indicator of low cracking tendency, and vice versa for a high cracking temperature.

##### **4.4.2.1 Concrete Placement Temperature**

The placement temperature with respect to the temperature of the surrounding strata is perhaps the most critical factor for cracking in drilled shafts. A high initial temperature causes an increase in temperature within the concrete as it hardens due to the increase in the rate of hydration. This produces a higher peak temperature during

curing, which reduces concrete tensile strength, increasing cracking susceptibility. The high temperature also creates greater thermal contraction as the concrete cools to ambient temperatures. Therefore, reducing the pouring temperature can be one of the most effective means of reducing cracking susceptibility. A reduction in the pouring temperature by 10 K can reduce the cracking temperature by 13 – 15 K, a substantial decrease for improving concrete properties. However, unlike concrete pavement, the placement temperature for concrete structures is often not specified.

#### **4.4.2.2 Aggregate Properties**

Certain aggregate properties can reduce cracking susceptibility. A low coefficient of thermal expansion reduces thermal contraction. A large aggregate size reduces the amount of cement necessary for workability, reducing cracking susceptibility. Too large an aggregate size can reduce tensile strength, increasing cracking susceptibility. The use of crushed aggregate, with resulting rough surfaces, increases tensile strength and decreases cracking susceptibility.

#### **4.4.2.3 Cement Properties**

Reducing the heat produced by cement during hydration is a good way to reduce cracking susceptibility. Although formulating a good low heat cement mix can be tricky, there are some practical ways to reduce this heat. Reducing cement paste to a minimum reduces cracking susceptibility, as heat generation is reduced. Cement paste can be reduced by substituting a portion of the cement with more inert materials of similar consistency, such as fly ash.

In air entrained concretes, the tensile strain is typically increased by up to 20%, decreasing the stiffness of the concrete. Air entrainment significantly reduces cracking sensitivity for this reason.

Adjustments to the concrete mix may substantially reduce the overall cracking tendency and thermal stresses. There are intrinsic limits on how far the mix can be adjusted. Measures that reduce the heat output can result in a paradoxical effect. Concrete is a rigid ceramic material, with high compressive strength and a susceptibility to cracking. The rigidity which creates the compressive strength more specifically is a function of the cement, which holds the whole structure in place.

The quantity of cement paste is the most significant factor effecting heat generation in the concrete mixture. This is true whether the actual cement paste is minimized, the water content of the cement is increased, or with the addition of fly ash. Use of air-entraining agents to increase the air quantity also belongs in this category. All these measures reduce cracking, reduce rigidity, and reduce the compressive, shear, and tensile strength of the concrete. Fundamentally, these measures reduce cracking tendency by reducing the factors that give concrete its rigidity and strength. The overall effects of crack sensitivity reduction measures are quantified in Table 4.4.

**Table 4.4 Effects on Crack Sensitivity (Springenschmid 1998)**

Action	Decrease in Thermal Cracking Coefficient
Reduce fresh concrete temperature from 25°C to 12°C.	15-18K
Use optimum cement type	Up to 20K
Increase maximum aggregate size to 32 mm from 8 mm with corresponding allowable reduction in cement	5-10K
Use aggregates with a low thermal expansion coefficient	Up to 10K
Add air-entraining agents (Air content 3-6%):	3-5K
Use crushed aggregate instead of gravel	3-5K
Replace 20% cement with fly ash	3-5K

### **4.4.3 Field Measures to Reduce $\Delta T$ , Techniques and Implications**

Drilled shafts with diameters greater than 2 m generate more heat internally than can be dissipated. Internal temperatures and thermal gradients can rise beyond prescribed limits. Measures to counter the amount of heat generated can include increasing the magnitude of measures presented in the previous section, or special construction measures such as insulation or internal cooling. These measures all have implications on performance and cost.

#### **4.4.3.1 Special Construction Measures**

The most direct means of dealing with heat generation involves the use of additional construction measures. Two common measures involve installing insulation on the external surface of the concrete structure, or a method of internal cooling, such as pipes circulating cooling water. Both measures can increase construction time and cost significantly. While both measures reduce the maximum temperature differential, the overall effect on concrete quality is not known, and may have detrimental effects on concrete quality and performance.

#### **Use of Insulation**

External insulation reduces the rate of heat conduction from the outer surface of the concrete structure, increasing the temperature of the outer surface and decreasing the temperature gradient. This causes the concrete to cool down slower and reach higher temperatures. Temperatures above a certain limit will have a negative effect on hydration structure, increasing crack susceptibility and decreasing concrete strength. The uniform temperature reduces thermal stresses, offsetting overall crack susceptibility somewhat. Many states have a maximum temperature requirement of 70 °C (160 °F) in some cases, which must be considered.

Insulation adds difficulty and expense to construction. The slower cooling rate requires more time for curing. Insulation cannot be removed for several weeks, in some cases. If insulation is removed prematurely, thermal shock can result. Care must be taken to remove insulation sequentially, layer by layer. Longer curing times expose the structure to weather or other external influences which could damage the insulation, resulting in thermal shock. Insulation may help meet temperature differential standards, but this benefit may be offset by potential complications, cost, and delay of construction.

### **Use of Internal Cooling**

Installation of internal cooling is the most direct way of controlling the thermal development of concrete structures, and is also the most complex, expensive, and labor intensive. Special features must be incorporated in the overall engineering design of the structure from inception, requiring continuous and active oversight until the structure is completely set and cooled. There is no other option for controlling heat in massive concrete structures such as dams, where internal cooling has traditionally been applied.

As drilled shafts increase in size, internal cooling may become a consideration. Although internal cooling alleviates extreme temperature gradients, thermal stress will still exist, and differences in thermal expansion between the concrete and cooling pipes will result in cracking. These factors would need to be analyzed and accounted for in the engineering design.

### **4.5 Comparative Evaluation of Thermal Control Measures**

A side to side comparison is useful to evaluate the effectiveness of various measures used to control concrete quality in drilled shafts. The respective measures should be evaluated to determine if the net effect in reducing cracking sensitivity is positive or

negative on the integrity of drilled shafts. Modest reductions in the concrete placement temperature have the most significant effect, but even this measure has potential for negative effects if not used carefully.

Simple measures can have some positive effects in moderately sized structures. In larger structures, use of simplistic “rules of thumb” can lead to deterioration in the quality of the overall concrete structure. An understanding of the complex interactions of various parameters used in controlling concrete temperature may lead to improved structural integrity of large drilled shafts.

**Table 4.5 Comparison of Measures on  $\Delta T$ , Concrete Strength, and Overall Concrete Quality**

<b>Actions calculated by effect on Cracking Temperature (Springenschmid 1998)</b>	<b>Decrease in Thermal Cracking Coefficient</b>	<b>Decrease in <math>\Delta T</math></b>	<b>Effect on Strength</b>	<b>Overall Effect on Quality</b>
Reduce concrete pouring temperature from 25°C to 12°C.	15-18K	Strong Decrease	Increase	Strongly Positive
Reduce temperature of placed concrete from 12°C to 1°C.	Problematic	Strong Decrease	Increase	Problematic
Use optimum cement type	Up to 20K	Strong Decrease	Variable Decrease	Positive, if used carefully
Increase maximum aggregate size to 32 mm from 8 mm with corresponding allowable reduction in cement	5-10K	Decrease	Decrease (due to cement decrease)	Positive, if used carefully
Use aggregates with a low thermal expansion coefficient	Up to 10 K	No effect	No effect	Moderately positive
Add air-entraining	3-5K	No effect	Slight	Moderately

**Table 4.5 Comparison of Measures on  $\Delta T$ , Concrete Strength, and Overall Concrete Quality**

<b>Actions calculated by effect on Cracking Temperature (Springenschmid 1998)</b>	<b>Decrease in Thermal Cracking Coefficient</b>	<b>Decrease in <math>\Delta T</math></b>	<b>Effect on Strength</b>	<b>Overall Effect on Quality</b>
agents (Air content 3%-6%):			Decrease	positive
Use crushed aggregate instead of gravel	3-5K	No effect	Slight Increase	Moderately positive
Replace 20% of cement with fly ash	3-5K	Strong decrease	decrease	Moderately positive

The following summarizes the results of the table above:

- Initial effect positive, as both  $\Delta T$  and  $T_{max}$  are reduced.
- Further reduction limited. Table 4.3 shows how cooling cement well below ambient temperatures may actually increase thermal stresses.
- Reduction in cement and increase of water lead to workability problems and voids, so such changes intrinsically decrease the margin for error in concrete mix quantity.
- Fly ash acts as an inert cement substitute, and does not cement up. A large increases in fly ash merely reduces the strength and overall rigidity of the concrete.

#### **4.6 Environmental Effects on Curing Chemistry and Concrete Quality**

The initial characteristics of the concrete at placement, such as pouring temperature and constituents of the mix, determine a large portion of the concrete's quality and cracking tendency. However, the surrounding environment during curing can have a significant effect on the quality and durability of the concrete structure, due to its affect on the curing process.

Since non-uniformity in curing concrete is a major cause of cracking and other quality issues, any substantial local variations and non-uniformity in the curing environment, such as heating by the sun on the surface during the day, can adversely affect concrete quality. However, even assuming a fairly uniform environment, concrete quality is still strongly affected by both moisture and temperature. Excessive effects of moisture, such as a high water table, are usually handled by installing a water-proof barrier around the drilled shaft.

Temperature also strongly affects concrete quality. Low ambient temperatures, especially in combination with high pouring temperatures, increase the cracking susceptibility considerably, due to rapid cooling. The difference between the placement temperature and the ambient temperature of the surrounding environment is especially important in regards to surface cracking. Concrete surfaces exposed to the sun are often adversely affected by cracking.

Non-uniform temperature distribution has an especially strong negative effect on concrete quality because of the close relationship between heat of hydration and concrete maturity. Non-uniform temperature and maturity in concrete create internal stress gradients, potentially increasing the tendency for cracking.

Temperature gradients occur in large concrete structures even in a uniform external environment, due to heat gradients resulting from temperature buildup in the interior portions of the structure. The temperature gradient is reduced by utilizing internal cooling or insulation methods, commonly employed in large structures such as concrete dams.

However, drilled shafts usually do not have a uniform external environment, as the surrounding ground conditions can result in a highly variable and complex

environment. As a consequence, a drilled shaft may experience radial, axial, and circumferential, non-linear temperature gradients.

#### **4.6.1 Changes in Ground Water Heat Conductivity**

The effect of ground water on the temperature gradient within a drilled shaft can be very pronounced, especially in regions near the water table. Ground water have a large heat capacity and readily absorb heat generated during the curing phases of the drilled shaft. As a result, ground water is capable of creating a substantial temperature differential in the drilled shaft at the contact surface interface.

The groundwater table usually does not vary significantly in depth over a the initial curing process of 3-4 days, except under very unusual circumstances, such as torrential rains or floods. However, horizontal movement of ground water can vary widely depending on conditions. For example, typical groundwater flow velocities lie in the range of 0 to 250 m/day. Lowest flow velocities are in heavy clays, with flow rates increasing with soil permeability, especially with significant head pressure.

Ground water flow should be considered when modeling heat flow into the surrounding soil, due to substantial differences in heat absorption of the environment. Variations in ground conditions surrounding the shaft may also have a substantial effect on the local temperature of the drilled shaft. Different types and consistencies of soils (clay, sand, gravel) or bedrock (shale, sandstone, or granite etc.) have substantial variations in heat capacity and thermal conductivity, both vertically and laterally.

**Table 4.6 Ground Water Flow in Soil**

<b>Soil Type</b>	<b>Hydraulic Conductivity, K (cm/s)</b>
Clay-like	$10^{-9} - 10^{-6}$
Silt-like	$10^{-7} - 10^{-3}$
Sand-like	$10^{-5} - 10^{-1}$
Gravel-like	$10^{-1} - 10^2$

## **5 Numerical Modeling**

Modeling has been a useful tool for engineering design and analysis. The definition of modeling may vary depending on the application, but the basic concept remains the same: the process of solving physical problems by appropriate simplification of reality. In engineering, modeling is divided into two major parts: physical/empirical modeling and theoretical/analytical modeling. Laboratory and in situ model tests are examples of physical modeling, from which engineers and scientists obtain useful information to develop empirical or semi-empirical algorithms for tangible application. Theoretical modeling usually consists of four steps. The first step is construction of a mathematical model for corresponding physical problems with appropriate assumptions. This model may take the form of differential or algebraic equations. In most engineering cases, these mathematical models cannot be solved analytically, requiring a numerical solution. The second step is development of an appropriate numerical model or approximation to the mathematical model. The numerical model usually needs to be carefully calibrated and validated against pre-existing data and analytical results. Error analysis of the numerical model is also required in this step. The third step of theoretical modeling is actual implementation of the numerical model to obtain solutions. The fourth step is interpretation of the numerical results in graphics, charts, tables, or other convenient forms, to support engineering design and operation.

With increase in computational technology, innumerable numerical models and software have been developed for various engineering practices. Numerical modeling has been used extensively in industries for both forward problems and inverse problems. Forward problems include simulation of space shuttle flight, ground water flow, material strength, earthquakes, and molecular and medication formulae studies. Inverse problems consist of non-destructive evaluation (NDE), tomography, source location, image processing, and structure deformation during loading tests. Although

numerical models enable engineers to solve problems, the potential for abuse and misinformation persists. Colorful impressive graphic presentation of a sophisticated software package does not necessarily provide accurate numerical results. Fundamental scientific studies and thorough understanding of the physical phenomena provide a reliable and solid guideline for engineering modeling. In this project, the focus is on the thermo effects of drilled shafts after the placement of concrete, and performance under various loading conditions. The numerical models developed in this project are based on well-developed theories and constitutive laws in chemical and civil engineering, as well as numerical methods widely accepted in engineering. The numerical results are also carefully analyzed against existing laboratory test data.

### **5.1 Establishment of Numerical Model**

Modeling is fundamentally the core of engineering. A model is an appropriate simplification of reality. The skill in modeling is to spot the appropriate level of simplification, distinguish important features from those that are unimportant in a particular application, and use engineering judgment. There is a long history of empirical modeling in civil engineering. Due to difficulties in obtaining accurate material properties of in situ earth materials and construction materials, most civil engineering is based on experience--although many techniques are semi-empirical rather than purely empirical. For this reason, the development of more rigorous modeling tools has lagged behind the demands of industry. In this project, advancements in computational techniques, civil engineering, and material science are incorporated into a theoretical/mathematical numerical model based on the analysis of physical phenomena and constitutive laws for the application of drilled shafts in roadway/highway engineering.

## 5.2 Theoretical Models

The description of most engineering problems involves identifying key variables and defining how these variables interact. The study of theoretical modeling involves two important steps. In the first step, all the variables that affect the phenomena are identified, reasonable assumptions and approximations are made, and the interdependence of these variables is studied. The relevant physical laws and principles are invoked, and the problem is formulated mathematically. In the second step, the problem is solved using an appropriate approach (in this project, an appropriate numerical approach) and results are interpreted.

The fundamental principles and constitutive laws of material behavior have been thoroughly investigated for engineering purposes. This makes it possible to predict the course of an event before it actually occurs, or to study various aspects of an event mathematically without actually running expensive and time-consuming experiments. Very accurate results to meaningful practical problems can be obtained with relatively little effort by using suitable and realistic mathematical/numerical models. However, the preparation of such models requires an adequate knowledge of the natural phenomena and relevant laws, as well as sound judgment.

Theoretical modeling leads to an analytical solution of the problem. For this reason, engineering problems are often described by differential equations. An engineer often has to choose between a more accurate but complex model, and a simple but relatively less accurate and over-generalized model. Available computational technology and techniques provide engineers the option of exploring complex numerical models. A numerical solution usually implies the replacement of a continuous description of a problem by one in which the solution is only obtained at a finite number of points in space and time. In this project, the quality of the numerical

approach is verified by applying the numerical model to a situation for which an exact solution is known.

However, mathematical/numerical modeling does not eliminate the indispensable experimental approach to physical modeling. The experimental approach provides observations of actual physical phenomena. Physical modeling is fundamental in the development of civil engineering. Many theoretical and empirical models are based on the interpretation of experimental results. Physical modeling validates the theoretical and empirical hypotheses. However, this approach is expensive, time-consuming, and not always practical in engineering.

The theoretical models and technical approaches employed in this project to model the drilled shaft in highway engineering are: a) thermal modeling; b) engineering mechanics; c) numerical model of discrete element method (DEM) and d) validations of numerical models.

### **5.3 Thermal Modeling**

It is well known that the thermal behavior, temperature distribution, and residual stresses/strains in the shaft during concrete placement significantly affect the performance and strength of the support. In this section, heat transfer and the resulting temperature gradient will be discussed. A chemical model and heat transfer model were implemented together with a mechanics constitutive model to simulate conditions of the concrete shaft while curing.

During the concrete curing (hydration) process, heat generates inside of the concrete. This heat transfers from regions of higher temperature to regions of lower temperature, such as the surrounding environment. The non-uniform temperature gradient causes variations in shrinkage strains and generates cracks in the shaft. Common guidelines specify a 20° C (35° F) temperature gradient rule, restricting the

maximum temperature difference in the concrete. The 20° C rule may not truly reflect all situations, as the heat of hydration, thermal conductivity, tensile strength, modulus, and density of concrete changes as a function of time. Contractors often find difficulty maintaining high concrete strength by using a higher percentage of cement paste, which generates more heat, and still satisfy the temperature gradient rule. The heat transfer model employed in this project tries to combine curing chemistry, aging, thermal behavior, and mechanical strength of concrete to provide a better understanding of the concrete curing process so that appropriate engineering limits may be developed for temperature and quality control.

The rate of heat generation during concrete curing varies with temperature and time. The temperature inside a shaft varies with time, as well as position. This variation is expressed as:

$$T(\mathbf{x}, t), \tag{5.1}$$

where

$\mathbf{x}$  is the position vector

$t$  is time

The conductivity of concrete during curing varies with time and position, expressed as:

$$k(\mathbf{x}, t) \tag{5.2}$$

This case is a typical nonlinear unsteady 3D heat conduction problem. Unfortunately, an analytical solution of the problem does not exist, except for overly simplified conditions. Numerical modeling can provide an efficient technical approach for this problem. In order to accurately model the thermal behavior during the curing process, a modified 3D explicit finite difference model is used as the numerical

method in this study. Basic principles of the numerical solution and algorithm are presented in this section. Note that heat transfer by convection is considered, but heat transfer by radiation is not considered in this study.

The 3-dimensional heat conduction equation is expressed as:

$$\nabla(k_i \nabla T) + \dot{g} = \rho c \dot{T} \quad (5.3a)$$

Or, in the rectangular coordinate system as:

$$\frac{\partial}{\partial x} k_x(\mathbf{x}, t) \frac{\partial T(\mathbf{x}, t)}{\partial x} + \frac{\partial}{\partial y} k_y(\mathbf{x}, t) \frac{\partial T(\mathbf{x}, t)}{\partial y} + \frac{\partial}{\partial z} k_z(\mathbf{x}, t) \frac{\partial T(\mathbf{x}, t)}{\partial z} + \dot{g}(\mathbf{x}, t) = \rho c \frac{\partial T(\mathbf{x}, t)}{\partial t} \quad (5.3b)$$

Where

$T(\mathbf{x}, t)$  is the temperature distribution function with element control volume as  $dx dy dz$

$k_i(\mathbf{x}, t)$  is the thermal conductivity in corresponding directions, respectively

$\dot{g}(\mathbf{x}, t)$  is the rate of energy generation in the control volume

$\rho$  is density of the material

$c$  is specific heat (The heat capacity per unit of mass of the object)

$\mathbf{x}$  is position vector variable, explicitly expressed as  $x, y$  and  $z$  in rectangular coordinates

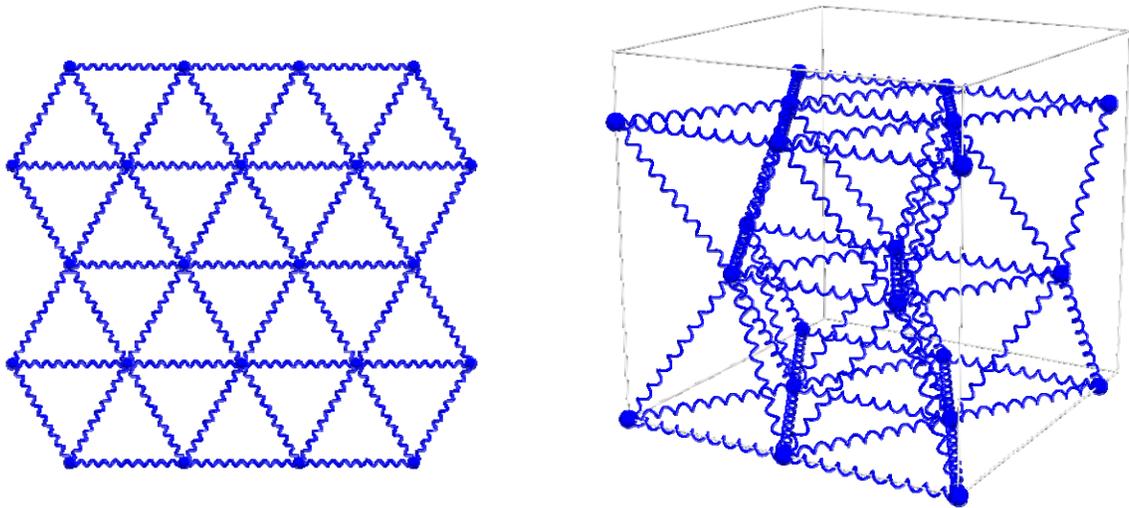
$t$  is time

The solution of equation (5.3) gives the temperature distribution in the material at different times. The temperatures obtained are used as input to the concrete curing chemistry model and engineering mechanics model to determine concrete tension/compression strength and thermal stresses/strains. Crack formation occurs

when the tension stress is larger than the tension strength at a certain position. Cracks are simulated by breaking the connection between the material points. Micro-cracks develop and propagate inside the concrete as more connections are broken. These defects are taken into account for the concrete shaft loading and performance analysis. The model in this project is developed to represent history dependent material behavior.

Equation (5.3) is a non-linear unsteady heat conduction equation. Various numerical methods have been developed for the finite solution. One of the most popular is the finite difference method, which discretizes the domain into a finite mesh or grid. Equation (5.3) is solved on the mesh nodes together with boundary and initial conditions. The accuracy and efficiency of the solution depend on the discretization method, mesh size, and numerical integration algorithm. Generally, the mesh size is cubic in rectangular coordinates, or curved cubic in cylindrical or spherical coordinates. In this project, a modified finite difference solution was developed with mesh nodes connected in a tetrahedral packing form that matches the mechanics numerical analysis algorithm. Figure 5.1 shows a portion of a 2D and 3D thermal resistance network mesh and nodes connection for heat conducting calculations.

The solution algorithm is based on the well known thermal resistance concept in thermal dynamics. Heat conduction is analogous to the relation for electric current flow as shown in Figure 5.1. According to Fourier's law of heat conduction, the rate of heat conduction through a plane layer is proportional to the temperature difference across the layer and the heat transfer area, but is inversely proportional to the thickness of the layer. Assume that at given time the distance between two adjacent nodes is  $\Delta x$ , the temperature difference is  $\Delta T$ , which equals to the temperature at



**Figure 5.1 2D and 3D Thermal Network Mesh for Heat Conducting Calculations**

node 1 ( $T_1$ ) minus the temperature at node 2 ( $T_2$ ). Defining the heat conduction area between two nodes as  $A$  gives:

$$\dot{q} = kA \frac{\Delta T}{\Delta x} = kA \frac{T_1 - T_2}{\Delta x} \quad (5.4)$$

where

$k$  is thermal conductivity, a function of time and location.

By using the thermal resistance concept, equation (5.4) can be rewritten as:

$$\dot{q} = \frac{\Delta T}{R_{i-n}} = \frac{T_1 - T_2}{R_{i-n}} \quad (5.5)$$

where

$R_{i-n}$  is thermal conduction resistance between node  $i$  and node  $n$ :

$$R_{i-n} = \frac{\Delta x}{kA} \quad (5.6)$$

Assuming that the conduction area  $A$  is constant between two nodes, and the mesh grid size is generated equally so that  $\Delta x$  is constant,  $R_{i-n}$  is only a function of  $k$ . In thermal modeling  $R_{i-n}$  is the variable vector of time and position.  $R_{i-n}$  is appropriately defined based on the concrete curing chemistry model. For 3D tetrahedral packing connections, each node is connected to twelve other neighbor nodes to form a thermal resistance network covering the model domain.

Assuming the initial temperature of concrete at placement is  $T_0$ , and assuming the heat generated by a unit concrete mass while curing is  $q$  (a function of concrete hydration rate), the temperature raised by unit mass due to the generated heat energy is:

$$\Delta T = \frac{q}{c} \quad (5.7)$$

where

$\Delta T$  is the temperature change per unit concrete mass due to the heat generated in hydration  
 $c$  is the specific of heat of concrete

The specific heat is defined as the energy required to raise the temperature of a unit mass of a substance by one degree. Specific heat is a material property and is physically measured at constant volume ( $c_v$ ) or constant pressure ( $c_p$ ). Generally it is a function of temperature, though the change is small. Since concrete changes from a “fluid” state to a solid state while curing, the specific heat also changes correspondingly. For this reason, the specific heat is also a function of hydration. In

this study, the change of specific heat is assumed to be linear to the non-linear hydration rate.

After the temperatures at each calculation mesh node are known, equation (5.5) is used to calculate the heat transfer rate between nodes. The heat energy at each node is updated correspondingly, based on the heat transfer rate changes. The new heat energy is then used to update the temperature of each node. Since the numerical modeling is based on a dynamic algorithm, and the temperature of boundary nodes are constrained by boundary conditions, the boundary conditions are correspondingly satisfied in the simulation.

#### **5.4 Engineering Mechanics**

In this section, the basics of the engineering mechanics principles involved in the modeling and analysis of this project are briefly presented. Since design philosophies, failure criteria, load capacity evaluation methods, and building codes for drilled shafts have been well defined in highway/roadway and civil engineering in AASHTO publications and other engineering resources, these topics will not be repeated. The focus is on the mechanical properties of concrete and soil, their relation to stress wave propagation in these materials, and the effect of thermal cracking and other defects to the performance of drilled shafts.

When an impact load is applied to a body, the deformation of the body due to the load will gradually spread throughout the body via stress waves. The nature of propagation of stress waves in an elastic medium is extremely important in geotechnical and geophysical engineering. Even though the materials encountered in geotechnical and geophysical engineering can hardly be called “elastic”, the theory developed for an elastic medium is very useful and satisfactory in signal processing and inverse problem analysis. It is also widely used to determine material properties

such as elastic modulus and shear modulus, and other design parameters of dynamic load-resistant structures.

From continuum mechanics theory, the equation of motion in an elastic medium can be written as:

$$\frac{\partial \sigma_{ij}}{\partial x_j} = \rho \frac{\partial^2 u_i}{\partial t^2} \quad (5.8)$$

where

$\sigma_{ij}$  is the stress tensor

$u_i$  is the displacement vector

$\rho$  is the density of the material

By substituting the elastic stress-strain relationship into the equation of motion and re-arranging the equations, the elastic compression stress wave equation becomes:

$$\frac{\partial^2 p}{\partial t^2} = c_p^2 \nabla^2 p \quad (5.9)$$

where

$p$  is the pressure

$\nabla^2$  is the Laplacian

$c_p$  is the P-wave velocity

The elastic shear stress wave equation can be expressed as:

$$\frac{\partial^2 \omega_i}{\partial t^2} = c_s^2 \nabla^2 \omega_i \quad (5.10)$$

where

$\omega_i$  is the rotation vector

$c_s$  is the S-wave velocity

From the above equations, the relationship of P-wave and S-wave velocity and elastic material properties are defined as:

$$c_p = \sqrt{\frac{\lambda + 2G}{\rho}} = \sqrt{\frac{E(1 - \mu)}{\rho(1 + \mu)(1 - 2\mu)}} \quad (5.11)$$

$$c_s = \sqrt{\frac{G}{\rho}} = \sqrt{\frac{E}{2(1 + \mu)\rho}} \quad (5.12)$$

where

$E$  is the elastic modulus

$G$  is the elastic shear modulus

$\lambda$  is the Lamé constant

$\mu$  is the Poisson's ratio

Note that the material constants during concrete curing are a function of time and temperature. The actual values applied for the calculations in this project are based on the concrete curing chemistry modeling results.

The visco-elastic model is considered a better approach to wave propagation in geo-materials since the amplitude of the source wave attenuates with distance. The corresponding visco-elastic wave equation can be derived based on the equation of motion with a damping force:

$$\frac{\partial \sigma_{ij}}{\partial x_j} = \rho \frac{\partial^2 u_i}{\partial t^2} + c \frac{\partial u_i}{\partial t} \quad (5.13)$$

where

$c$  is damping coefficient of the medium.

The solutions of equations (5.9) and (5.10) describe wave propagation in an elastic medium. In geophysics, the finite difference method (FD) is the most common numerical method chosen for the solution. Various numerical schemes can be considered for the finite difference solution. For a 3D problem, various schemes include cubic rectilinear, octahedral, interpolated rectilinear, or tetrahedral, depending on the specific problem and desired accuracy. In this project, a non-linear visco-elastic model is used for the wave propagation calculations.

Thermal stress calculations during concrete curing are based on chemistry modeling. The stress depends on curing temperature, concrete strength and strain at different curing stages. The relationship between the rate of change of the temperature and strain with heat conduction is given by:

$$\frac{\partial}{\partial x_i} \left( k_{ij} \frac{\partial T}{\partial x_j} \right) = \rho C_v \frac{\partial T}{\partial t} + T \beta_{ij} \frac{\partial \varepsilon_{ij}}{\partial t} \quad (5.14)$$

where

$\beta_{ij}$  is a material constant proportional to the temperature change

$k_{ij}$  is the thermal conductivity matrix

$C_v$  is the specific heat per unit mass measured in the state of constant strain

$\rho$  is the density of the material

$\varepsilon_{ij}$  is the strain tensor

$T$  is the temperature

Again the material constants of concrete during curing depend on the temperature and the time. The constant values are obtained from concrete curing chemistry modeling and analysis.

To complete the specification of the mechanical properties of a material, additional constitutive equations are developed for the concrete curing process. The mechanical constitutive equation of a curing concrete specifies the dependence of stress on kinematics variables such as the rate of deformation tensor, temperature and other thermodynamics, electrostatics, and chemical variables. Since this study focuses on engineering application, more effort is concentrated on the simplification of currently available theoretical equations, and calibration of numerical models to meet the accuracy of engineering practice. Detailed descriptions of the technical approaches for concrete and soil is presented in the following sections.

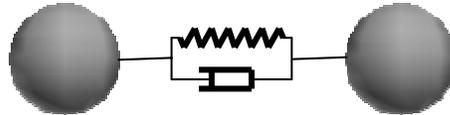
### **5.5 Discrete Element Method (DEM) Background**

Numerical modeling of the discrete element method and its application is presented. As discussed earlier, most mathematical equations established in theoretical modeling cannot be solved analytically, requiring a numerical solution. The development and selection of an appropriate numerical model is a key step for the successful application. Many numerical methods have been developed to solve different engineering problems, such as the Finite Element Method (FE), Finite Difference Method (FD), Boundary Value Problem (BV), Discrete Element Method (DEM), Material Point Method (MPM), etc. No single numerical method has been shown to be sufficient for all engineering problems. Each method has advantages and limitations for particular problems. The more physical phenomena are understood, the better numerical techniques can be developed and applied. In this project, the discrete element method (DEM) is employed based on the following considerations:

- **Simplicity:** the algorithm is simple to implement.
- **Efficiency:** the data structure of DEM is based on a mesh free principle, resulting in efficient computation and memory usage. The numerical model can be run on normal PC environments at high resolution.
- **Flexibility:** the model is originally designed for dynamics problems, such as wave propagation, contact/impact, and vibration problems. It can be easily modified to solve other problems, such as statics problems with dynamic relaxation, heat transfer problems with thermal resistance, seepage problems with friction losses, etc. The model simplifies generation of different geometrical shapes and boundary conditions.
- **Extensibility:** the model can be easily extended for geotechnical engineering applications such as slope stability, ground-foundation interactions, rock falls, tunneling/mining operations, avalanche study, as well as granular flow problems in chemical engineering and agricultural industries.

DEM, as well as any other numerical method, has limitations in engineering applications. Since the modeling domain of DEM is discretized into distinct particles which contact each other at their contact faces, the contact constitutive equations between particles determine the global mechanical responses of the whole particle assembly. The simplest contact constitutive model is represented by spring-dashpot model for a normal contact, and Coulomb friction model for shear force, as shown in Figure 5.2. Although these constitutive models do not necessarily have to be linear and elastic, the model currently uses linear and elastic deformation unless the particles are totally detached. For the same discretization scheme of DEM, each individual particle is considered a “rigid” body. There is no deformation for individual particles. If such deformation is desired, a combined approach of DEM with other numerical methods such as FE or BV is usually used. The contact

constitutive model in this project is based on a non-linear contact mechanics model between two spheres.



**Figure 5.2 Visco-Elastic Contact Model for DEM**

### **5.5.1 Discrete Element Method Definition**

The discrete element method (DEM) is a numerical technique designed to solve problems in applied mechanics that exhibit gross discontinuous material and geometrical behavior. DEM is used to analyze multiple interacting rigid or deformable bodies undergoing large dynamic or pseudo static, absolute or relative motion, governed by complex constitutive behavior.

DEM essentially is based on the numerical solution of the equation of motion and the principle of dynamic relaxation. Kinematics equations are established for each discrete body. The velocities, accelerations, and positions of the bodies are updated by calculating the contact forces between them. Depending on different physical problems, DEM programs should at least include the following three aspects:

- Representation of contact, which attempts to establish a correct contact constitutive model between discrete bodies.
- Representation of the properties of materials, which defines the particles or blocks to be rigid or deformable.

- Contact detection and revision of contacts, which attempts to establish certain data structures and algorithms to assess the contacts and the contact types, such as whether the vertex, edge or face of one polyhedron will touch a corresponding entity on a second polyhedron.

The following section discusses the discrete element method specifically related to this project, which discretizes the particles as 3D spheres that contact each other at their surfaces. Some general features of DEM are also included in this section.

### 5.5.2 Equation of Motion

Figure 5.3 shows two blocks **I** and **II** in contact. Their positions are defined by vectors  $\mathbf{R}_I$  and  $\mathbf{R}_2$ . The blocks have masses  $m_1$  and  $m_2$ , linear velocity vectors  $\mathbf{v}_1$  and  $\mathbf{v}_2$ , and angular velocity vectors  $\omega_1$  and  $\omega_2$ . The equation of motion for element  $i$  at discretized time step  $n$  is:

$$\mathbf{M}_i \mathbf{a}_n^i + \mathbf{C}_i \mathbf{v}_n^i + \mathbf{P}_i(\mathbf{x}_n^i) = \mathbf{f}_n^i \quad (5.15)$$

where

$\mathbf{x}_n^i$ ,  $\mathbf{v}_n^i$  and  $\mathbf{a}_n^i$  are the position, velocity and acceleration vectors of the  $i$ th element at the  $n$ th time step,

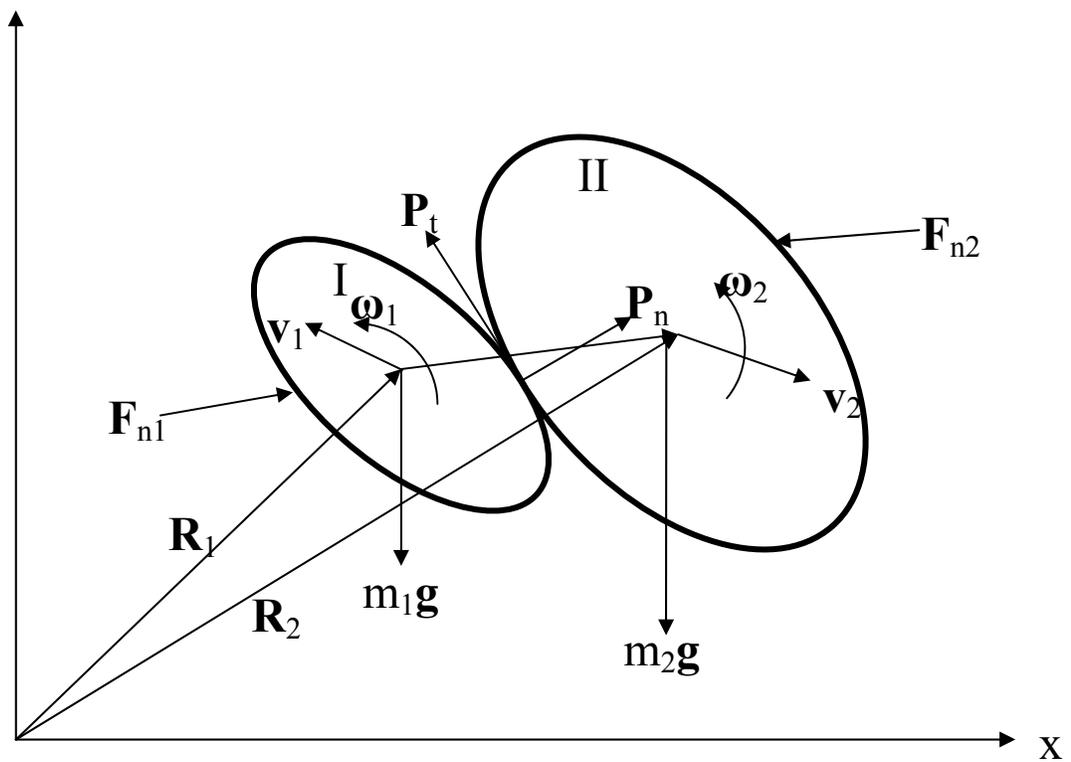
$$\begin{aligned} (\mathbf{x}_n^i)^T &= [\mathbf{x}_n^i, \mathbf{y}_n^i, \mathbf{z}_n^i, \theta_n^i] \\ (\mathbf{v}_n^i)^T &= [\dot{\mathbf{x}}_n^i, \dot{\mathbf{y}}_n^i, \dot{\mathbf{z}}_n^i, \dot{\theta}_n^i] \\ (\mathbf{a}_n^i)^T &= [\ddot{\mathbf{x}}_n^i, \ddot{\mathbf{y}}_n^i, \ddot{\mathbf{z}}_n^i, \ddot{\theta}_n^i] \end{aligned} \quad (5.16)$$

where

$\mathbf{M}_i$  and  $\mathbf{C}_i$  are the mass and damping matrices.

$\mathbf{P}_i$  and  $\mathbf{f}_n^i$  are the resultant contact force and applied boundary force/body force, respectively.

The formula for contact force depends on the particular constitutive laws applied to the problems. A modified Hertz-Mindline contact law and visco-elastic contact law are discussed later in “Contact Mechanics”.



**Figure 5.3 Blocks in Contact**

Numerically solving equation (5.15) in the time domain gives accelerations, velocities, displacements and resultant forces. The stress/strain relationship inside of the discrete assembly is obtained by an averaging method. The *average stress tensor* of the volume  $V$  of the *representative of volume element* (RVE) can be obtained by:

$$\bar{\sigma}_{ij} = \frac{1}{V} \sum_{p=1}^N \sum_{c=1}^{m_p} \mathbf{x}_i^c \mathbf{F}_j^c \quad (5.17)$$

where

$\mathbf{x}_i^c$  is position vector at contact point c

$\mathbf{F}_j^c$  is contact force vector at contact point c

$N$  is the particle number in RVE

$m_p$  is the number of contact points for particle p

Similarly, the **average strain** of the RVE defined for infinite deformation can be written (by the Average Displacement Gradient Algorithm) as:

$$\bar{\varepsilon}_{ij} = \frac{1}{2} (\mathbf{F}_{ij} + \mathbf{F}_{ji}) \quad (5.18)$$

where

$\mathbf{F}_{ij}$  is contact force

There are different numerical integration algorithms for solving equation (5.15). The explicit integration algorithm is among the most used schemes in current discrete element analysis. In this project, central different explicit expressions are used for the acceleration at time step interval  $h$  for velocity and displacement updates. The velocity update equation is:

$$\mathbf{v}_{n+1/2} = \frac{(M/h - C/2)}{(M/h + C/2)} \mathbf{v}_{n-1/2} + \frac{\mathbf{f}_n - \mathbf{P}}{(M/h + C/2)} \quad (5.19)$$

and the displacement update equation is:

$$\mathbf{x}_{x+1} = \mathbf{x}_n + h\mathbf{v}_{n+1/2} \quad (5.20)$$

Where the symbols are the same as in equation (5.15)

The explicit integration algorithm used in DEM analysis is quite simple and straightforward compared to implicit schemes. However, this algorithm is only conditionally stable. The time step must be adequately small to maintain stability conditions.

When the algorithm is used to solve static (or pseudo static) problems, dynamic relaxation procedures (DR) must be performed in order to achieve rapid convergence. To obtain static solutions, one should properly select the damping coefficient  $\mathbf{C}$ , the time increment step  $h$ , and the mass matrix  $\mathbf{M}$ , to obtain efficient convergence, determining  $\mathbf{x}$  such that  $\mathbf{P}(\mathbf{x}) = \mathbf{f}$ . Several approaches are available for determining the optimum convergence rate from which the optimum damping parameters will be obtained. These techniques are based on numerical error analysis of calculated value and residual of the solution. One of the approaches is developed by Bardet et al. In this project, a trial and error numerical procedure is developed for fast dynamic relaxation. The procedure is based on the equilibrium principle, when the assembly system is under static state in equilibrium. Numerical tests show that the equilibrium trial and error method is more efficient for static problems such as consolidation of soil, shaft loading tests, and other pseudo static problems.

### **5.5.3 Contact Mechanics**

Since the DEM numerical scheme discretizes the object of interest into individual particles (or blocks) that connect or contact each other through their boundaries, the

connecting or contacting forces, and other variables of the particles, must be properly defined to accurately represent physical properties of the object. These variables include the packing form of the particle assembly, particle size distribution, density of the particles, internal configuration of particle mass, and response under different load conditions. The relationship between stress and strain and continuum equivalent of the object may be derived from the study of the force-displacement behavior between the individual particles, by using the averaging method of *the representative volume element* (RVE), as described earlier. The force calculations may vary based on different engineering problems, and may include calculations of normal force, shear force, friction, moment, and torsion of each particle at contact points. Traditionally, the contacts are considered to be elastic, so that the theory of contact of elastic bodies can be invoked to furnish a description the physical phenomena. Elastic models are widely used in DEM because the forces required to crush individual particles are much larger than the forces required to make the whole particle assembly fail, and that deformations of the individual particles are much smaller than that of the whole assembly. A well known non-linear elastic model is the Hertz-Mindlin contact model. The visco-elastic and perfect plastic model are also widely accepted in DEM. Both Hertz-Mindlin and visco-elastic models are described in this section. Note that some plastic incremental models have been proposed in recent years. These models have been very successful to describe contact problems in mechanical engineering. Since these models are stress history dependent and require significant memory to store the history of each contact of the assembly, they are not widely implemented in DEM simulations.

#### **5.5.3.1 Non-Linear Hertz-Mindlin Contact Model**

The Hertz-Mindlin model begins by assuming that contacting solids are isotropic and elastic, and that the representative dimensions of the contact area are very small compared to the various radii of curvature of the undeformed bodies. Another

assumption of the Hertz-Mindlin model is that the two solids are perfectly smooth. Only the normal pressures that arise during contact are considered (the extensions of Hertz theory for the tangential component of traction will be discussed later). The Hertz-Mindlin contact-force-displacement law is nonlinear elastic, with path dependence and dissipation due to slip, and omits relative roll and torsion between the two spheres. Strictly speaking, the simplified contact force-displacement law is thermodynamically inconsistent (i.e., unphysical), since it permits energy generation at no cost. The law is widely used in engineering because of its simplicity. For the particle assembly, the contact forces and displacements are infinite, and the approximation satisfies the accuracy of engineering applications.

The normal force-displacement relationship of the Hertz-Mindlin law is:

$$N = \frac{4E_0}{3\sqrt{R_0}} \rho^{3/2} \quad (5.21)$$

where (as shown in Figure 5.4 and Figure 5.5)

$N$  is normal force

$\rho$  is the relative approach of the sphere (Figure 5.4)

$R_0$  is the average radius of two contact spheres

$$\frac{1}{R_0} = \frac{1}{R_1} + \frac{1}{R_2} \quad (5.22)$$

where

$R_1$  and  $R_2$  are the radii of sphere 1 and sphere 2, respectively

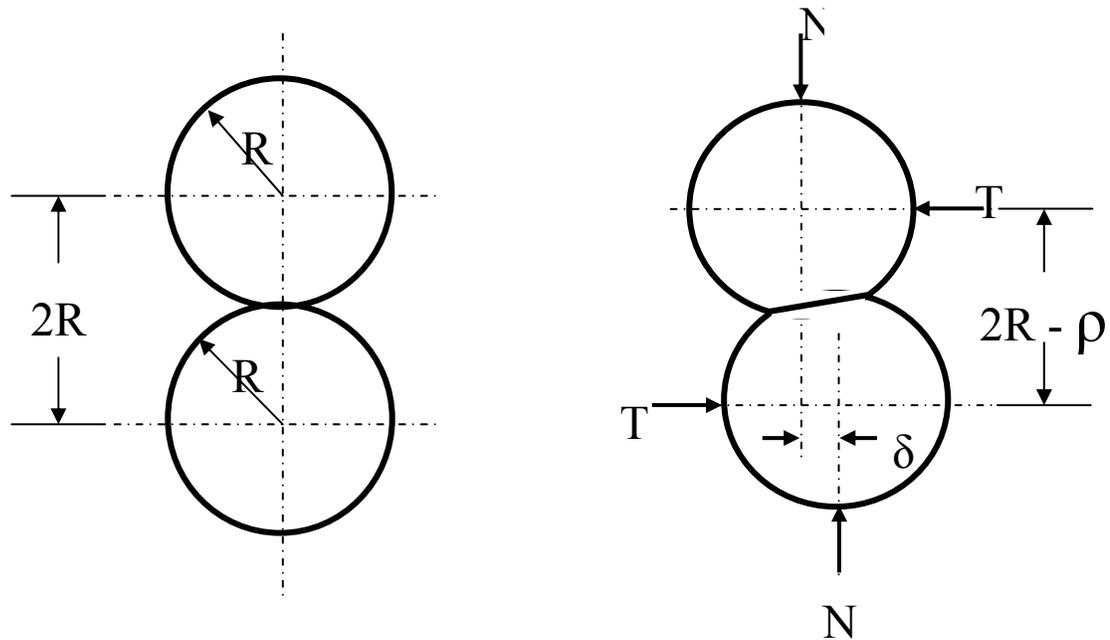
$E_0$  is the average modulus of the materials of two contact spheres

$$\frac{1}{E_0} = \frac{1-\nu_1^2}{E_1} + \frac{1-\nu_2^2}{E_2} \quad (5.23)$$

where

$E_1$  and  $E_2$  are Young's modulus

$\nu_1, \nu_2$  are Poisson's ratio of sphere 1 and 2, respectively

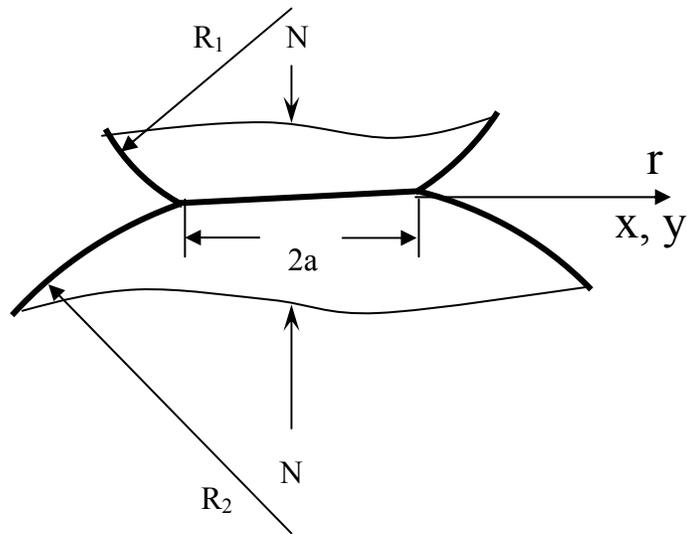


**Figure 5.4 Identical Elastic Rough Spheres in Contact**

Tangential force-displacement is one of the important extensions of the Hertz contact law, which addresses problems involving additional force systems superimposed upon the Hertz normal force. By solving the appropriate boundary-value problem, Cattaneo and Mindline derived expressions for the tangential component of traction on the contact surface, and the displacement of points on one sphere, remote from the contact, with respect to similarly situated points in the other sphere. Physical experiments show that slip occurs between two contact spheres no matter how small the applied tangential force. When the tangential force is completely removed, the

slip does not vanish. A permanent displacement appears. This displacement can be removed only by applying a tangential force in the opposite direction. For this reason, the tangential forces are calculated separately for different cases. Three cases in tangential force-displacement calculations are considered:

- increasing tangential force
- decreasing tangential force
- oscillating tangential force



**Figure 5.5 Hertz Contact of Solids of Revolution**

Case 1. The tangential force-displacement relationship of increasing tangential force with consideration of slip conditions is given by:

$$\delta = \frac{3(2-\nu)fN}{8Ga} \left[ 1 - \left( 1 - \frac{T}{fN} \right)^{2/3} \right] \quad (5.24)$$

where

$\delta$  is relative displacement proportional to the tangential applied force

$\nu$  is Poisson's ratio

$G$  is shear modulus of the material

$a$  is contact area of two contact spheres

$N$  is normal force obtained from equation (5.21)

$f$  is coefficient of static friction

$T$  is applied tangential force in contact plane

Case 2. The tangential force-displacement relationship of decreasing tangential force with consideration of slip conditions is given by:

$$\delta_u = \frac{3(2-\nu)fN}{8Ga} \left[ 2 \left( 1 - \frac{T_s - T}{2fN} \right)^{2/3} - \left( 1 - \frac{T_s}{fN} \right)^{2/3} - 1 \right] \quad (5.25)$$

where

$\delta_u$  is relative displacement proportional to the unloading tangential applied force

$T_s$  is the tangential force at peak value  $0 < T_s < fN$

Case 3 considers oscillating tangential force-displacement relationship. A subsequent increase of  $T$  from  $-T_s$  to  $T_s$  will give rise to identical events as occurring in the course of the reduction of  $T$  from  $T_s$  to  $-T_s$ , except for the reversal of sign. The appropriate displacement during this loading process will be  $\delta_l = \delta_u(T)$ .

### 5.5.3.2 The Visco-Elastic Contact Model

The visco-elastic contact model is the simplest contact model used in DEM simulations. Because of its simplicity, the calculations are very efficient. Usually,

the stresses causing the failure of particle assemblies due to the relative friction and slip between the particles are much lower than the stresses required to crush individual particles. The assumption of a linear elastic contact force-displacement relationship between two particles is a good approximation, and is still widely used in engineering. The mechanical model is shown in Figure 5.2.

The normal contact formulation is linear elastic with a viscous damper characterized by two parameters: normal stiffness  $k_n$  and viscosity  $C$ . The model works for both compression and tension forces based on the relative distance between the two contact points. The normal force is defined by:

$$\mathbf{N} = \begin{cases} \frac{1}{2}k_n \varepsilon \cdot \mathbf{n} + C\mathbf{v}_m & \varepsilon \geq 0 \text{ || } \varepsilon \geq -\varepsilon_{\max} \\ 0 & \varepsilon < -\varepsilon_{\max} \end{cases} \quad (5.26)$$

where

$\varepsilon$  is the penetration distance between two contact points. For two spheres,  $\varepsilon$  equals the sum of two sphere's radii minus the distance between the two contact sphere centers.

$-\varepsilon_{\max}$  is the maximum tension distance two neighboring particles. If negative penetration is larger than this value, the connection between the two neighbors are disconnected, and tension force between these two particles is set to be zero.

$\mathbf{n}$  is the normal unit vector at the contact point

$\mathbf{v}_m$  is the normal relative velocity vector at the contact point

$k_n$  is the normal contact stiffness

$C$  is the viscosity of the material

The tangential force depends on the friction of the material and the relative tangential velocity of the two contact particles. The formula of the tangential force is defined as:

$$\mathbf{T} = \begin{cases} \text{sign}(\mathbf{v}_{rs}) \frac{1}{2} k_s \boldsymbol{\varepsilon} \cdot \mathbf{s} & \frac{1}{2} k_s \cdot \boldsymbol{\varepsilon} < f |N| \\ \text{sign}(\mathbf{v}_{rs}) f |N| \mathbf{s} & \frac{1}{2} k_s \cdot \boldsymbol{\varepsilon} \geq f |N| \end{cases} \quad (5.27)$$

where

$k_s$  is the shear contact stiffness

$f$  is the coefficient of static friction

$\mathbf{v}_{rs}$  is the tangential relative velocity vector at the contact point

The direction of the tangential force is the reverse of the tangential relative velocity. The magnitude of tangential force is equal to the maximum static friction force, if it is bigger than the Coulomb friction force, which is the second term of equation (5.27).

The key to successful modeling using DEM is proper selection of the stiffness and damping coefficients. Theoretically, the damping coefficient can be derived from material properties such as the restitution coefficient:

$$C = 2 \ln\left(\frac{1}{e}\right) \sqrt{\frac{k_n m_i m_j}{(m_i + m_j) \pi^2 + [\ln(1/e)]^2}} \quad (5.28)$$

where

$m_i$  and  $m_j$  are the masses of particles  $i$  and  $j$ , respectively.

$e$  is the restitution coefficient of the material

$k_n$  is the normal contact stiffness

To relate the stiffness to material properties, a number of trial and error numerical tests are performed. The procedures are based on the principle of elastic wave propagation in a medium, which are widely used to determine elastic constants of materials in laboratories. In the numerical tests, the particles are assembled in different packing forms, and elastic stress waves are generated. The wave propagation velocities are measured at different points for different stiffness. The stiffness is checked against the wave velocity obtained from material property manuals and laboratory data. The stiffness is then calibrated correspondingly and saved in a database for future modeling.

#### **5.5.4 Validation of Numerical Models**

Before the numerical model is applied to solve engineering problems, it is used to simulate some small scale problems and simple cases for which the results are known or can be easily obtained, for verification. Some constants and parameters must be pre-defined or calibrated based on material properties and specified conditions. In this project, the validity of the numerical modeling has been checked in three different ways before being used for large scale problems: 1) energy conservation; 2) dynamic relaxation and 3) elastic wave propagation.

##### **5.5.4.1 Energy Conservation**

First, an energy method was used to verify dynamic stability of the system. The energy of an individual discrete particle in the system consists of three parts: kinetic energy, potential energy, and gravitational energy. The energy is defined as:

$$e_i = \frac{1}{2} m_i v_i^2 + \frac{1}{2} I_c \omega_i^2 + \frac{1}{2} k (\varepsilon_i / 2)^2 + m_i g z_i \quad (5.29)$$

where

$m_i$  is the mass of the discrete particle

$v_i$  is the translational velocity

$\omega_i$  is the angular velocity

$I_c$  is the mass moment of inertia of the discrete particle with respect to  
the mass center

$k$  is the stiffness of the normal contact (or stretch)

$\varepsilon_i$  is the relative approach or stretch distance of two neighboring  
particles

$z_i$  is the particle altitude relative to the calculation datum

The total energy of the system is the sum of each individual particle:

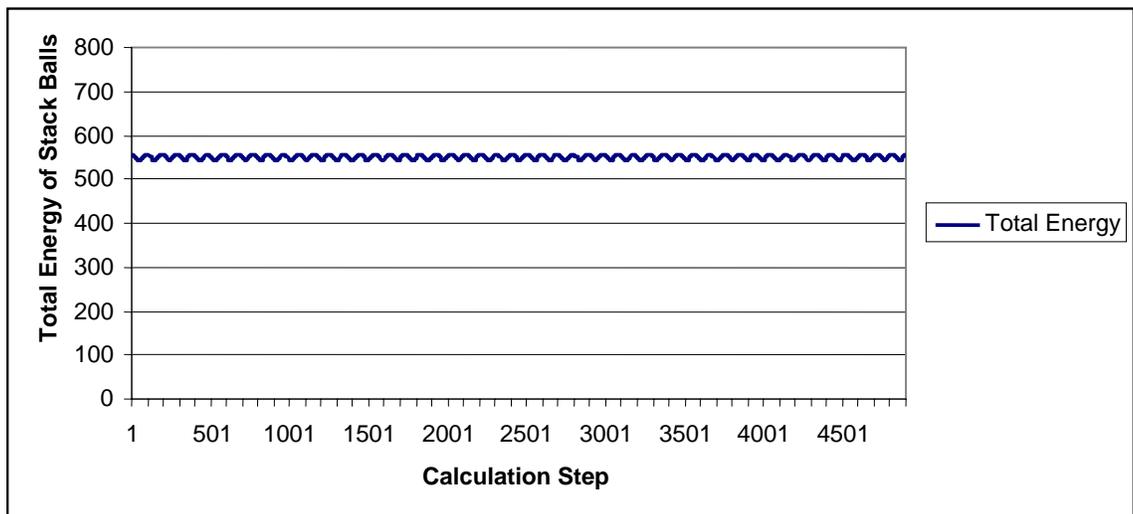
$$E_{total} = \sum_{i=1}^n e_i \quad (5.30)$$

Figure 5.6 shows a stack of spherical elements used for the energy tests. The bottom element is not allowed to move. The remaining elements are stacked with no initial contact forces.



**Figure 5.6 Stack Balls Setup for Energy and Dynamic Relaxation Numerical Tests**

If there are no interactions which cause mechanical energy loss, such as damping, friction, etc., and no energy is added to the system, the total energy of the system should be conserved. For the energy test, the stack is assumed to be perfectly elastic. Under the only gravitational force, when the stack is released from the initial position, the elements will push into each other and continue to oscillate up and down forever, conserving total energy. For the stack, the diameters of all elements are equal to 1 m. The specific weight of the material is  $3000 \text{ kg/m}^3$ , the mass of each ball is  $1.5708 \text{ kg}$  and the gravitational acceleration is  $9.81 \text{ m/s}^2$ . The coordinate of the center of the bottom ball is set at  $(0, 0, 0)$ . The total energy of the stack at the beginning of the test is only gravitational energy, which equals  $554.74 \text{ N-m}$ . Figure 5.7 shows, as expected, the total energy of the stack is constant, with some fluctuations due to the numerical approximation.



**Figure 5.7 Total Energy of Stack Ball**

#### **5.5.4.2 Damping and Dynamic Relaxation (DR) Tests**

Damping and dynamic relaxation (DR) are major parameters and procedures in DEM modeling for two reasons. First, the materials in this project are not elastic (i.e.

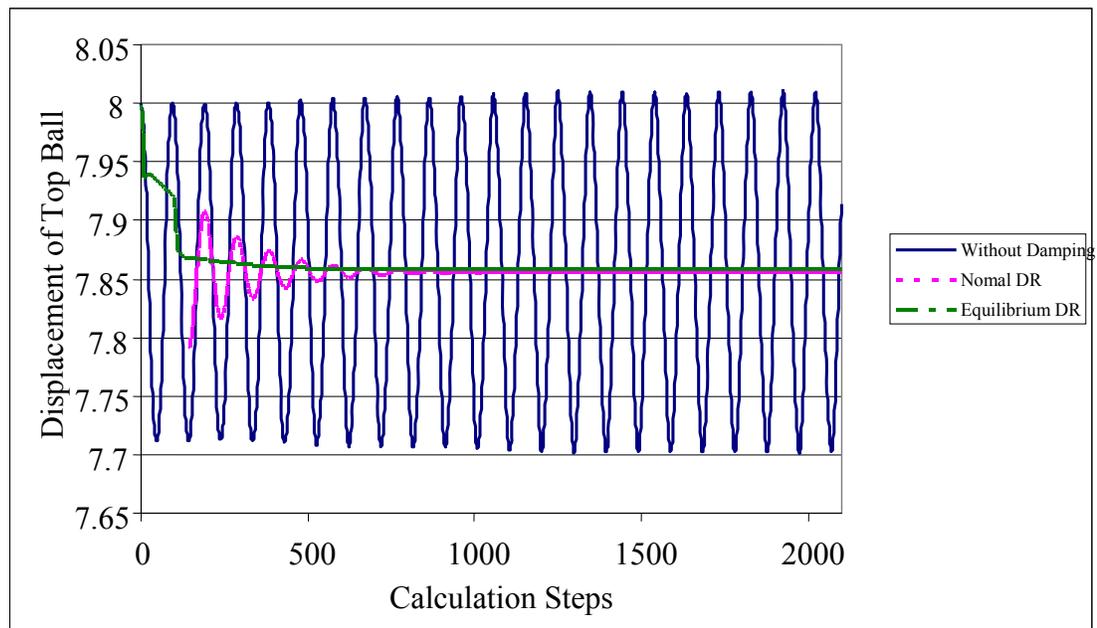
concrete and soil). Stress wave propagating in the materials are attenuated with distance. Second, since DEM is originally designed to solve dynamic problems with explicit integration for static (or pseudo static) problems, dynamic relaxation procedures (DR) must be performed in order to achieve convergence. An excessively small damping coefficient leads to spurious vibrations during the dynamic transition between two static states. This causes changes in the grain arrangement, since frictional material is very sensitive to vibrations. If the damping coefficient is too large, the results will simulate viscous flow, a phenomenon which is more related to Stokes flow of immersed bodies.

The same stack setup for the energy conservation test is used for the damping and DR tests. The diameters of the balls, specific weight, and coordinates are the same as used in the energy test. The validity of static convergence is verified by checking the displacement of the top ball on the stack under gravitation force alone. Three cases were performed for the numerical tests:

- The stack was released from the initial position without damping (restitute coefficient is zero). This test is equivalent to the elastic energy test, except that the displacement of the top is recorded.
- The same test as above with a restitution coefficient of 0.2 (damping and restitution are related by equation 5.27).
- The adaptive numerical equilibrium DR test. This algorithm is a numerical trial and error approach developed for fast convergence and stable solution. The method is based on the equilibrium principle when the assembly system is under static state at equilibrium.

As shown in Figure 5.8, the top element on the stack oscillates around its balance position when the system is released from its initial position without damping. When the normal DR procedure is performed with damping, the vibration attenuates, and

the top element position approaches a static position at 7.86 after one thousand iterations. Adaptive equilibrium DR shows that the top ball approaches the same static position faster. The adaptive equilibrium DR has a dramatic advantage in computational efficiency when the system consists of a large number of particles (i.e. thousands or millions particles).



**Figure 5.8 Dynamic Relaxation Test Results**

#### 5.5.4.3 Wave Propagation

To validate the wave propagation behavior of the model, the impulse response of a non-linear 1D oscillating system is obtained. The system is similar to the stack as described before, but with more elements, different material properties, and zero gravitational body forces. The system consists of one hundred identical balls with individual mass  $m$  connected with nonlinear springs of stiffness  $k$  and dashpot  $c$ . The model is simple, but useful for analyzing a wide range of dynamic systems, such as ionic polarization at the molecular level, the response of experimental devices such as

isolation tables and resonant instruments, the vibration of a foundation, and the seismic response of buildings. For 1D problems, equation (5.15) can be written as:

$$m \ddot{y}_n + c_i \dot{y}_n + k_i y_n = x_n \quad (5.30)$$

where

$x$  is the time history of the input force. In this numerical test,  $x$  is an impulse force.

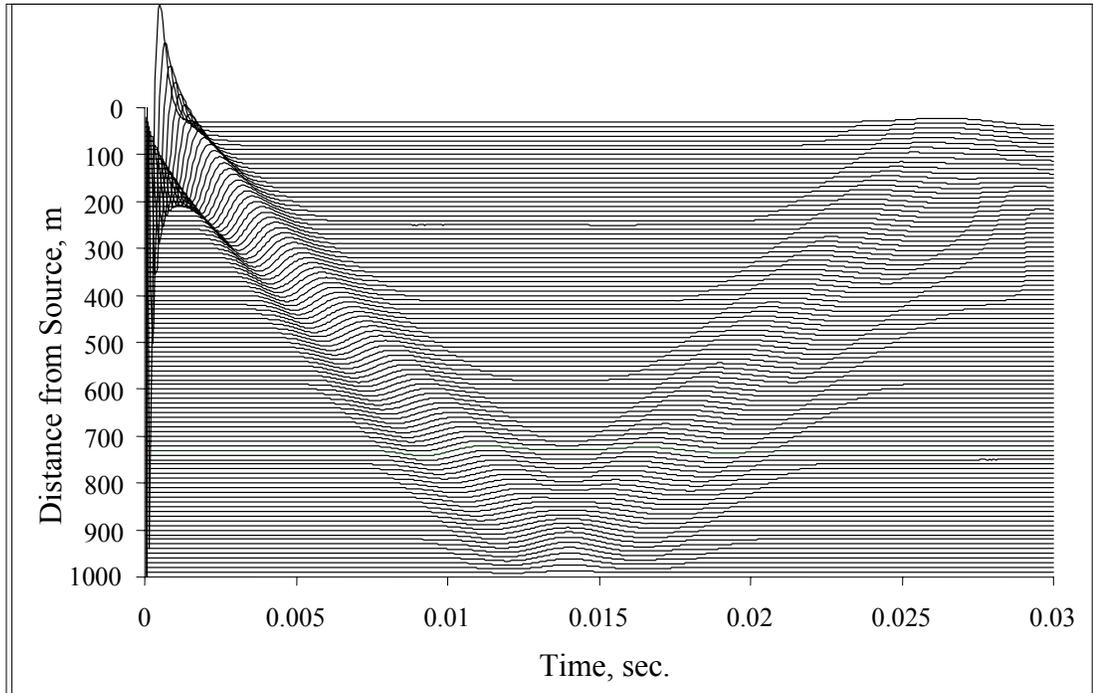
$y$  is the time history of the displacement response. Dots on  $y$  denote first and second derivatives.

The specific weight of the material is  $3000 \text{ kg/m}^3$ , the mass of each ball is  $1.5708 \text{ kg}$ , the gravitational acceleration is  $0.0 \text{ m/s}^2$ , and the restitution coefficient is  $0.3$  (related to the damping coefficient by equation 5.28).

A vertical impulse force is applied on the top ball at its center, and the bottom ball is not allowed to move. The impulse P-wave propagates down the stack, and the wave reflects when it reaches the bottom element. The acceleration of each ball is recorded in Figure 5.9. A hundred signals are plotted as time vs. receiver distance from the source. This figure clearly shows that the first arrival delay and attenuation with distance. The first arrival is sharp, with higher frequency, for the receivers closer to the source, and flattens with distance. The plot also shows the reflection from the bottom.

The test shows that the model is able to successfully propagate waves in different materials with various boundary and initial conditions. The model provides a fundamental and powerful tool for a wide range of geotechnical and civil engineering applications, such as refraction, reflection, reverse time, tomography, and other

inverse problems. With the implementation of non-reflection boundary conditions, the model is also able to simulate wave propagation in semi-infinite or infinite media.



**Figure 5.9 1-D P-Wave Propagation in a Rod**

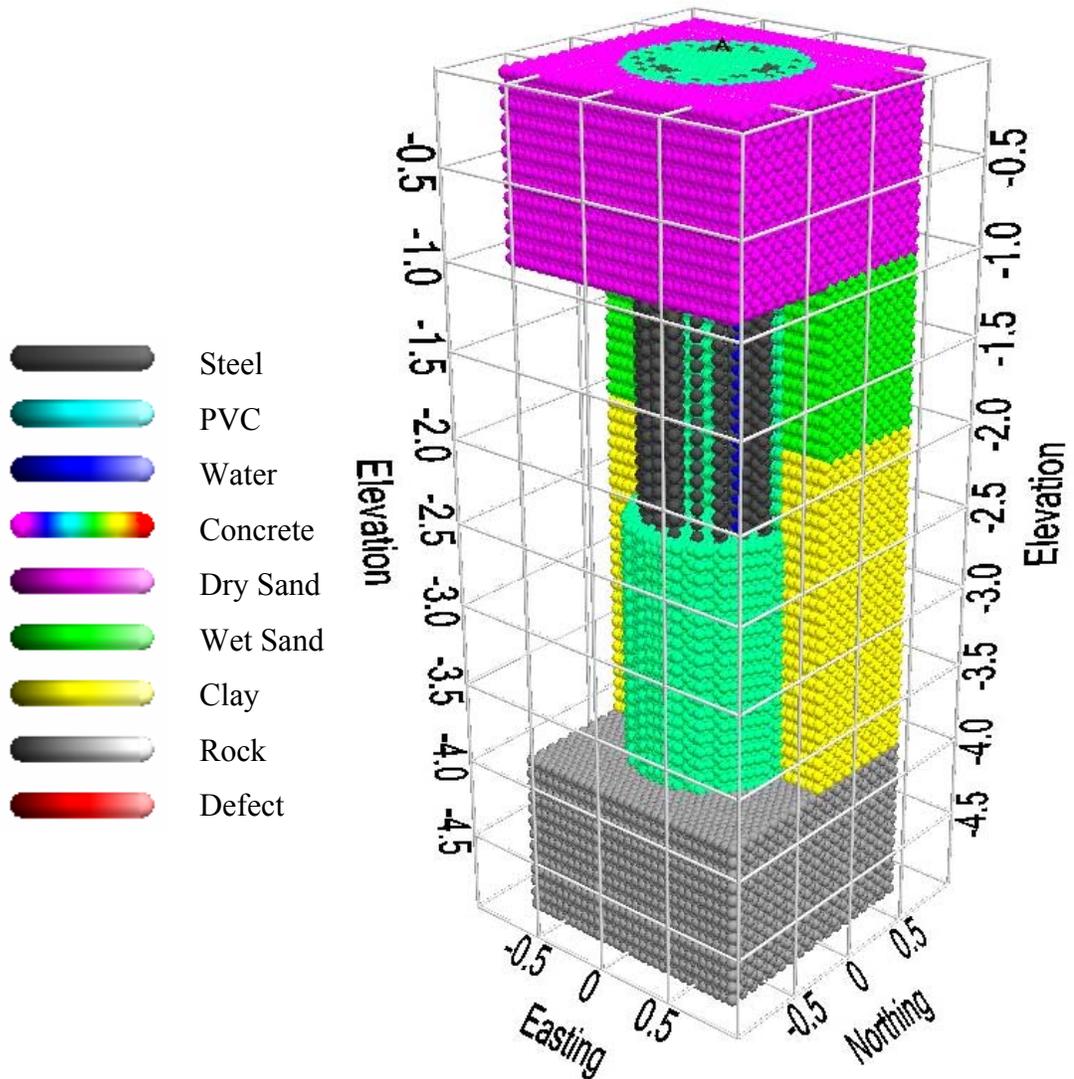
## **6 Numerical Modeling Analysis of CSL in Drilled Shafts**

Many factors influence the sonic wave velocity and energy in a drilled shaft, such as structural defects, tube bending, tube debonding, and sensor orientation. In this chapter, numerical modeling analysis will be used to evaluate major factors resulting in CSL velocity and energy variations.

### **6.1 Geostructural Analysis Package (GAP) Model Description**

The numerical modeling studies performed in the remainder of this study use the Geostructural Analysis Package (GAP). This method combines well-developed techniques from Discrete Element Method (DEM), Particle Flow Code (PFC), Material Point Method (MPM), and Finite Difference (FD) methods, resulting in efficient simulation of high-resolution dynamic modeling applications. Figure 6.1 shows the material color palettes used in the GAP models. These palettes are used to display various properties, such as velocity, wave compression, average stress, temperature, heat generation, hydration phase, tension strength, modulus, damping, etc. Defects, such as honeycombs, cracking, and debonding, are shown in a graduated red palette. Darker colors on the left represent lower property values. The ranges for each property used in subsequent models, corresponding to material color palettes, is shown in Table 6.1.

The right of Figure 6.1 shows the drilled shaft used in subsequent numerical models. A 1 m reinforced shaft (4.5 m long) is in the center, surrounded by dry sand in the top meter, wet sand in the next meter, two meters of clay, and one meter of rock at the base. The shaft is socketed one half meter in the rock. Portions of the model are hidden for internal viewing. Half of the wet sand and clay are hidden to show the location of the shaft. The concrete in the shaft is hidden from a depth of 1 to 2.5 m, to show the internal rebar, access tubes, and support cage.



**Figure 6.1 Material Palettes used in GAP Models. Defects Shown in Red Include Honeycombs, Cracking, and Debonding. Darker Colors on the Left Represent Lower Values. These Palettes are used to Display Corresponding Velocity, Wave Compression, Average Stress, Temperature, Heat Generation, Hydration Phase, Tension Strength, Modulus, etc. A Cross-section of the 1 m Drilled Shaft used in the Study is Shown on the Right. The Shaft is in the Center, Surrounded by Dry Sand, Wet Sand, Clay, and Rock. Portions of the Wet Sand, Clay, and Concrete are Hidden to Show the Internals of the Model.**

**Table 6.1 Property Ranges Corresponding to Material Color Palettes**

<b>Property</b>	<b>Minimum</b>	<b>Maximum</b>
Cracking	-25%	25%
Change in Cracking	-25%	25%
Compression Stress Loading (N)	-0.001	0.001
Change in Compression Stress Loading (N)	-0.001	0.001
Temperature (°C)	10	50
Change in Temperature (°C)	-10	10
Hydration	0%	100%
Change in Hydration	-15%	15%
Curing Compression (N)	$-1.0 \times 10^{-4}$	$1.0 \times 10^{-4}$
Change in Curing Compression (N)	$-1.00 \times 10^{-4}$	$1.0 \times 10^{-4}$
Heat (Cal)	0	0.001
Change in heat (Cal)	-0.001	0.001
Seismic Compression (N)	$-1.0 \times 10^{-10}$	$1.0 \times 10^{-10}$
Change in Seismic Compression (N)	$-1.0 \times 10^{-10}$	$1.0 \times 10^{-10}$

**Table 6.2 Material Properties used in Models**

<b>Material</b>	<b>Tension Strength N/m<sup>2</sup></b>	<b>Specific Gravity</b>	<b>Pwave Velocity (m/s)</b>	<b>Coefficient of Restitution</b>	<b>Percent Cracked</b>	<b>Percent Void</b>	<b>Void Material</b>	<b>Thermal Conductivity</b>
Steel	10000	7.85	8000	0.9	0	0		0.99
PVC	50	1.5	1000	0.9	0	0		0.5
Water	1	1	1500	0.9	0	0		0.25
Concrete	150	4	4000	0.3	0	0		0.5
Dry Sand	1	2	400	0.1	90	2		0.6
Wet Sand	50	2.5	600	0.2	30	2	Water	0.7
Clay	100	3	2000	0.2	5	0		0.8
Rock	5000	4	7000	0.4	0	0		0.4
Honeycomb	50	2	3200	0.2	10	20		0.8
Debonding	0	2	10	0.2	90	90		0.8
Cracking	50	4	4000	0.3	90	0		0.5
Void	0	0	0	0	0	100		0

Figure 6.2 shows the location of a sample 2-D slice in the drilled shaft model. Slices may be extracted at different depths depending on surrounding ground conditions, but Figure 6.2 applies to most of the 2-D models throughout this study. The resolution of the 2-D models is 1 cm, meaning that each spherical model element is 1 cm in diameter.

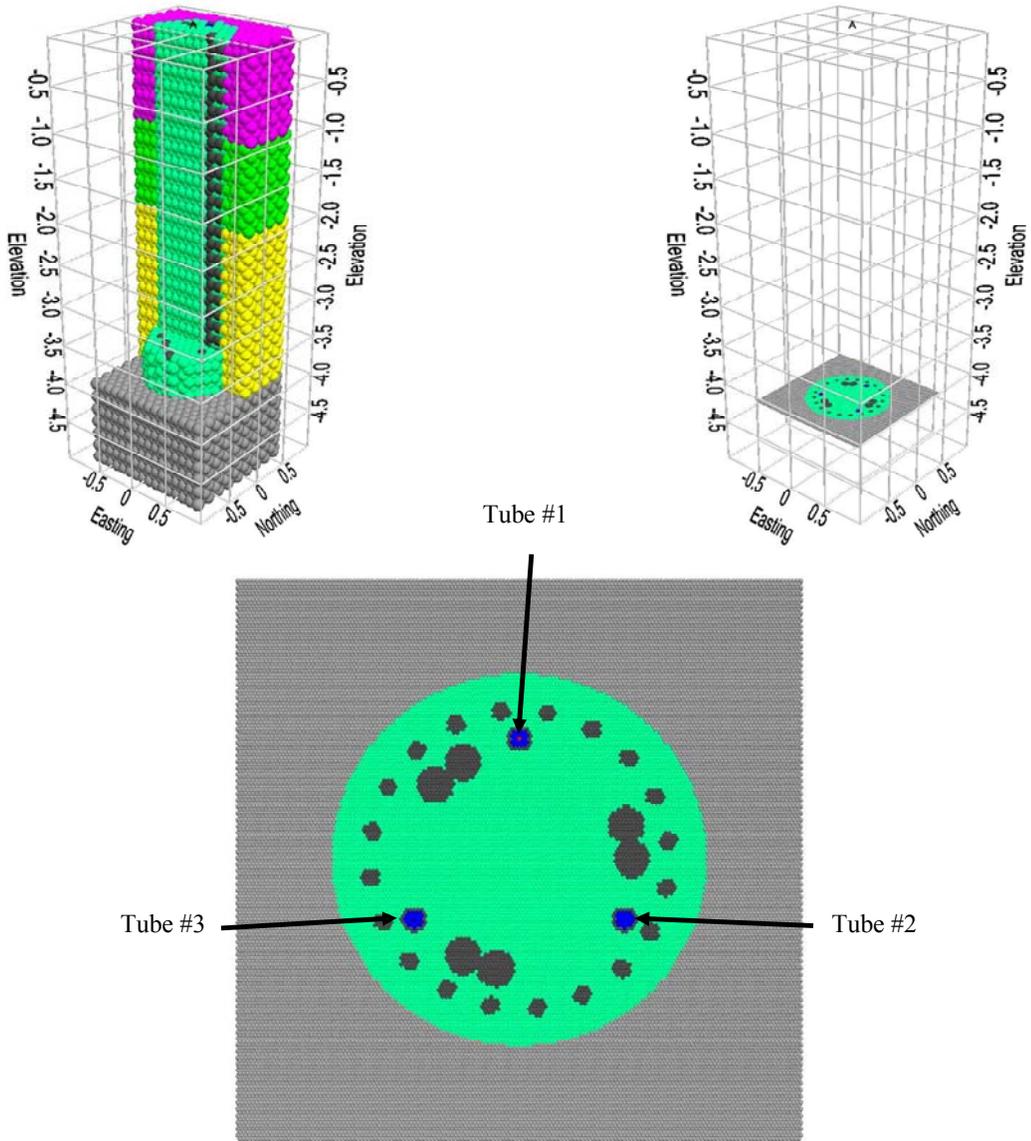
The three access tubes are numbered clockwise, starting from the tube at the top. Access tube #1 is at the top (north), tube #2 is in the lower right (south east), and tube #3 is in the lower left (south west). The access tube material is steel, except for the 3-D model comparing PVC with steel. The tubes are filled with water. The inside tube diameter is 50 mm. The access tubes are 320 mm from the center of the shaft.

The steel rebar cage is represented by 20 rebar distributed around the perimeter, each 50 mm in diameter. The cage diameter is 0.8 m. The rebar is 10 cm in diameter, distributed in three pairs inside the rebar cage. Steel is used for the rebar.

Figure 6.3 shows the location of a sample 3-D section in the drilled shaft model. The resolution of the 3-D CSL models in this chapter, for tube material and tube debonding, is 20 mm. Top portions of the 3-D models are hidden for display purposes. Compression waves are shown in the hidden portions for positive compression values, to show wave propagation in 3-D.

## **6.2 Factors Affecting CSL Velocity Measurements**

Typically, the wave velocity of concrete in a drilled shaft is estimated from the first arrival time obtained during CSL measurements, using the separation distance between the source and receiver tubes at the top of the shaft, assuming the tubes remain vertical throughout the shaft. The first arrival time may correspond to the point at which the signal amplitude first fluctuates, or at the first



**Figure 6.2 Location of Drilled Shaft Cross-section Surrounded by Rock**

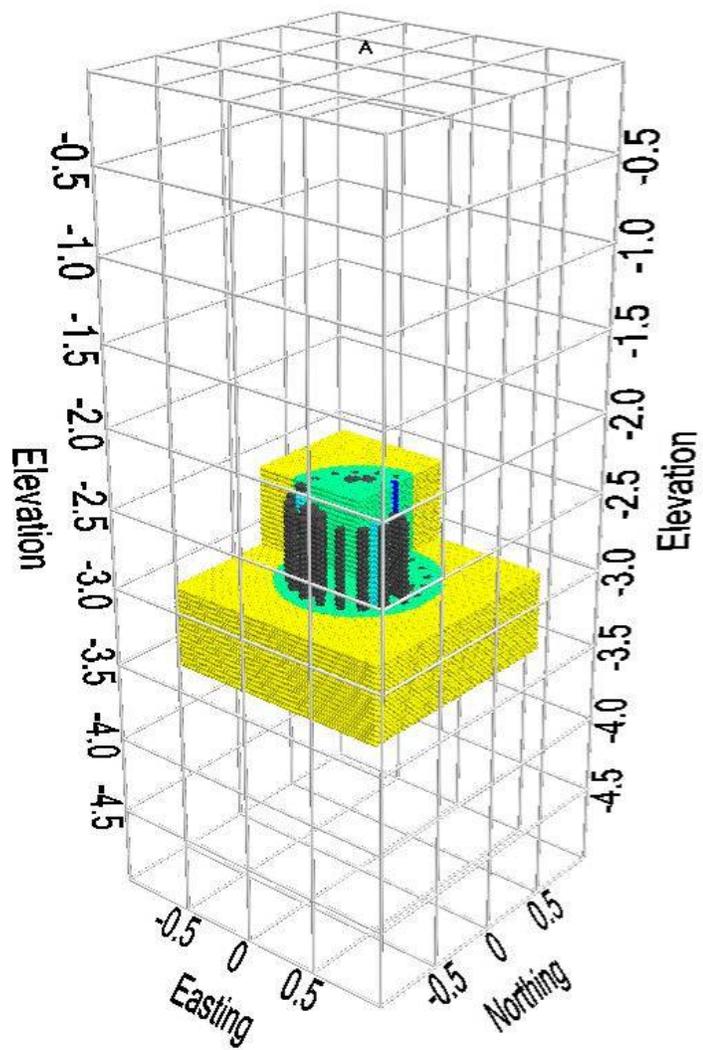


Figure 6.3 Location of 3D Section within Drilled Shaft

peak or trough identifiable in the waveform. Uncertainties in source and receiver locations and variations in the definition of the first arrival must be taken into account when interpreting CSL data. Very small changes in source/receiver separation distance and arrival picks can result in large velocity variations. Without proper tube bending measurements, sensor alignment, or proper waveform analysis for first arrival determination, CSL data should be used as a relative guide rather than an absolute value.

Tube locations below the top of the shaft are unknown and are typically assumed parallel. The tube distances at the top of the shaft are occasionally adjusted during the CSL data analysis to obtain a tube separation resulting in more “reasonable” velocities. Tube bending near the top of the shaft is common and often used to justify the practice of adjusting arrival picks in this fashion. This practice can introduce apparent velocity variations in good concrete, or remove velocity variations in defective concrete.

Plots of the signal energy versus depth are often generated in CSL surveys, in addition to plots of first arrival picks. The definition of signal energy often varies from system to system. The signal energy may be determined by summing up the absolute values of a set number of signal samples after the first arrival time, or may be measured from the first major peak after the first arrival, or from the maximum signal amplitude. The energy and velocity plots versus depth are generally used together to indicate regions of compromised concrete quality. Some CSL data collection systems do not attempt to analyze the signal data, but simply plot the waveforms with depth for visual inspection.

CSL velocity variations may indicate zones of lower quality concrete, voids, and honeycombs in a drilled shaft. Actual defects are difficult to detect using CSL data in its present form, because CSL measurements must be assumed accurate

and absolute, not approximate, relative, and massaged. When good CSL data is available and reconstructed variations can be trusted as defects, the influence of a defect on foundation performance should be carefully examined. A drilled shaft should not be rejected simply because certain zones suggest a lower concrete quality. Design loads and the load bearing assessment should be taken into consideration relative to the anomaly location within the drilled shaft. For example, an anomaly near the base of a friction shaft may not significantly affect the load carrying capacity. The same anomaly in an end-bearing shaft in very loose soil may be of greater concern, depending on how the loads are applied to the shaft and transferred to the surrounding soil. An end bearing shaft experiences friction with the surrounding ground, as does a friction shaft. Actual loading conditions and load distribution should be evaluated to determine the effect of anomalies on overall shaft performance for defect definition.

CSL is not restricted by shaft length and can detect multiple anomalies within a drilled shaft, with accurate data collection. Combined with tomography and the option to create more signals on angled or offset paths, the size and location of defects can be better estimated. However, CSL is relatively expensive and requires pre-installation of access tubes. Debonding between tubes and concrete can seriously affect the results, corrupting measurements of entire sections of the shaft. Variations in hydration rates during concrete curing can also create anomalies in first arrival times and signal energies, falsely indicating lower quality concrete.

If only first arrival times or signal energy levels are used, no information outside the rebar cage can be obtained from CSL tests. Placing the access tubes outside the reinforcing cage significantly reduces the quality of data and complicates interpretation. Signals attenuate due to thermal cracking and debonding of the concrete in regions adjacent to the rebar cage. In friction shafts, concrete integrity

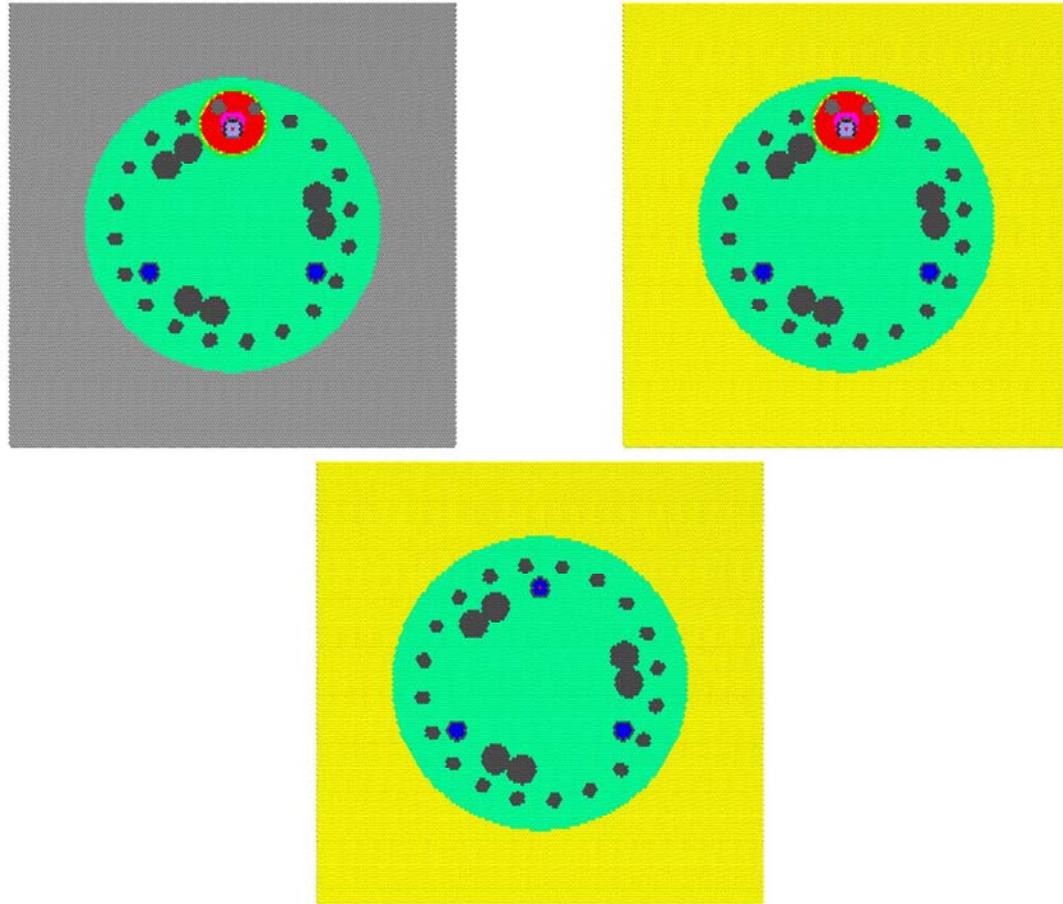
outside the steel-reinforcement cage is more critical to assess than the core of the shaft. This is a serious limitation of the CSL test.

### **6.3 CSL Velocity Variations**

Actual variations in sonic velocity within concrete structures such as drilled shafts originate from two sources, “structural” and “chemical”. This division breaks down naturally from the basic nature of concrete structures. Fundamentally concrete structures can be conceptualized as a form of artificial stone, formed from constituent components as a result of a clearly defined chemical process - the hydration of the cement. Water chemically reacts with the cement. Cement does not dry out, and water does not escape into surrounding porous materials or evaporate into the air, as is commonly thought. Defects resulting in a substantial reduction in the strength of concrete structures from its designed capacity may have two origins. Structural defects can be the result of a physical deviation in the process of forming the concrete structure, since structural design assumes a uniform mass of well mixed concrete. Defects may also occur when the concrete mixture is placed in the desired form as intended. These defects come from inherent weakness and variability in the process of the concrete curing itself. From the time concrete is poured to the time it is fully set, many dynamic processes take place. Variations in chemical reactions that form the concrete can result in decreased design strength. A defect in the concrete that decrease the performance of the shaft can be classified as a structural defect.

### **6.4 Effect of Surrounding Material on CSL Signals**

Figures 6.4 – 6.9 compare CSL signals from a drilled shaft surrounded by rock with signals from a shaft surrounded by clay. The full waveforms are shown for each model for comparison, since precise definitions of arrival times and energies



**Figure 6.4 Rock (Top Left) vs. Clay (Top Right) at 20  $\mu$ s, with Difference (Bottom)**

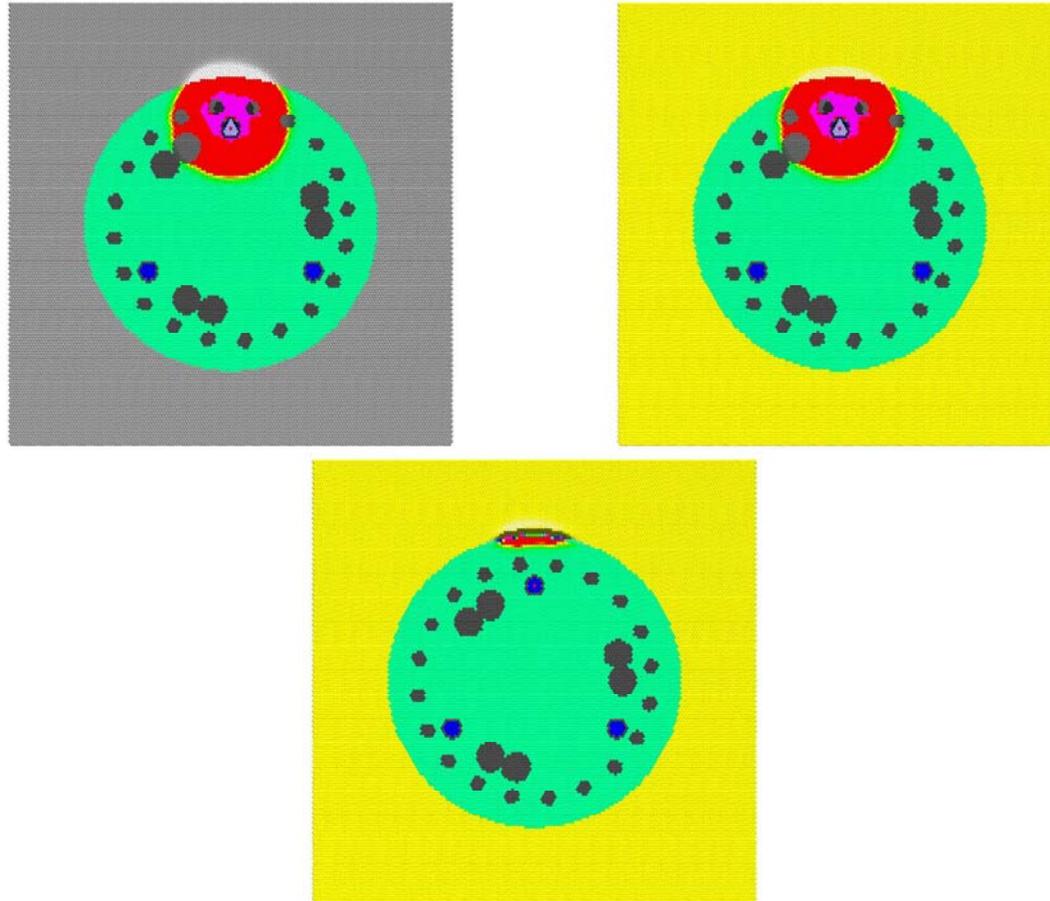
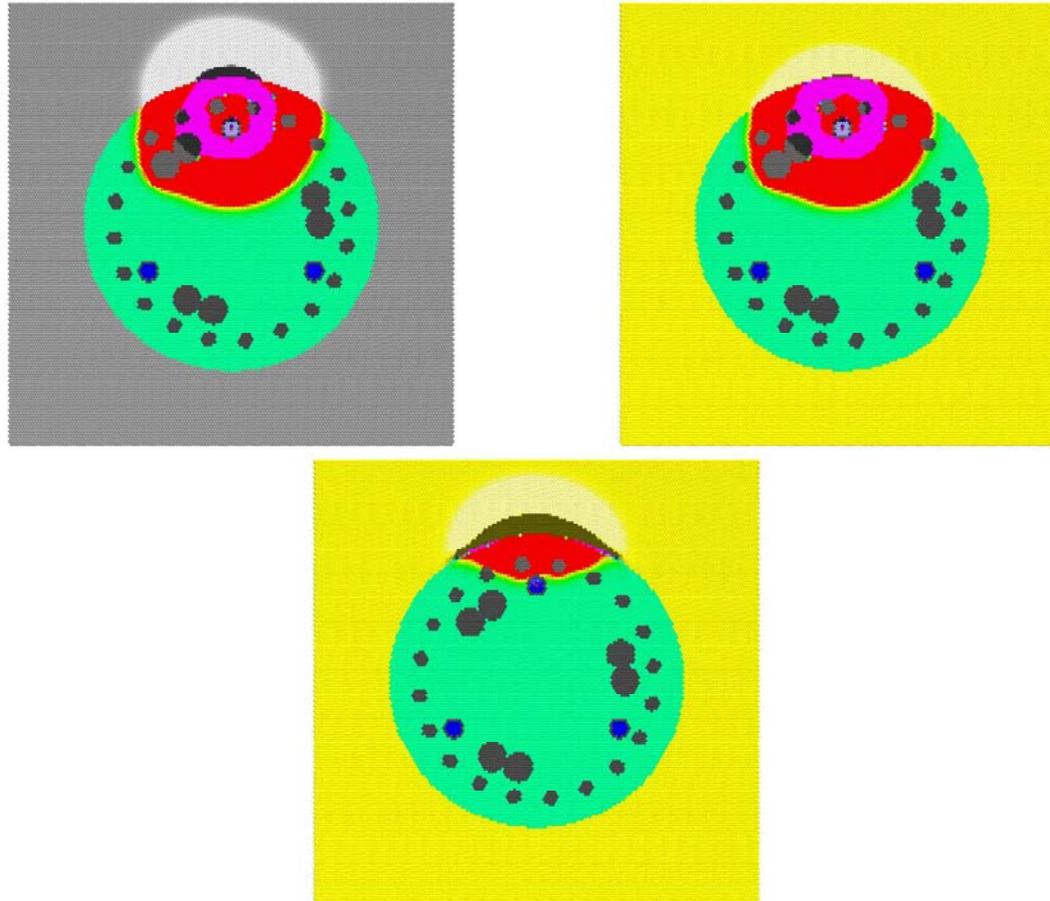
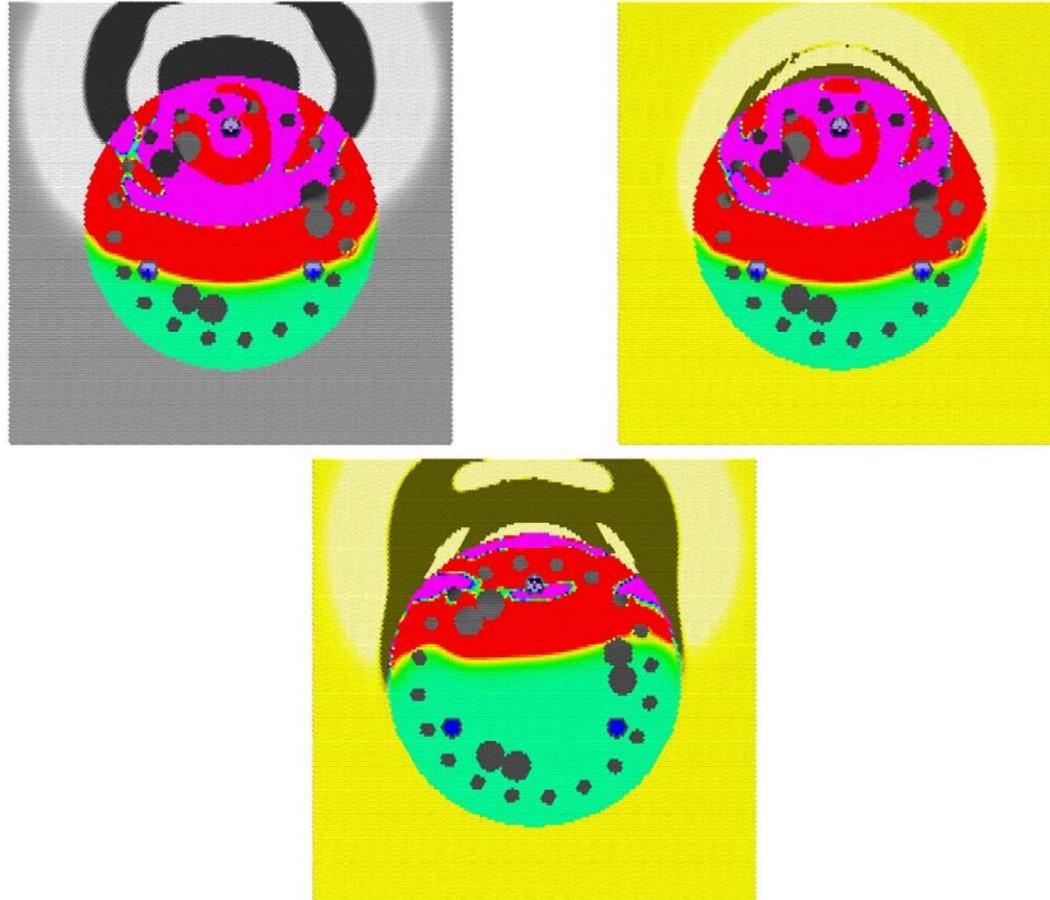


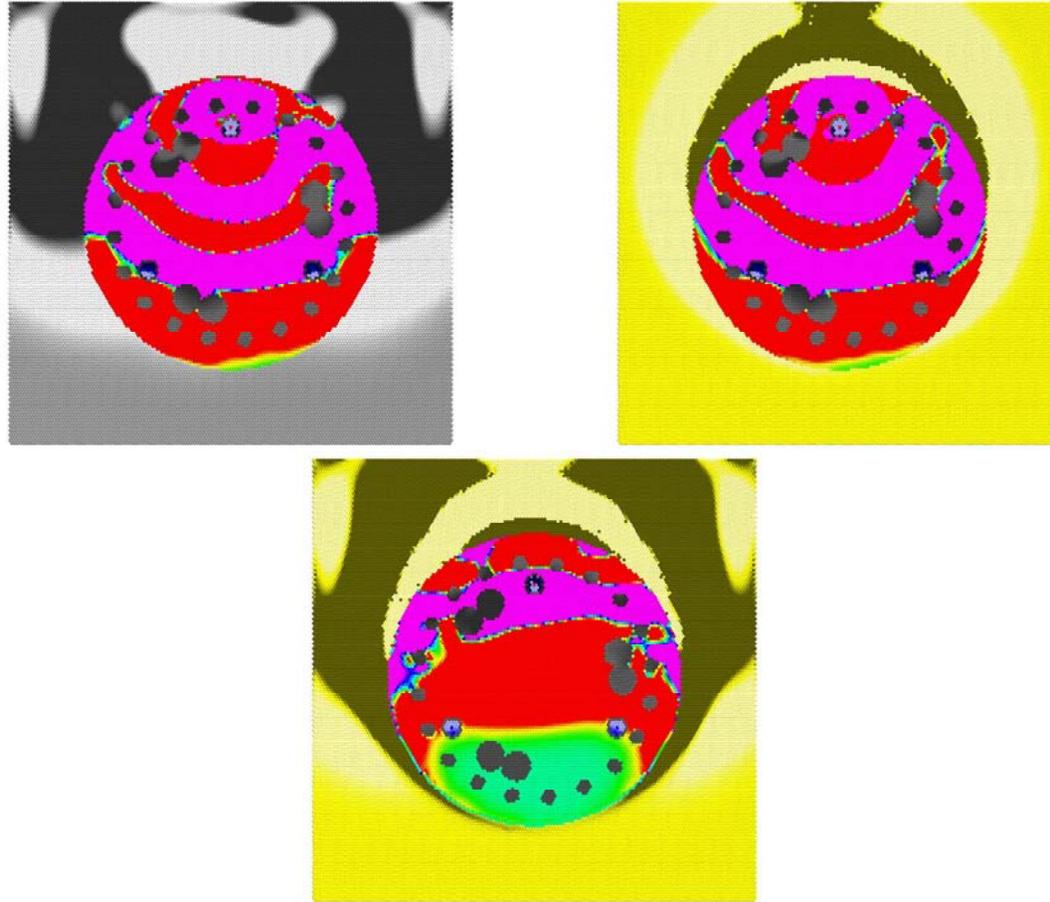
Figure 6.5 Rock (Top Left) vs. Clay (Top Right) at 60  $\mu$ s, with Difference (Bottom)



**Figure 6.6 Rock (Top Left) vs. Clay (Top Right) at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.7 Rock (Top Left) vs. Clay (Top Right) at 300  $\mu$ s, with Difference (Bottom)**



**Figure 6.8 Rock (Top Left) vs. Clay (Top Right) at 500  $\mu$ s, with Difference (Bottom)**

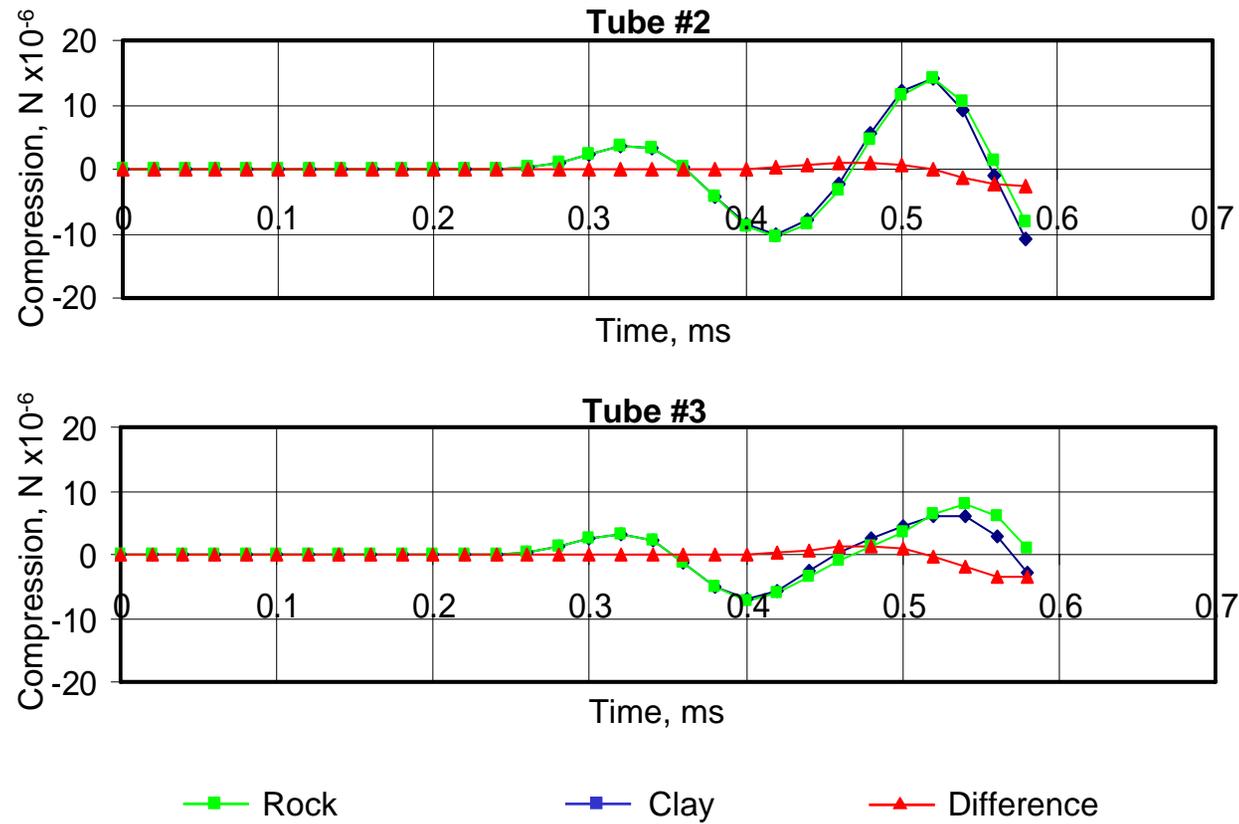


Figure 6.9 CSL Signals from Rock vs. Clay, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

are not standardized and difficult at times to quantify. The waveforms for the rock/clay model are shown in Figure 6.9.

Figure 6.4 shows the compression wave propagating from the top access tube (Tube #1) after 20  $\mu\text{s}$ . The surrounding rock is displayed on the left with a gray palette, and the shaft in soil is on the right with a yellow palette. The difference is shown at the bottom, but there is no difference between the compression waves at this stage.

The cross-section shows three water-filled steel access tubes with an impulse source located in the top tube (Tube #1), and receivers located in the center of the two lower tubes (Tubes #2 and #3).

Figure 6.5 shows the compression wave at 60  $\mu\text{s}$ , as the wave first interacts with the surrounding ground. The difference plot shows the reflection, with the same polarity as the source signal. The rock has a higher stiffness than the clay, resulting in a reflection with the same polarity.

The compression wave continues to propagate to the edge of the shaft and encounters the surrounding soil. A portion of the wave propagates into the soil, while another portion reflects back into the concrete shaft. The concrete has a higher stiffness and density than the clay, resulting in a reverse-polarity reflection. However, the rock has higher stiffness than concrete, so results in a reflection with the same polarity.

Figure 6.6 shows the compression wave at 120  $\mu\text{s}$ , as the first tension wave interacts with the surrounding ground. The compression wave travels faster through the rock than through the clay, because of the higher stiffness of the rock. The difference plot shows the reflection bending around the perimeter of the

shaft, corresponding to the interaction of the wavefront with the surrounding ground.

Figure 6.7 shows the compression wave at 300  $\mu\text{s}$ , as the first compression wave reaches the access tubes. The arrival is identical for both access tubes. The difference plot shows the reflection lagging far behind, contributing no effect on the initial waveform.

The sensors in the access tubes measure the compression waves in the water, which may not necessarily correspond to the compression waves in the concrete. Compression in the water is indicated using a gradient blue palette, with lighter blue for positive compression, blue for neutral compression, and dark blue for negative compression, or tension.

The compression wave propagates through the drilled shaft, followed by a tension wave. The wavefront is circular when traveling through a homogenous medium.

Figure 6.8 shows the compression wave at 500  $\mu\text{s}$ , as the first tension wave reaches the access tubes. This also happens to correspond to the instant when the concrete/ground reflection first reaches the access tubes. The tension wave in the water is lagging behind the tension wave in the concrete.

The compression wave patterns in the access tubes should be noted. The compression wave in the receiver access tube exhibits a slightly delayed arrival due to the lower compression wave velocity of water. As the compression wave first contacts the tube, the wave travels quickly around the tube due to the higher compression wave velocity of steel. However, the water in the tube has a significantly lower compression wave velocity, resulting in a slight delay in arrival time measurements.

The compression waves in the source tube do not necessarily correspond to the compression waves propagating through the concrete due to multiple reflections among the water, steel tube, and concrete interfaces.

Figure 6.9 compares the waveforms collected in the access tubes. The waveform in the top graph refers to the signal collected in the shaft surrounded by rock and clay, with the source in access tube #1, and the receiver in tube #2. The x-axis is plotted in milliseconds, and the y-axis is average compression force, in nano-Newtons. The difference between the rock and clay surrounded shafts is also shown in the plot. Similarly, the waveforms collected in access tube #3 are shown in the lower graph.

Since the rock has only a slightly higher density and stiffness than concrete, the reflected compression arrival has a slightly higher amplitude than the soil reflection. This study is primarily concerned with the first arrival, as velocity determination using CSL uses only first arrival information. This example indicates that important information about the shaft outside of the reinforcement cage and the environment surrounding the shaft is contained in the full waveform, and can be extracted using model inversion techniques.

The surrounding environment can have a large effect on first arrivals during the curing phase. Since initial CSL measurements are acquired during and shortly after the second hydration phases of concrete curing, this is an important factor to take into consideration. The effects of the surrounding environment on concrete temperature and CSL velocity are presented later in this study.

### **6.5 CSL Wave Interaction with Rebar**

Figures 6.10 – 6.15 compare CSL signals from a drilled shaft with no rebar with signals from a typical shaft with rebar. The purpose is in part to test the claim that

rebar scatters and disrupts the signal, requiring access tubes be located inside the rebar cage.

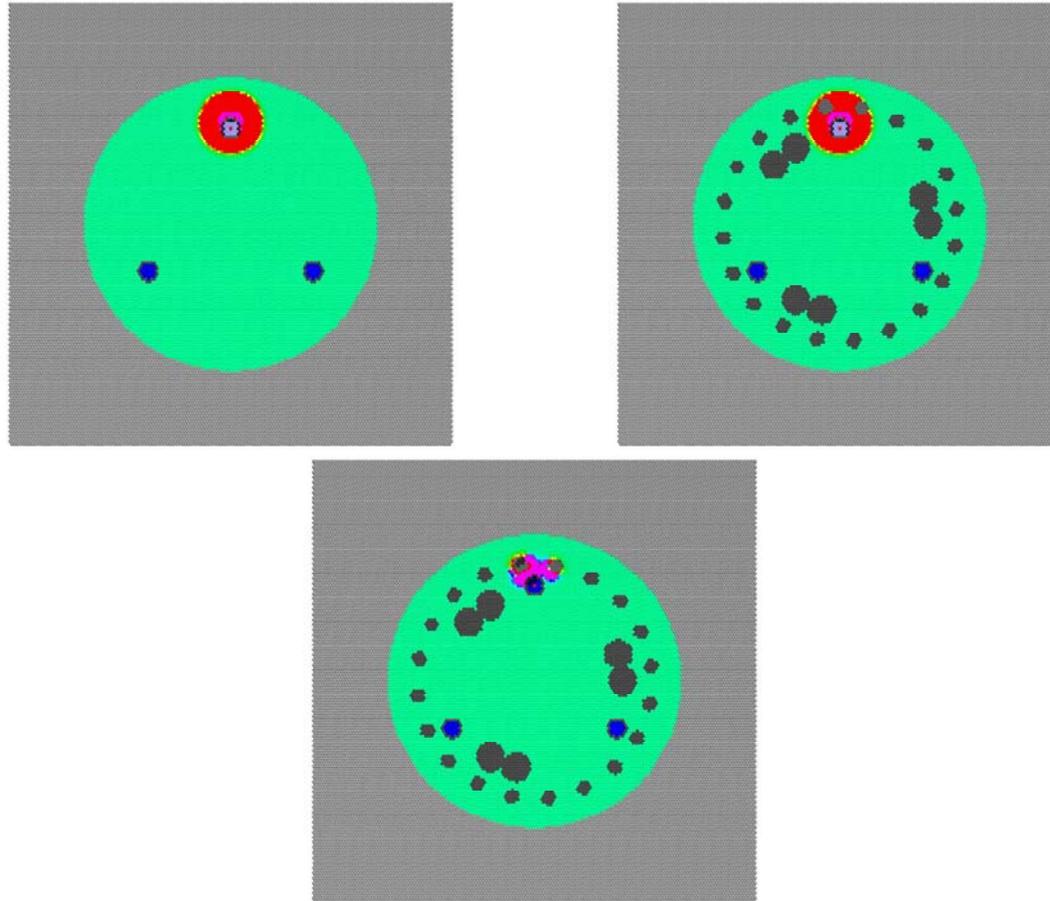
Figure 6.10 shows the compression wave propagating from the top access tube after 20  $\mu\text{s}$ . The concrete has lower density and stiffness than the rebar, resulting in the reverse-polarity difference shown in the difference plot. The actual reflection is the same polarity, but is shown reversed because of the order of the difference.

Figure 6.11 shows the compression wave at 60  $\mu\text{s}$ , as the wave first interacts with the surrounding ground. The rebar slightly deforms the wavefront, but the scattering does not destroy the compression wave entirely. The difference plot highlights the effects of the rebar.

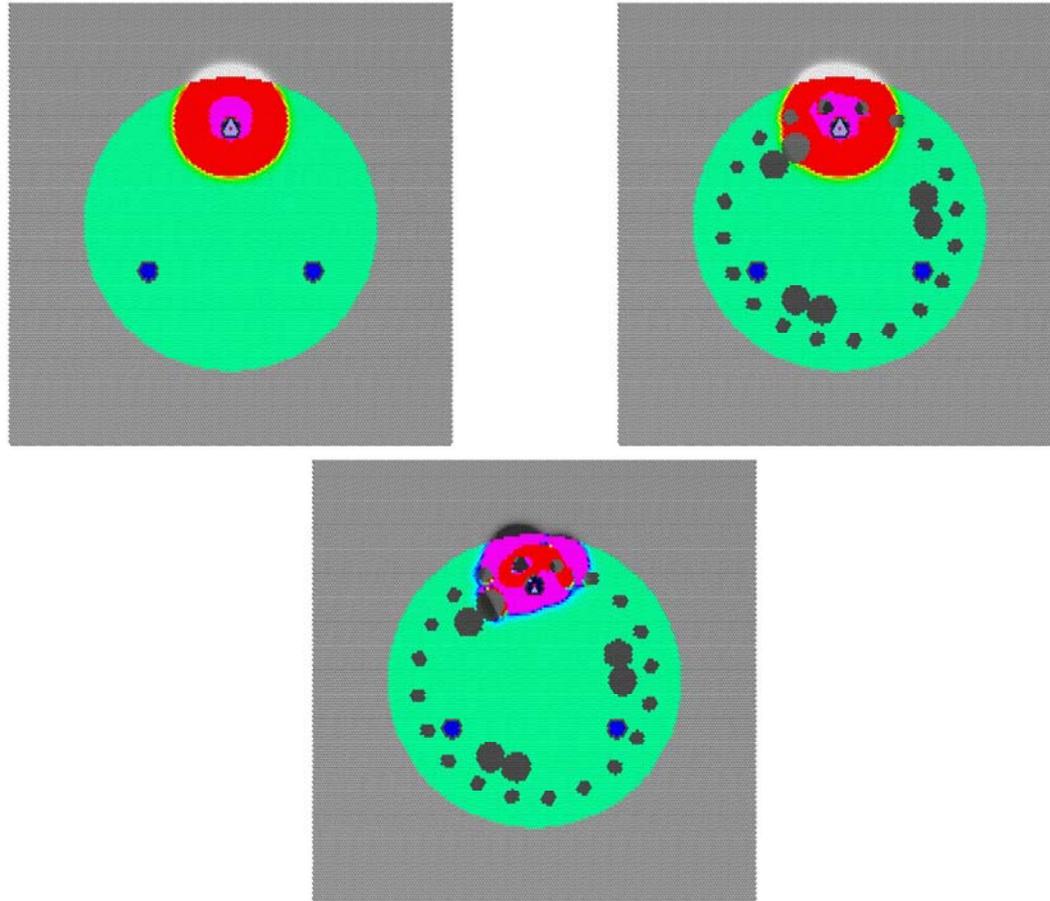
Figure 6.12 shows the compression wave at 120  $\mu\text{s}$ , as the first tension wave interacts with the surrounding ground. The top plots show that the signal propagating into the rock is not noticeably affected after passing through the rebar.

Figure 6.13 shows the compression wave at 300  $\mu\text{s}$ , as the first compression wave reaches the access tubes. The arrival is practically identical for both access tubes. The difference plot shows the rebar does have a slight effect on the amplitude of the arrival, and will affect the rest of the waveform.

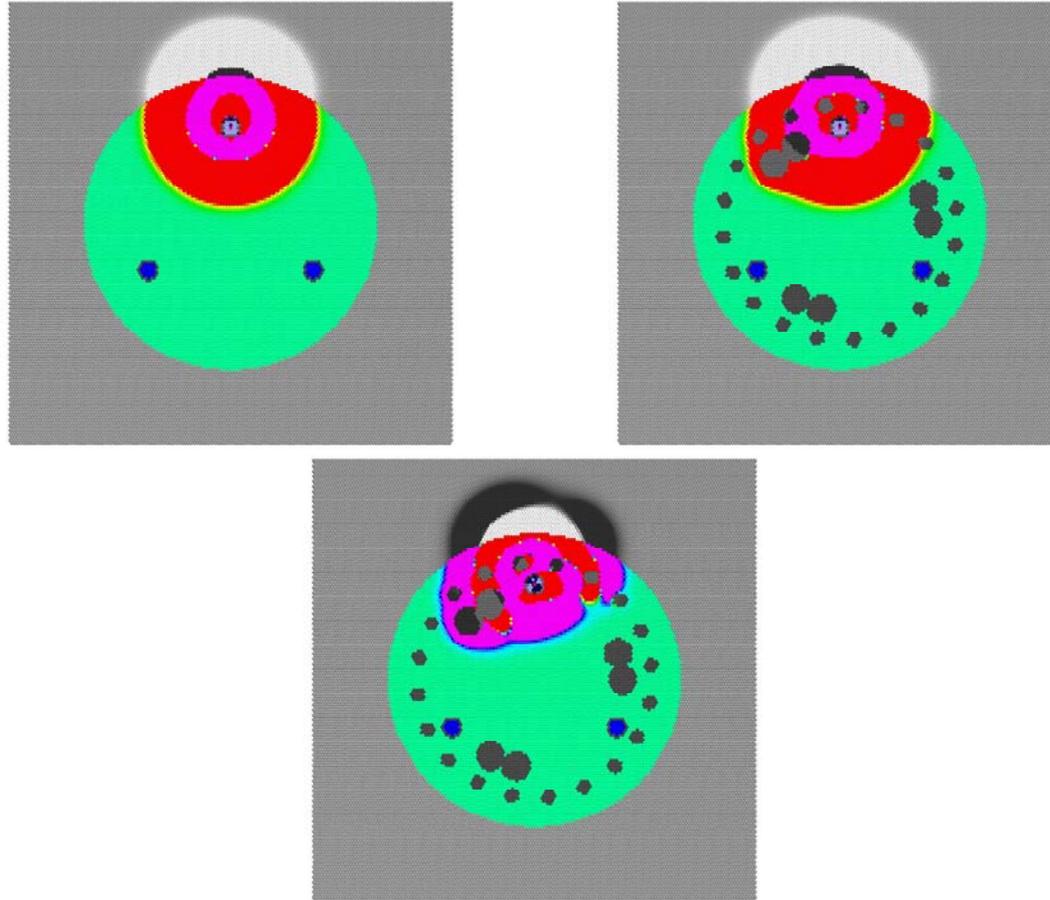
Figure 6.14 shows the compression wave at 500  $\mu\text{s}$ , as the first tension wave reaches the access tubes. The first tension wave arrivals are essentially the same. The rebar does distort the wavefront, but the scattering is not significant for CSL purposes.



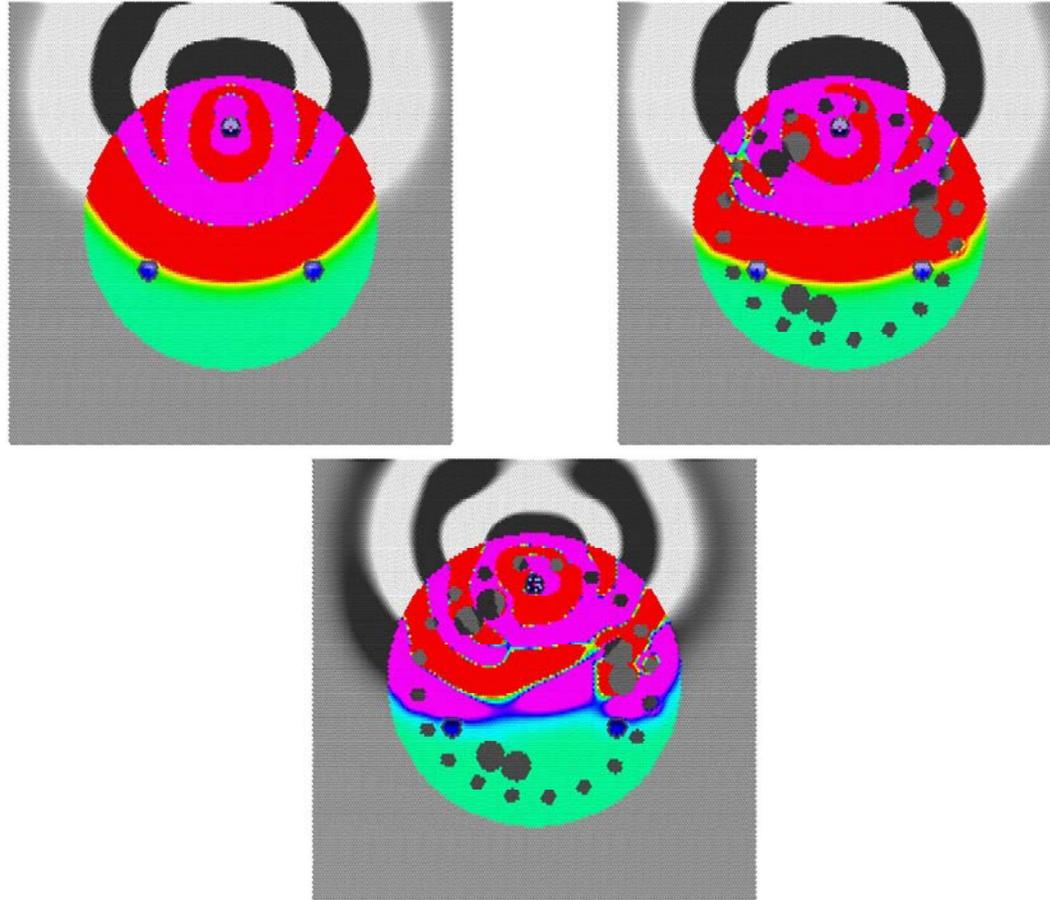
**Figure 6.10 No Rebar (Top Left) vs. Rebar (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



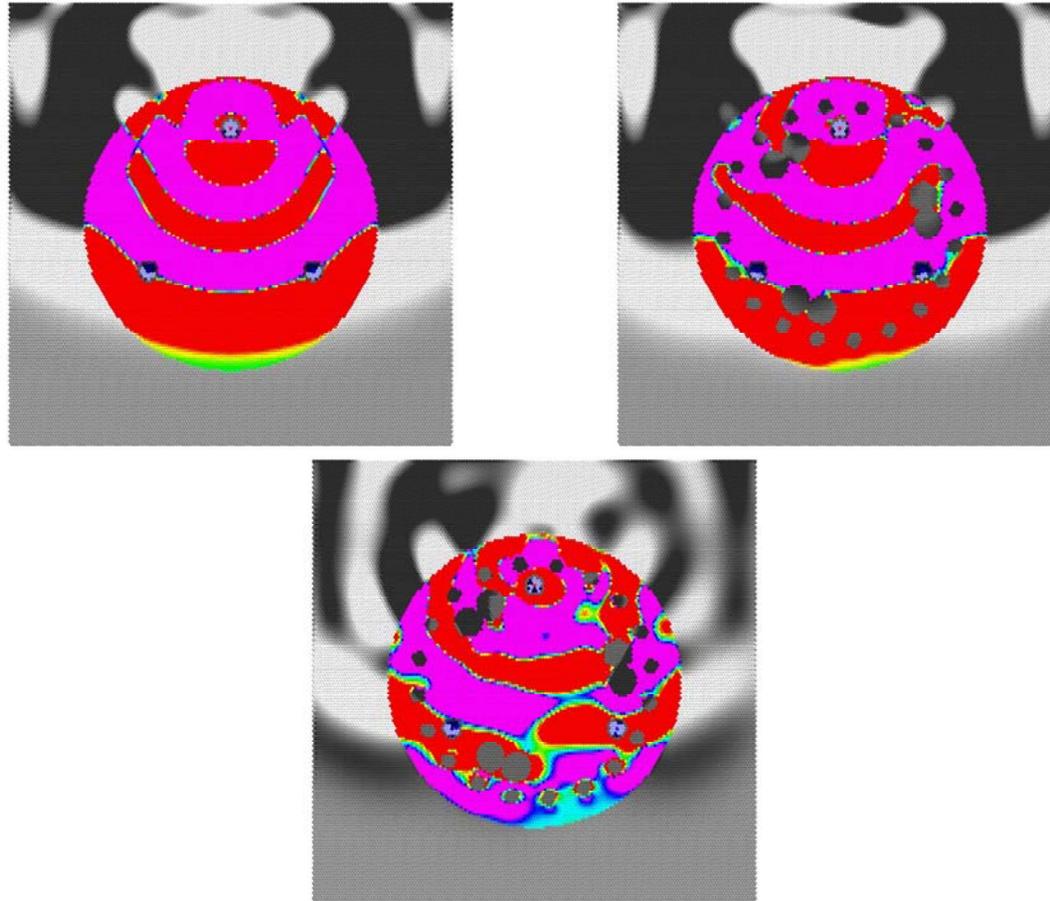
**Figure 6.11 No Rebar (Top Left) vs. Rebar (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



**Figure 6.12 No Rebar (Top Left) vs. Rebar (Top Right) at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.13 No Rebar (Top Left) vs. Rebar (Top Right) at 300 μs, with Difference (Bottom)**



**Figure 6.14 No Rebar (Top Left) vs. Rebar (Top Right) at 500  $\mu$ s, with Difference (Bottom)**

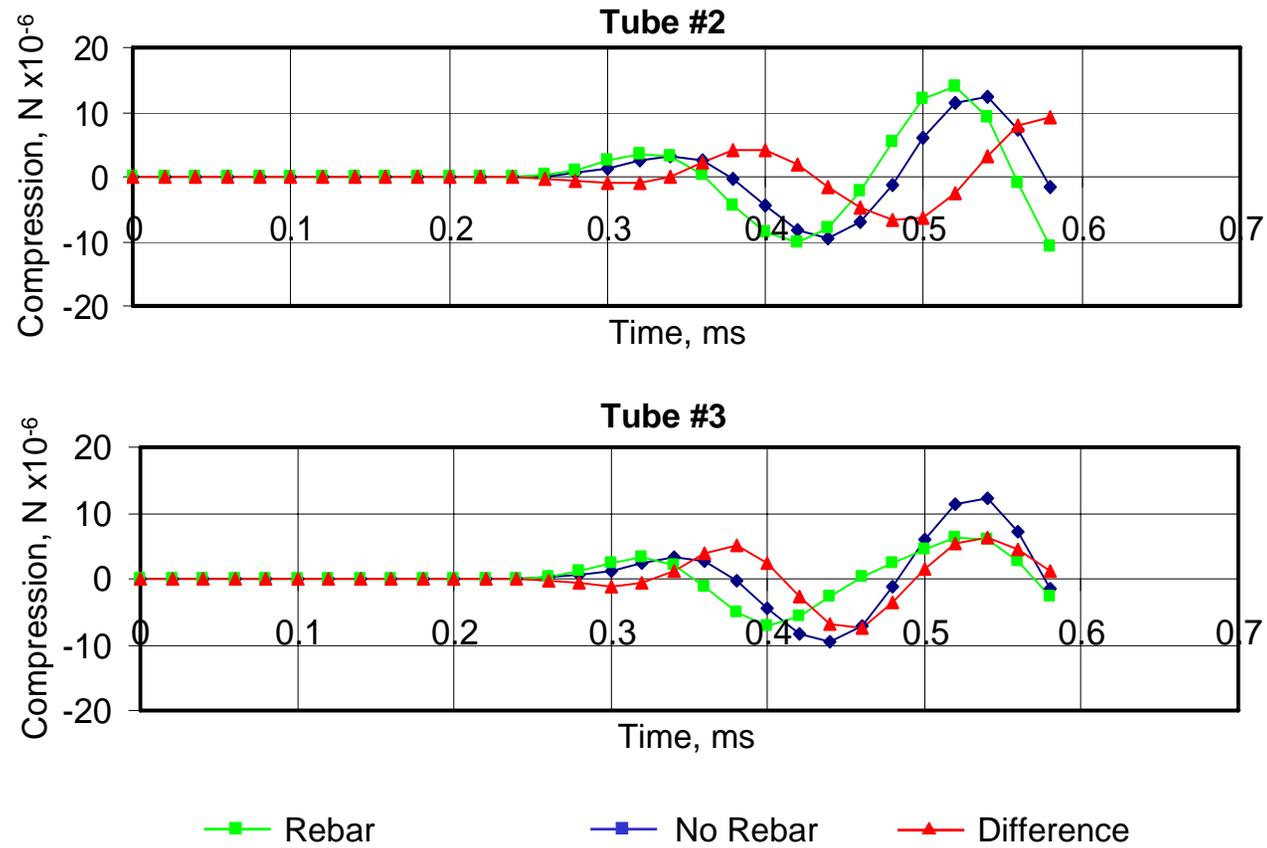


Figure 6.15 CSL Signals from No Rebar vs. Rebar, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

Figure 6.15 compares the waveforms collected in the access tubes. Although the rebar theoretically does not influence the first arrival, the waveforms show that the rebar has a large enough effect on the subsequent waveform that it could affect the first arrival pick, depending on the person making manual picks, or on the picking algorithm if performed automatically. For CSL systems that simply plot the raw data, the effect of rebar could affect interpretation.

## **6.6 Tube Effects**

Access tubes can affect CSL velocity and energy in various ways. Numerical modeling can be used to quantify these effects. Different tube materials such as steel and PVC, with different thicknesses, can result in different waveforms. The effect of tube bending is significant. Tube deviation surveys are critical for eliminating these errors.

Tubes form a discontinuity in the concrete shaft. When filled with water or air, the tubes create a region of lower velocity that, unlike solid concrete, does not propagate shear waves. However, the previous numerical model study of the effects of rebar suggests that the tubes have minimal influence on the wave, and will not result in pronounced wave distortion, diffusion, reflection, or scatter.

Errors in the source and receiver location increase the probability of false defect classification, especially with tomographic reconstructions. Concrete is injected through the center of the drilled shaft during placement, and the pressure and flow of the concrete mix tends to displace tubes outward from the center. Eddy currents within the mix, together with vibrations during pouring, can displace tubes unpredictably. Tubes may be bent prior to placing the mix due to the weight of the rebar support cage itself. This often results in unpredictable tube

bending in the bottom of the shaft. Tubes also can bend near the surface, resulting in inaccurate measurements of tube separations deeper in the shaft.

When tubes bend away from the center, the tubes are farther apart than assumed. This increase in distance results in an increase in travel time and a corresponding decrease in observed velocity. Methods used to correct for these errors can be problematic as actual low-velocity regions may be eliminated unintentionally.

One technique to adjust for unexpected low-velocity readings is to adjust the tube separation measurements to produce a more acceptable result. Arrival picks may also be individually adjusted, or massaged, to remove unwanted artifacts. Other techniques, such as Tomographic Velocity Equalization<sup>1</sup>, may be incorporated to correct for “cycle skipping” pick errors, or to account for tube bending.

Adjustment techniques such as these, no matter how sophisticated, cannot guarantee accurate results in every case. Tube bending can be accurately determined in some cases assuming the concrete is consistent. However, there are cases when tube bending and inconsistent concrete are indistinguishable. For example, suppose one competent drilled shaft has a pressure surge at a certain depth, bending all the tubes away from the center. Suppose another defective shaft has a bad slurry mix resulting in a lower velocity defect at a certain depth. Both sets of arrival time picks for these shafts could be identical. Both sets of density data and temperature measurements could be identical, because the tubes in the former shaft would be bent outward. Both shafts would be either rejected or accepted by these adjustment techniques. This could result in additional cost to determine that the competent shaft had bent tubes, or could result in an undetected defect.

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<sup>1</sup> Defects in Drilled Shaft Foundations, (2000) FHWA CFLHD publication, February, pp 17-19.

The solution is not to modify arrival picks, guess at tube bending, or construct more sophisticated statistical analysis techniques. The solution is to incorporate more data, such as tube deviation measurements, into CSL surveys.

### **6.6.1 Tube Material: PVC versus Steel Tubes**

Access tubes are generally made of steel or PVC. PVC is used primarily for superior signal quality.

Figures 6.16 – 6.21 compare CSL signals from a drilled shaft with PVC access tubes to signals from a shaft with steel tubes. This comparison requires a 3-D model to properly analyze the effects.

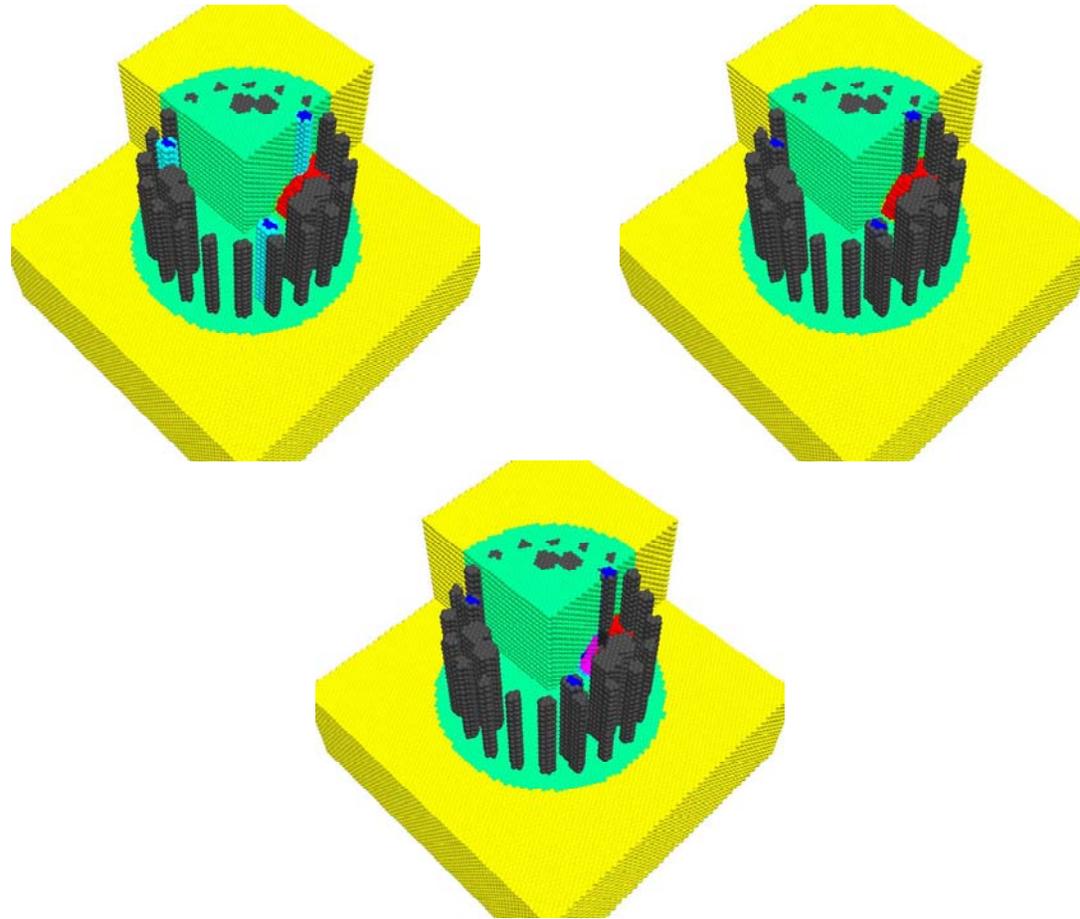
Figure 6.16 shows the compression wave propagating from the source access tube on the upper right after 20  $\mu$ s. The PVC model, with light blue access tubes, is on the left. The model with steel access tubes is on the right.

Figure 6.17 shows the compression wave at 60  $\mu$ s, as the wave first interacts with the surrounding ground. Both wavefronts appear similar, and differ only in amplitude.

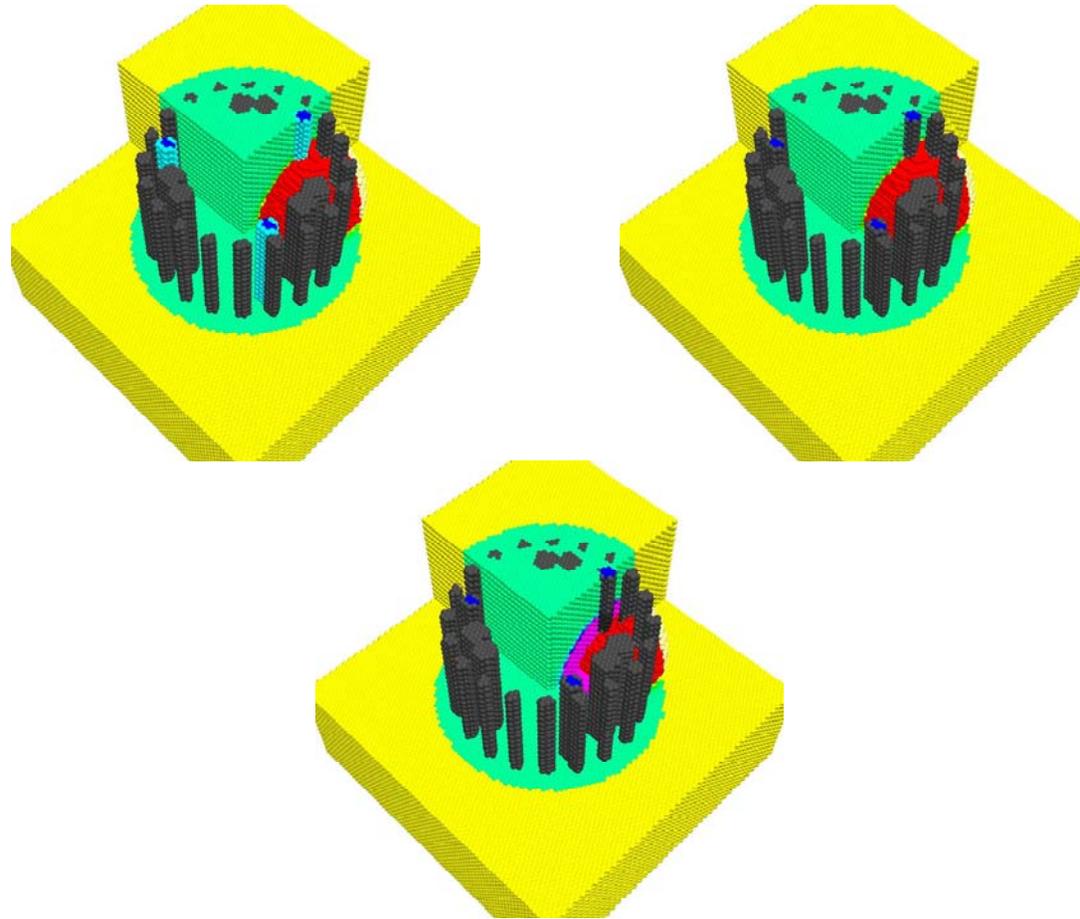
Figure 6.18 shows the compression wave at 120  $\mu$ s, as the compression wave approaches the receiver access tubes. The wavefronts are virtually identical in shape.

Figure 6.19 shows the compression wave at 300  $\mu$ s, as the first compression wave reaches the receiver access tubes. The arrival is practically identical for both models.

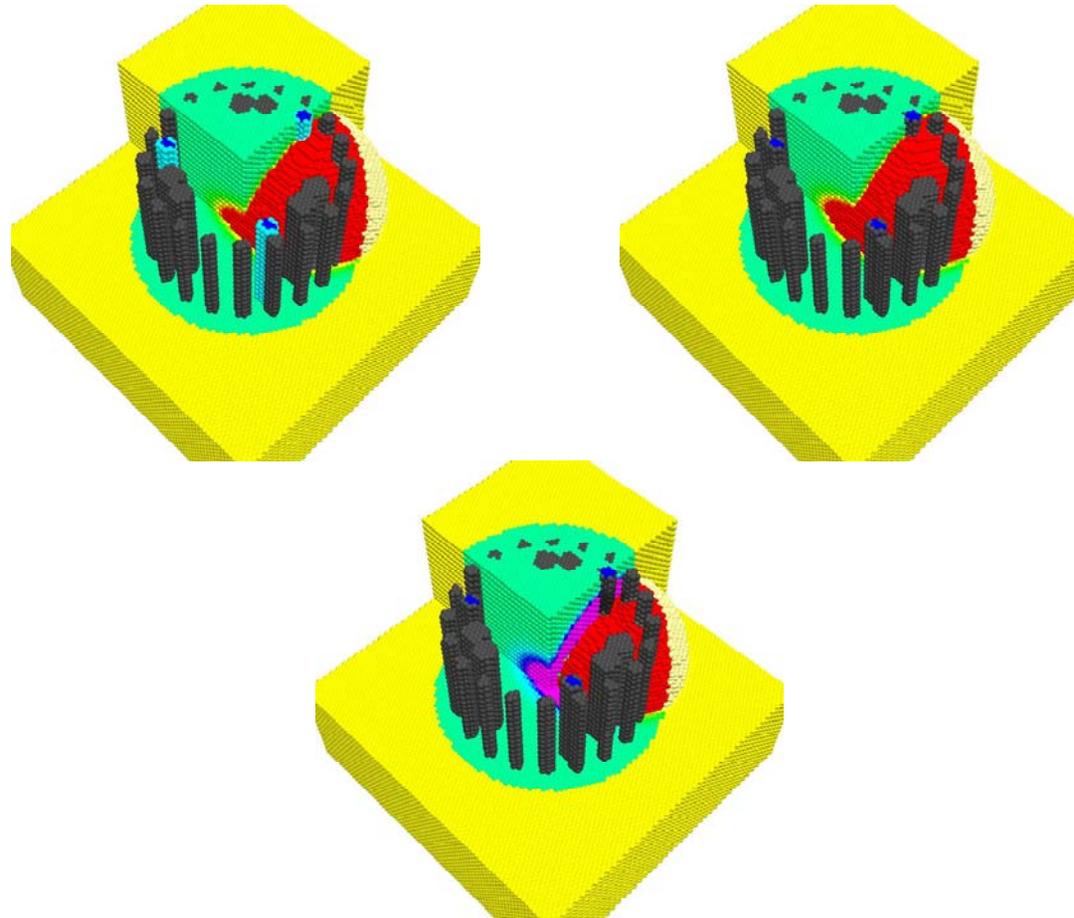
Figure 6.20 shows the compression wave at 500  $\mu$ s, as the first tension wave



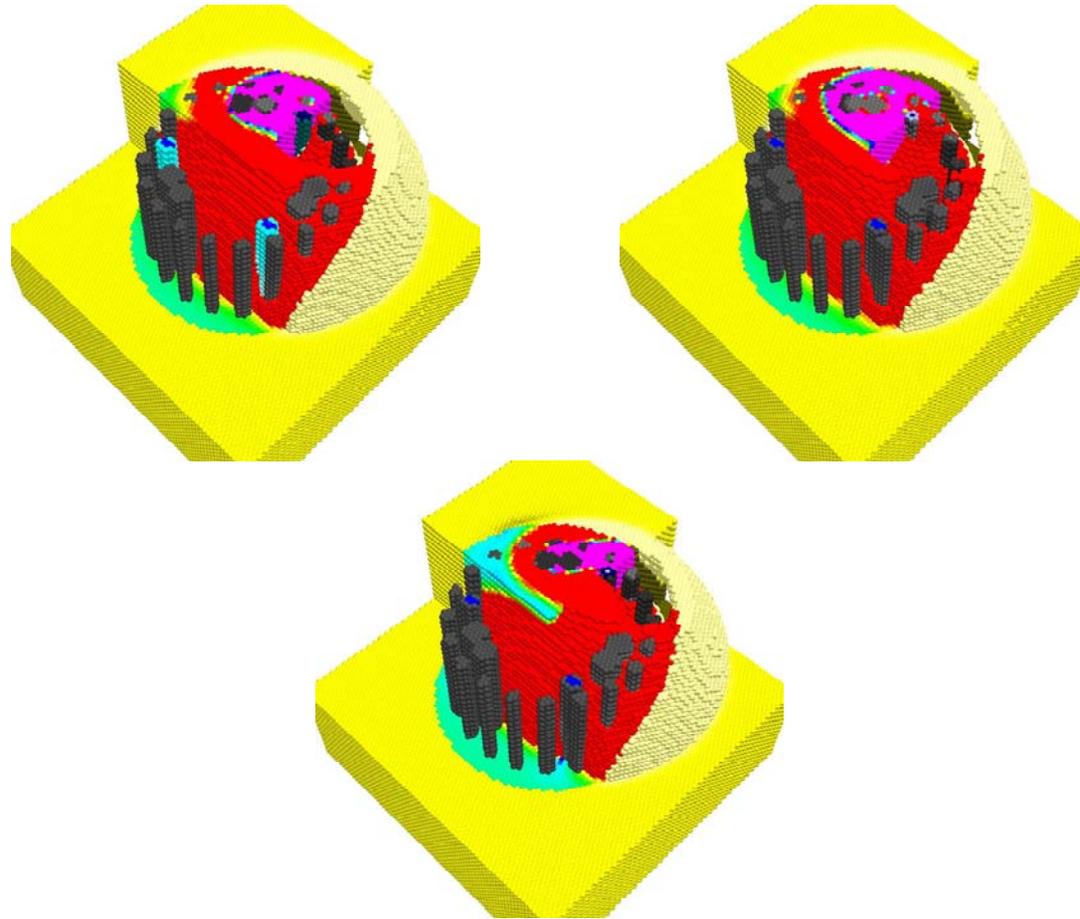
**Figure 6.16 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 20  $\mu$ s, with Difference (Bottom)**



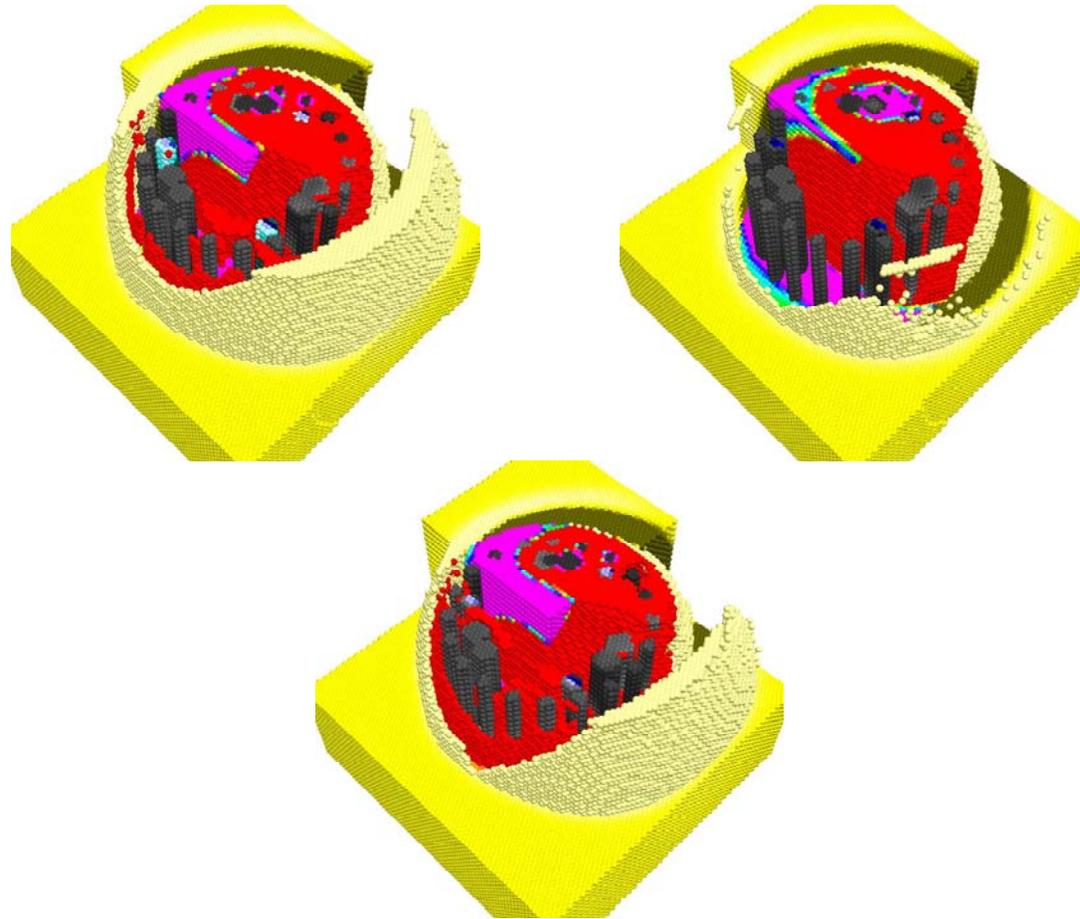
**Figure 6.17 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 20  $\mu$ s, with Difference (Bottom)**



**Figure 6.18 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.19 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 300  $\mu$ s, with Difference (Bottom)**



**Figure 6.20 PVC (Top Left) vs. Steel (Top Right) Access Tubes at 500  $\mu$ s, with Difference (Bottom)**

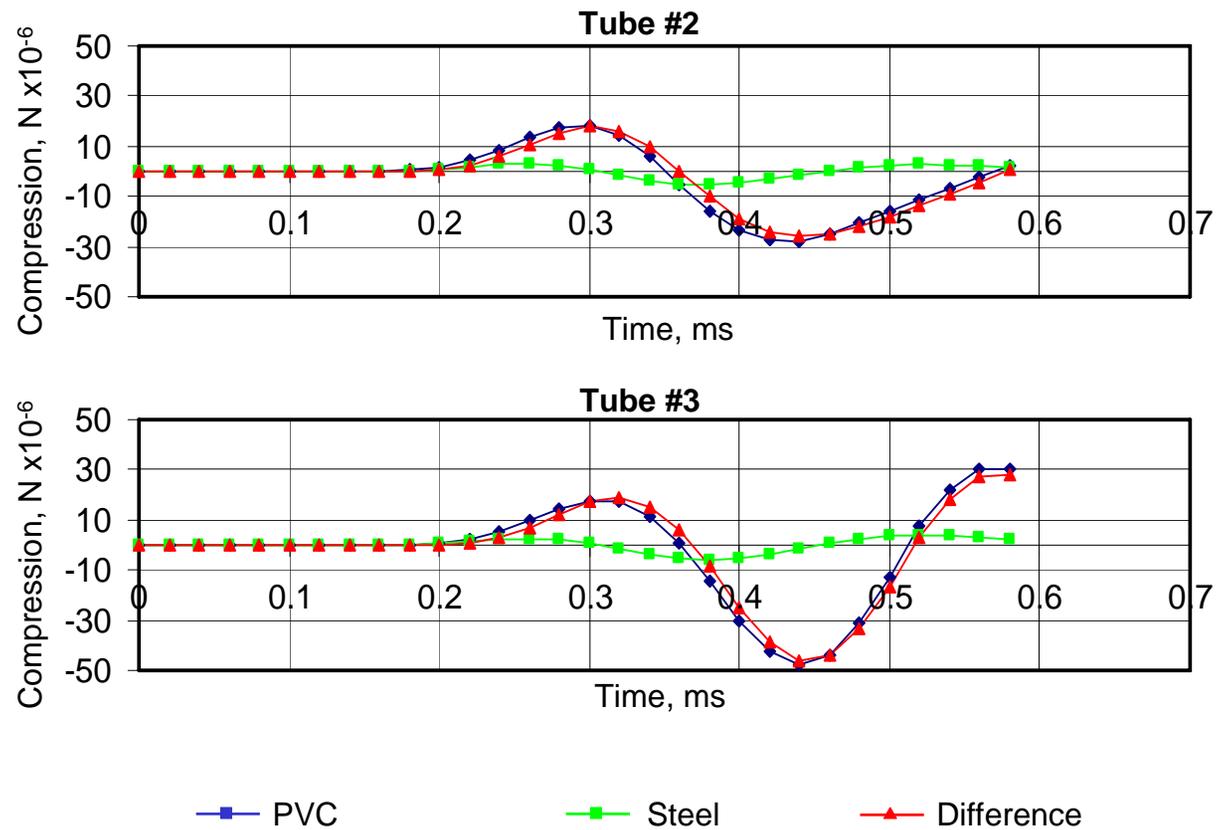


Figure 6.21 CSL Signals from PVC vs. Steel Access Tubes, between Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

reaches the access tubes. The amplitude of the signal from the steel tubes is significantly less, but the wavefront shape remains similar.

Figure 6.21 compares the waveforms collected in the access tubes. The signal amplitude using PVC tubes is at least five times higher than steel. A larger portion of the compression wave energy is absorbed by the steel and transmitted up the tube rather than into the concrete, resulting in lower amplitude signals measured at the receiver. The first arrivals are the same, but the peak of the first compression wave is significantly different. The peak from the steel access tube arrives approximately 50  $\mu$ s before the peak from the PVC. This phenomena will have significant effects on arrival picks based on the first compression peak.

Although PVC transmits a higher amplitude signal, PVC is easily broken during concrete placement, preventing CSL surveys from being conducted. PVC also has a thermal expansion five times higher than steel, as shown in Table 6.3. For this reason, the use of PVC often results in tube debonding in a short period of time as the shaft cools. PVC is more brittle than steel, and occasionally is broken during placement. PVC also can be crushed by the shrinking concrete during the curing process. Because of the disadvantages of using PVC, and because steel is more commonly used, the remainder of the models in this study will use steel access tubes.

**Table 6.3 Thermal Expansion of PVC and Steel (inches/100 ft)<sup>2</sup>**

Temperature Change °F	PVC	Steel
25	0.9	0.18
50	1.8	0.36
75	2.7	0.54
100	3.6	0.72
150	5.4	1.08

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<sup>2</sup> [http://www.engineeringtoolbox.com/thermal-expansion-pvc-14\\_782.html](http://www.engineeringtoolbox.com/thermal-expansion-pvc-14_782.html)

### **6.6.2 Tube Debonding**

Debonding conditions between the tubes and the concrete occasionally occur in a shaft for various reasons. One common cause is initial tube expansion during the curing process due to heat from concrete hydration, followed by contraction of the tube as the concrete cools. The vertical expansion is much greater than the radial expansion, causing tubes to slide vertically, breaking contact bonds at the tube/concrete interface. Since tubes usually are anchored in the bottom of the shaft due to initial concrete placement, the largest vertical displacement will occur in the upper portion of the shaft. Tubes disturbed after concrete placement can also result in tube debonding in the upper portion of the shaft. However, the most common cause of tube debonding is due to thermal expansion, especially when PVC access tubes are used.

Tube debonding in upper regions can also be caused by mechanically induced stress, such as bending or impacting the access tubes. Tube debonding can also occur even when tubes are not disturbed during the curing process. If the top of the shaft is not well insulated or the tubes are not filled with water immediately after concrete pouring, large temperature gradients can form within the concrete. The gradient is especially severe in the region of the tubes because the tubes readily transmit heat to the surface. Large temperature gradients may also result in severe micro cracking and reduce the strength of concrete in the foundation.

Tubes should be filled with clean drinking water before or shortly after concrete placement. Filling tubes with water inhibits the debonding of the concrete from the tube. Tube debonding occurs when heat is dissipated too quickly, creating a large temperature gradient surrounding the tube. A large temperature gradient results in cracking, not only from added stresses from tube shrinkage, but also from internal cooling induced stresses in the concrete. Water has a higher specific

heat than air and provides the necessary insulation to reduce the temperature gradient to acceptable levels. A rule of thumb in construction practice is to add water to the tubes within one hour after concrete placement. However, the first hydration phase of the curing process completes within the first 15 minutes, so water should be added before or as soon as possible after concrete placement.

Stress on the tubes before curing can also cause tube debonding. Excess torque or impacts during removal or replacement of tube caps or plugs can result in stresses that break the bond between the tubes and the concrete, even deep within the drilled shaft. So, care must be taken to avoid this problem.

Tube debonding can significantly attenuate signals at both the source and receiver, resulting in reduced velocity measurements or lost data. Examining only the first arrival and signal amplitude is not adequate for distinguishing tube debonding from actual defects. Full waveform inversion techniques should be employed to accurately reconstruct the occurrence and extent of tube debonding.

Although initial tube debonding may appear harmless, the micro-cracks provide an inlet for future contaminants to enter and corrode the internal structure of the concrete and rebar support. Tube debonding can form and extend long after concrete curing, due to shaft deformation from loading stresses, ground settlement, freeze-thaw cycles, exposure to contaminants, and thermal expansion and contraction of the shaft and the surrounding environment.

The concrete in the shaft should normally be allowed to cure at least 1-2 days prior to testing. If PVC tubes are used, testing should be done within 10 days after the placement of concrete due to possible tube-concrete debonding. If steel tubes are used, testing can be done within 45 days after concrete placement as the steel tubes bond better than PVC tubes over a longer time.

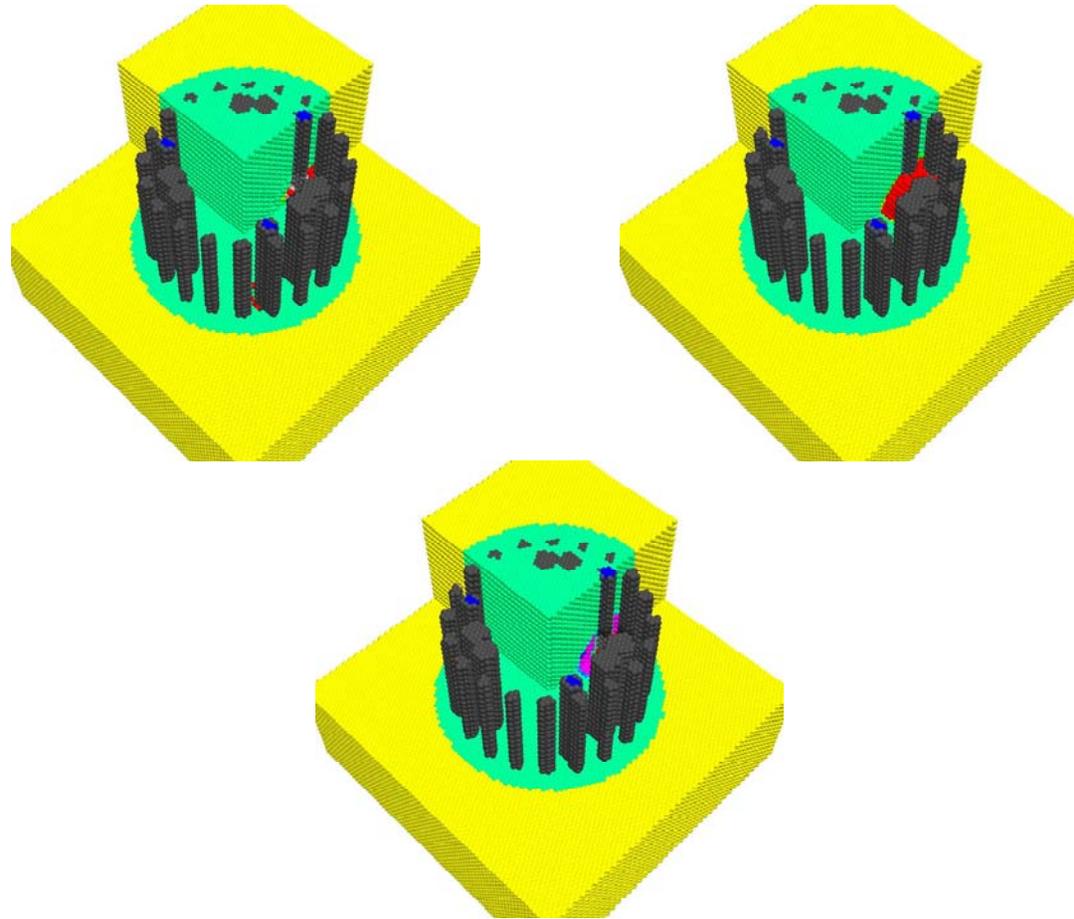
Although CSL does require installation of tubes that could compromise the durability and performance of concrete in the long term, the same debonding issues apply to rebar within the concrete. In any event, care should be taken to avoid detrimental long-term effects.

Extreme tube debonding should be a serious concern. However, very slight tube debonding can be difficult to detect, but still can result in serious long-term effects.

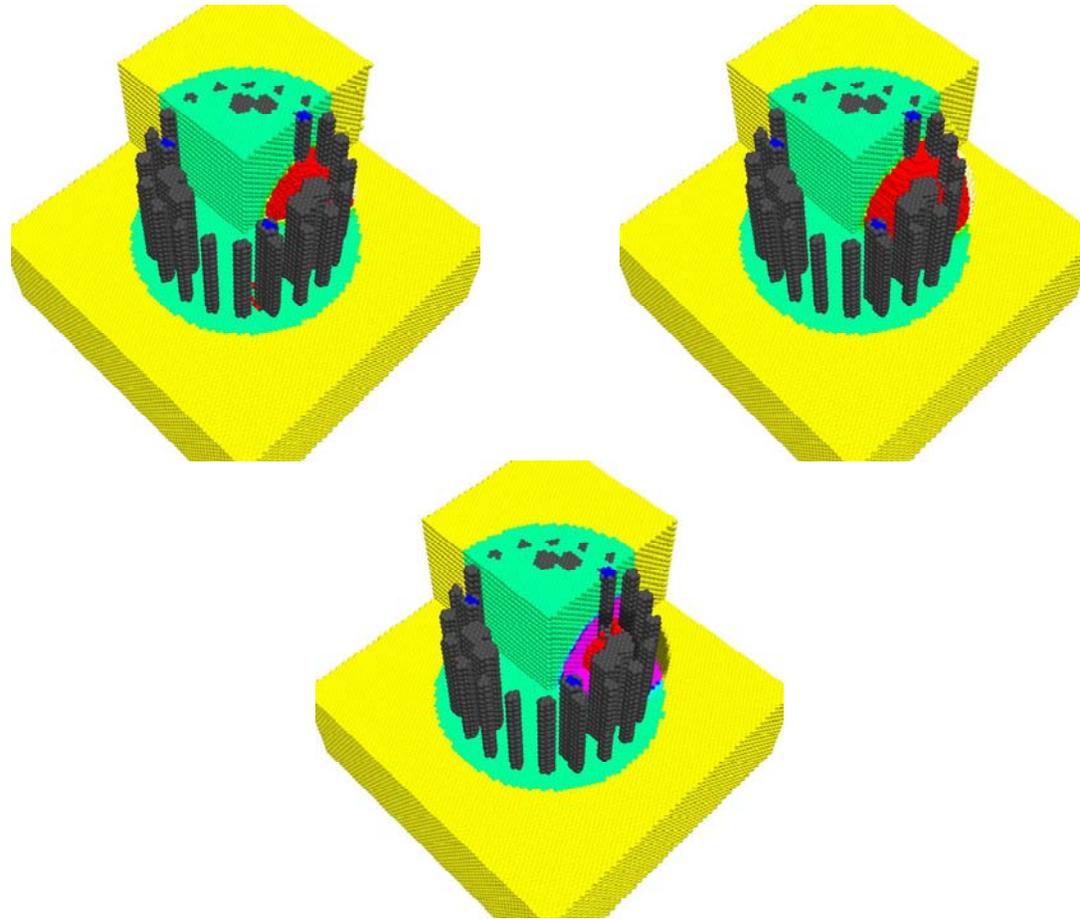
Figures 6.22 – 6.27 compare CSL signals from a drilled shaft with tube debonding defects to signals from a shaft with no defect. This comparison requires a 3-D model to properly analyze the effects. A 0.5 m tube debonding defect is placed around the source access tube 1 and tube 2. The defect extends 0.25 m above and below the source and receiver.

Figure 6.22 shows the compression wave propagating from the source access tube on the upper right after 20  $\mu$ s. The debonding defect significantly blocks wave propagation at the source.

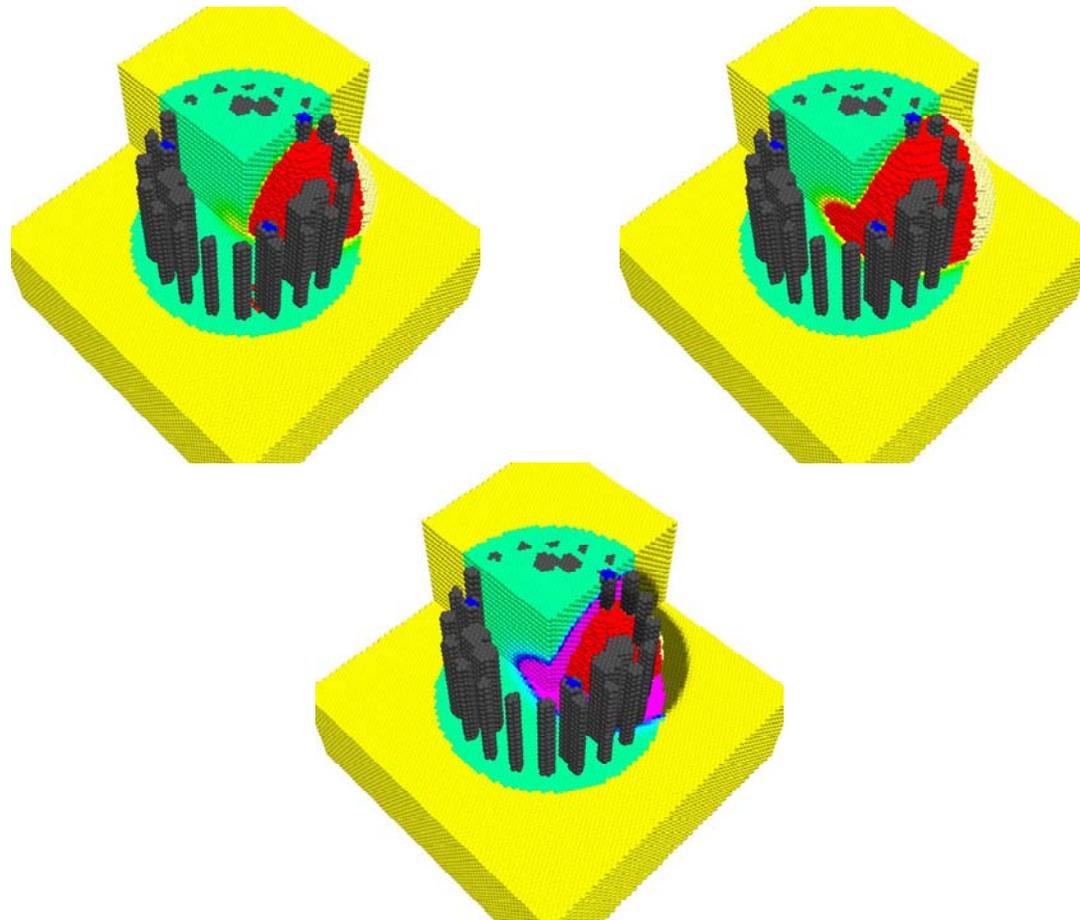
Figure 6.23 shows the compression wave at 60  $\mu$ s, as the wave first encounters the surrounding ground. The signal has been significantly delayed and attenuated by tube debonding.



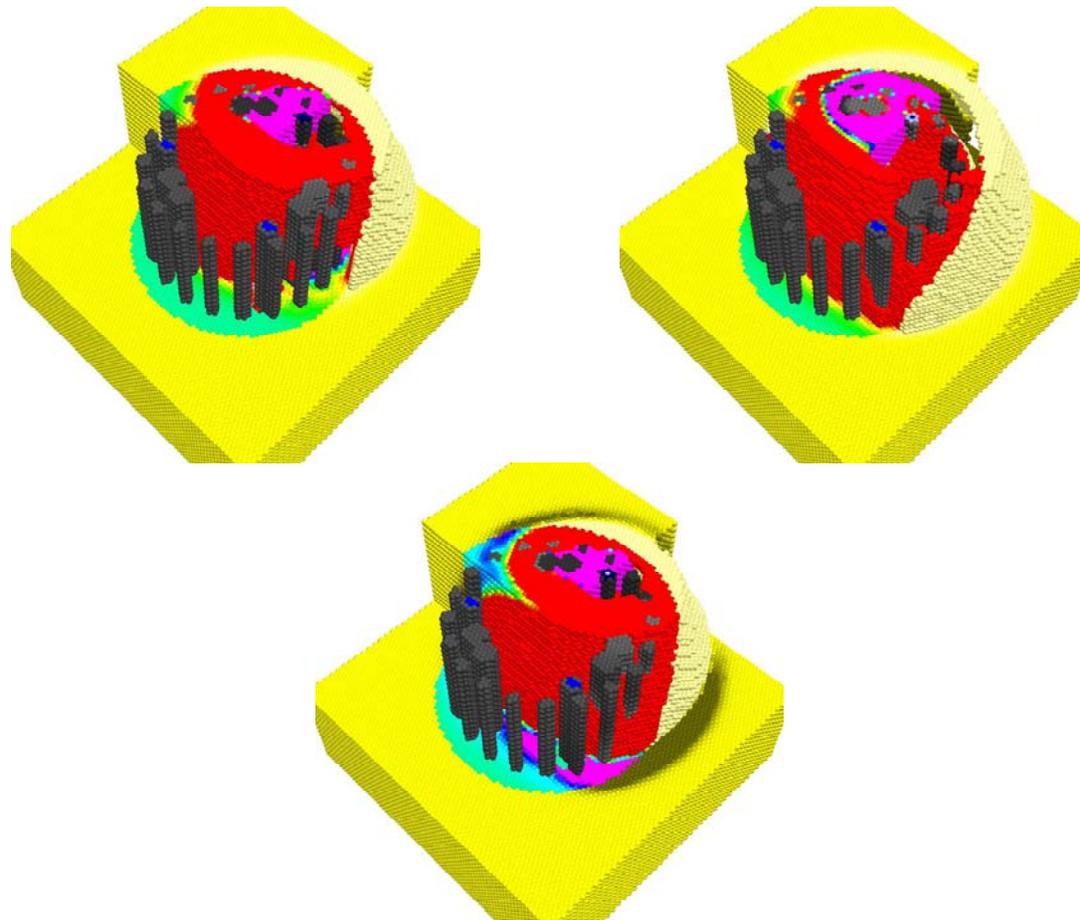
**Figure 6.22 Tube Debonding (Top Left) vs. No Tube Debonding (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



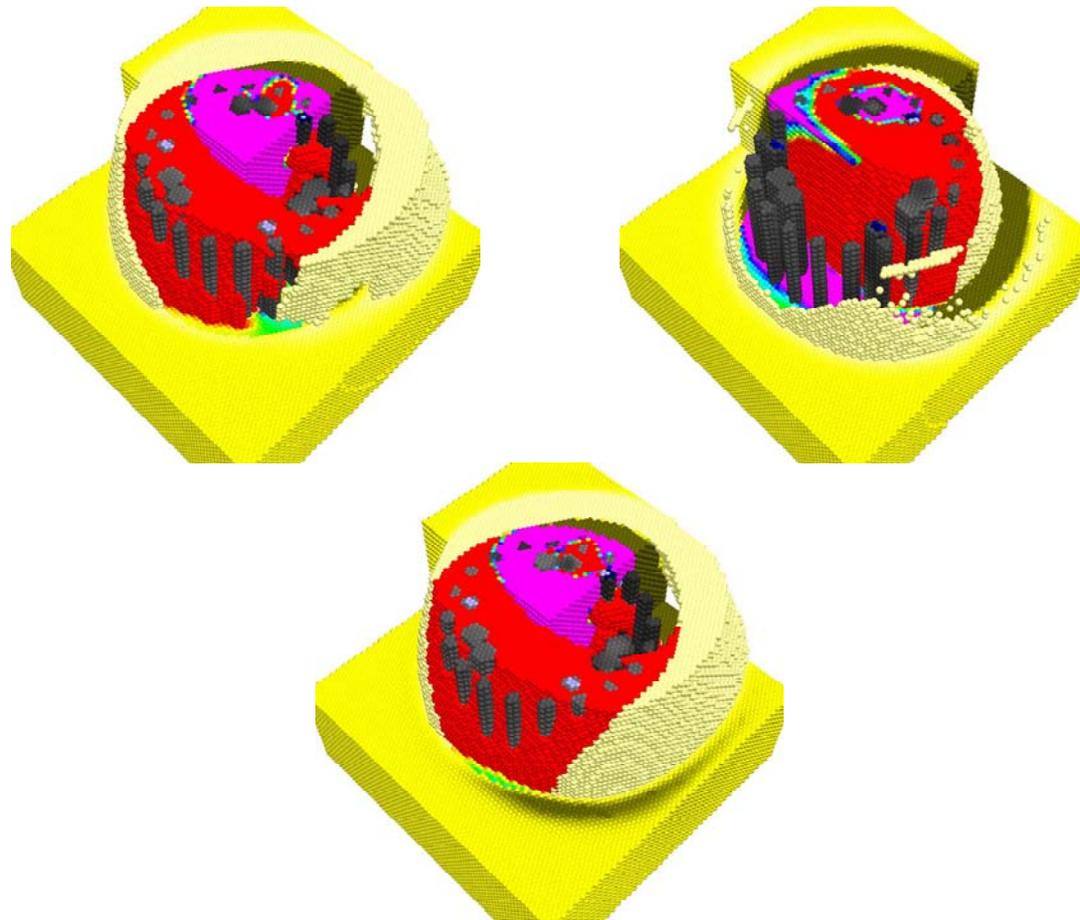
**Figure 6.23 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



**Figure 6.24 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.25 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 300  $\mu$ s, with Difference (Bottom)**



**Figure 6.26 Debonding (Top Left) vs. No Tube Debonding (Top Right) at 500  $\mu$ s, with Difference (Bottom)**

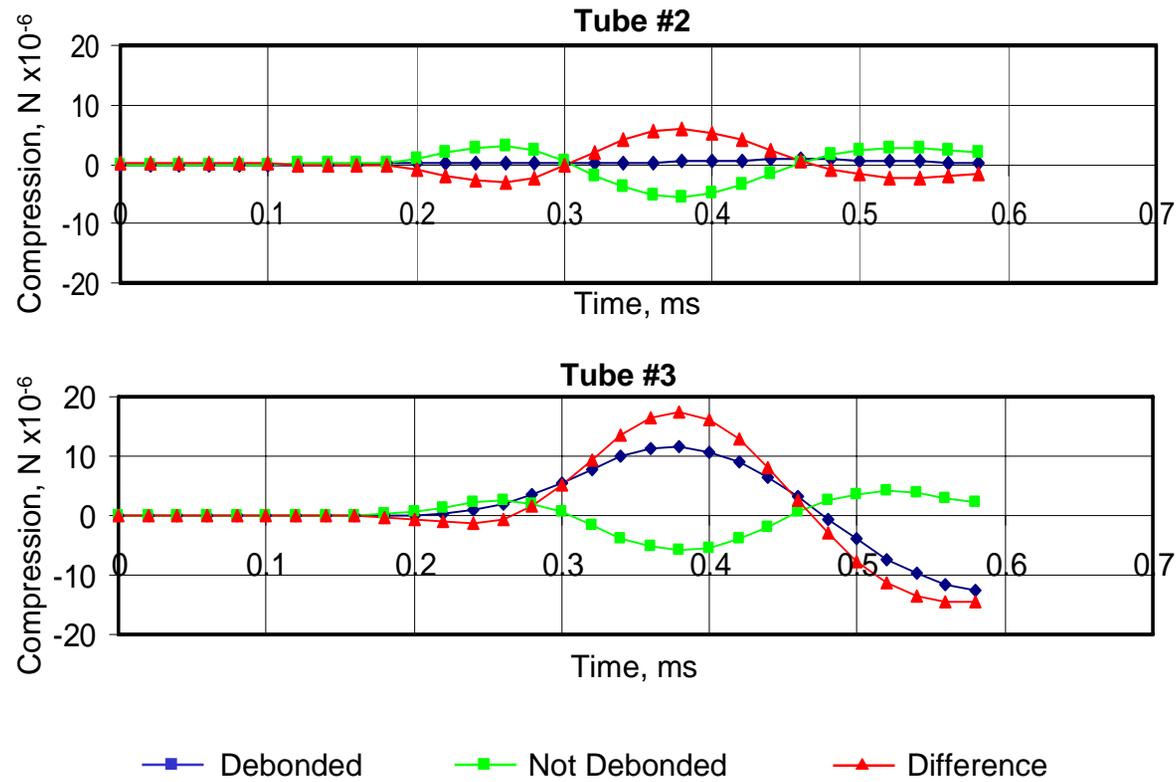


Figure 6.27 CSL Signals with Tube Debonding vs. No Tube Debonding, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

Figure 6.24 shows the compression wave at 120  $\mu\text{s}$ , as the compression wave approaches the receiver access tubes. The debonding defect had distorted the shape of wavefront, as much of the wave must travel along the tube and around the defect.

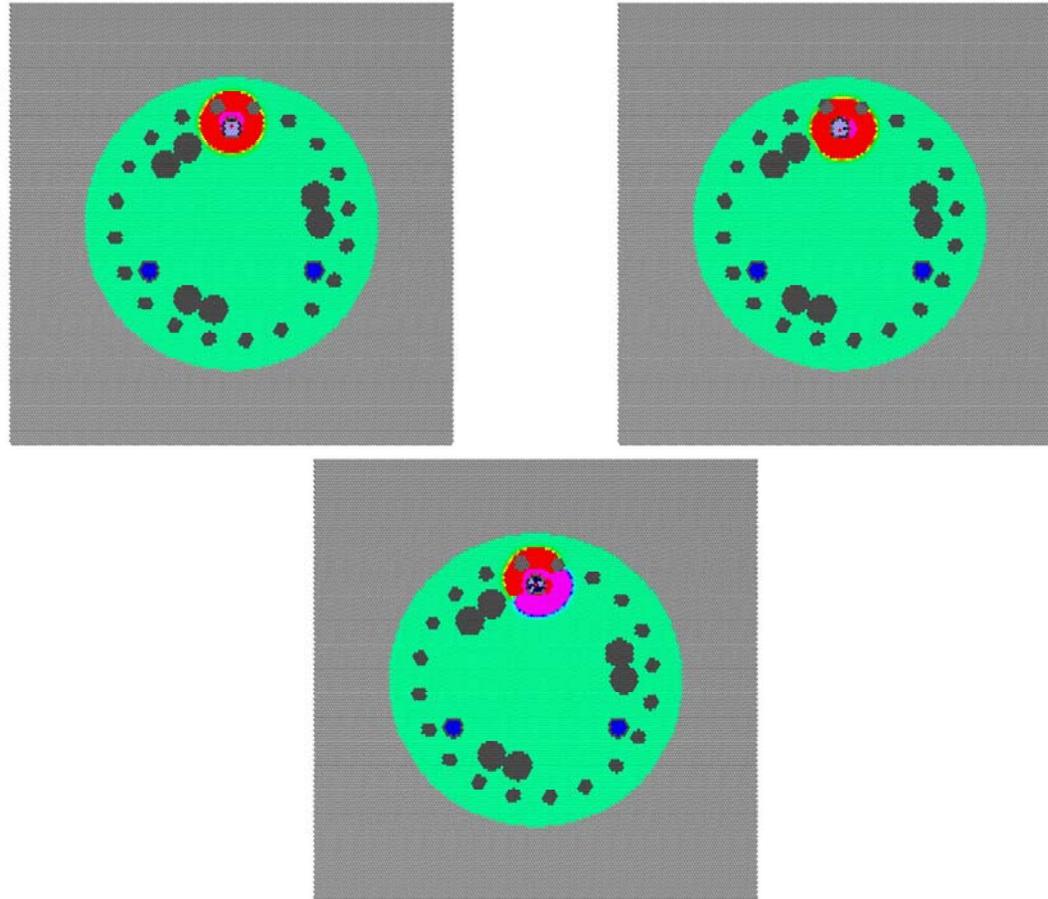
Figure 6.25 shows the compression wave at 300  $\mu\text{s}$ , as the first compression wave in the shaft with no tube debonding reaches the receiver access tubes. The first compression wave in the defective shaft is delayed, but has grown significantly higher in amplitude.

Figure 6.26 shows the compression wave at 500  $\mu\text{s}$ , as the first tension wave reaches the access tubes in the shaft with no debonding defect. The peak of the first compression wave now appears to have reached the access tubes in the defective shaft.

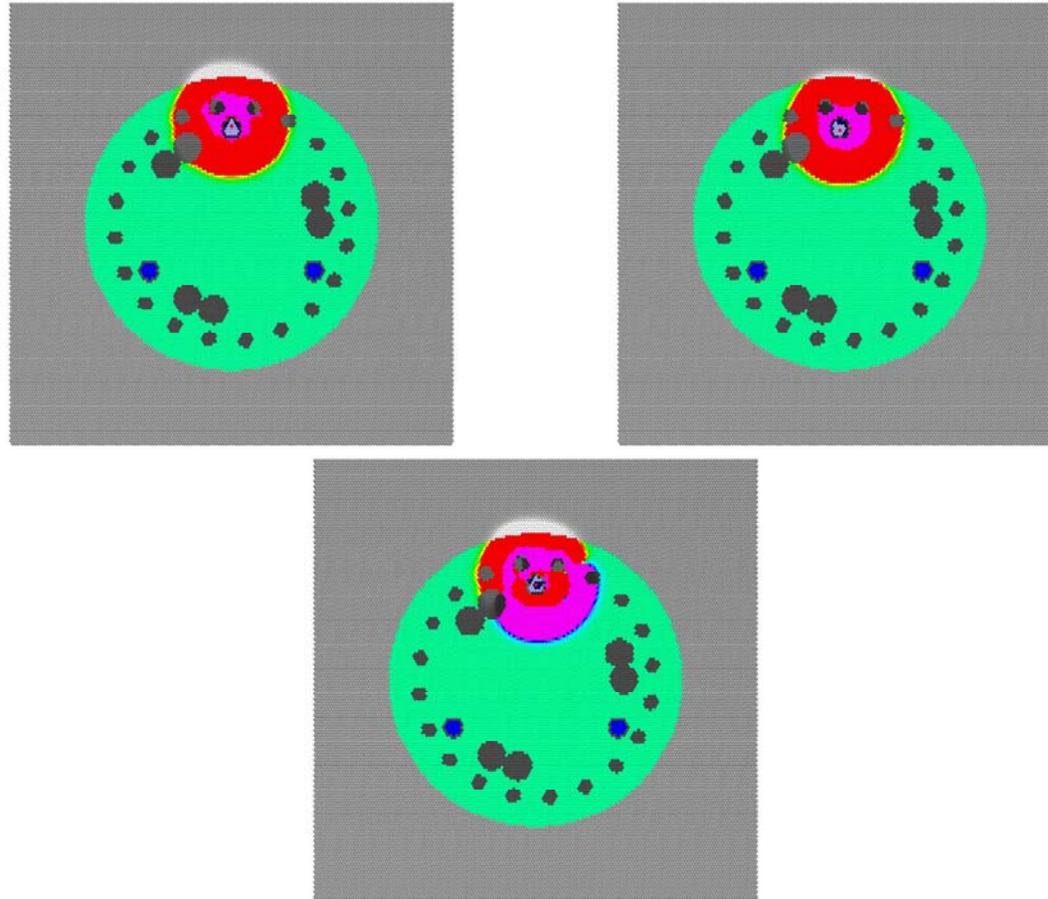
Figure 6.27 compares the waveforms collected in the access tubes. The top graph shows that the signal almost completely attenuates with tube debonding around both the source and receiver access tubes. The bottom graph shows a significant delay in the first compression peak from the source tube debonding. However, the amplitude of the signal in the tube with the debonding defect is significantly higher for some reason.

### **6.6.3 Sensor Drift within the Access Tubes**

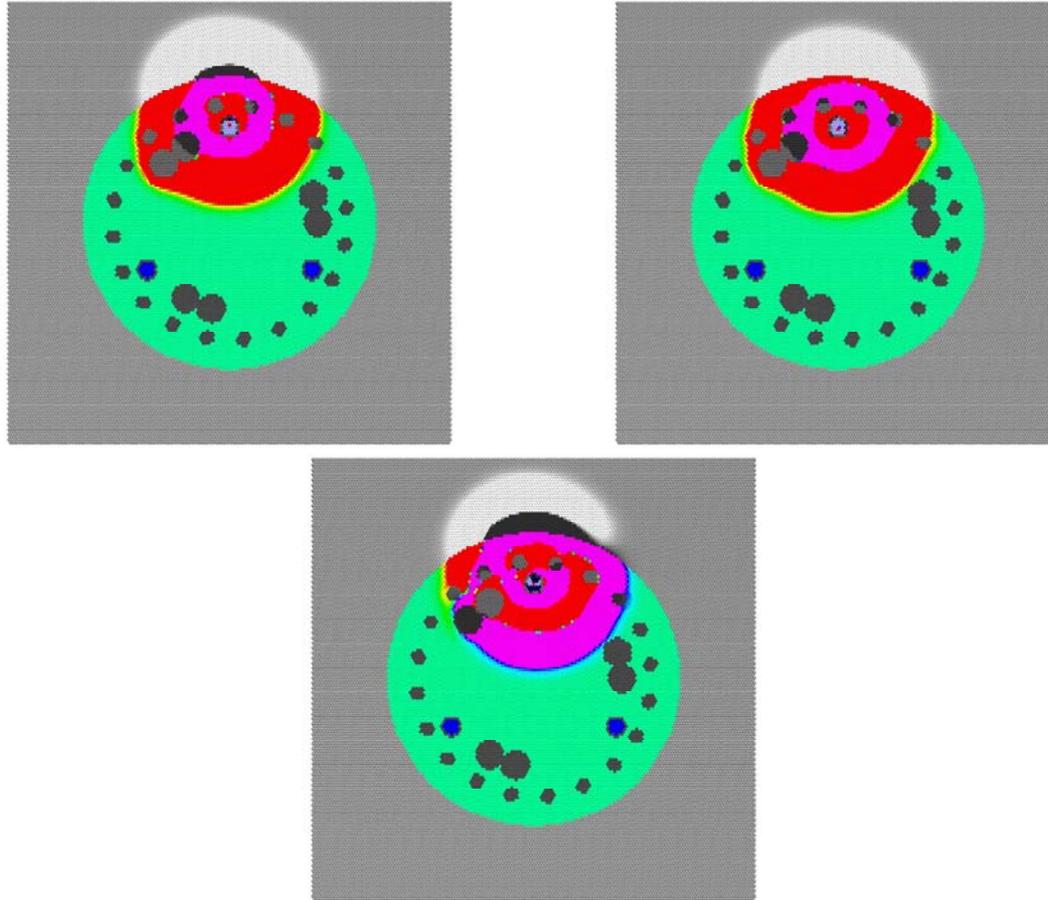
Source and receiver position and orientation within the access tubes can have a significant effect on arrival time. The compression wave velocity of water is much lower than the velocity of concrete, so very small changes in the source or receiver position or rotation within the access tube can have a large effect on the arrival time. The numerical model estimates changes in velocity at levels up to 20% for only a 2 cm difference in source and receiver position.



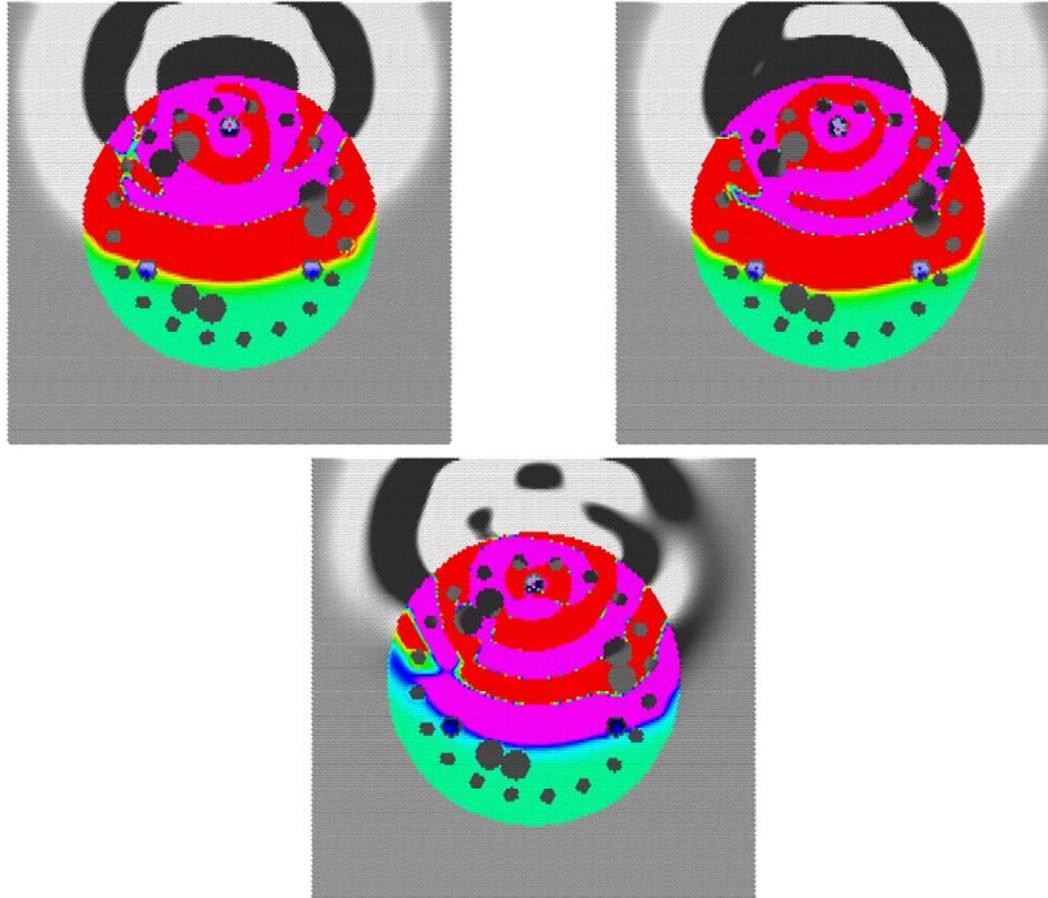
**Figure 6.28 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



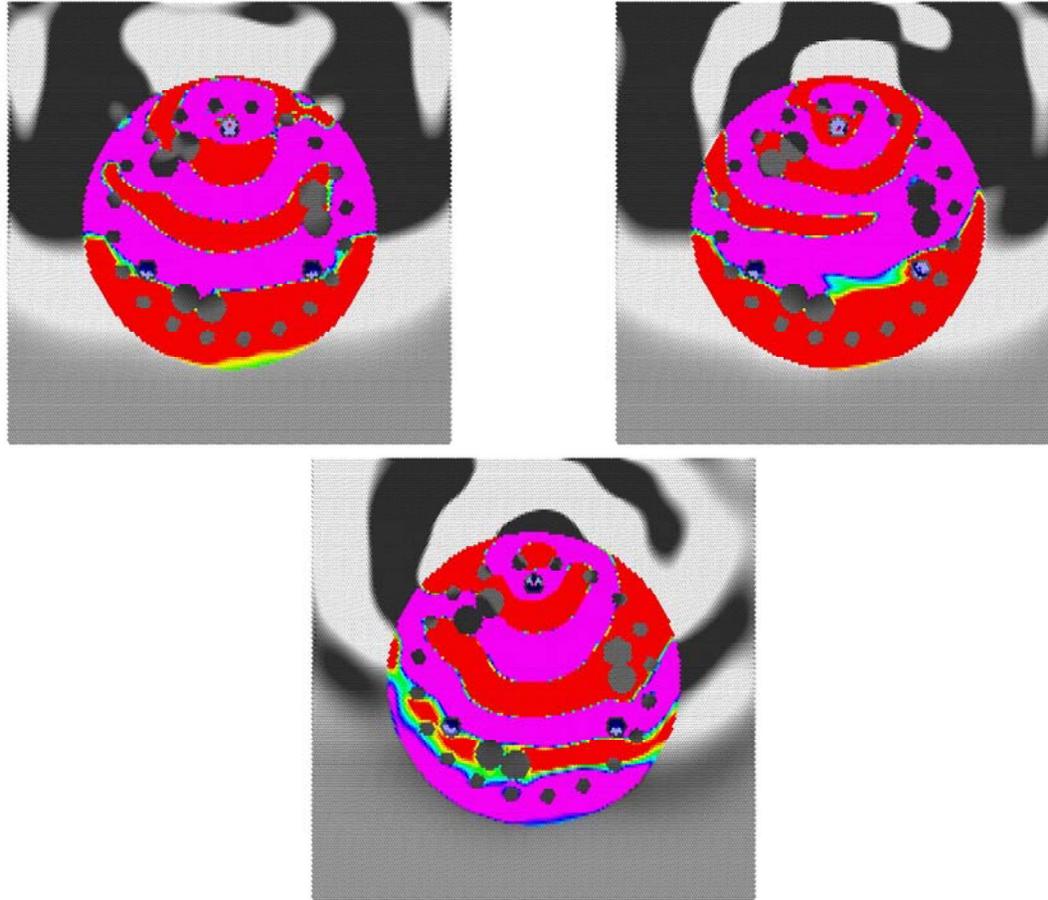
**Figure 6.29 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



**Figure 6.30 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.31 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 300  $\mu$ s, with Difference (Bottom)**



**Figure 6.32 Outside Sensor Drift (Top Left) vs. Inside Sensor Drift (Top Right) at 500  $\mu$ s, with Difference (Bottom)**

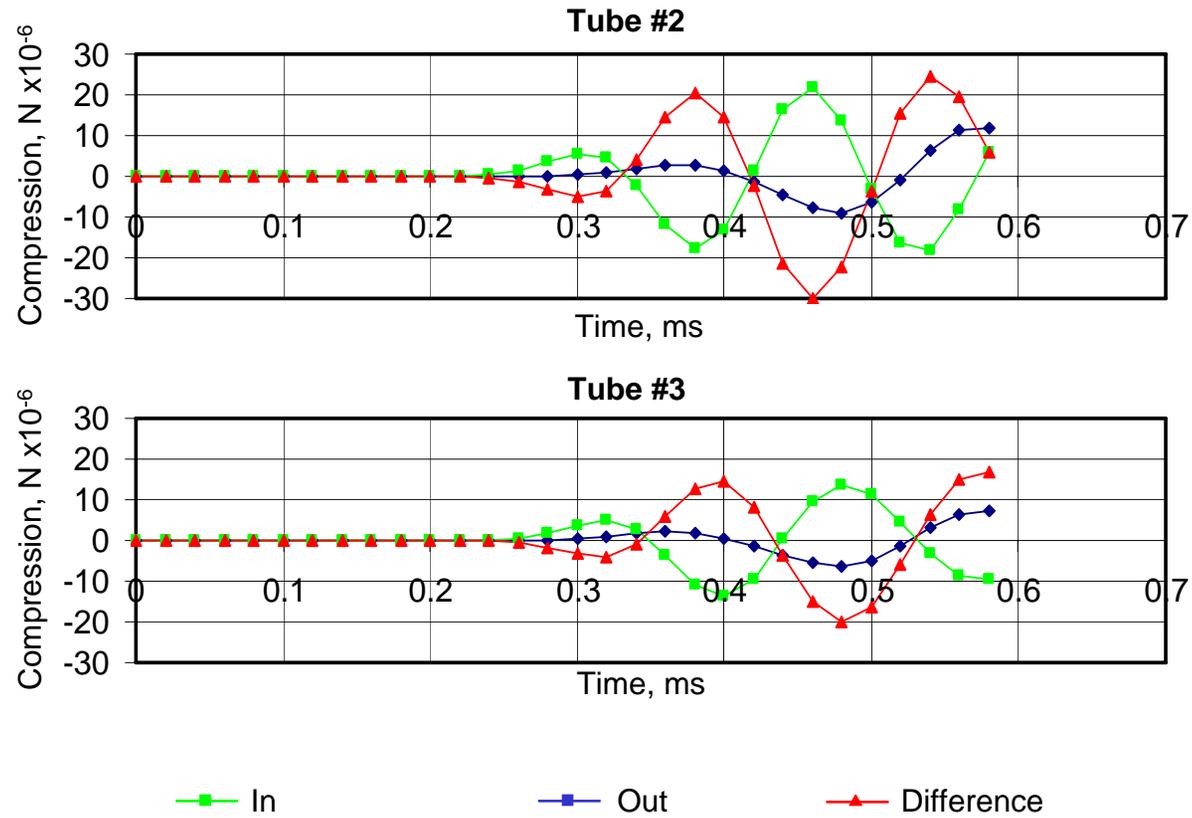


Figure 6.33 CSL Signals with Outside Sensor Drift vs. Inside Sensor Drift, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

Figures 6.28 – 6.33 compare CSL signals from a drilled shaft with the source and receivers displaced in the access tube 1 cm to the outside of the shaft, to a model with the source and receivers displaced 1 cm toward the center of the shaft. In this scenario, the signals travel a total difference of 4 cm through water.

Figure 6.28 shows the compression wave propagating from the top access tube after 20  $\mu$ s. The model on the left, with the outside sensor drift, has an initial wavefront that is offset slightly higher than the model with inside sensor drift.

The subsequent wavefront propagation is shown in Figures 6.29-6.32. The wavefront is slightly delayed in the model with outside sensor drift. The delay increases as the compression wave interacts with the water in the access tube.

Figure 6.33 compares the waveforms collected in the access tubes. The top graph shows significant delay in the signal with outside sensor drift. The signal is also lower in amplitude and lower in frequency, due to the longer distance. This example shows the importance of carefully specifying tolerances in CSL data collection equipment if accurate measurements are desired.

## **6.7 Concrete Cracking Effects**

The inherently brittle nature of concrete makes cracking the most observable and characteristic defect of concrete structures. However, cracking can pass undetected using CSL first arrival and signal energy measurements in the field. Ultrasonic Pulse Velocity (UPV) lab tests are also not significantly affected by cracking, resulting in the characteristically poor ability of the test to predict concrete strength.

The effect of cracking on compression wave velocity is important to consider. When cracks are closed and under compression, and the compression wave is

unable to open the crack, the velocity will not change. When the compression wave is unable to close an open crack, the wave will not propagate across the crack. If the wave can travel around the crack, the velocity will appear slower. When the compression wave is able to both open and close the crack, then the velocity will increase, and the amplitude of the first compression arrival will increase. This may seem counterintuitive, but logically follows because cracks under this condition do not contribute the same tensile force as intact material.

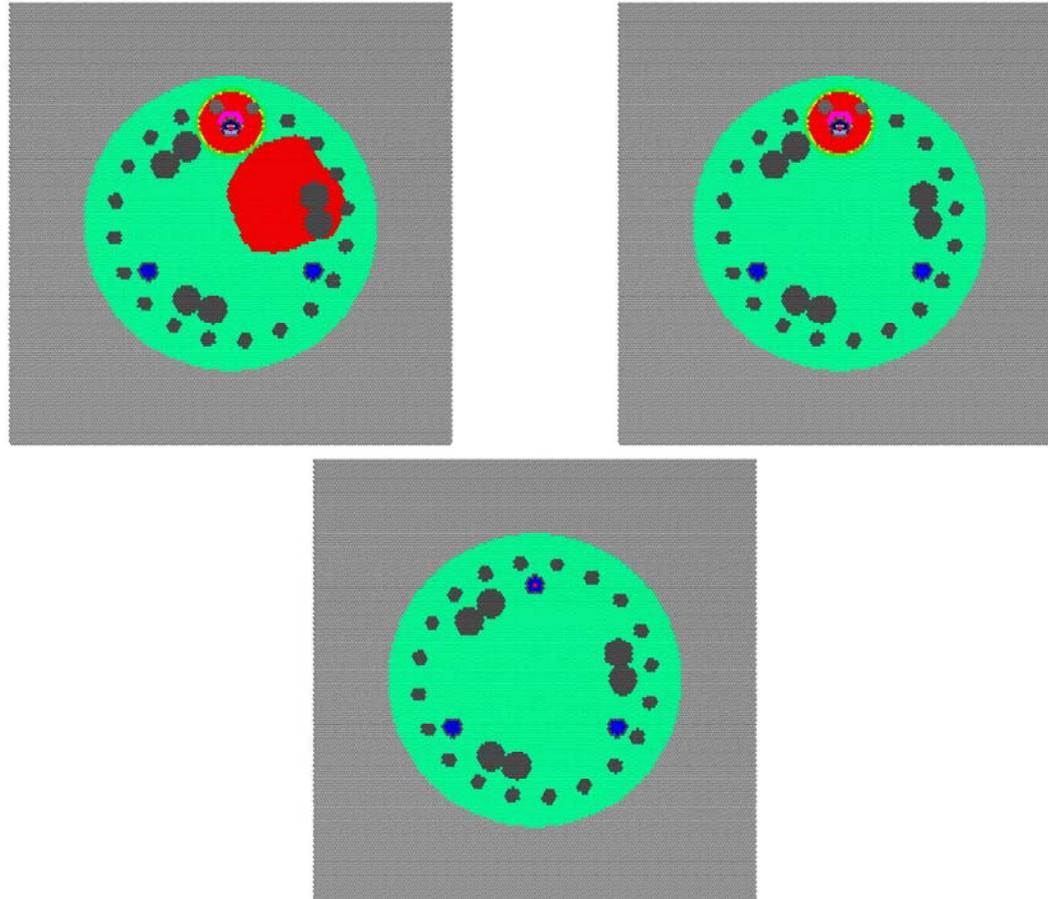
Figures 6.34 – 6.39 compare CSL signals from a drilled shaft with a cracking defect, shown in red, to a shaft with no defect. The cracking defect has the same compression wave velocity, modeled with 90% of the springs broken.

Figure 6.34 shows the compression wave propagating from the source access tube after 20  $\mu\text{s}$ . The wavefront first encounters the cracking defect in Figure 6.35 at 60  $\mu\text{s}$ . The difference plot shows the effect of the cracking on the compression wave.

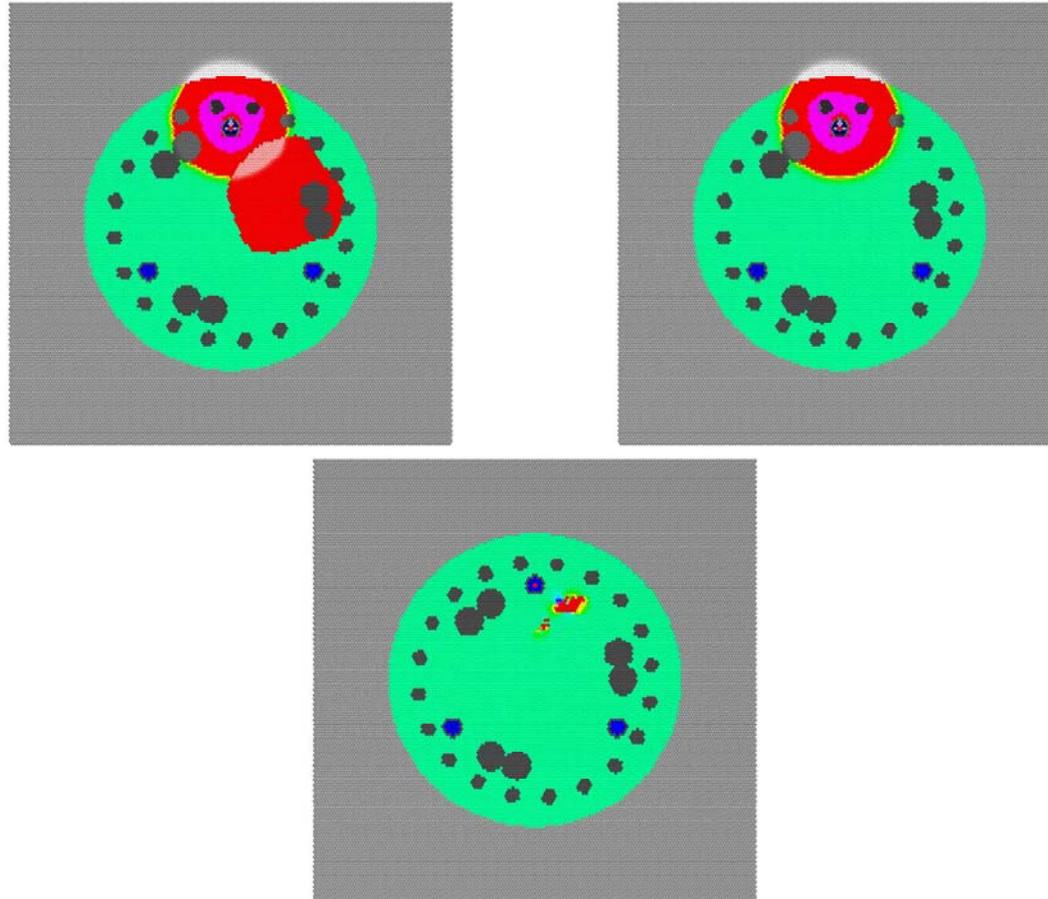
Figure 6.36 shows the compression wave at 120  $\mu\text{s}$ , as the compression wave passes half way through the cracking defect. The amplitude of the compression wave is higher through the cracking defect, as shown in the difference model. This is the case because no tension forces “pull back” elements that are cracked, resulting in a higher degree of compression on the wave front.

Figure 6.37 shows the compression wave at 300  $\mu\text{s}$ , as the compression wave reaches the receiver access tubes. The compression wave reaches the access tubes in both models at essentially the same time.

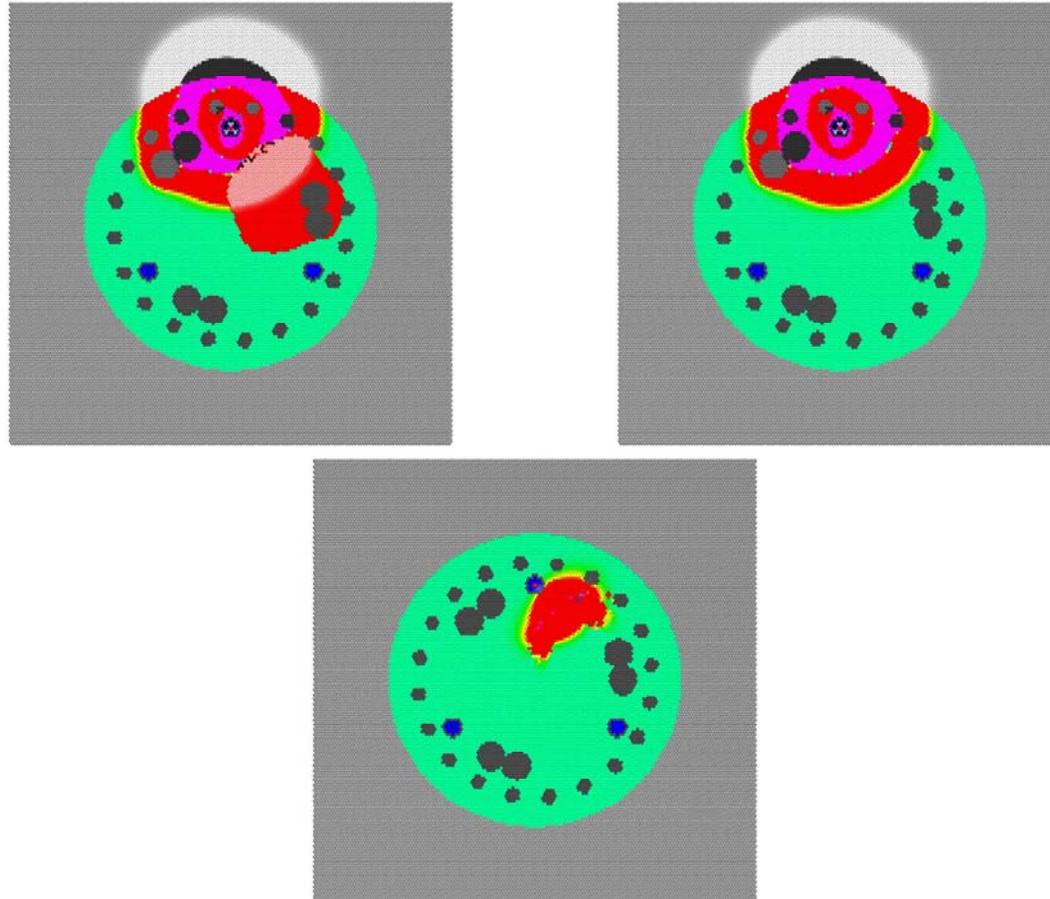
Figure 6.38 shows the compression wave at 500  $\mu\text{s}$ , as the peak of the first tension wave crosses the access tubes in the shaft with no defect. The tension wave in the shaft with cracking defect is almost non-existent at the access tube.



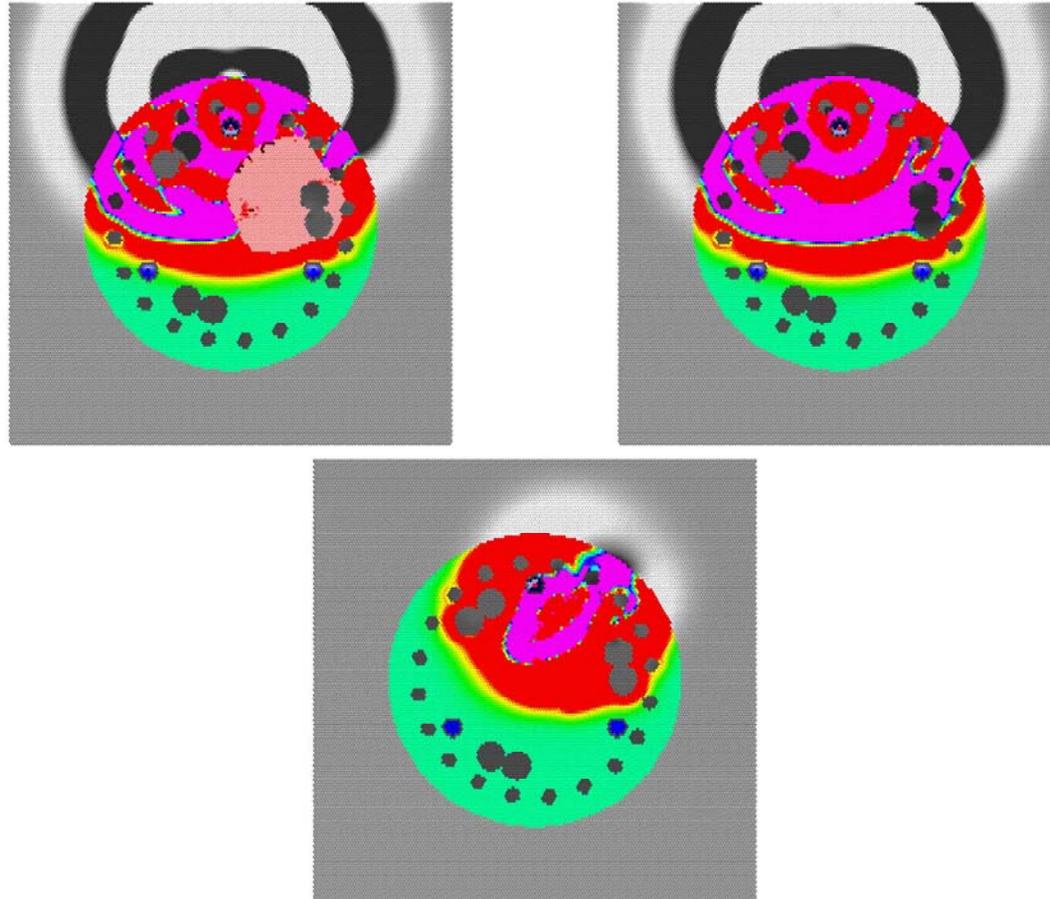
**Figure 6.34 Cracking Defect (Top Left) vs. No Defect (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



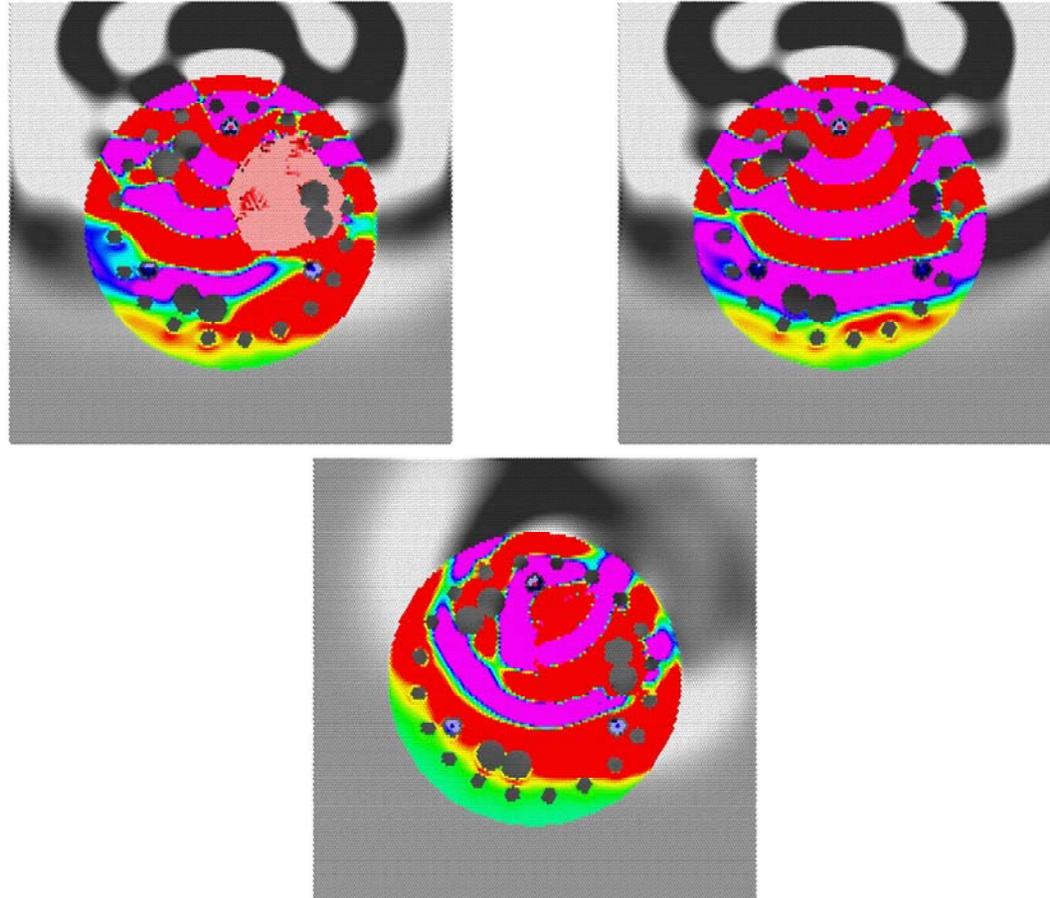
**Figure 6.35 Cracking Defect (Top Left) vs. No Defect (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



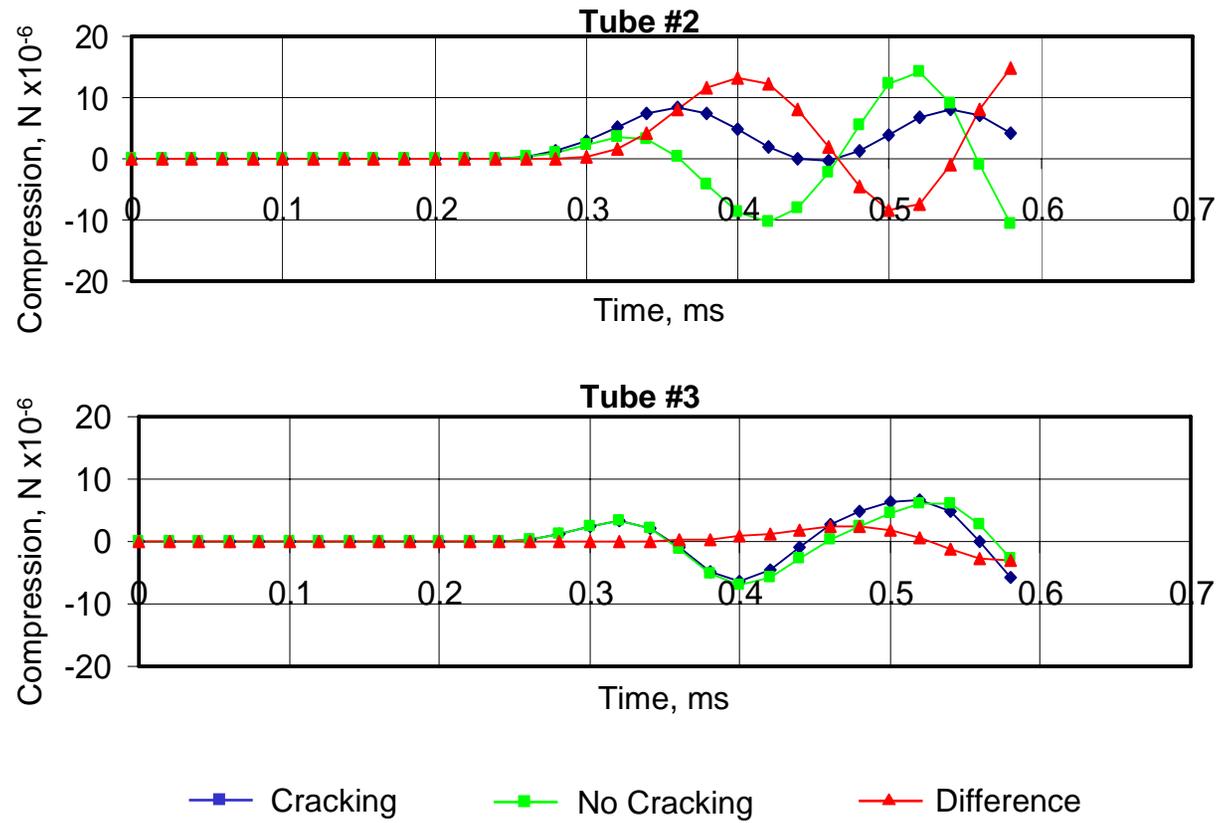
**Figure 6.36 Cracking Defect (Top Left) vs. No Defect (Top Right) at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.37 Cracking Defect (Top Left) vs. No Defect (Top Right) at 300  $\mu$ s, with Difference (Bottom)**



**Figure 6.38 Cracking Defect (Top Left) vs. No Defect (Top Right) at 500  $\mu$ s, with Difference (Bottom)**



**Figure 6.39** CSL Signals with a Cracking Defect vs. No Defect, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

Figure 6.39 compares the waveforms collected in the access tubes. Since the cracking defect is between tubes 1 and 2, the top graph shows a much greater effect in the signal. No tension wave was propagated through the cracking defect.

Cracking does result in a significant difference in the full waveform. However, this difference does not appear in the first arrival portion of the signal, and does not significantly affect signal energy. This confirms the observation that UPV lab tests cannot measure cracking or predict specimen strength, in turn suggesting that CSL surveys will fail to detect these defects as well.

Micro-cracking readily allows propagation of compression waves, but severely attenuates and resists propagation of tension waves. Figure 6.39 shows little effect on the first arrival time, but a significant change in the amplitude of later portions of the signal at the receiver.

### **6.7.1 Concrete Strength Reduction**

Since by its chemical nature concrete is not as thermodynamically stable as natural stone, concrete is susceptible to various forms of physical and chemical deterioration. A number of different factors can result in concrete deterioration from physical and chemical weathering. Deterioration from sunlight can cause heat-induced surface cracking. Abrasion also can affect surfaces. For large concrete structures, chemical weathering is more significant, as damage can occur deep within the concrete structure.

Various chemical agents in the environment can cause chemical weathering or corrosion due to the reactive nature of cement. Carbon dioxide at normal atmospheric concentrations is the source of carbonic acid, which naturally reacts with and breaks down cement. This process is accelerated by acid rain, which also contains more reactive compounds such as sulfuric acid. Other sources of

corrosion include the ingress of sulfates in ground water, which readily attack cement and lead to corrosion.

Deterioration over time can cause large areas of weakness and cracking in the concrete, lowering bearing capacity below design specifications. The progression of chemical weathering is closely related to a basic chemical defect of concrete: the tendency to crack. The ingress of chemical agents into concrete is directly proportional to the initial permeability of the concrete, and permeability is directly proportional to cracking. Cracking allows a pathway for corrosive agents of all kinds to penetrate deep within the concrete. Crack prevention is a key factor in improving concrete durability and resistance to deterioration.

The strength and performance of the concrete is dependent on the cracking extent within the structure. Cracking does cause a substantial decrease in both Poisson's Ratio and the stiffness of the concrete. However, cracking does not, in and of itself, necessarily result in major impacts on strength. This is especially true for concrete structures reinforced with rebar. Cracking affects the stability of tensile load behavior of concrete more than any other characteristic, so failure strength is reduced substantially in non-reinforced concrete structures by only moderate levels of cracking. Steel reinforces the tensile strength of the concrete structure so that moderate levels of cracking do not compromise structural capacity in the short term. However, the effects of cracking are a significant issue for long-term stability and durability.

### **6.8 Honeycombs Effects**

Honeycombs are regions in concrete with a high concentration of small void areas, with a small degree of cracking. The grainy consistency in some cases can be compared with common cinder blocks sold in hardware stores. Honeycombs

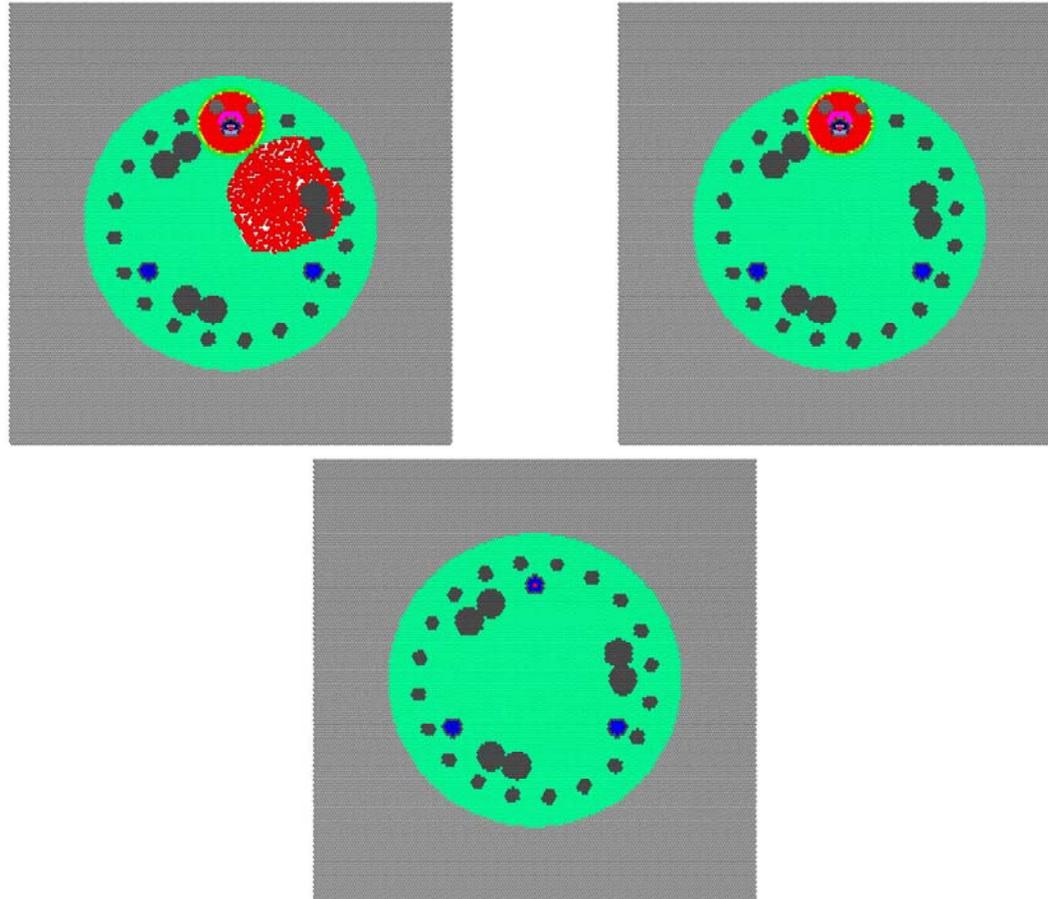
can be formed by improper cement mixture, or by the presence of oversized aggregate. For example, a portion of the sidewall of the drilled shaft could fall into the shaft during concrete placement and form a region of honeycombed concrete. The cement volume is inadequate to fill in all the gaps between the aggregate, resulting in a cluster of small voids resembling a honeycomb in appearance. Concrete strength is significantly reduced in areas of concrete affected by honeycombing. Honeycombed defects are modeled by randomly replacing a certain percentage of concrete with a void material and specifying a small percentage of cracking.

Figures 6.40 – 6.45 compare CSL signals from a drilled shaft with a honeycomb defect, shown in red, to a shaft with no defect. The honeycomb defect has slightly slower compression wave velocity, with 10% of the springs broken, and is 20% void.

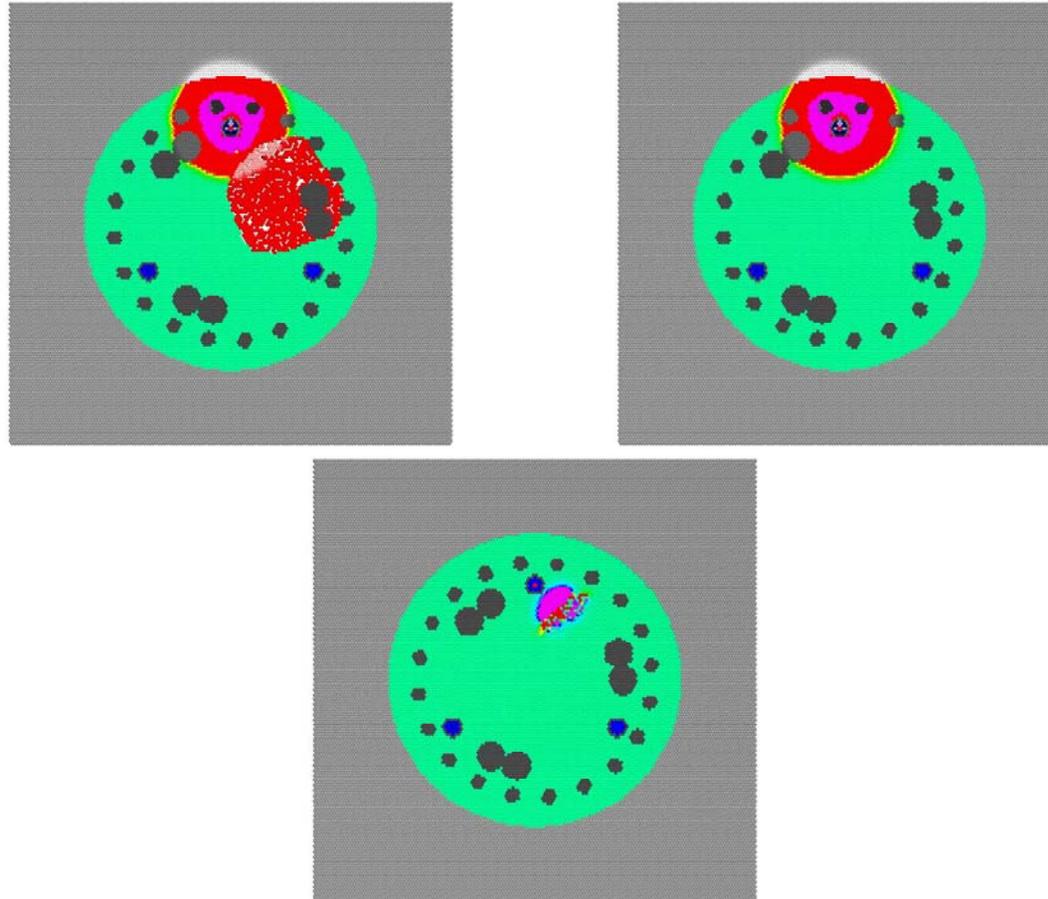
Figure 6.40 shows the compression wave propagating from the source access tube after 20  $\mu\text{s}$ . The wavefront first encounters the honeycomb defect in Figure 6.41 at 60  $\mu\text{s}$ . The difference plot shows the effect of the honeycomb defect on the compression wave.

Figure 6.42 shows the compression wave at 120  $\mu\text{s}$ , as the compression wave passes half way through the honeycomb defect. The voids inside the honeycomb defect delay and attenuate the wavefront.

Figure 6.43 shows the compression wave at 300  $\mu\text{s}$ , as the compression wave reaches the receiver access tubes in the shaft with no defect. The compression wave is significantly delayed by the honeycomb defect.



**Figure 6.40 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



**Figure 6.41 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 20  $\mu$ s, with Difference (Bottom)**

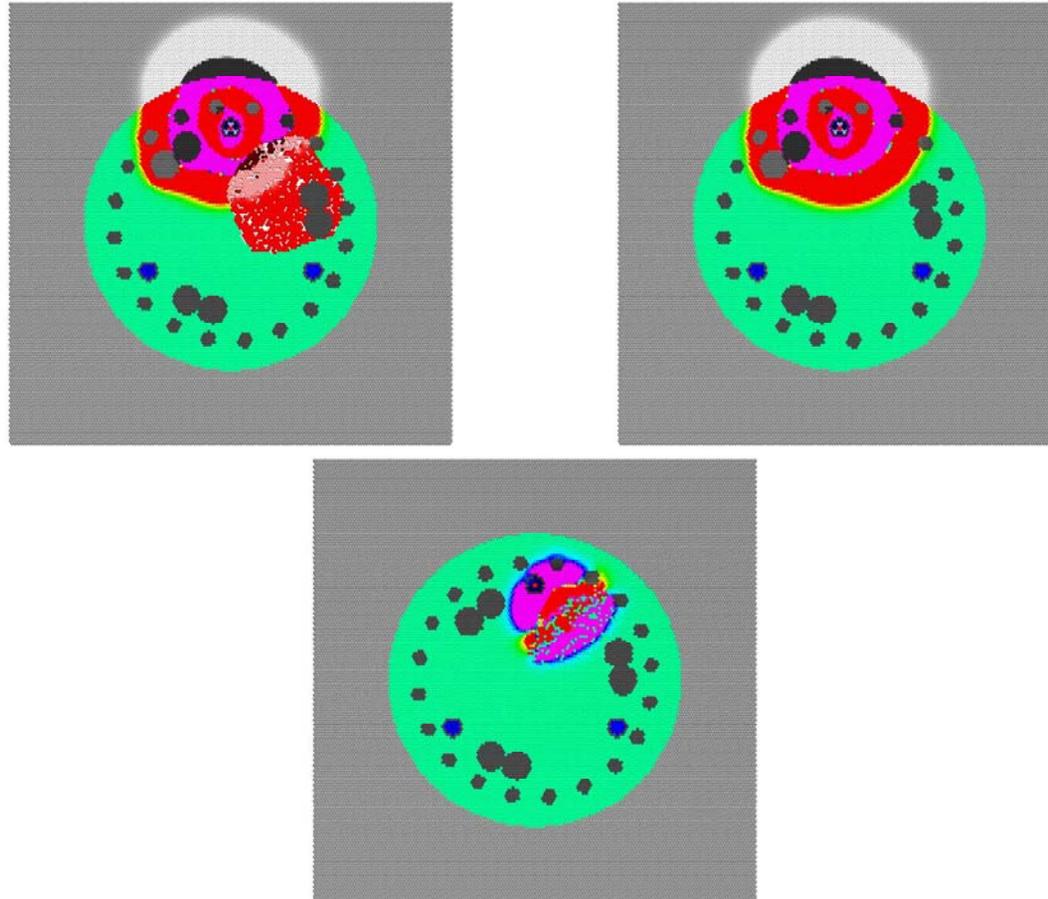


Figure 6.42 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 120  $\mu$ s, with Difference (Bottom)

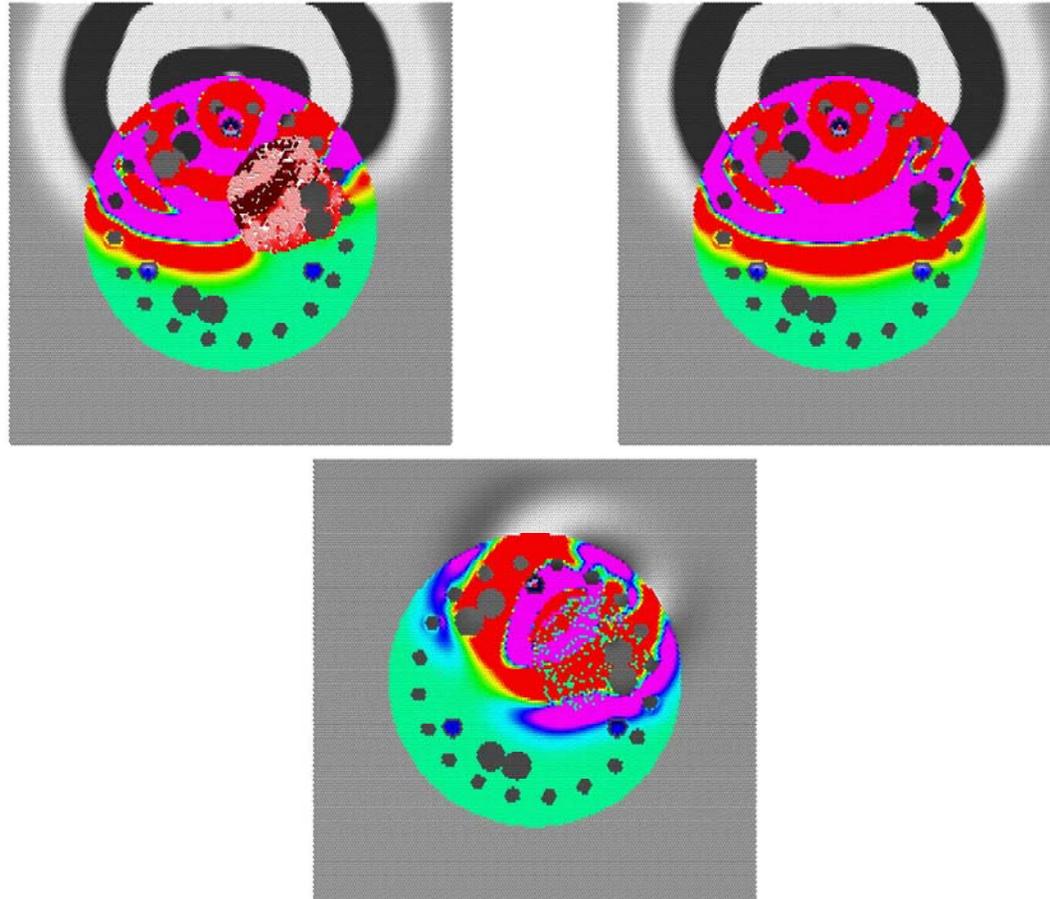


Figure 6.43 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at  $300 \mu\text{s}$ , with Difference (Bottom)

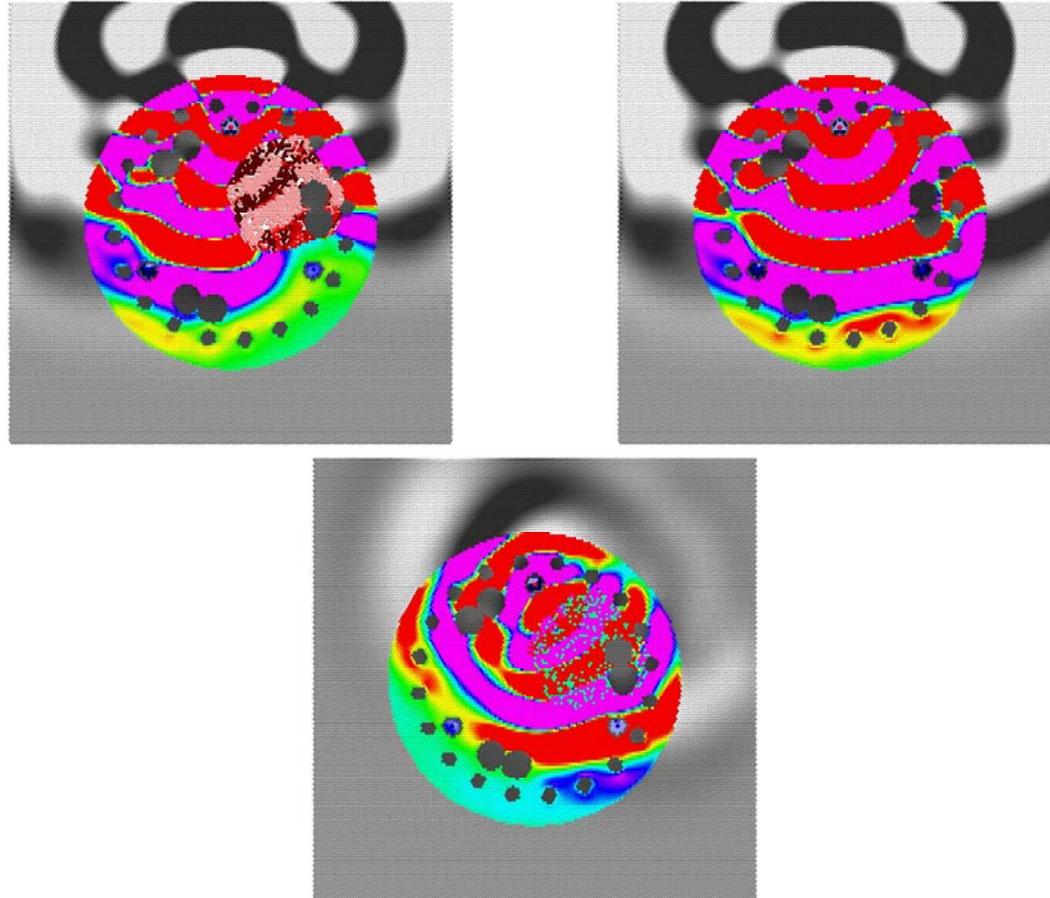


Figure 6.44 Honeycomb Defect (Top Left) vs. No Defect (Top Right) at 500  $\mu$ s, with Difference (Bottom)

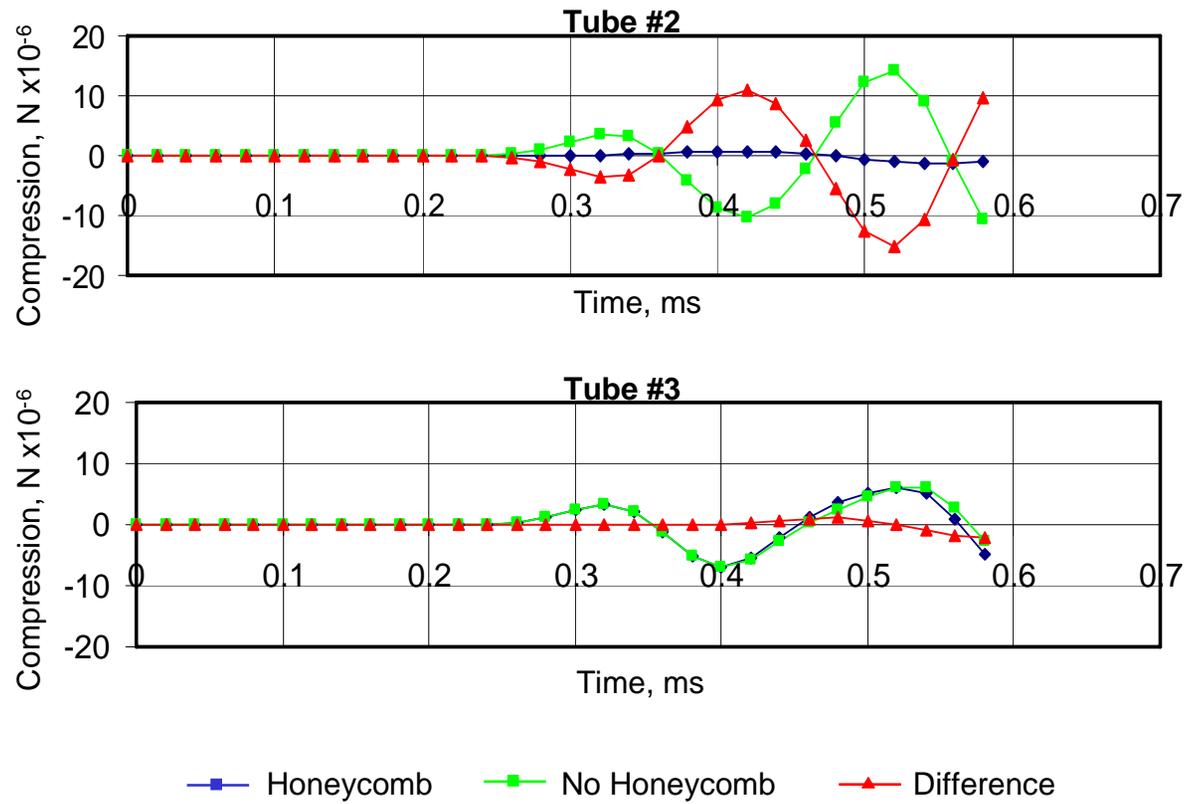


Figure 6.45 CSL Signals with a Honeycomb Defect vs. No Defect, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

Figure 6.44 shows the compression wave at 500  $\mu\text{s}$ , as the peak of the first tension wave crosses the access tubes in the shaft with no defect. A small attenuated compression wave is crossing tube 2 in the shaft with the honeycomb defect.

Figure 6.45 compares the waveforms collected in the access tubes. The top graph shows that the honeycomb defect almost entirely attenuates the signal between tubes 1 and 2.

### **6.9 Effect of Voids**

Occasionally concrete can be displaced by water or debris, resulting in fluid-filled voids. The voids may be filled with air or water, depending on conditions. Air-filled voids are more easily detected, so a water-filled void will be investigated instead. Figure 5.38 shows the source activation in a shaft with a water-filled void with the same size, shape, and location as the honeycomb and cracking defects previously examined.

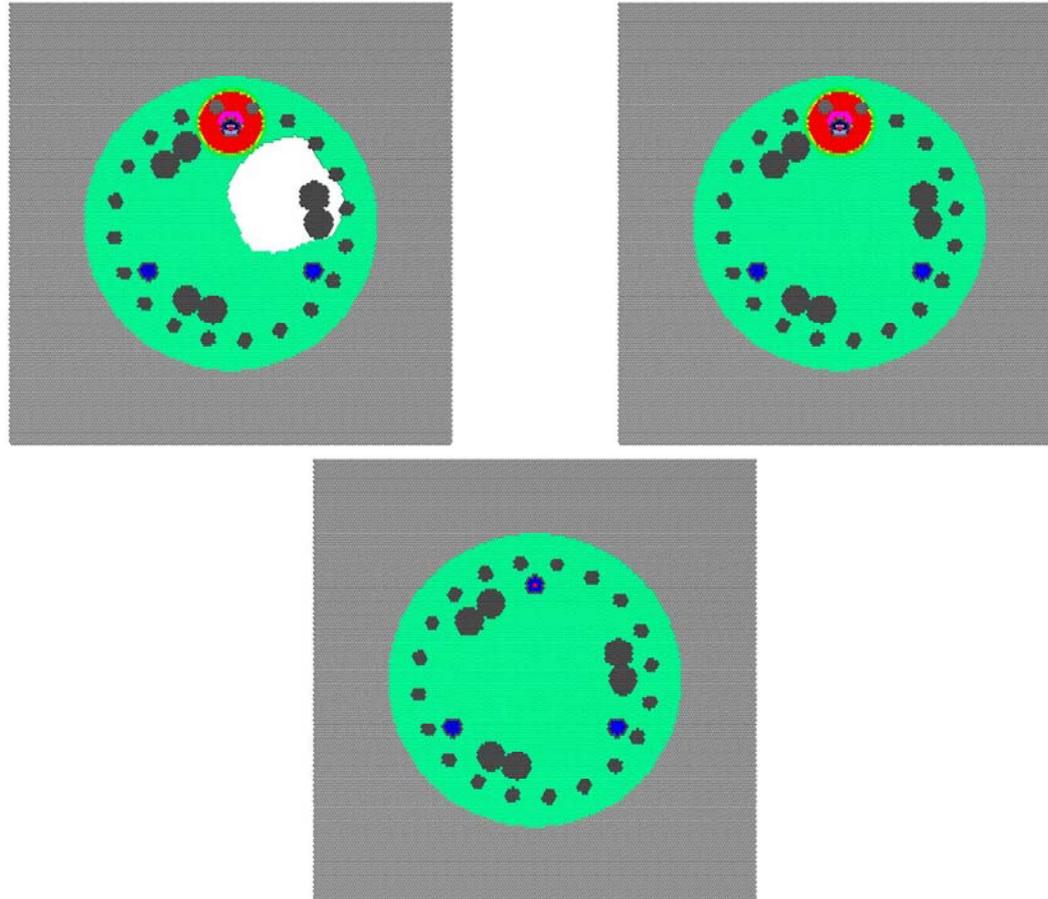
Figures 6.46 – 6.51 show the effect of the void on the compression waves. The void is the same size as the cracking and honeycomb defects.

Figure 6.46 shows the compression wave propagating from the source access tube after 20  $\mu\text{s}$ . The wavefront first encounters the void in Figure 6.47 at 60  $\mu\text{s}$ . The difference plot shows the reflection of the compression wave from the void.

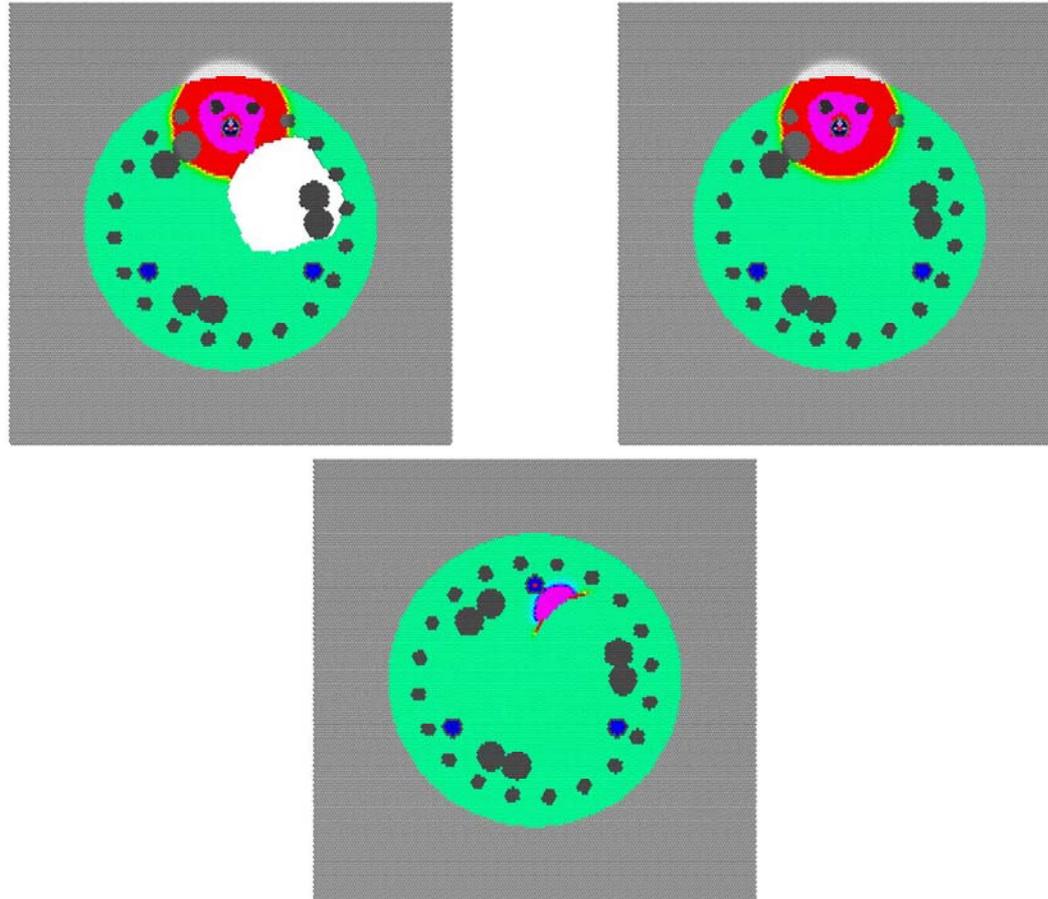
Figure 6.48 shows the compression wave at 120  $\mu\text{s}$ , as the compression wave passes half way around the void. Figure 6.49 shows the compression wave at 300  $\mu\text{s}$ , as the compression wave reaches the receiver access tubes in the shaft with no void. The compression wave has not quite encircled the void.

Figure 6.50 shows the compression wave at 500  $\mu\text{s}$ , as the peak of the first tension wave crosses the access tubes in the shaft with no void. The void has almost completely attenuated the first compression wave.

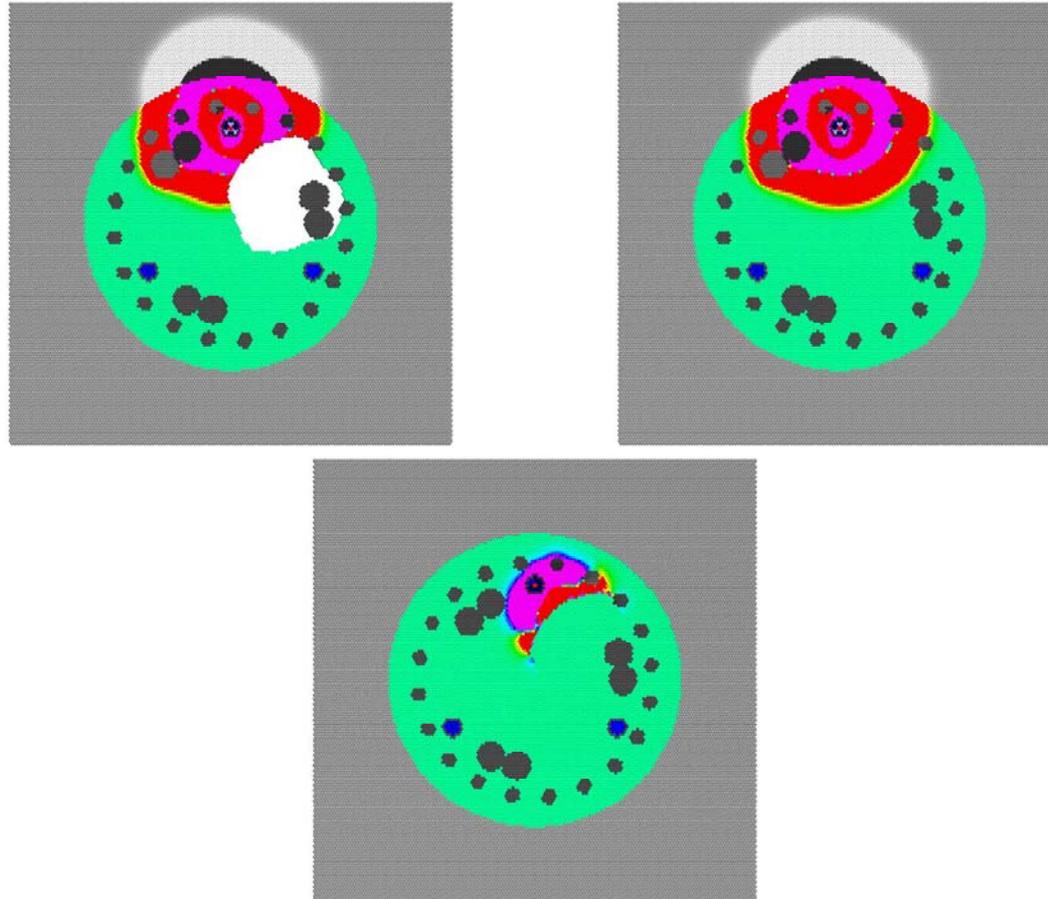
Figure 6.51 compares the waveforms collected in the access tubes. The void significantly blocks the signal between tubes 1 and 2.



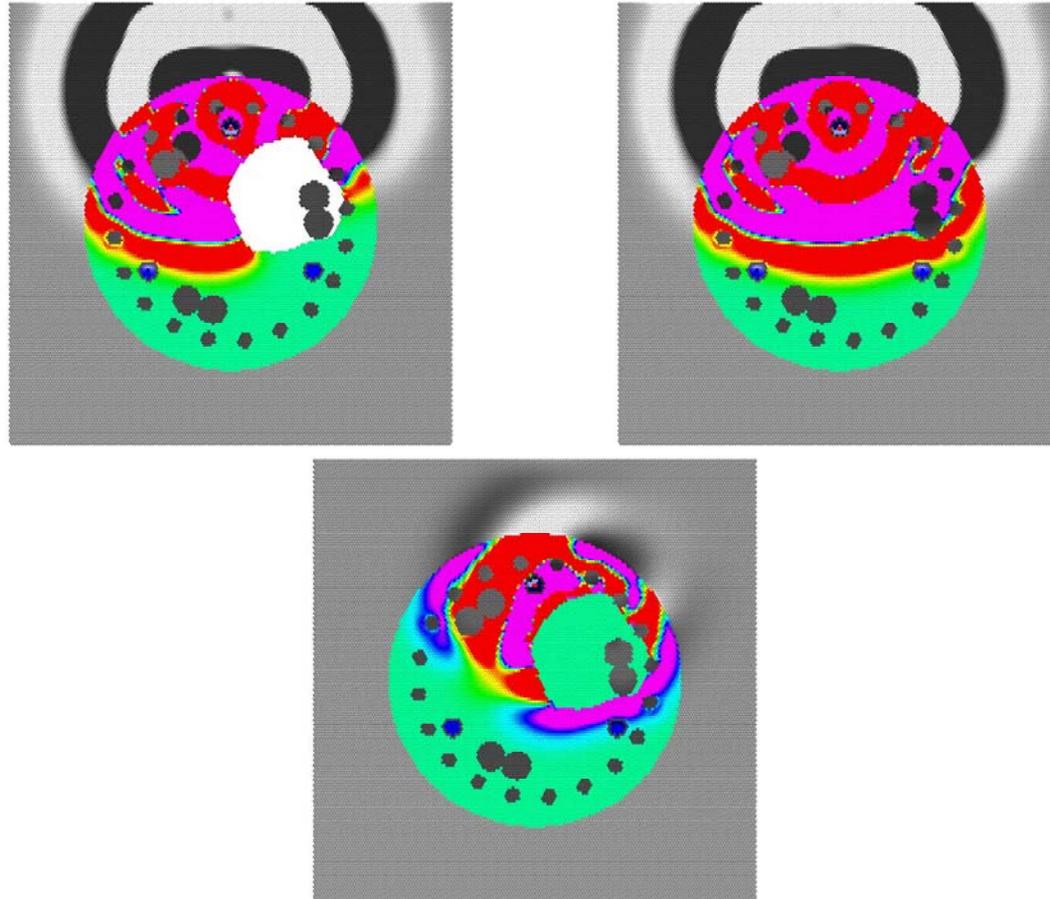
**Figure 6.46 Void Defect (Top Left) vs. No Defect (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



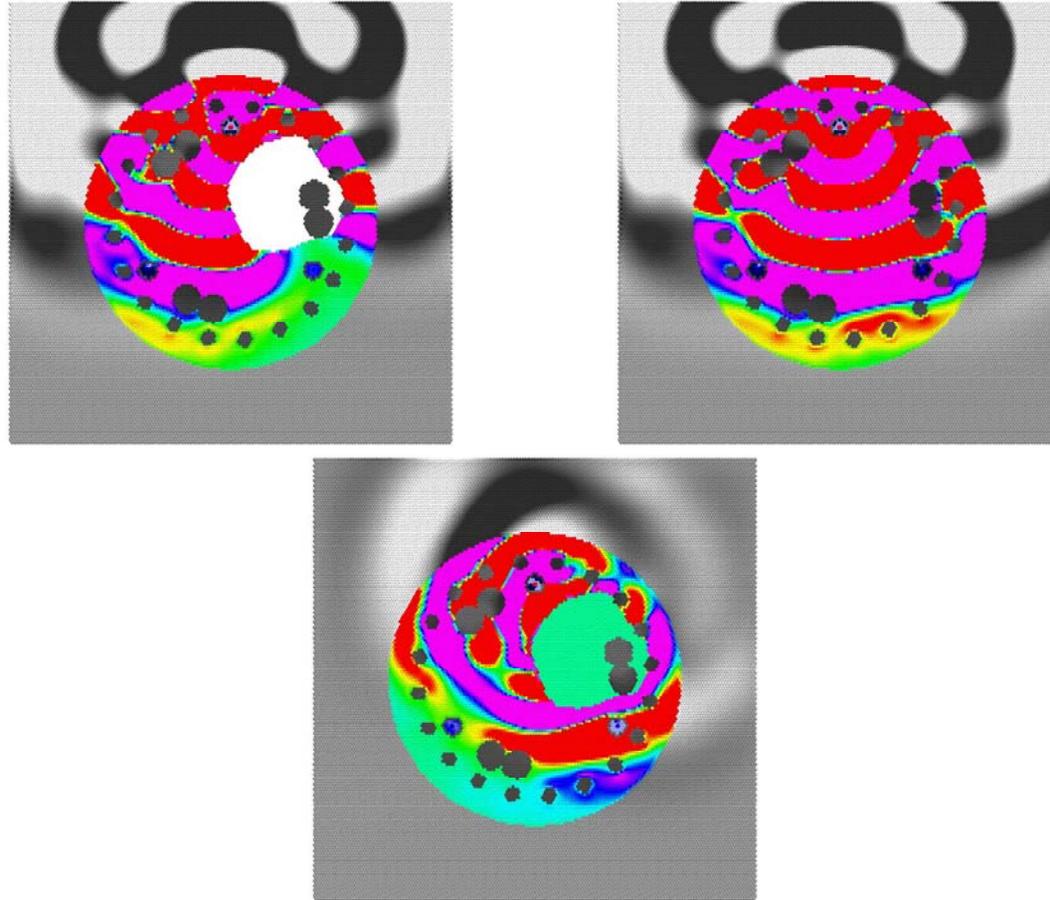
**Figure 6.47 Void Defect (Top Left) vs. No Defect (Top Right) at 20  $\mu$ s, with Difference (Bottom)**



**Figure 6.48 Void Defect (Top Left) vs. No Defect (Top Right) at 120  $\mu$ s, with Difference (Bottom)**



**Figure 6.49 Void Defect (Top Left) vs. No Defect (Top Right) at 300  $\mu$ s, with Difference (Bottom)**



**Figure 6.50 Void Defect (Top Left) vs. No Defect (Top Right) at 500  $\mu\text{s}$ , with Difference (Bottom)**

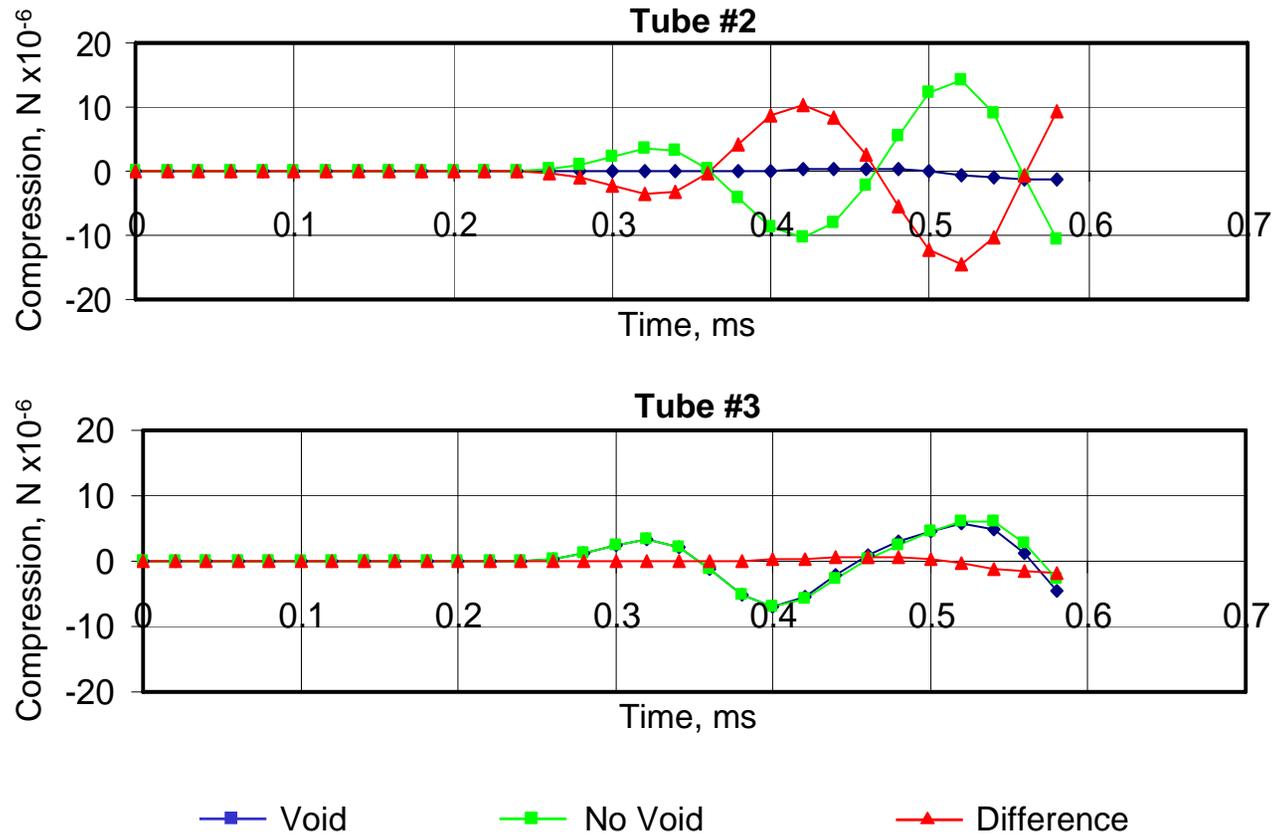


Figure 6.51 CSL Signals with a Void vs. No Defect, between Access Tubes 1 and 2 (Top), and Tubes 1 and 3 (Bottom)

## **7 Numerical Modeling of Concrete Curing**

Concrete curing involves complex interactions of numerous variables. The numerical model in this section varies thermal conductivity, tension strength, modulus, heat generation, hydration phases, and volume expansion. Resulting compression stresses, cracking, and temperature are computed, which in turn affect the material properties and chemical reactions.

The following study compares a drilled shaft surrounded by rock to a drilled shaft surrounded by clay. All other factors are identical. The surrounding ground temperature is set to 10° C. The concrete is initially placed at 45° C. A very warm concrete temperature is used to encourage cracking. The first five days of concrete curing is simulated. This is sufficient time due to the high temperatures and high rates of hydration caused by the high initial concrete temperature. High pouring temperatures are not recommended, as this study will show.

Rock and clay have different thermal conductivities, but the thermal effects on cracking are less pronounced in this scenario. A lower initial concrete temperature would show sharper differences in curing rates, cracking, and internal stress due to differences in thermal conductivity of the surrounding environment. For this reason, chemical modeling should be seriously considered to study complex interactions of variables for various scenarios, beyond the case presented in this study.

### **7.1 Empirical Curing Model Method**

Figure 7.1 plots the heat of hydration curves used in the model. These curves can be obtained empirically for a particular concrete mix by measuring heat generation under isothermal conditions. Table 7.1 lists the actual coefficients

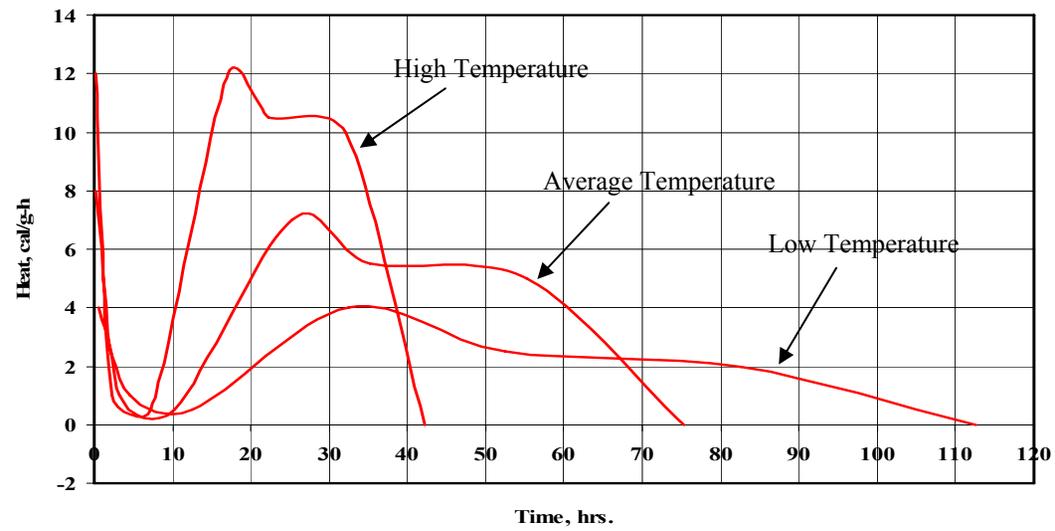


Figure 7.1 Rate of Heat Generation (Cal/hr) used in the Numerical Model

**Table 7.1 Curing Model Coefficients**

Temperature (C)	Hydration %	Heat	Time (hrs)	Thermal Conductivity	Strength	Stiffness	Radius
10	0	4	0.5	0.25	0.25	0.25	1
10	17	1	4	0.3	0.5	0.5	0.99
10	33	0.5	8	0.35	0.6	0.6	0.98
10	50	4	20	0.4	0.7	0.7	0.97
10	67	2.5	20	0.45	0.8	0.8	0.96
10	83	2	30	0.5	0.9	0.9	0.95
10	100	0	30	0.55	1	1	0.94
30	0	8	0.25	0.25	0.25	0.25	1
30	17	1	3	0.3	0.5	0.5	0.99
30	33	0.5	7	0.35	0.6	0.6	0.98
30	50	7	15	0.4	0.7	0.7	0.97
30	67	5.5	10	0.45	0.8	0.8	0.96
30	83	5	20	0.5	0.9	0.9	0.95
30	100	0	20	0.55	1	1	0.94
50	0	12	0.2	0.25	0.25	0.25	1
50	17	1	2	0.3	0.5	0.5	0.99
50	33	0.5	5	0.35	0.6	0.6	0.98
50	50	12	10	0.4	0.7	0.7	0.97
50	67	10.5	5	0.45	0.8	0.8	0.96
50	83	10	10	0.5	0.9	0.9	0.95
50	100	0	10	0.55	1	1	0.94

used in the model. The high temperature curve in Figure 7.1 corresponds to 50° C in the table. The average temperature corresponds to 30° C, and the low temperature corresponds to 10° C. All the curves have a rapid initial hydration phase that quickly completes within the first few minutes of concrete placement, depending on the temperature of the concrete. According to Table 7.1, the first hydration phase releases heat during first half hour at a concrete temperature of 10° C, but generates the same heat in the first 12 minutes at a higher temperature of 50° C. The curves in Figure 7.1 produce the same heat at different rates, depending on the concrete temperature, assuming that all the cement hydrates according to the same chemical reactions. This is not always the case, and should be validated empirically by isothermal lab tests. The shape of the curves corresponds to the different hydration reactions that concrete typically undergoes throughout the curing process.

The concrete curing model interpolates model parameters from Table 7.1 depending on the concrete temperature and hydration phase for each concrete particle element in the model. The rate of change of the hydration phase is also interpolated from the table, and updated for each concrete element. Thermal conductivity, strength, modulus, and particle volume are updated in a similar fashion. This allows the model to simulate complex interactions of parameters at a fundamental level, using empirical values tabulated from straightforward lab tests.

## **7.2 Curing Model Presentation**

The following figures display various properties at different stages in the concrete curing process. All the figures show the drilled shaft in rock on the left, the drilled shaft in clay in the center, and the difference on the right. Many of the difference scales have been amplified for display purposes. See section 6.1 for

details on the color schemes, property scales, and model parameters used in this simulation.

Certain properties are displayed for discussion purposes, but are not exhaustive. Compression, fracture extent, heat generation, hydration phase, and temperature are shown, while other properties such as material tensile strength, modulus, and thermal conductivity are not shown. Changes in element volume and displacement are shown indirectly.

Figures 7.2 - 7.5 show the compression effects of concrete curing. The compression is defined as the average force exerted on an element by attached springs. A zero compression value does not mean the element is not under compression, but that the sum of all compression and tension forces averages to zero. Initial compression was set to zero to show the effects of concrete curing. This is a reasonable assumption, since shaft excavation relieves lateral compression in clay.

Figures 7.6 - 7.9 show the fracture extent. Initially, no cracks are introduced in the concrete. This is a valid assumption, as concrete slowly changes from a fluid to a solid state. The surrounding clay is randomly initialized with 5% cracking, to simulate more realistic conditions. Each element color is determined from the number of non-broken springs attached to the element. This scheme has the effect of magnifying crack severity for display purposes, and should be taken into account when interpreting the images. A single broken spring will affect the display of two elements. Crack propagation can be traced by comparing images at different times.

Figures 7.10 - 7.13 show the heat of hydration generated from the chemical reactions. Each concrete element in the model will release basically the same

amount of heat during the curing process, but potentially at different rates, depending on the temperature of the concrete. The temperature is a function of heat generation and heat transfer over time, which in turn may be affected by cracking and shrinkage of the concrete, and deconsolidation of the clay. It is important to keep in mind the many complex interactions are involved in the modeling.

Figures 7.14 - 7.17 show the hydration phase of each concrete element in the model, as a percentage of completion. Other properties, such as thermal conductivity, modulus, strength, and shrinkage often are closely correlated to the hydration phase. As the concrete changes chemical composition, the material properties of the concrete are affected correspondingly. For this reason, material properties such as thermal conductivity, modulus, strength, and shrinkage are not included in the plots.

Figures 7.18 - 7.21 show the resulting temperature of each element in the model, generated from the chemical reactions and transferred by conduction and convection. Conduction is modeled in a traditional fashion, depending on contact and thermal conductivity coefficients. Convection is modeled by retaining spring connections after fracture. Heat is allowed to transfer across springs that are broken, at a reduced rate, depending on the separation. Spring connections greater than two times the element radius are eliminated, so convection is not modeled across large crack separation. Radiation was not considered a significant factor in this study, so was not modeled.

### **7.3 Curing Model Simulation**

The following discussion may require observation of several figures at once, due to complex interaction of various parameters during the curing phase. To

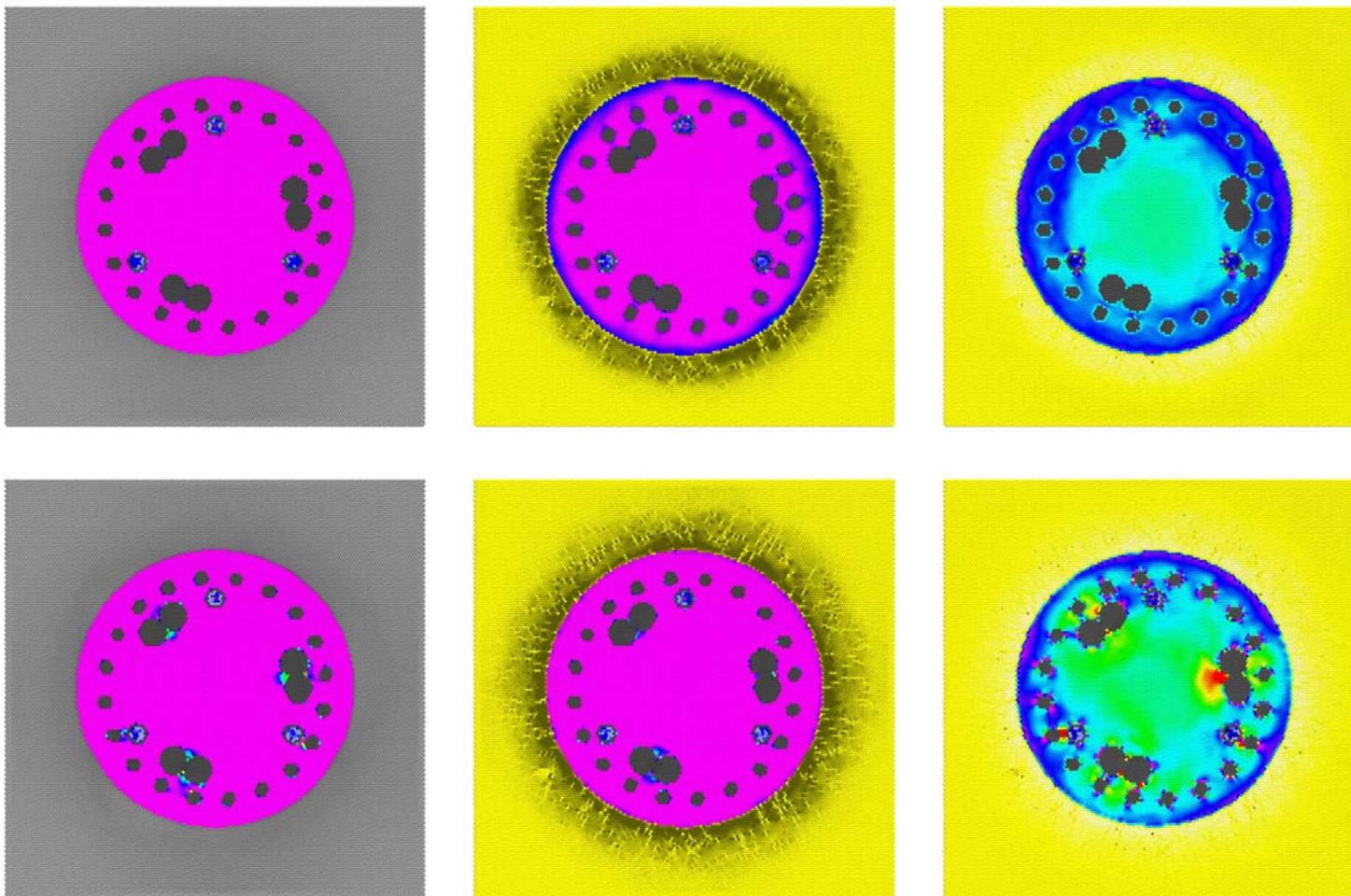
minimize confusion, each parameter will be discussed individually throughout the curing process.

### **7.3.1 Compression**

The top row of Figure 7.2 shows the compression after 4 hours. At this stage, the first hydration phase has completed, and the second hydration phase is in a very early stage.

The concrete has started to shrink slightly after the initial hydration phase. The top left image shows that the concrete is under relatively high tension at this stage, shown in magenta. This is because the concrete has not debonded from the rock, and has a very low modulus at this early stage. The rock shows no change in stress, because the rock has a much higher stiffness. The top center image shows that the clay surrounding the concrete starts to deconsolidate as the shaft shrinks. Clay has a much lower stiffness than rock, so tension forces allow more deformation in the clay. The cohesion forces and interlocking between the clay and the concrete are strong enough at this stage to cause deformation and deconsolidation of the clay, rather than debonding from the concrete. The entire shaft is still under tension, but the tension is less around the perimeter of the shaft, due to the deformation of the clay. This difference is more pronounced in the difference image at the top right. This shows that the tension in the center of the shaft is the same for both models, but slightly lower in the outer portions of the shaft around the rebar cage, due to the deformation in the clay.

The tension stress in the shaft is large enough to overcome cohesion forces bonding the rebar and access tubes to the concrete. This debonding affects the compression stresses in the shaft. Careful observation indicates that the tension forces are lower in regions near the rebar and access tubes. These lower tensions



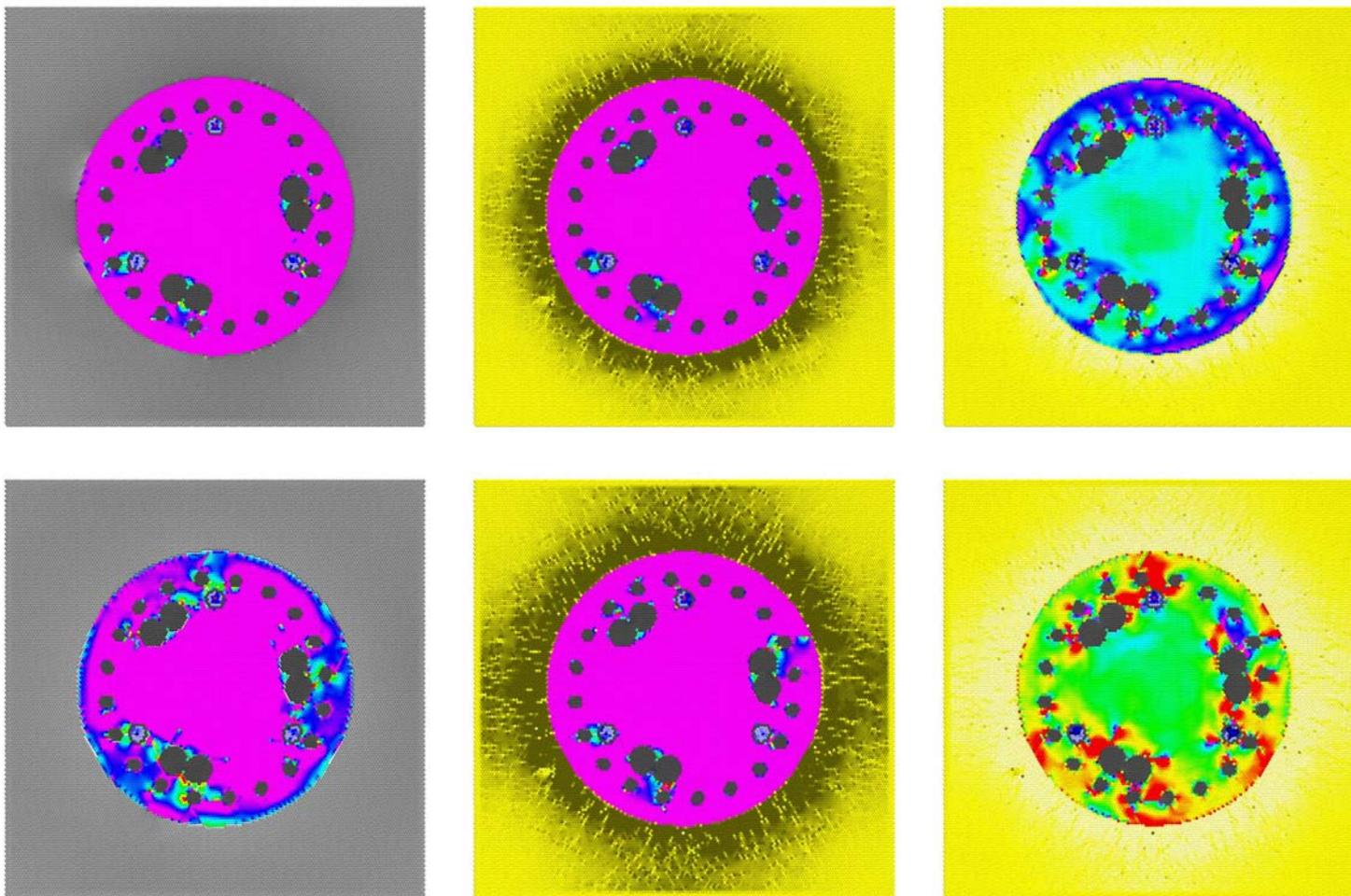
**Figure 7.2 Curing Compression. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference**

are a result of the different thermal expansion rates between steel and concrete, and also due to the differences in initial temperature and thermal conductivity. The steel was initialized at 10° C, while the concrete was placed at 45° C. The difference in temperature as heat transfers from the warm concrete to the cool steel results in a different hydration rate in the vicinity of the rebar, causing lower initial stiffness and lower initial strength in the adjacent concrete. These property changes result in lower tension in these regions, but because of the lower strength, slight debonding begins to occur even at this very early stage in the curing process. The debonding between steel and concrete is slightly more pronounced in the shaft surrounded by rock, because of the higher tension forces in the perimeter of the shaft.

After 8 hours, as shown in the bottom row of Figure 7.2, the second hydration phase is beginning to generate heat in warmer regions of the concrete. The concrete continues to shrink, expanding the region of clay deconsolidation, and reducing tension around the rebar. Tension in the concrete around the rebar in the shaft surrounded by rock has reached zero, in some regions. The difference plot shows much lower tension forces in the shaft surrounded by rock in regions around the rebar, but higher tension forces along the perimeter. The higher tension forces along the perimeter are due to the high stiffness of the rock.

The large differences in tension stress are a result of the stiffness of the surrounding ground, not due to differences in thermal conductivity. This is an important factor which is easily overlooked in the analysis of thermal cracking. This factor is more pronounced for higher concrete placement temperatures, but is still a major contributing factor in thermal cracking in other scenarios as well.

The top row of Figure 7.3 shows the compression stress condition at 12 hours, as more heat is generated from the second hydration phase. Careful observation of the image on the left shows a release in tension forces in the rock at the left of the shaft,

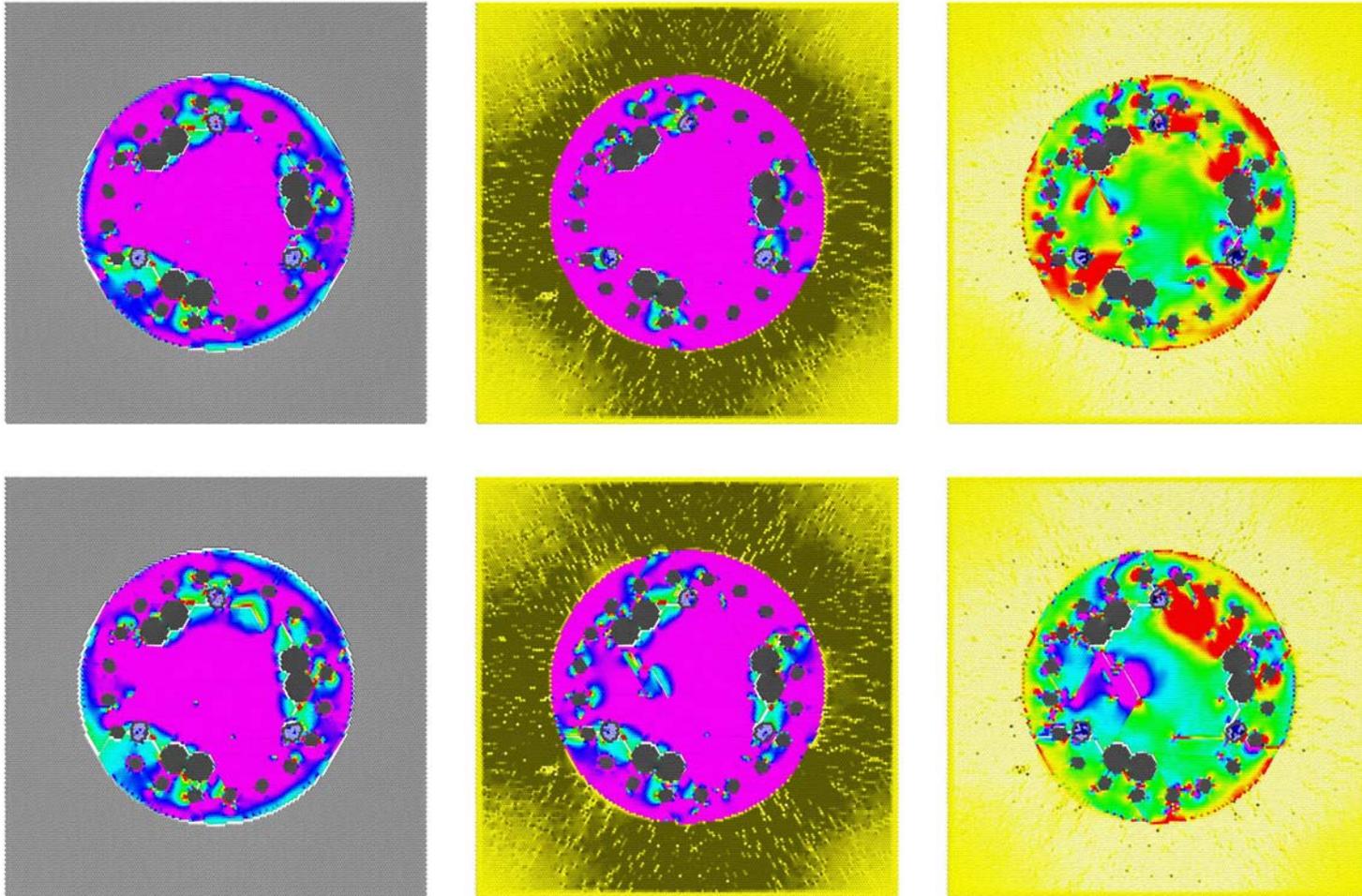


**Figure 7.3 Curing Compression. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference**

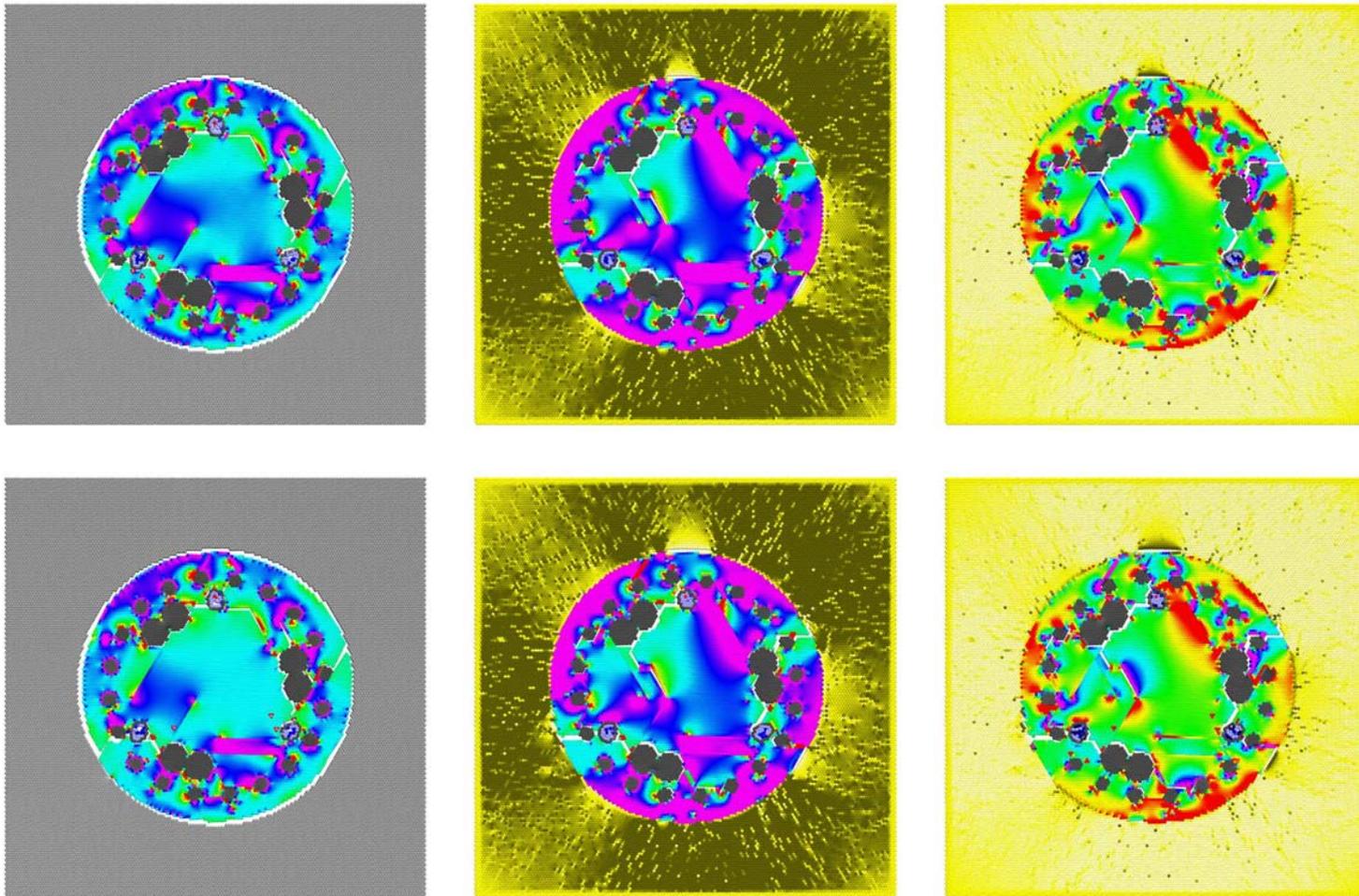
as tension forces in the strengthening concrete begin to overcome the cohesion and interlocking forces bonding the concrete to the rock. Tension forces remain lower in the perimeter of the shaft surrounded by clay. The tension forces in the center of the shaft are basically the same for both cases.

The bottom row of Figure 7.3 shows the compression stress condition at 24 hours, at the peak of the second hydration phase. The shaft on the left exhibits a sharp decrease in tension forces along the perimeter of the shaft, after the concrete fully debonds from the surrounding rock. However, the high variations in compression in the vicinity of the rebar are a result of cracking, due to the high tensile stresses formed before debonding with the rock. The clay has not debonded, so the clay continues to deconsolidate as the shaft shrinks.

The top row of Figure 7.4 shows the compression stress condition at 2 days, at the peak of the third hydration phase. Compression stress continues to build in the shaft on the left in the region of the rebar. The rock now has no effect on compression stress, except indirectly through convection cooling. Tension stresses in the clay have increased to the point of initiating slight debonding between the clay and the concrete. Debonding appears to occur first in the regions adjacent to the rebar. The compression stress does not clearly indicate why debonding occurs first in this region. However, internal compression stress has increased to positive levels for the first time in some regions. The compression stress has reached levels capable of deforming the access tubes. The thickness of the access tubes is only one element at this resolution, and are unable to provide the proper shear resistance force. The difference image on the right has some very interesting features. As micro-cracks propagate, regions of high stress concentrate at the point of the crack. Two of these regions can be seen near the center of the shaft. The bottom row of Figure 7.4 shows the compression stress condition at 3 days, at the end of the third hydration phase. Very little additional heat is generated after this point, but the shaft continues to cool, shrink,



**Figure 7.4 Curing Compression. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference**



**Figure 7.5 Curing Compression. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference**

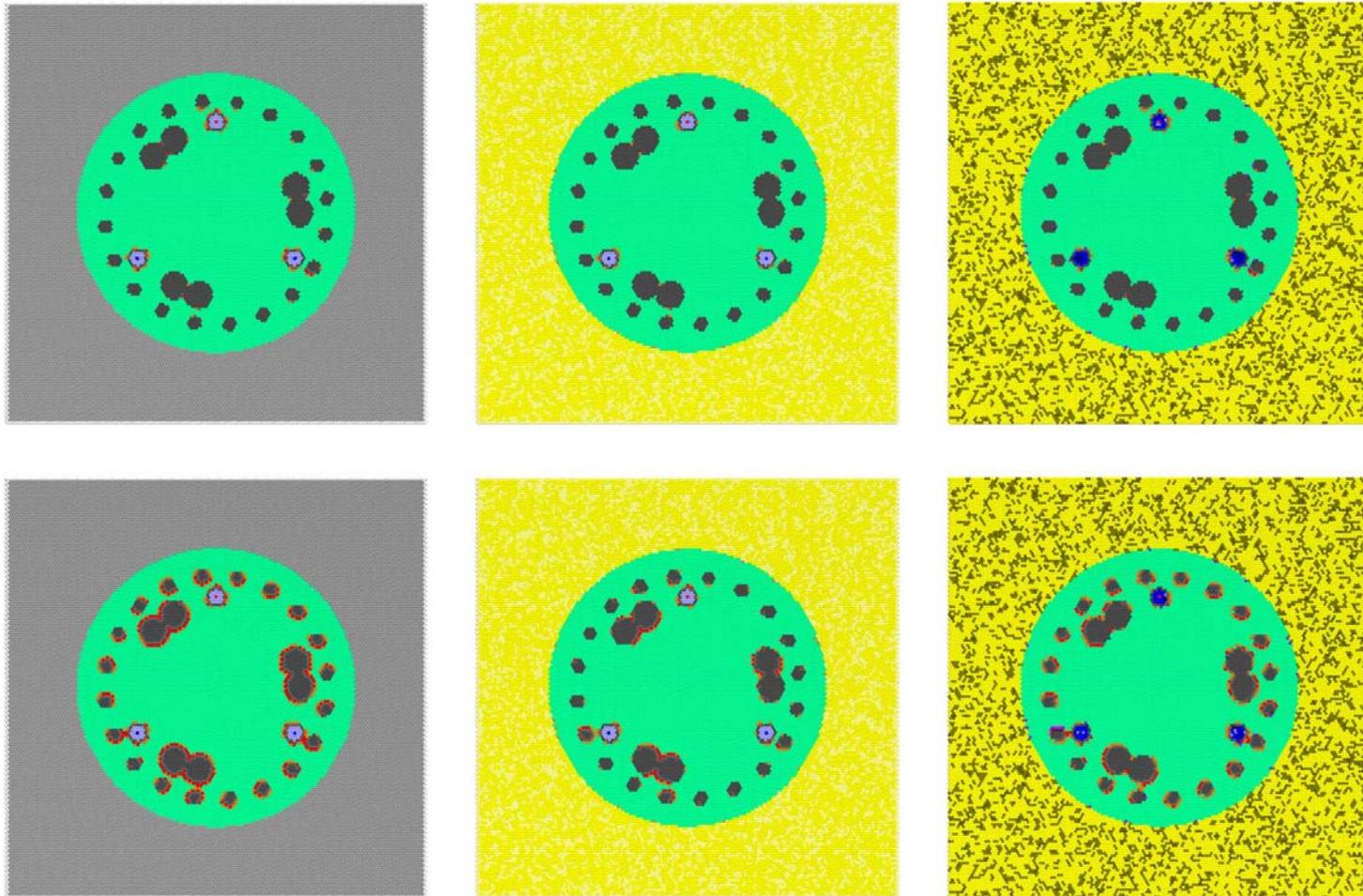
and crack. Compression stress at this stage is closely correlated to rebar and tube debonding, and internal cracking of the shaft.

After 4 days, the shaft compression stress has stabilized, as shown in Figure 7.5. The overall internal stress in the shaft surrounded by rock is nearly zero, but with pockets under high tension and compression. The high tension at the perimeter of the shaft is of concern, because of a higher future cracking potential that could weaken the shaft and expose the rebar to corrosives. The surrounding rock is unaffected, but the clay has deconsolidated to greater than one radius away from the shaft. This is a serious concern, because soil near the surface contributes significant support to the foundation. Reduction in the consolidation of the surrounding ground due to excavation and concrete shrinkage can lower the shaft capacity .

The internal stresses in the shaft surrounded by clay are more pronounced, especially in tension. These stresses will persist in the shaft, unless disrupted by additional cracking. Regions under tension are most likely to crack under future loading. Although both cases have similar fracture extent, the shaft surrounded by clay is much weaker, due to trapped pockets of internal tension.

### **7.3.2 Cracking**

The top row of Figure 7.6 shows the cracking extent 4 hours after concrete placement. Slight cracking can be observed around access tubes. Although debonding occurs at an early stage, NDE techniques such as CSL can only detect debonding at later stages after significant separation. The bottom row of Figure 7.6 shows the cracking extent 8 hours after concrete placement, between the first and second hydration phases. At this stage, micro-cracks have formed in the concrete completely around all access tubes and rebar in the shaft surrounded by rock. The higher tension forces pull the concrete away from the steel, breaking the weak cohesive bonds. Due to cooler



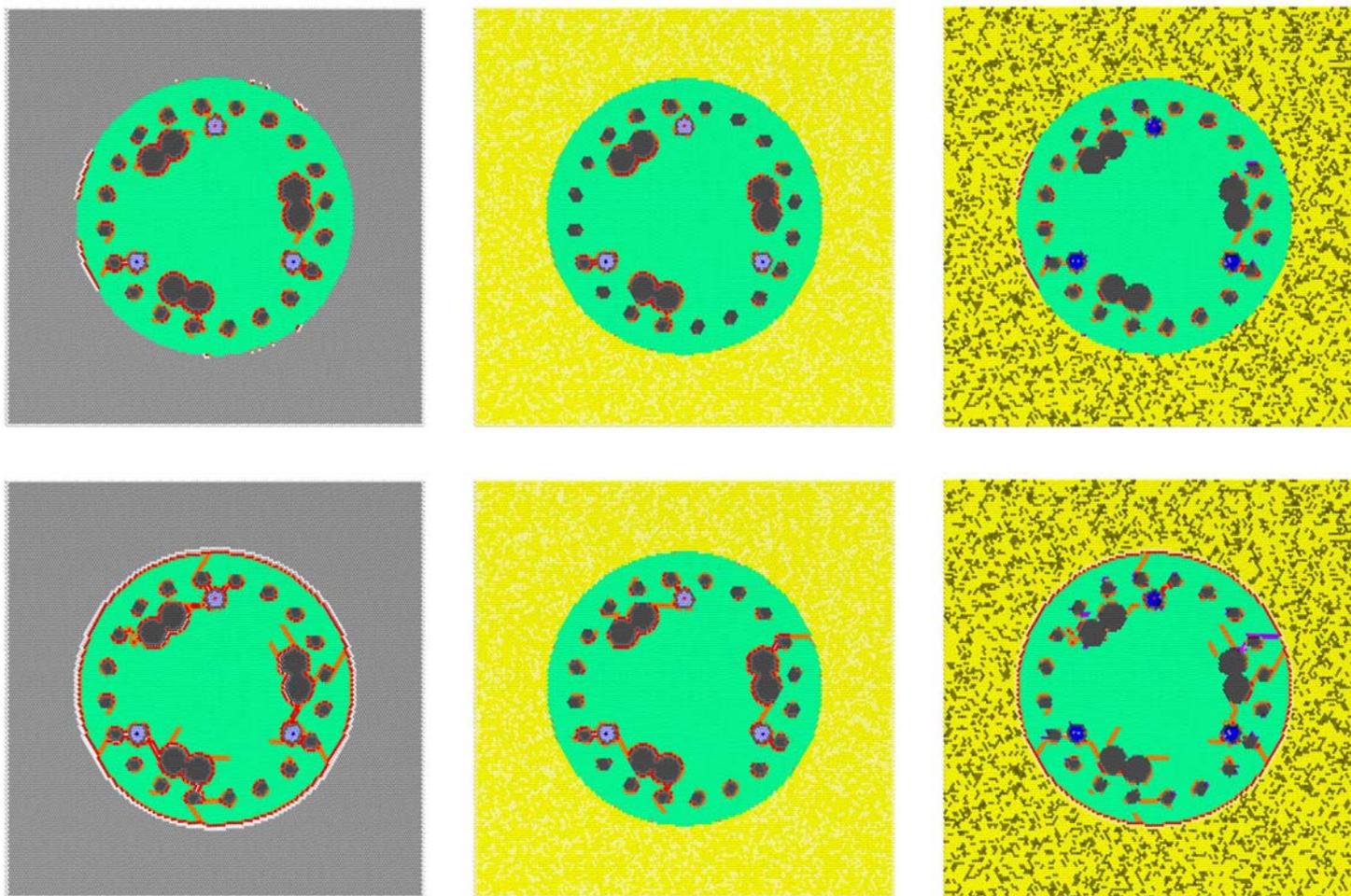
**Figure 7.6 Curing Fracture. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference**

temperatures surrounding the steel, the concrete in these regions is not as mature as concrete in warmer portions of the shaft. The shaft surrounded by clay shows more debonding around the large rebar. The higher thermal conductivity and greater volume of the rebar has the effect of reducing the temperature of adjacent concrete.

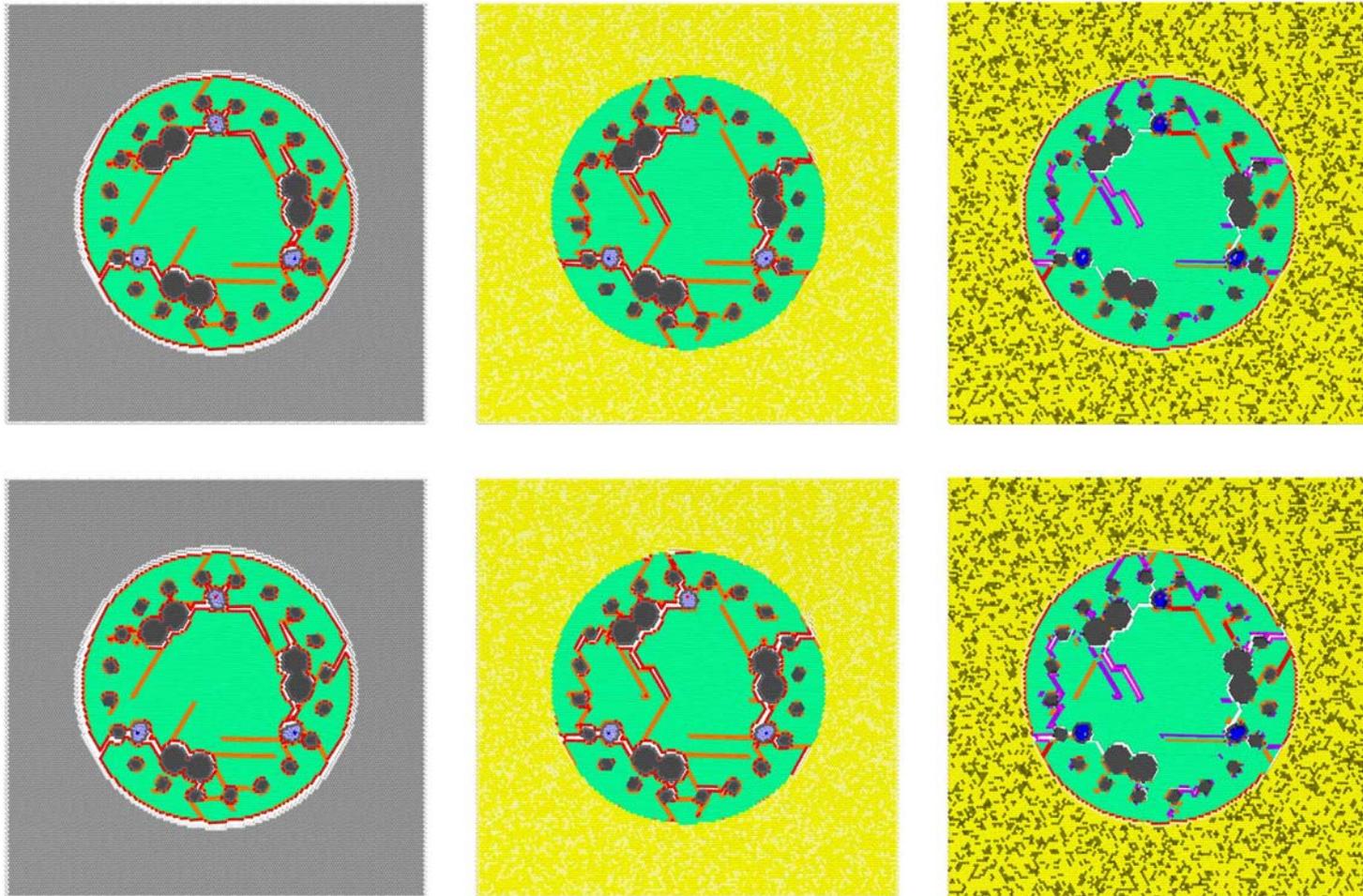
Lower temperatures slow hydration, which in turn delay development of concrete strength and stiffness. Narrow regions of concrete between closely spaced rebar, and between rebar adjacent to access tubes, begins to crack at this stage.

The top row of Figure 7.7 shows the fracture extent at 12 hours, as more heat is generated from the second hydration phase. Early stages of debonding can be detected between the concrete and the surrounding rock. The lower clay stiffness results in higher displacements, allowing the clay to deconsolidate before debonding from the shaft. Internally, cracks begin to propagate from the rebar in the shaft surrounded by rock, generally parallel to the perimeter of the shaft where tension forces are greatest. A small crack can be seen extending from the rebar toward the debonded rock in the lower left of the image. It is interesting to note that thermal cracking propagates from the inside of the shaft out, and initiates at the rebar.

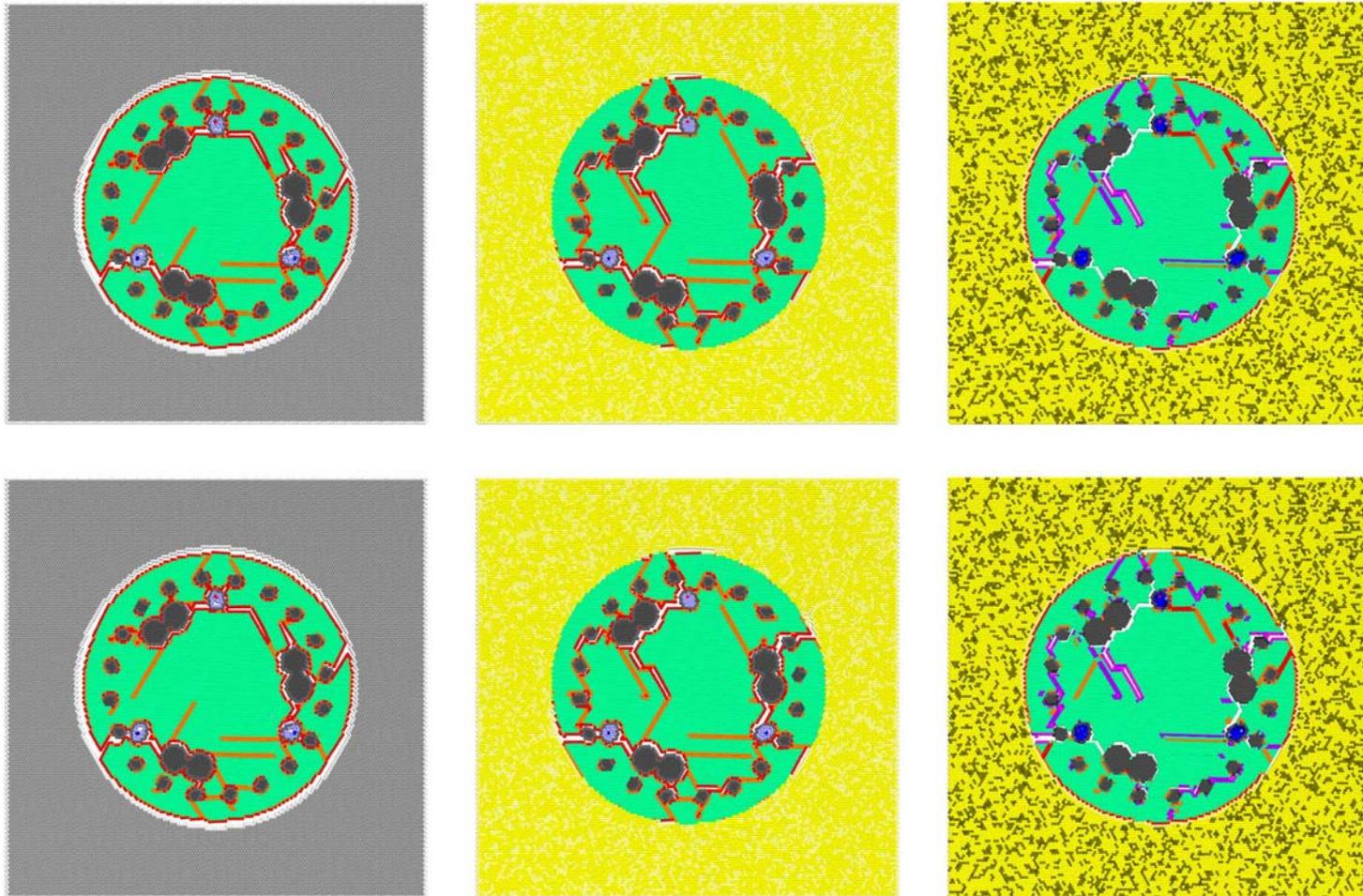
The bottom row of Figure 7.7 shows the fracture extent at 24 hours, at the peak of the second hydration phase. Cracks surrounding the shaft on the left indicate complete debonding between the concrete and surrounding rock. More cracks have formed along the perimeter of the shaft between the rebar and access tubes. Cracks have also developed from the rebar to the outside of the shaft. The top row of Figure 7.8 shows cracking extent at 2 days, at the peak of the third hydration phase. Cracks in both cases have extended almost entirely around the shaft in the region of the rebar cage. Cracks in the shaft surrounded by clay also extend across the central regions of the shaft.



**Figure 7.7 Curing Fracture. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference**



**Figure 7.8 Curing Fracture. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference**



**Figure 7.9 Curing Fracture. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference**

The bottom row of Figure 7.8 shows cracking extent at 3 days, at the end of the third hydration phase. No additional cracking is observed, indicating that cracking has stabilized after 2 days. Figure 7.9 verifies this stabilization, as no change in cracking is observed after day 4

### **7.3.3 Heat**

The top row of Figure 7.10 shows the heat generated from hydration 4 hours after concrete placement. This is the stage between the first and second hydration phases, so no heat is generated in either case.

The bottom row of Figure 7.10 shows the heat generated from hydration 8 hours after concrete placement. Most of the concrete is in early stages of the second hydration phase. Regions around the rebar and the perimeter of the shaft have cooler temperatures due to heat transfer, so this concrete has not yet entered the second hydration phase. The combination of cooler temperatures and delayed heat generation result in further delay of concrete curing in these regions. Less heat is generated in concrete adjacent to the clay because of the difference in thermal conductivity between the clay and the rock. Clay has higher thermal conductivity, so more heat is transferred into the surrounding clay than into the rock. These lower temperatures result in delayed hydration around the perimeter.

The top row of Figure 7.11 shows the heat generated at 12 hours. The center of the shaft has reached the peak of the second hydration phase, due to the high placement temperature, and sustained high temperatures. Concrete in the region of the rebar, where temperatures are cooler, is at the beginning of the second hydration phase.

The bottom row of Figure 7.11 shows the heat generated at 24 hours. Heat generation is more uniform throughout the shaft, although the concrete is not at the same maturity level.

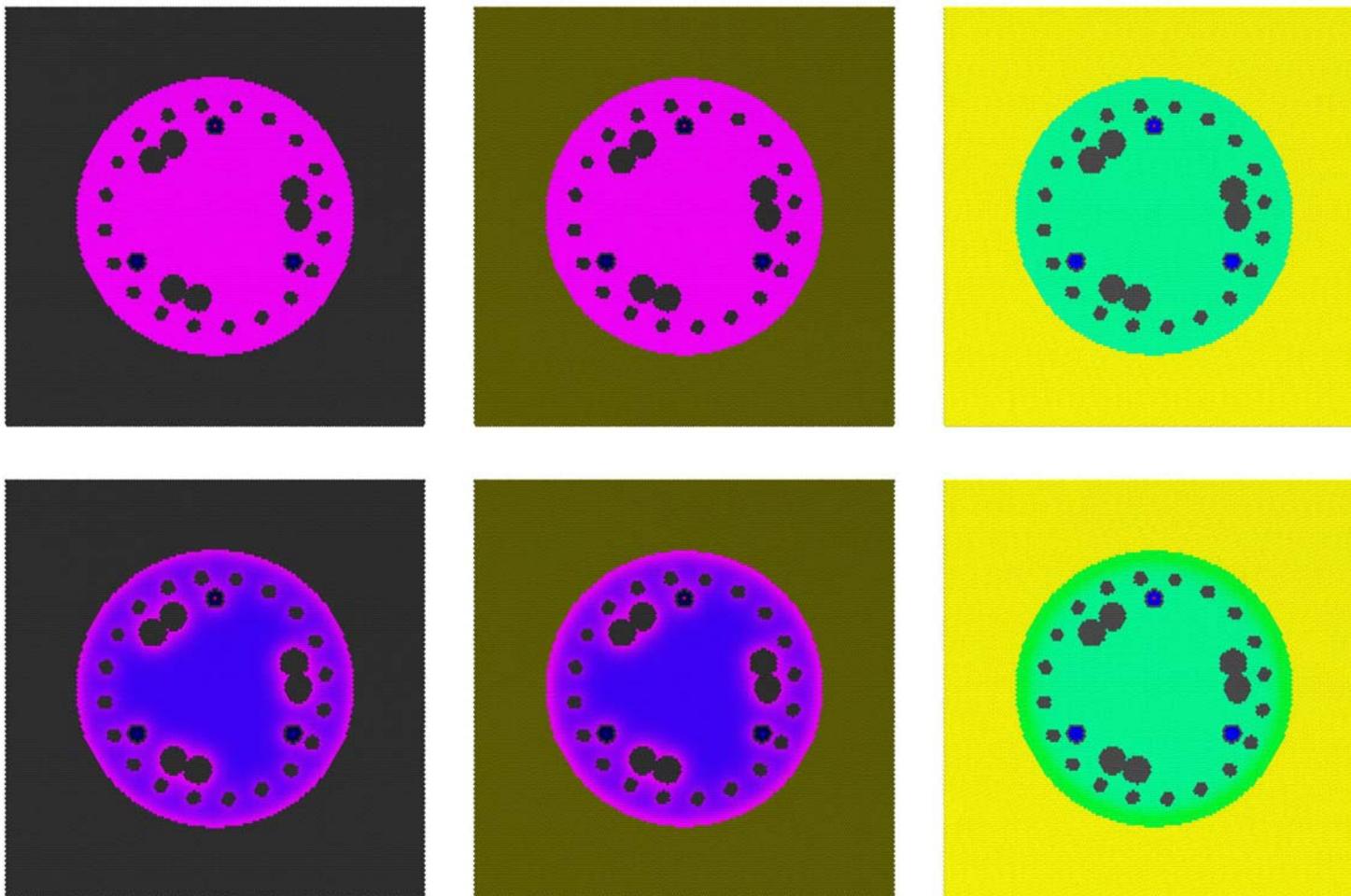


Figure 7.10 Curing Heat. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference

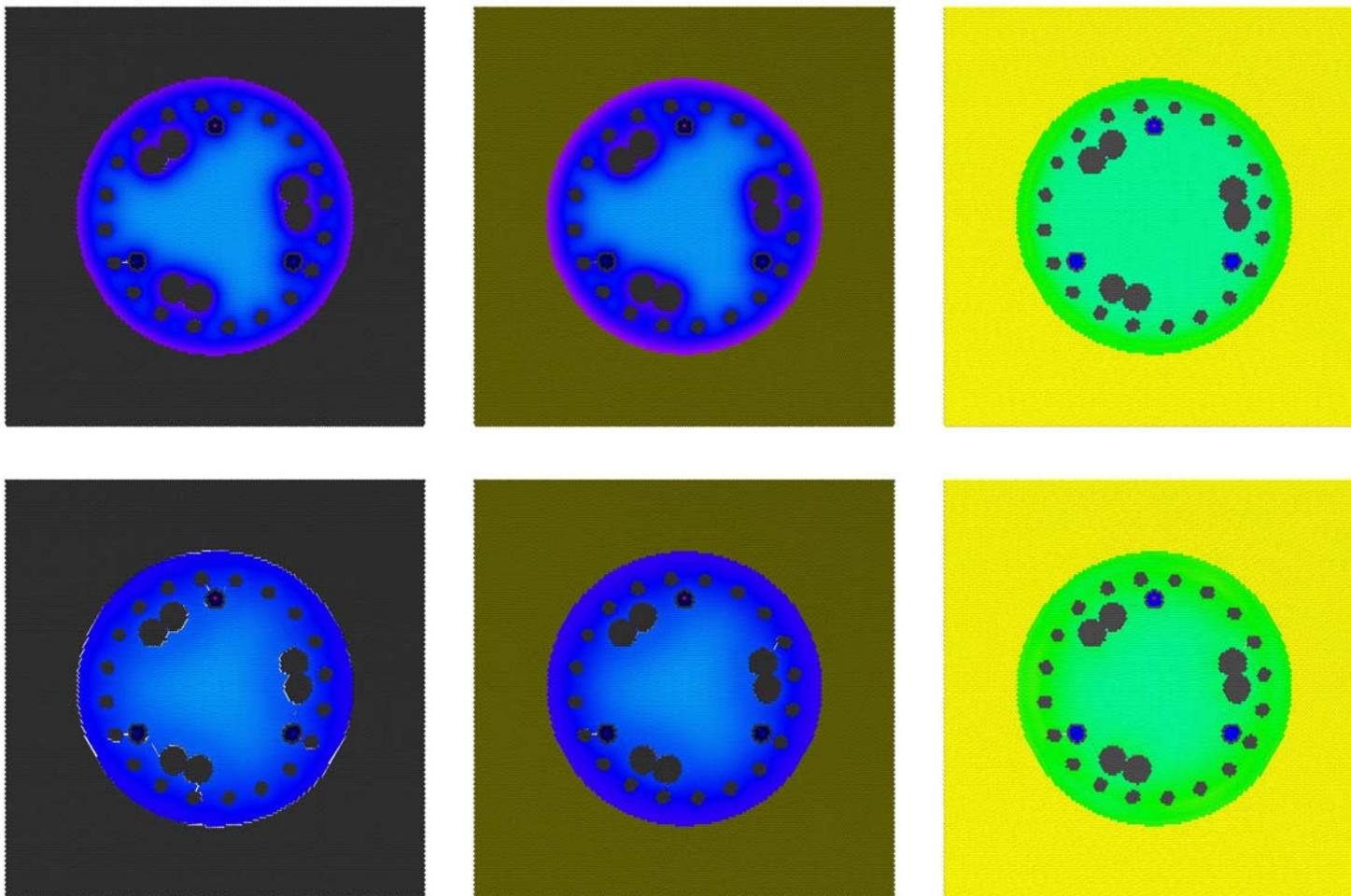


Figure 7.11 Curing Heat. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference

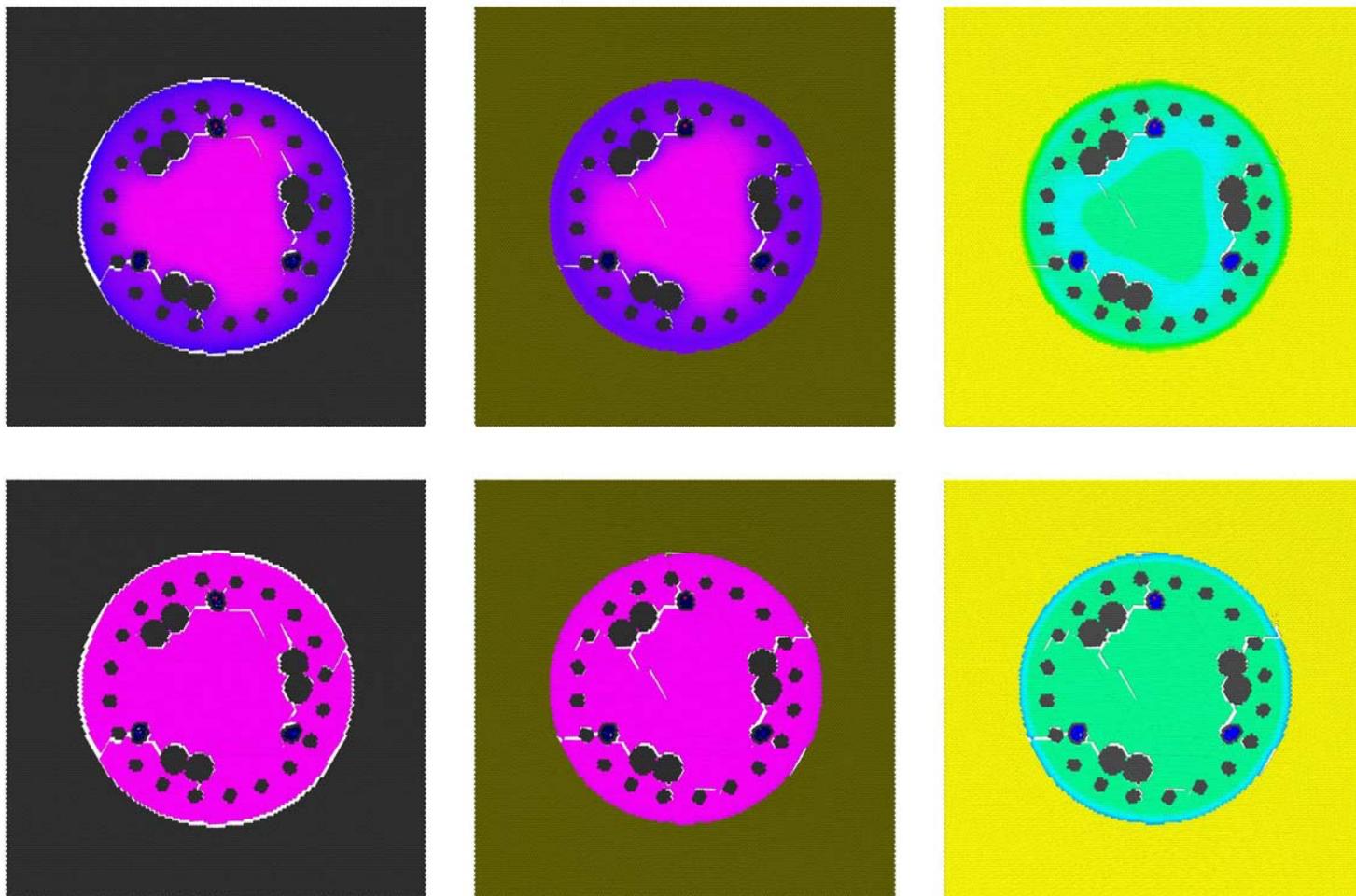


Figure 7.12 Curing Heat. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference

The top row of Figure 7.12 shows heat generation at 2 days. The center of the shaft has fully cured, and has stopped generating additional heat. The concrete in the rock is slightly more mature than the concrete surrounded by clay, as shown in the difference plot.

The bottom row of Figure 7.12 shows heat generation at 3 days. Almost all the concrete has ceased heat generation, except for a very thin section around the perimeter of the shaft surrounded by clay, as shown in the difference plot. Figure 7.13 shows that no additional heat is generated after day 4.

#### **7.3.4 Hydration**

The top row of Figure 7.14 shows the hydration phase 4 hours after concrete placement. This is the stage between the first and second hydration phases, and is essentially the same for both drilled shafts. The bottom row of Figure 7.14 shows that the concrete from both shafts begins the second hydration phase at the same time.

Figure 7.15 shows the hydration phase after 12 hours and 24 hours. A more pronounced difference in concrete maturity appears after 24 hours between the inside and outside portions of the shaft, but the surrounding rock and clay have little effect on the hydration phases. Figure 7.16 shows that the center of the shaft reaches maturity before the perimeter, and then stabilizes, as shown in Figure 7.17. Material stiffness, strength, thermal conductivity, and expansion volume follow a similar pattern.

#### **7.3.5 Temperature**

The top row of Figure 7.18 shows the temperature after 4 hours. At this stage, the first hydration phase has completed, and the second hydration phase is in a very early stage. The temperature of the shaft remains high due to the high placement

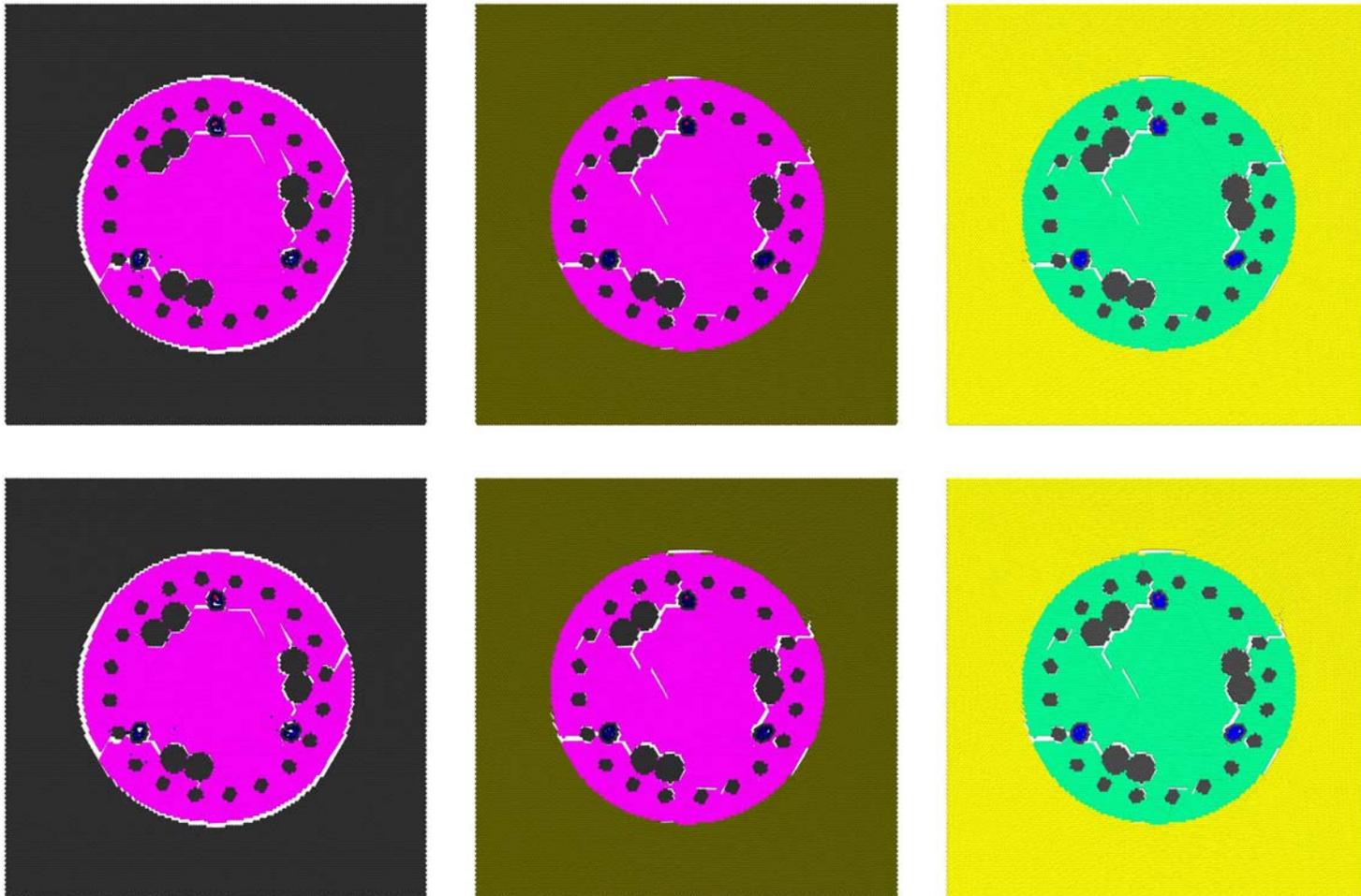
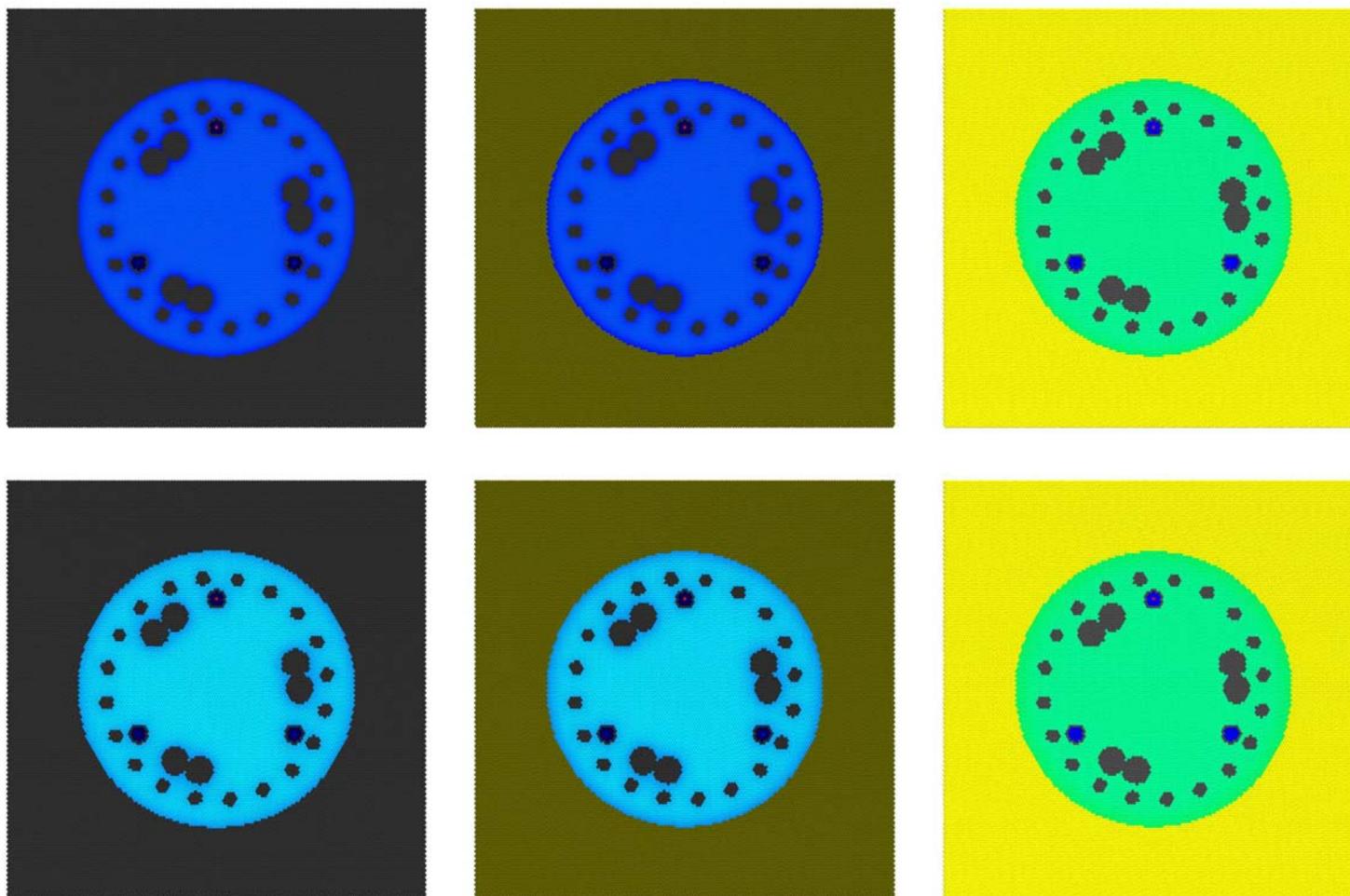


Figure 7.13 Curing Heat. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference



**Figure 7.14 Curing Hydration. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference.**

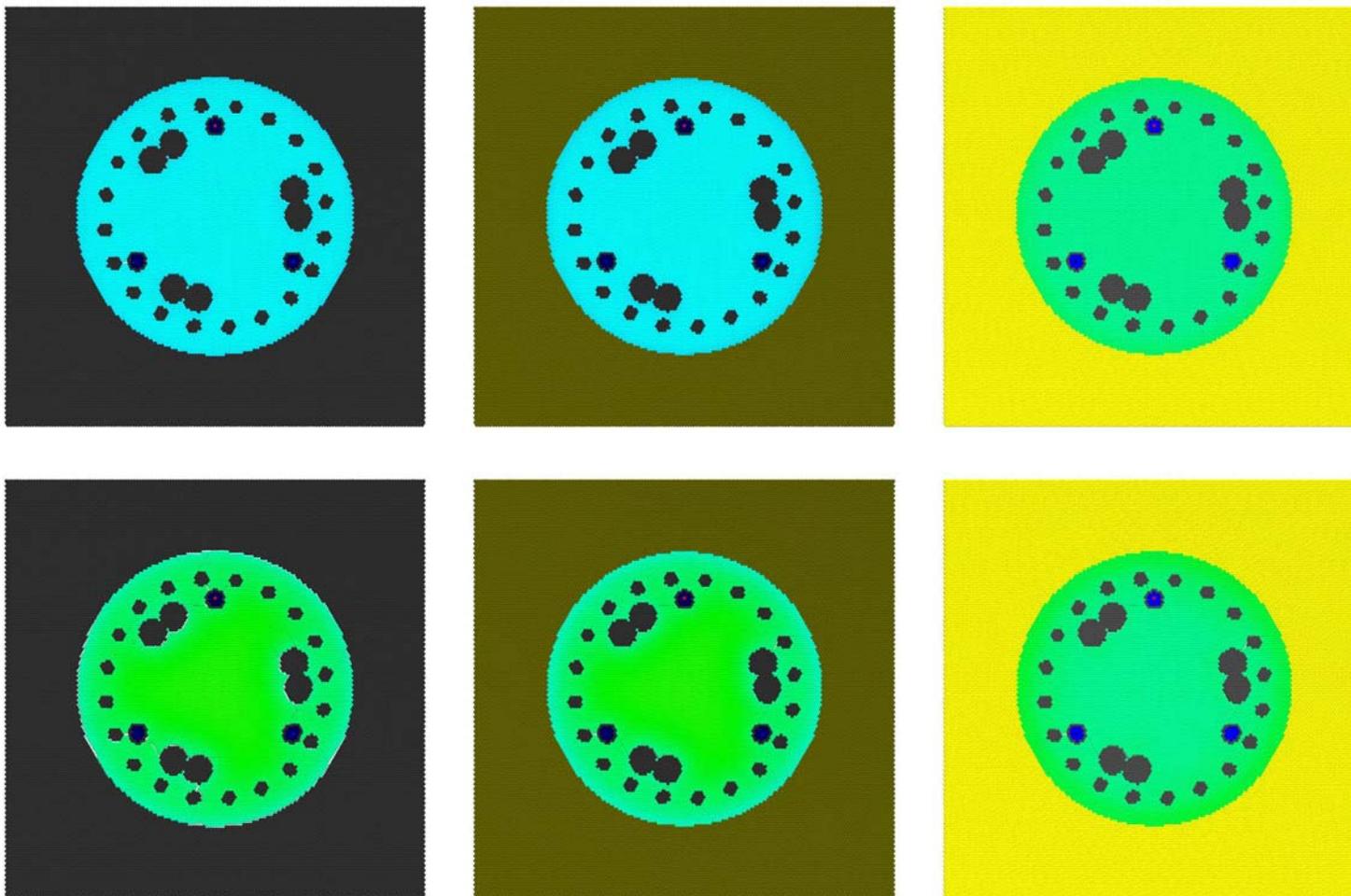


Figure 7.15 Curing Hydration. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference

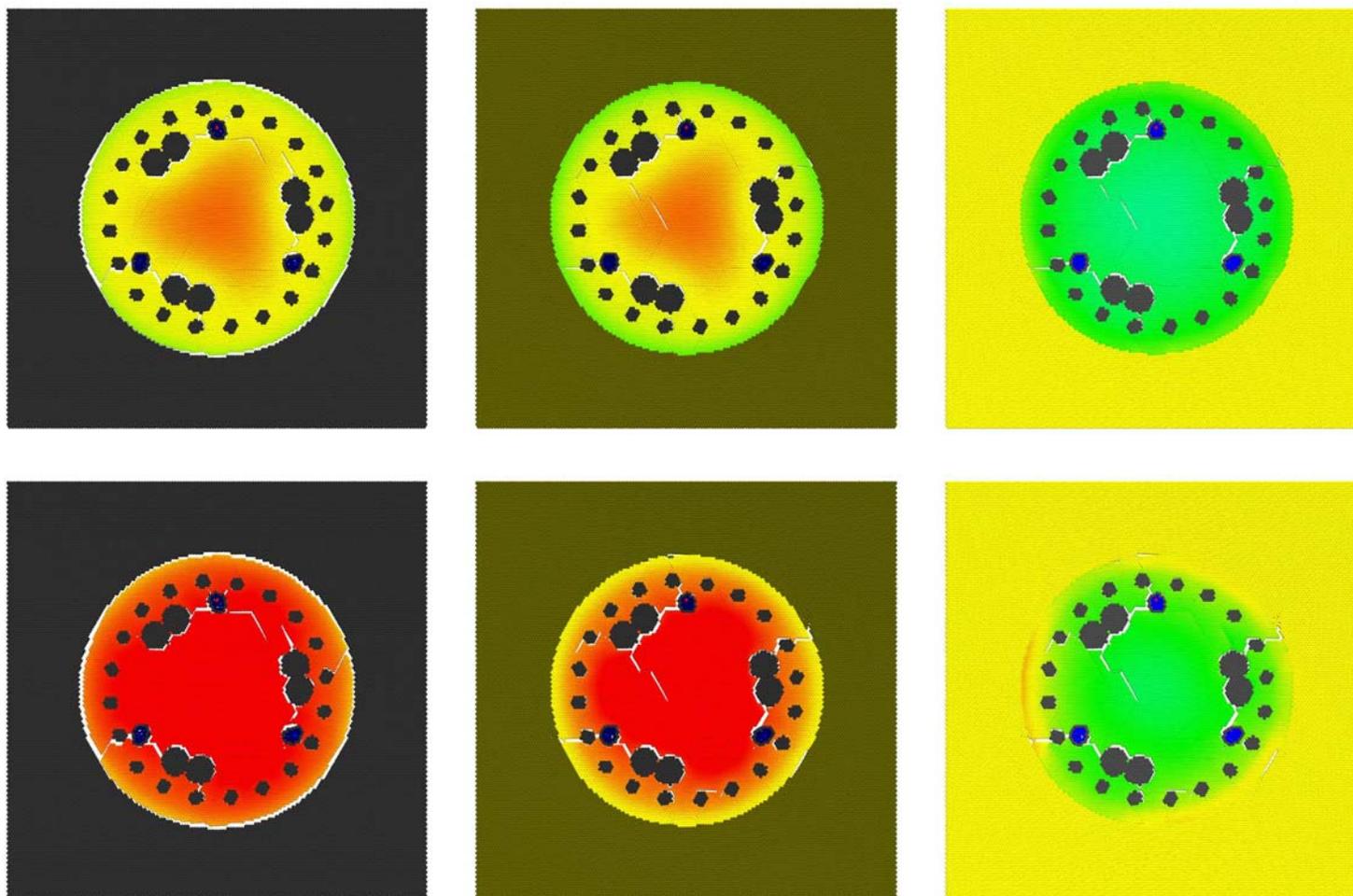


Figure 7.16 Curing Hydration. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference

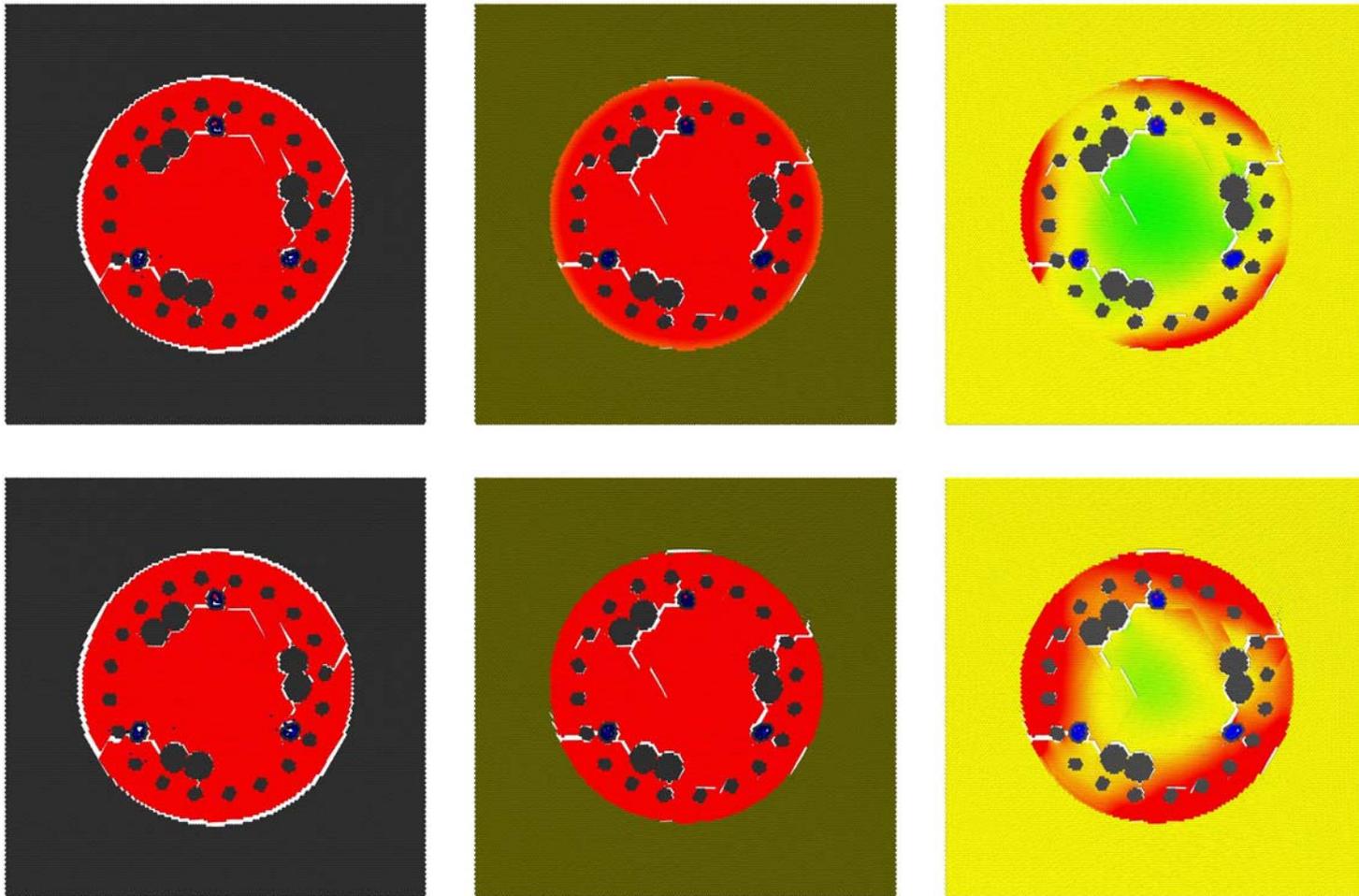


Figure 7.17 Curing Hydration. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference

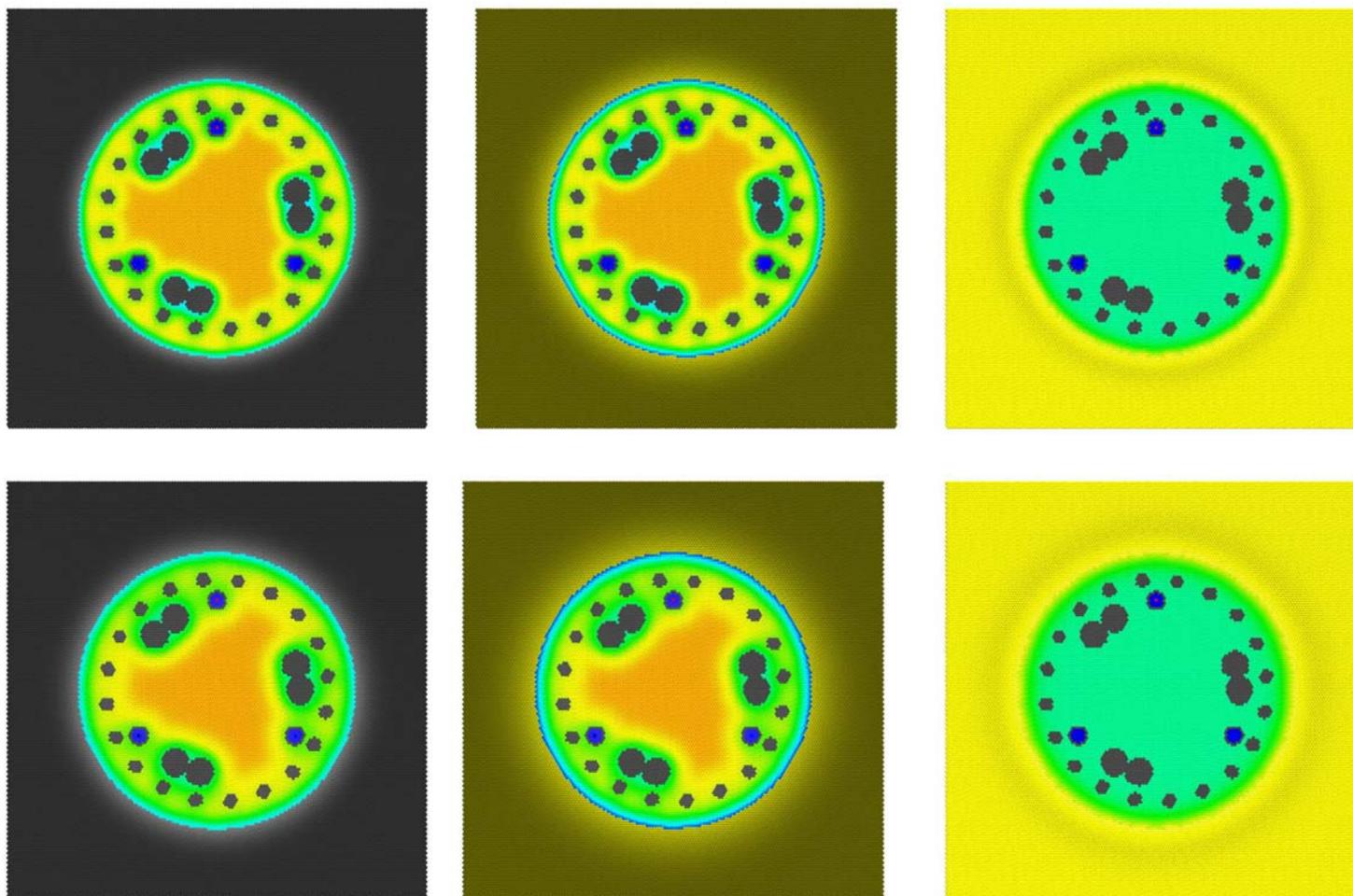


Figure 7.18 Curing Temperature. Top: 4 hours. Bottom: 8 hours. Left: Rock. Middle: Clay. Right: Difference

temperature. The temperature is lower in regions around the rebar and access tubes, as heat readily transfers from the warmer concrete to the cooler steel. The halo around the perimeter of difference plot indicates that the temperature of the rock adjacent to the concrete is higher than the temperature of the clay at this location. The temperature of the concrete adjacent to the rock is also at a higher temperature, due to the lower thermal conductivity of the rock. Even though the rock is at a higher temperature, the total amount of heat transferred into the clay is higher, distributed over a larger volume.

The bottom row of Figure 7.18 shows the temperature after 8 hours, when the second hydration phase is beginning to generate heat in warmer regions of the concrete. The temperature becomes more uniform in the perimeter of the shaft, in the region of the rebar cage.

The top row of Figure 7.19 shows the temperature at 12 hours, as more heat is generated from the second hydration phase. The temperature of the shaft remains high in the center, but decreases around the perimeter, as heat transfers into the surrounding ground. The temperature continues to rise in a larger volume of clay than in the rock. The bottom row shows that the temperature after 24 hours continues to cool around the perimeter of the shaft, and converge to a more stable temperature gradient.

The top row of Figure 7.20 shows the temperature at 2 days, at the peak of the third hydration phase. Debonding of the rock and concrete results in slight variations in the temperature distribution. Less heat is dissipated by convection, resulting in a significantly higher temperature in the shaft surrounded by rock, especially in the perimeter of the shaft, as shown in the difference figure.

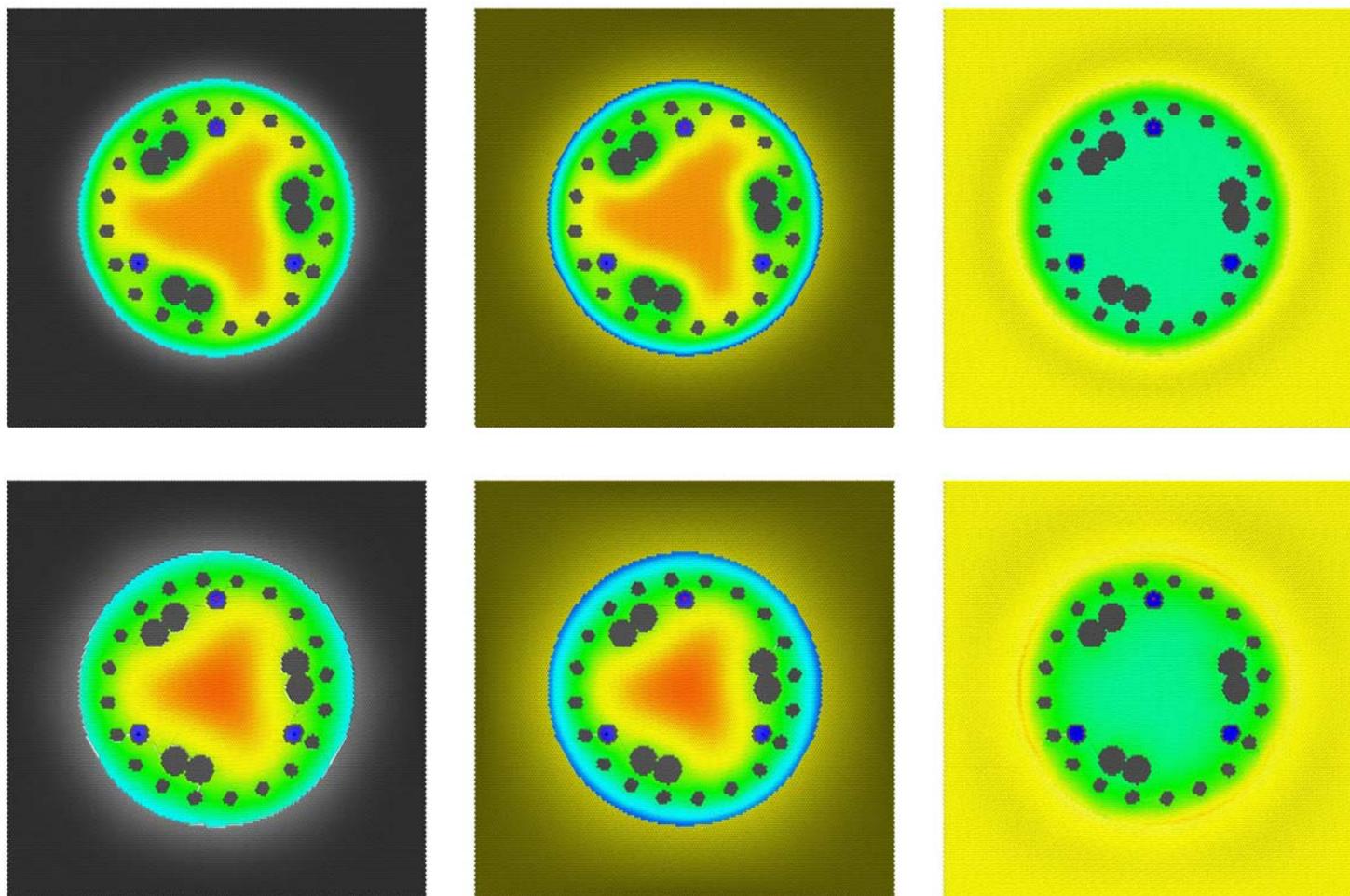


Figure 7.19 Curing Temperature. Top: 12 hours. Bottom: 24 hours. Left: Rock. Middle: Clay. Right: Difference

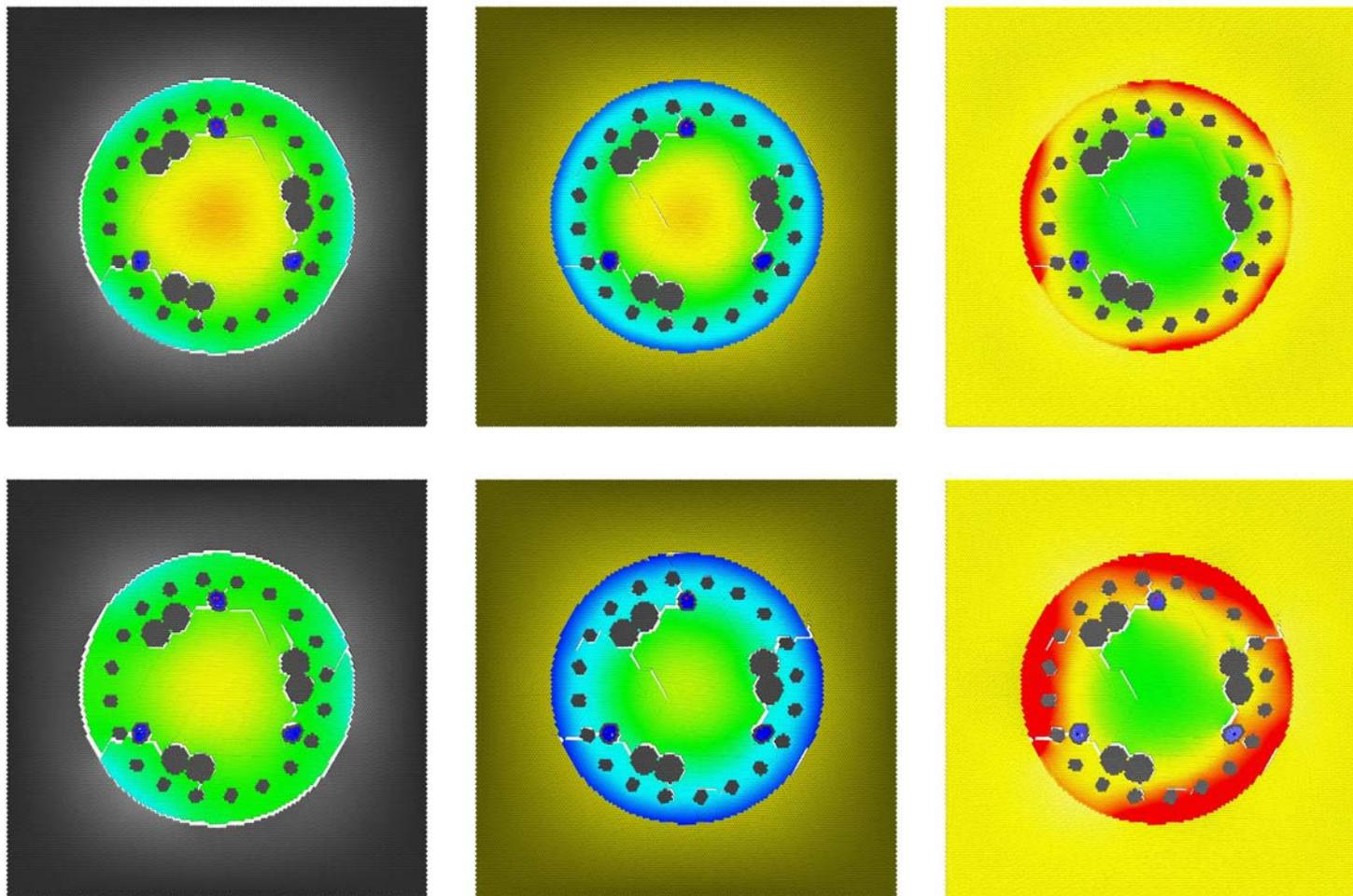


Figure 7.20 Curing Temperature. Top: 2 days. Bottom: 3 days. Left: Rock. Middle: Clay. Right: Difference

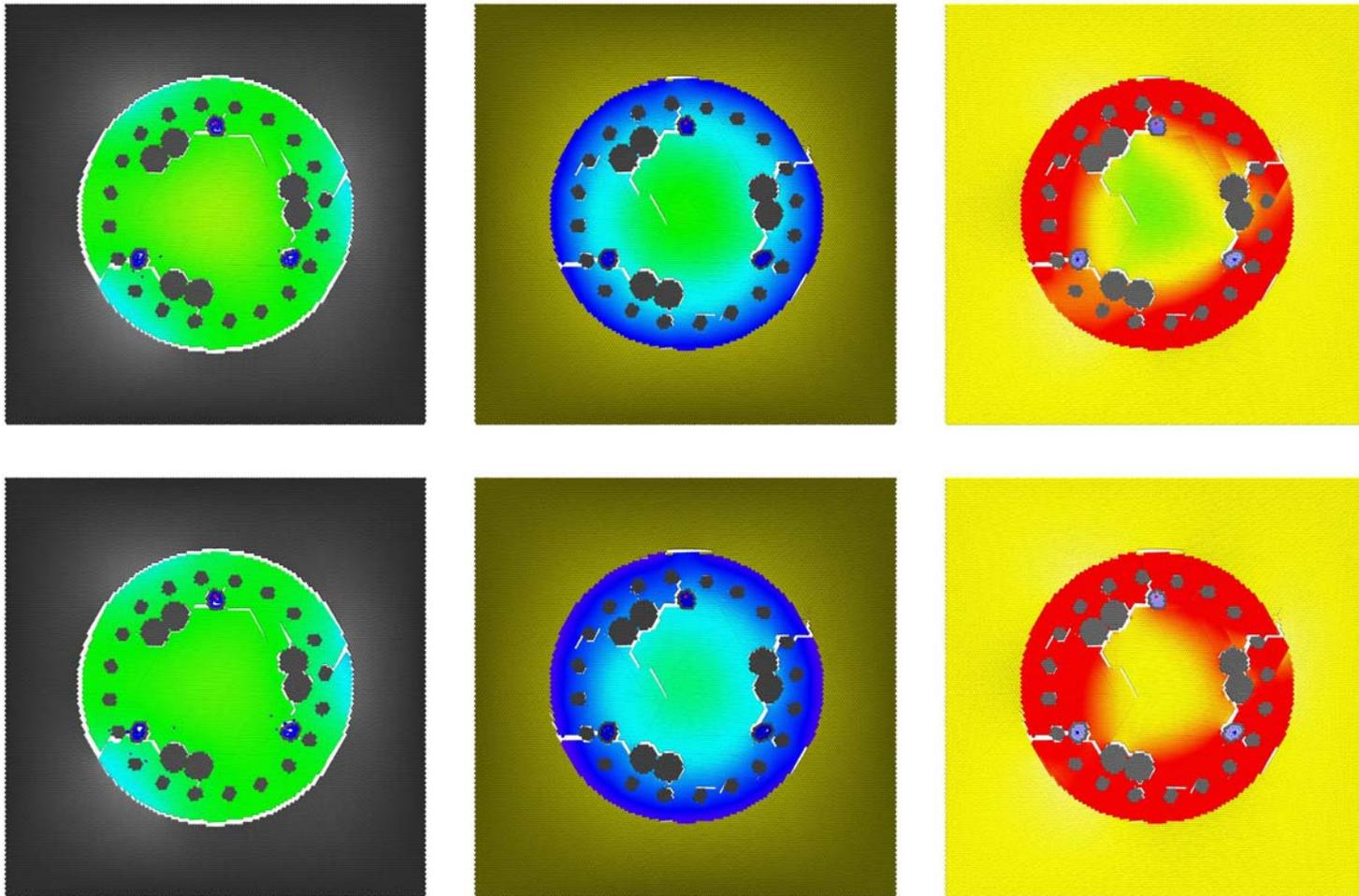
The bottom row of Figure 7.20 shows the temperature at 3 days, at the end of the third hydration phase. The shaft surrounded by rock remains hot, but has a lower temperature gradient as the temperature distributes more evenly throughout the shaft. The temperature around the perimeter of the shaft surrounded by clay is significantly lower, causing a higher temperature gradient in the shaft.

After 4 days, the shaft temperature continues to decrease, as shown in Figure 7.21. Much less heat transfers by convection, so the shaft surrounded by rock remains uniformly warm. The core of the shaft surrounded by clay remains warm, and will also require significantly more time to completely cool. The difference plot shows that cracking patterns have a slight effect on temperature.

#### **7.4 Discussion**

Internal cracking between rebar is common, and likely occurs in most, if not all, drilled shafts. This is the primary reason why access tubes are placed inside the rebar cage, rather than outside. Tubes placed outside the cage allow more concrete in the shaft to be imaged for defects. CSL data from tubes outside the shaft show very high variability in arrival times and energies. This is commonly attributed to scattering by the rebar and higher signal attenuation from larger tube separation. However, these models show that the variability is actually caused by internal cracking between rebar in the rebar cage, and debonding cracks around the perimeter of the rebar. Sonic compression waves have no problem propagating through rebar and intact concrete.

Also, CSL data along the perimeter of the shaft is often ignored, “corrected”, or intentionally not collected on larger shafts with more access tubes, supposedly to save time and cost. CSL velocities are almost always lower along the perimeter of the shaft than through the center, even when tubes are placed inside the rebar cage. This is often attributed to differences in concrete maturity and lower temperatures in



**Figure 7.21 Curing Temperature. Top: 4 days. Bottom: 5 days. Left: Rock. Middle: Clay. Right: Difference**

regions along the perimeter. However, these lower velocities persist long after all the concrete in the shaft has fully cured. Since cracking is common in the region of the rebar cage, slower velocities and higher variability will result between tubes along the perimeter.

Cracks develop from the rebar to the outside of the shaft. These cracks are serious concerns for corrosion, because they provide a conduit for corrosives to reach the rebar and deteriorate the shaft. Since cracks initiate at the rebar, any cracks that extend to the outside of the shaft will lead directly to a rebar support. Since cracks extend between rebar in the support cage, more rebar is directly exposed to corrosives from a single external crack than is readily apparent.

As this study indicates, variability and reduction of CSL velocities and energies can result from cracking. Indications of internal cracks from lower velocity CSL surveys are often nerve-racking, and can result in litigation. Ignoring or side-stepping the issue is not an option.

## **8 Numerical Testing of Axial Load Capacity of a Drilled Shaft with Anomalies**

Various tests and analytical methods have been developed to evaluate the axial load capacity of a drilled shaft. Design requires proper sizing of the drilled shaft for sufficient axial load capacity. Static load tests are generally performed on full-scale prototype shafts to obtain load-settlement curves. Analytical methods, based on concrete, soil, and rock properties obtained from laboratory or in-situ tests, are used to determine the ultimate load capacity of a drilled shaft. This study focuses on axial load capacity and static load tests, to demonstrate the capabilities of a modeling approach to determine the effect of anomalies on capacity. Numerical modeling can also analyze dynamic and lateral loads, which may be the control factors in certain situations.

Drilled shafts transfer applied axial loads to the ground via two mechanisms: side friction and toe bearing. Since geo-materials are highly inhomogeneous, anisotropic, non-linear, and non-elastic, the quality of the drilled shaft and interaction of the shaft and surrounding soils are major factors to control performance of the foundation. In situ prototype tests provide reliable design parameters for shaft design, but can be expensive and time consuming for many applications. Analytical methods can provide economical alternatives for simulating field conditions. With numerical modeling, site specific geology and material properties obtained from field investigations can be reproduced, and the effects of various loading conditions for drilled shaft design criteria can be analyzed.

### **8.1 Axial Loading Model Analysis**

Concerns have recently been raised that design procedures for drilled shafts prescribed by the American Association of State Highway and Transportation Officials (AASHTO) do not incorporate the effect of soil density or cementation,

specifically for end bearing shafts. In this study, common soil and rock properties encountered in highway engineering, with corresponding boundary conditions, are incorporated into a model that is socketted in bedrock for an end bearing shaft. The same defect at two different depths in the shaft is introduced into the model, to compare performance under axial loading.

In the axial loading model analysis, the drilled shaft is installed inside four different geo-materials. The order of the materials from the top to the toe of the drilled shaft are dry sand, wet sand, clay, and bedrock. The depths of each material and their relative elevations are showed in Figure 8.1. The toe of the drilled shaft is socketted 0.5 m in bedrock. The geo-material properties of this model are specified the same as other modeling this study (see section 6.1 for the specifications). The bottom of the model is constrained from displacement in the vertical ( $Z$ ) direction and the surrounding boundary conditions are constrained of displacements in horizontal ( $X$ - $Y$ ) directions but vertical displacement is allowed (i.e. compaction and settlement are allowed). The ground surrounding the drilled shaft model has been expanded from 1.5 m to 2 m on a side, to reduce boundary condition effects. Elements at the base of the model are static.

Axial loading is applied uniformly on the top of the drilled shaft by pushing the shaft slowly downward with uniform displacement (standard displacement control test). The vertical force component is calculated from summing spring compression over the constrained elements at the top of the shaft. Two small sized defects (20% reduction in velocity) are introduced into the drilled shaft at depth of 1 m and 3 m, by replacing drilled shaft material with dry sand for comparison to a drilled shaft with no defect. Compacted and loosened conditions are also simulated to compare the effect of the density or cementation of the soil. The modeling results at the different loading/displacement stages are plotted in figures and graphs. The observations are presented and discussed in the following sections.

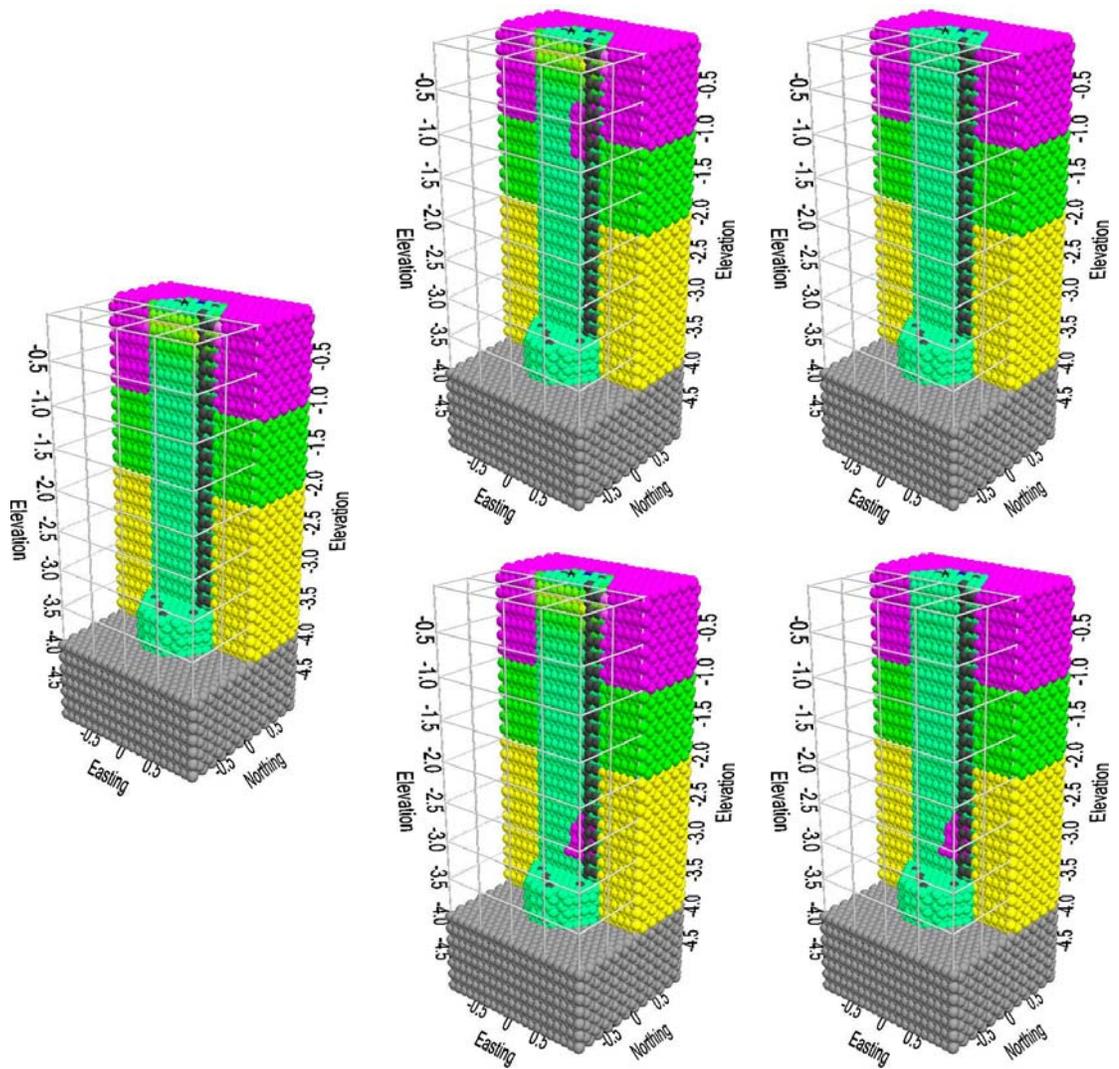
### 8.1.1 Displacement of 4 mm

The stress intensity in the drilled shaft at an initial displacement of 4 mm, measured at the top of the shaft, is plotted in Figure 8.1. Three models showing stress intensity are plotted in the figure. The left plot is the stress of the shaft without a defect. The center top and bottom plots represent the stress of the shaft with a defect at a depth of 1 m and 3 m, respectively. The right plots show the stress differences between the non-defective and the defective shafts.

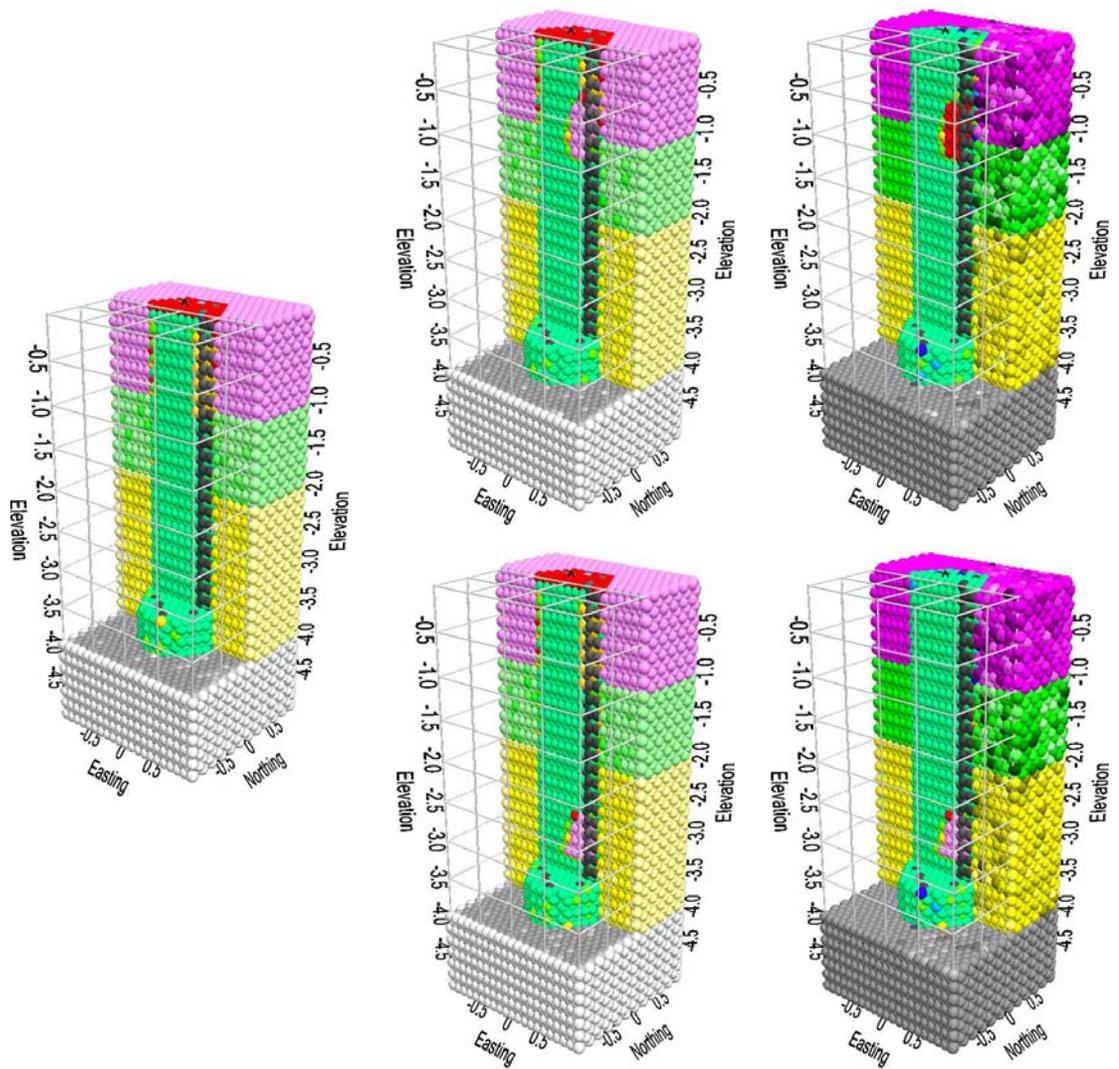
The center plots show highest stress in the top of the shaft, gradually decreasing with depth. The stress is insignificant after a depth of 0.5 m. The stress build-up in the top of the shaft is a result of the friction and interlocking between the concrete and the surrounding ground. As the shaft moves, the surrounding ground compresses, resisting a significant proportion of the load. The drilled shaft is not so much compressed between the surface and the bedrock as it is compressed between the surface and the surrounding ground. In this case, the shaft experiences the most compression between the surface and the top of the wet sand.

The difference plots on the right of the figure show no change in stress from the shaft with no defect. This indicates that the defect at both depths of the shaft has no influence on the compression stress at this displacement.

Figure 8.2 shows the fracture extent corresponding to the compression stress plot in Figure 8.1. The dry sand has a very weak bond with the concrete. The dry sand is separated from the concrete, to a depth of 1 m. The difference plots on the right show that the defect has no influence on cracking at this stage.



**Figure 8.1 Compression Stress at Initial Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference**



**Figure 8.2 Fracture Extent at Initial Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference**

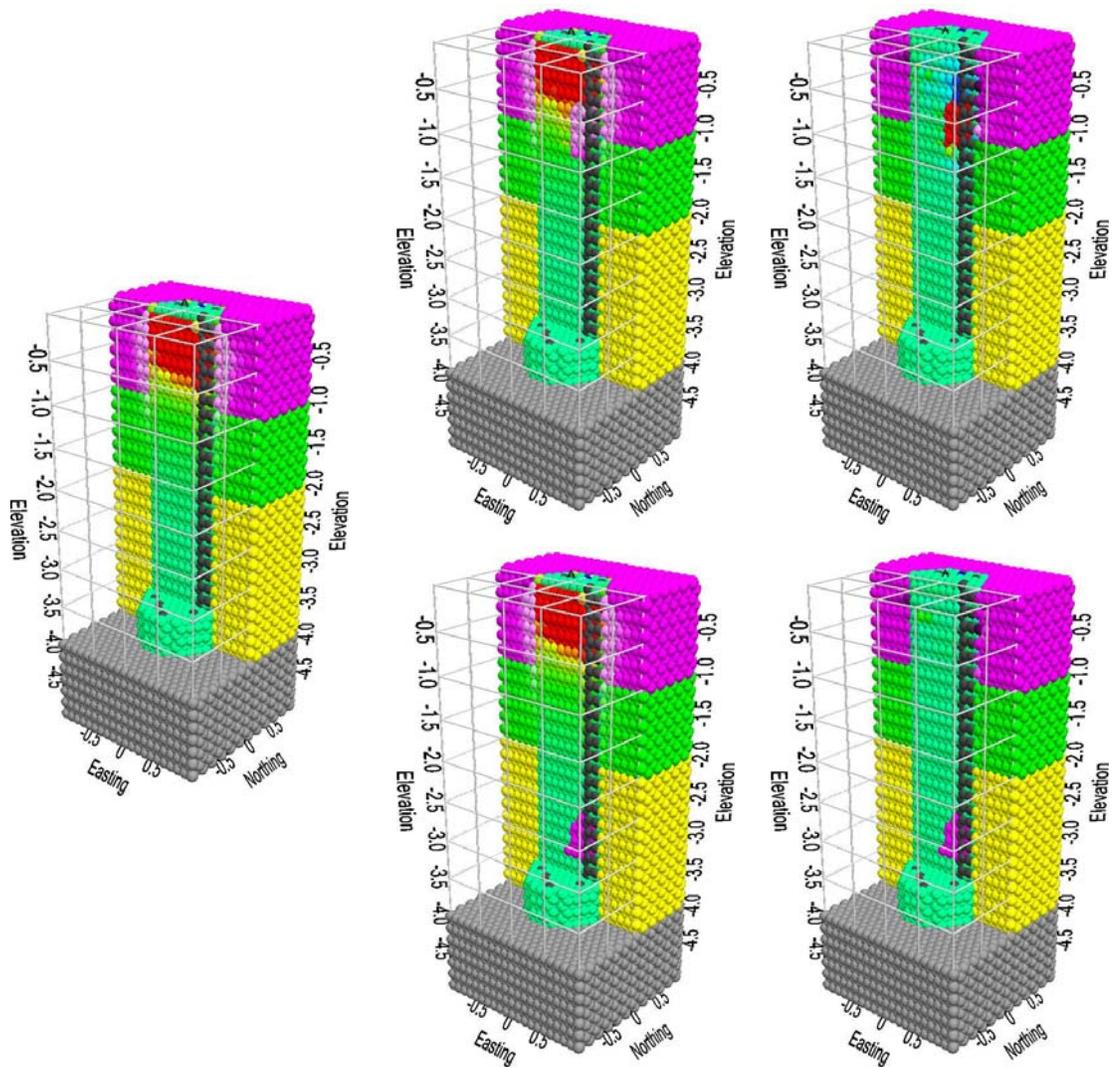
### 8.1.2 Displacement of 4 cm

The stress intensity at a displacement of 4 cm is plotted in Figure 8.3. This is at the stage when the shaft is usually considered to have failed due to the large displacement. As seen from the plot on the left (non-defective shaft) and the plots in the center (defective shaft), the compression stress is at very high levels in the top 0.75 m of the shaft. Regions in the shaft where the stress is red have high potential to fracture. The stress abruptly decreases in the next 0.25 m, and is insignificant after a depth of 1 m. The shaft still experiences the most compression between the surface and the top of the wet sand. The wet sand layer is able to sustain slightly more load than the dry sand layer, and is most likely the cause for the abrupt decrease in stress at that depth.

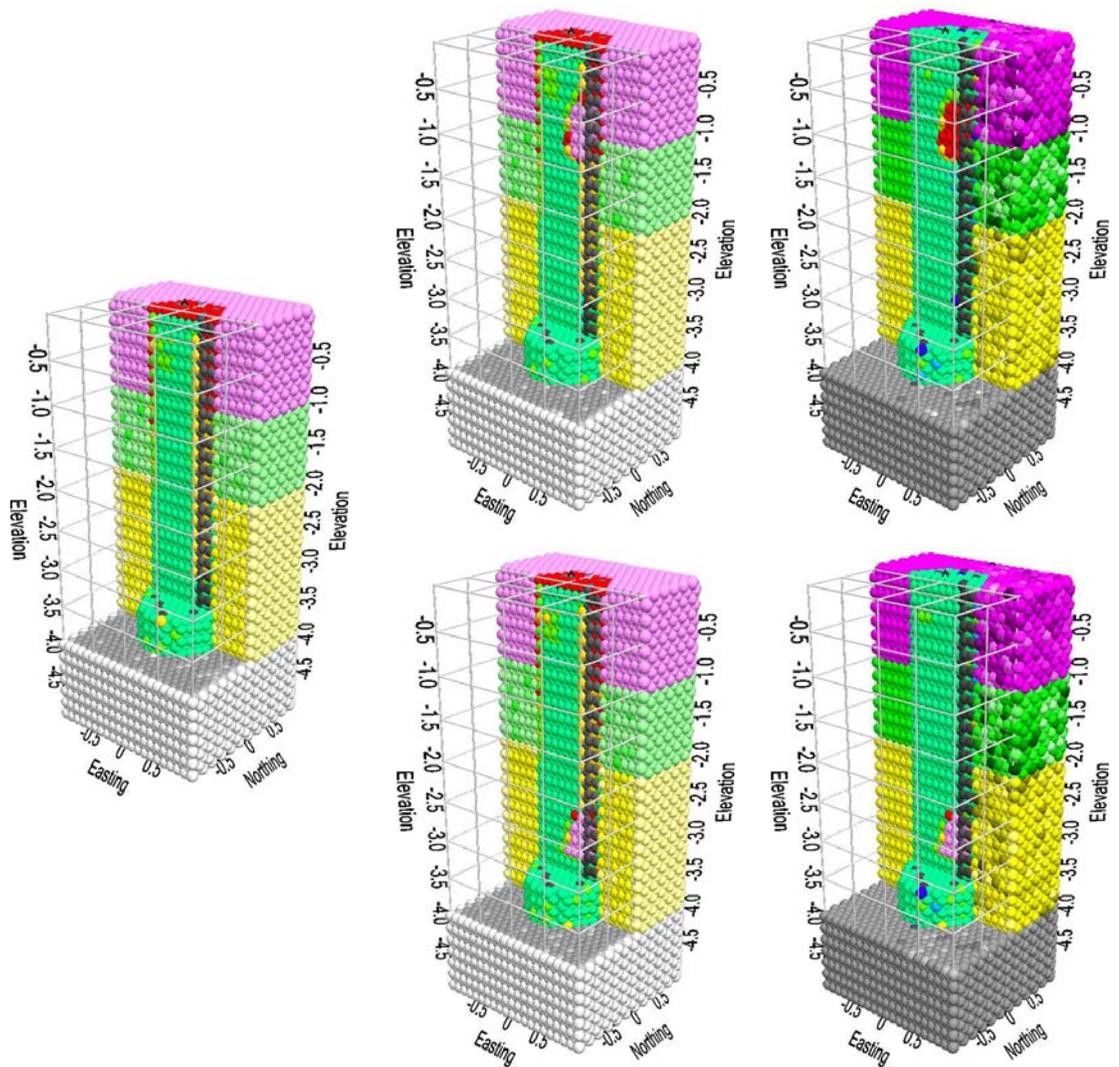
The difference plot on the top right of the figure shows a slight change in stress due to the 1m defect. A region of lower stress, shown in blue, can also be seen extending 0.3 m directly above the defect. A smaller region of higher stress can be seen below the defect, extending 0.1 m.

The stress distribution in the surrounding soil is also of interest. The more the shaft settles, the more the sand and clay compact. This compaction strengthens the load bearing capacity of the ground, and ultimately of the shaft. The compaction also increases the friction and interlocking between the concrete and the ground, further improving shaft performance.

Figure 8.4 shows the fracture extent corresponding to the compression stress plot in Figure 8.3, at a displacement of 4 cm. At this stage, the concrete shows indications of significantly slipping away from the sand to a depth of 1.5 m, with separation forming between the concrete and clay to a depth of 3 m. Cracking can be seen to extend



**Figure 8.3 Compression Stress at 4 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference**



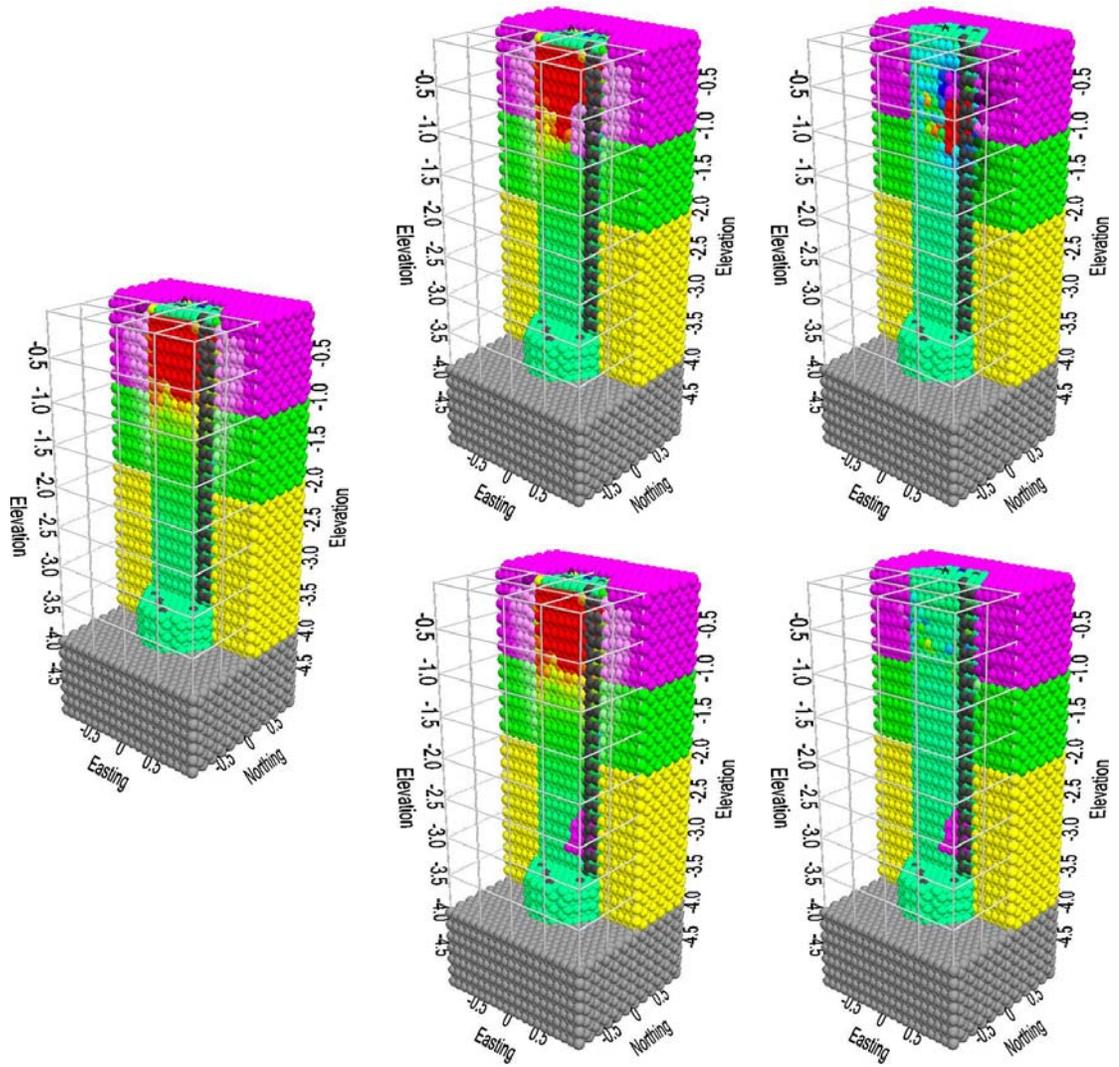
**Figure 8.4 Fracture Extent at 4 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference**

deeper in the right-most region of the shaft along the rebar. At this stage, the concrete is debonding from the rebar. On the other side of the shaft, at a region with no nearby rebar support, the concrete already shows signs of cracking at a depth of 0.5 m, indicated by a slightly lighter green color. The cracking is greatest at the outer left-hand region of the shaft, and gradually decreases to the center of the shaft. The difference plots on the right show that the defect still has no influence on cracking at this stage.

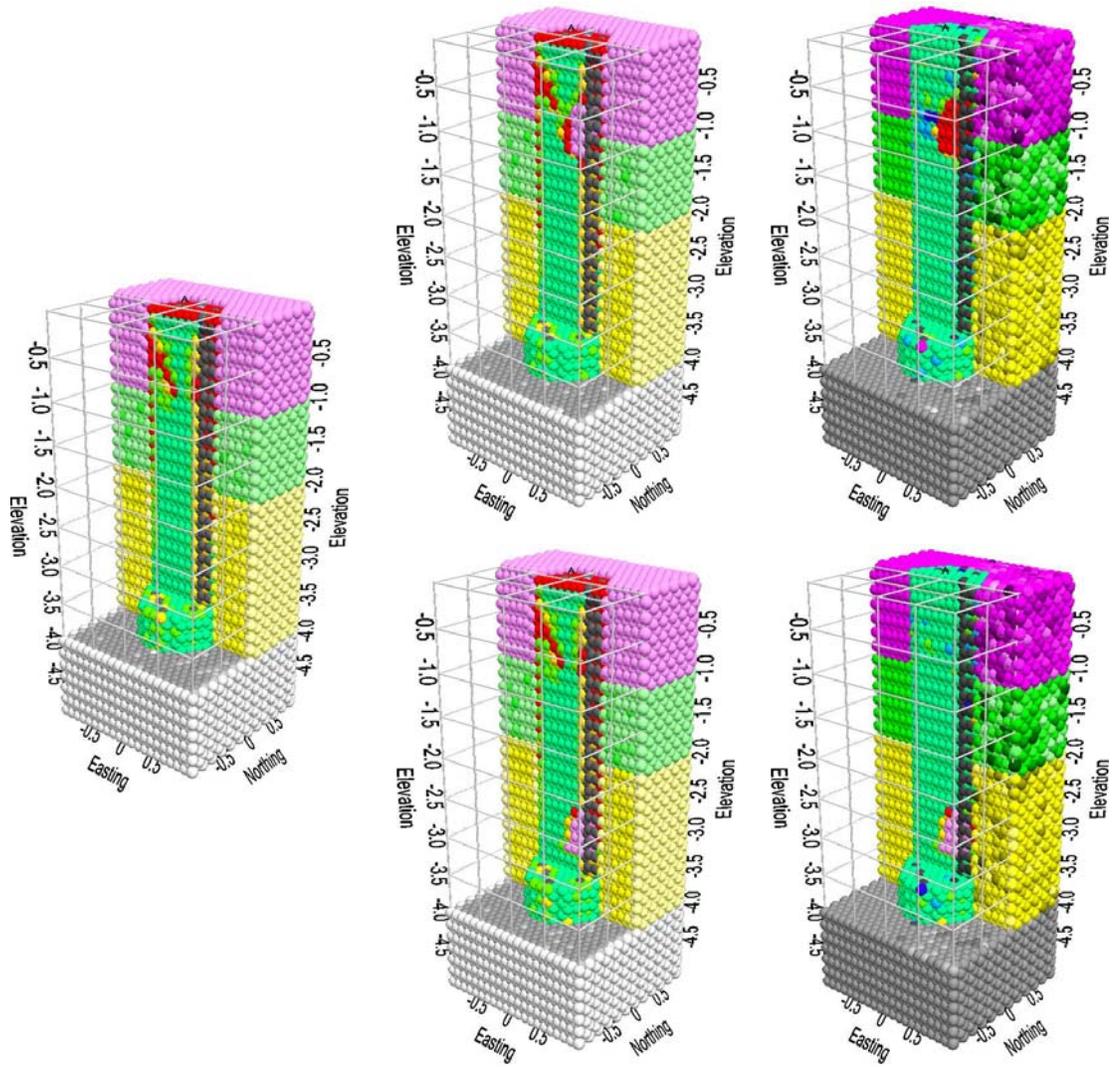
### **8.1.3 Displacement of 8 cm**

The stress intensity at a displacement of 8 cm is plotted in Figure 8.5. The shaft is now at peak load capacity. As seen from the plot on the left and the plots in the center, the compression stress is at very high levels in the top 1 m of the shaft. The stress abruptly decreases in the next 0.25 m, and gradually tapers off to nearly zero after a depth of 2.5 m. The shaft experiences the most compression between the surface down to 0.25 m below the top of the wet sand.

The difference plot in the top right of the figure shows a more significant change in stress due to the 1 m defect. The region of lower stress developing above the defect has both expanded in size and decreased in amplitude, shown in blue and purple. The smaller region of higher stress below the defect has significantly increased in amplitude to red, but a new region of lower stress has developed in a region extending 0.25 m below the higher stress region. There is also a small region of highly concentrated stress in the center of the shaft at a depth of 1 m shown in red, and another small region of highly concentrated stress slightly to the left of center at a depth of 0.75 m shown in orange. High concentrated stresses form as cracks develop and propagate, and these small regions of concentrated stress correspond to crack propagation, as shown in Figure 8.6. Cracks release stress and change stress distribution. Therefore, cracks must be taken into account when attempting to



**Figure 8.5 Compression Stress at 8 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference**



**Figure 8.6 Fracture Extent at 8 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference**

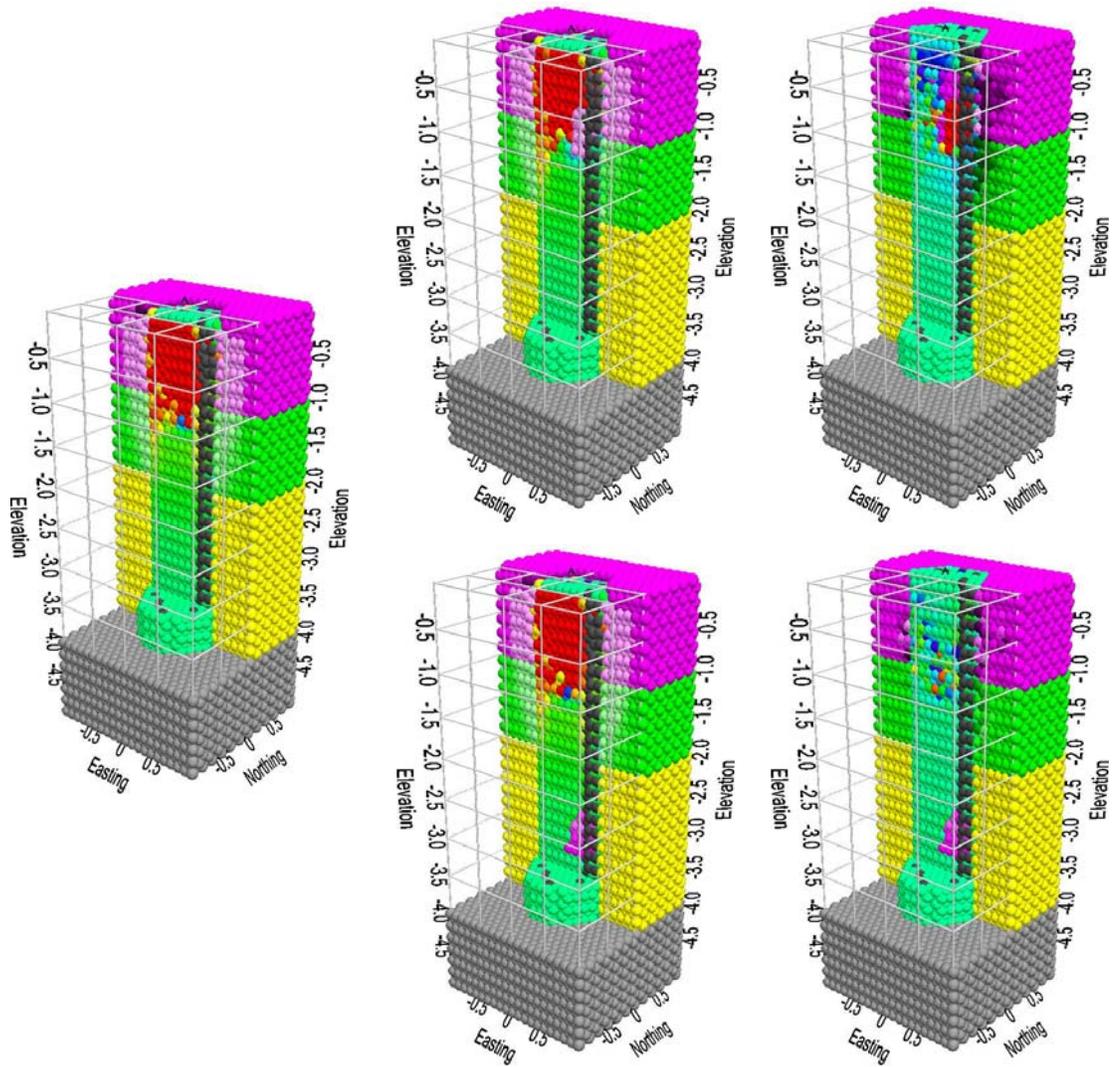
understand stress behavior. The defect itself may at times acts as a large crack, redistributing stress and affecting crack propagation.

Figure 8.6 shows the fracture extent corresponding to the compression stress plot in Figure 8.5, at a displacement of 8 cm. At this stage, the concrete shows indications of significantly breaking away from the sand to a depth of 1.9 m in the shaft with no defect, 2.1 m in the shaft with the 3 m defect, and 2.25 m in the shaft with the 1 m defect. All three shafts show distinct crack development from the left side of the shaft at a depth of 0.25 m, extending to the center of the shaft at a depth of 1 m. However, the crack in the shaft with the 1 m defect appears to be at least 0.1 m shorter than the cracks in the other two shafts. This is a case of the defect altering crack propagation. The small concentrated regions of high stress shown in the top right plot in Figure 8.5 indicate that two cracks are developing simultaneously in the shaft with the 1 m defect. One crack is propagating downward from the left side of the shaft, while another crack is propagating upward from the center of the defect. The crack from the defect changes the stress distribution, reducing the length of the downward propagating crack.

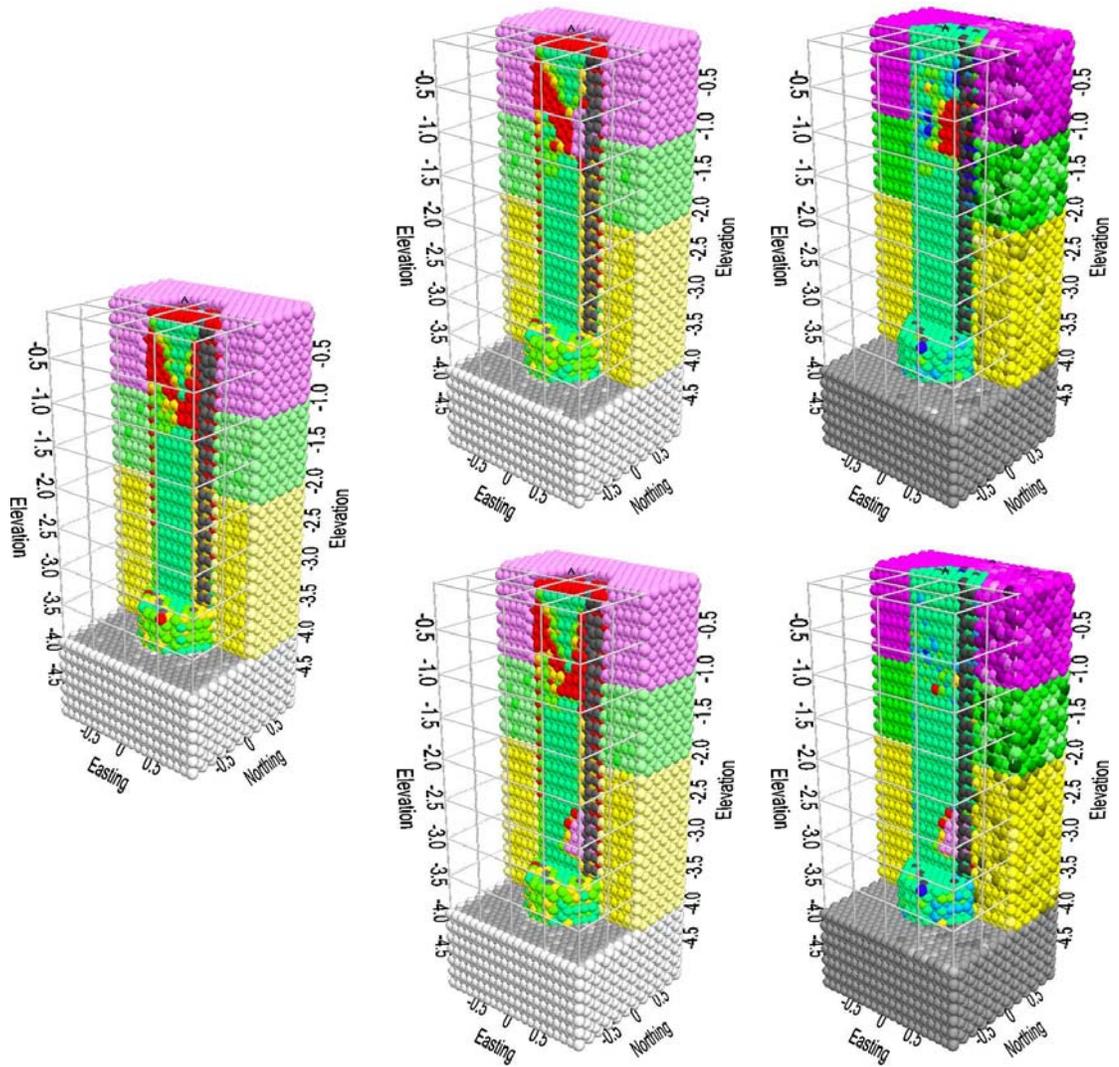
#### **8.1.4 Displacement of 12 cm**

The stress intensity at a displacement of 12 cm is plotted in Figure 8.7. The shaft is now considered to be in the plunging stage. As seen from the plot on the left and the plots in the center, the compression stress is at very high levels in the top 1.25 m of the shaft. The stress abruptly decreases, and will not significantly change with subsequent loading. At this point, the shaft has fully fractured, as shown in Figure 8.8, redistributing stress outward into the surrounding sand.

The difference plot in the top right of the figure shows an interesting change in stress due to the 1m defect. The region of lower stress still remains above the defect.



**Figure 8.7 Compression Stress at 12 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference**



**Figure 8.8 Fracture Extent at 12 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference**

However, the stress in the sand to the right of the shaft is significantly lower. This is not because the stress in the sand has decreased in the shaft with the 1 m defect, but because the stress in the sand has increased in the shaft with the 3 m defect and the shaft with no defect. This difference in stress is due to the difference in lateral displacement of the upper portion of the fractured concrete after shaft failure. The difference plot in the lower right of the figure shows a slight change in stress concentration along the fracture line. This indicates that the 3 m defect has an effect on stress in the region of the fracture, but not on the region at the surface. Therefore, the 3 m defect does not significantly affect load capacity in this scenario.

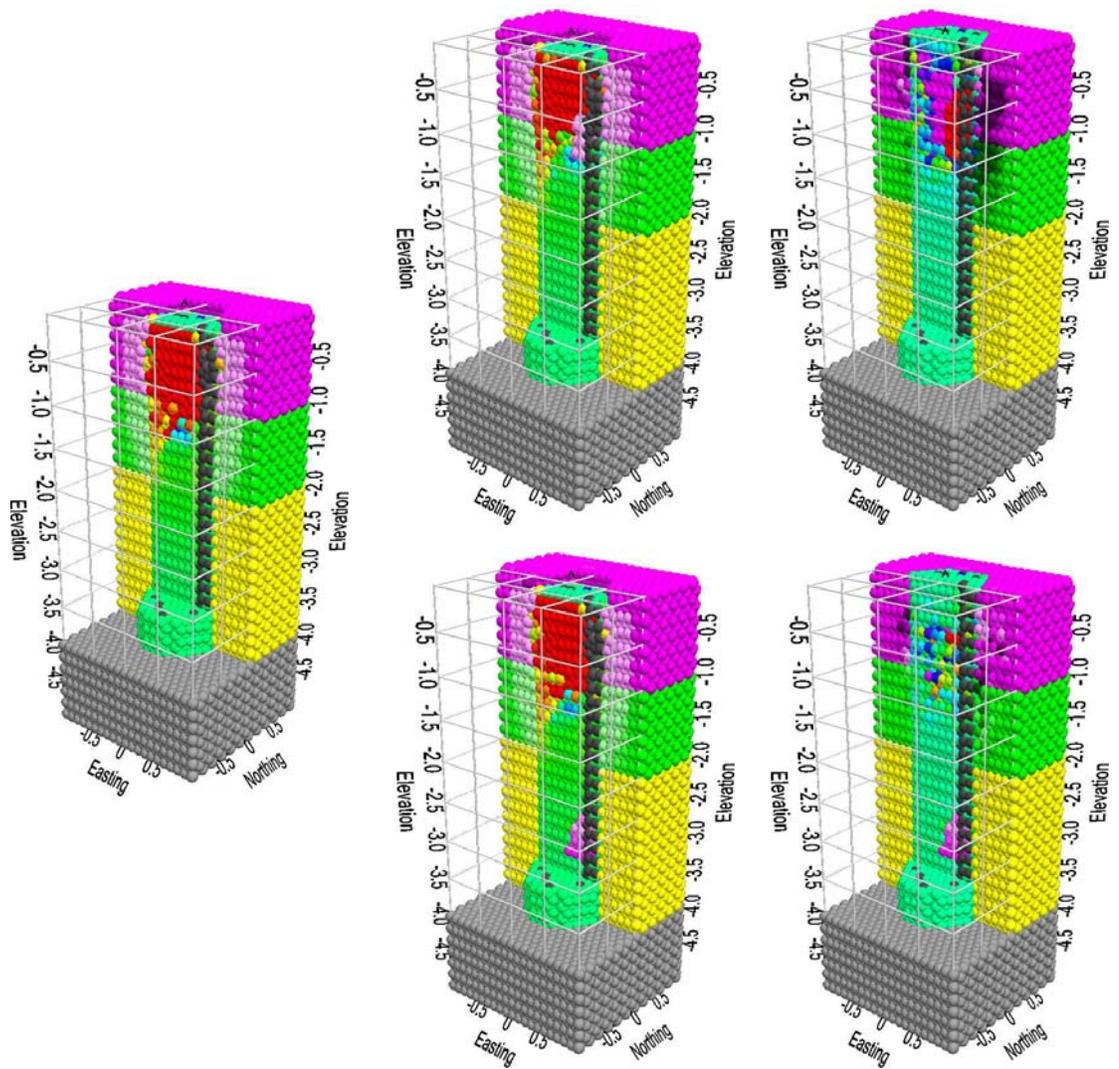
#### **8.1.5 Displacement of 16 cm and 20 cm**

The stress intensity at a displacement of 16 cm is plotted in Figure 8.9. Figure 8.10 shows the fracture extent corresponding to the compression stress plot in Figure 8.9. The shaft is still considered to be in the plunging stage, after the load bearing capacity has stabilized. The upper portion of the shaft continues to bulge as it fails, and compress the surrounding sand.

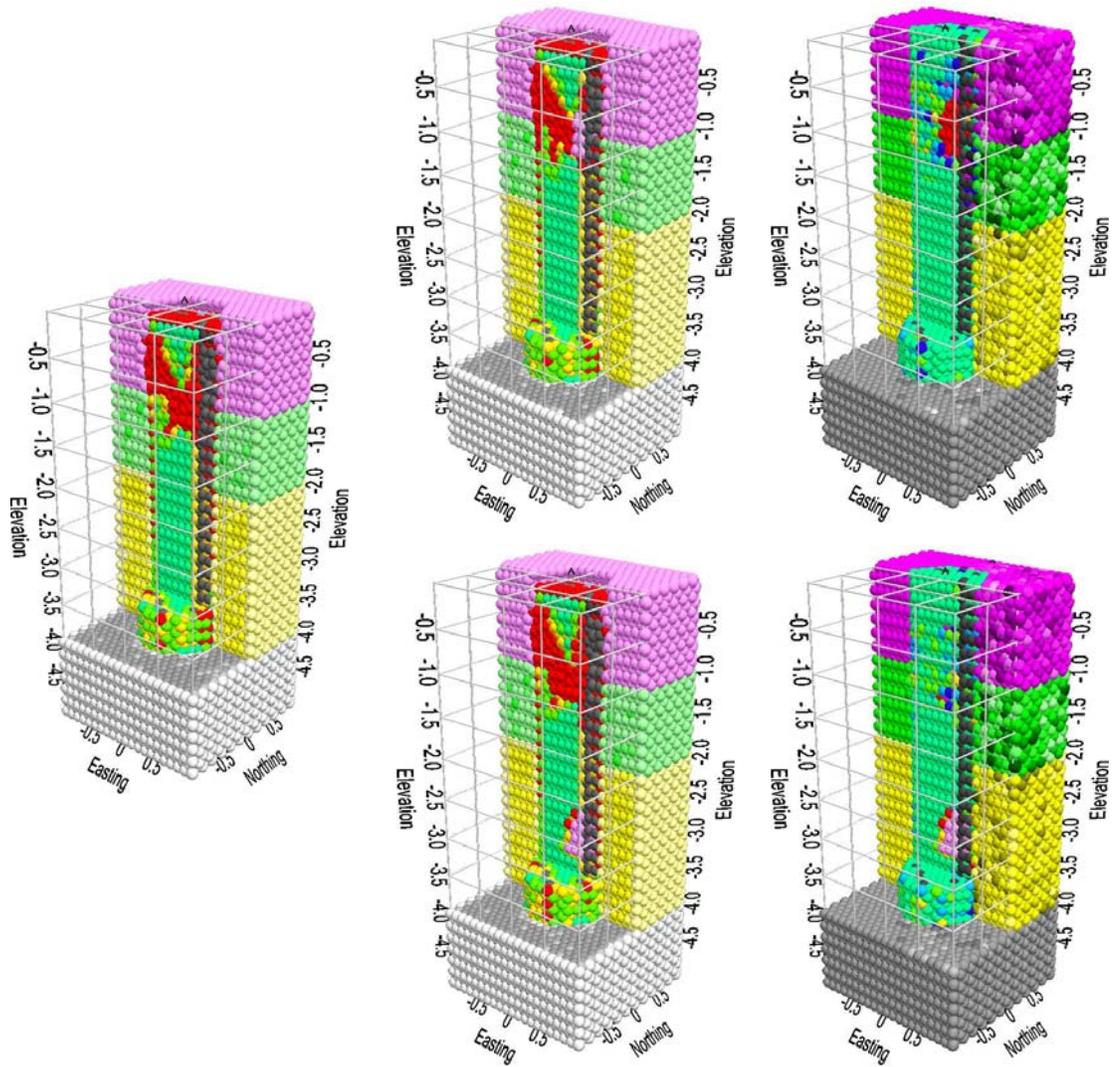
The compression stress at a displacement of 20 cm is plotted in Figure 8.11. Figure 8.12 shows the fracture extent corresponding to the compression stress plot in Figure 8.11. The shaft is still considered to be in the plunging stage. The upper portion of the shaft continues to bulge as it fails, and compress the surrounding sand.

#### **8.2 Load-Settlement Curve Analysis**

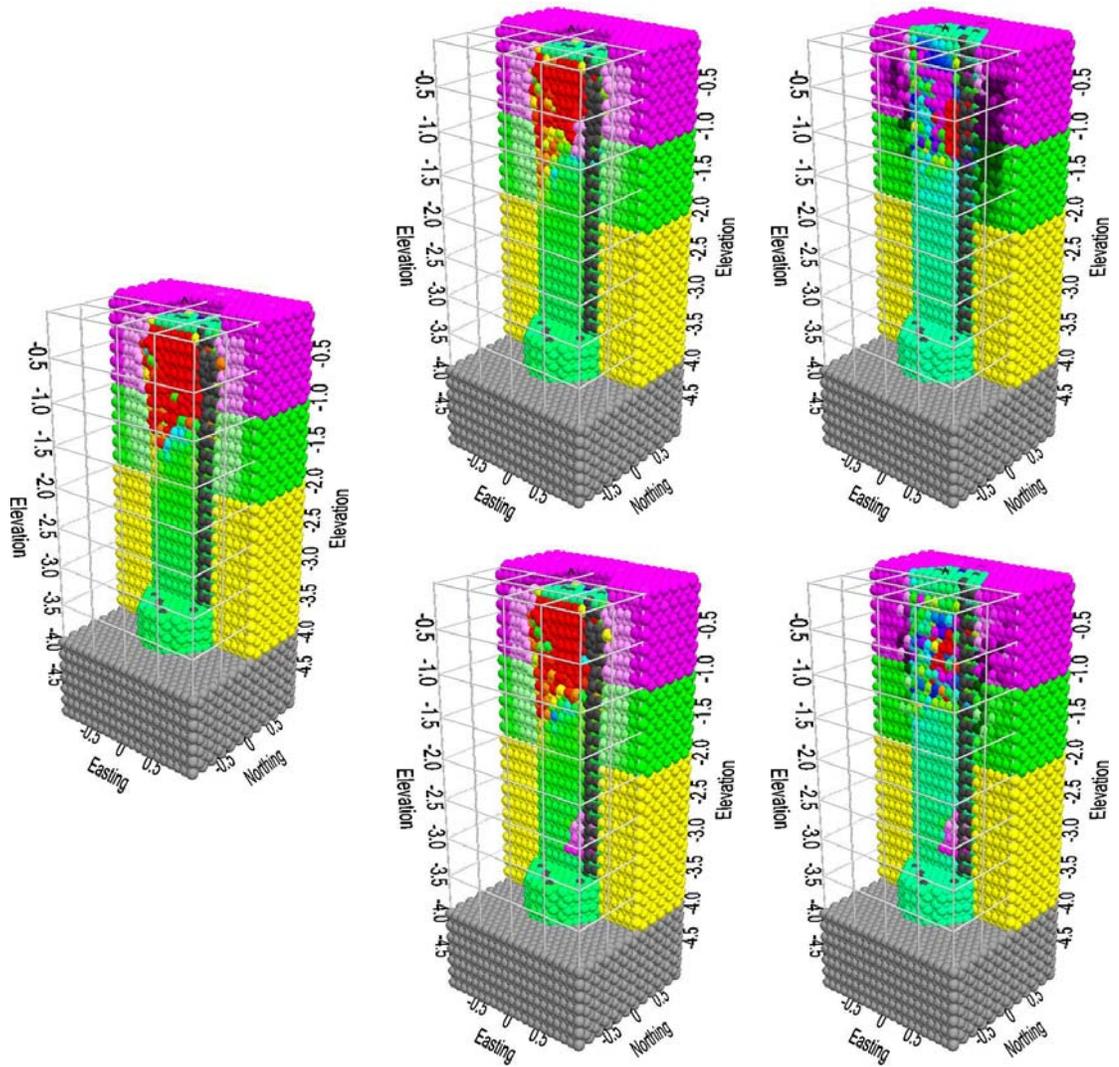
The load-settlement curves obtained from the numerical tests are shown in Figures 8.13 – 8.15. The figures clearly show the effects of the surrounding soil and rock. It is understood from both in situ and laboratory tests that the load-settlement curve undergoes a distinct “plunge” if the surrounding soil is soft clay, but no clear point of failure on the curve can be seen for the shaft in sands, intermediate soils, and stiff



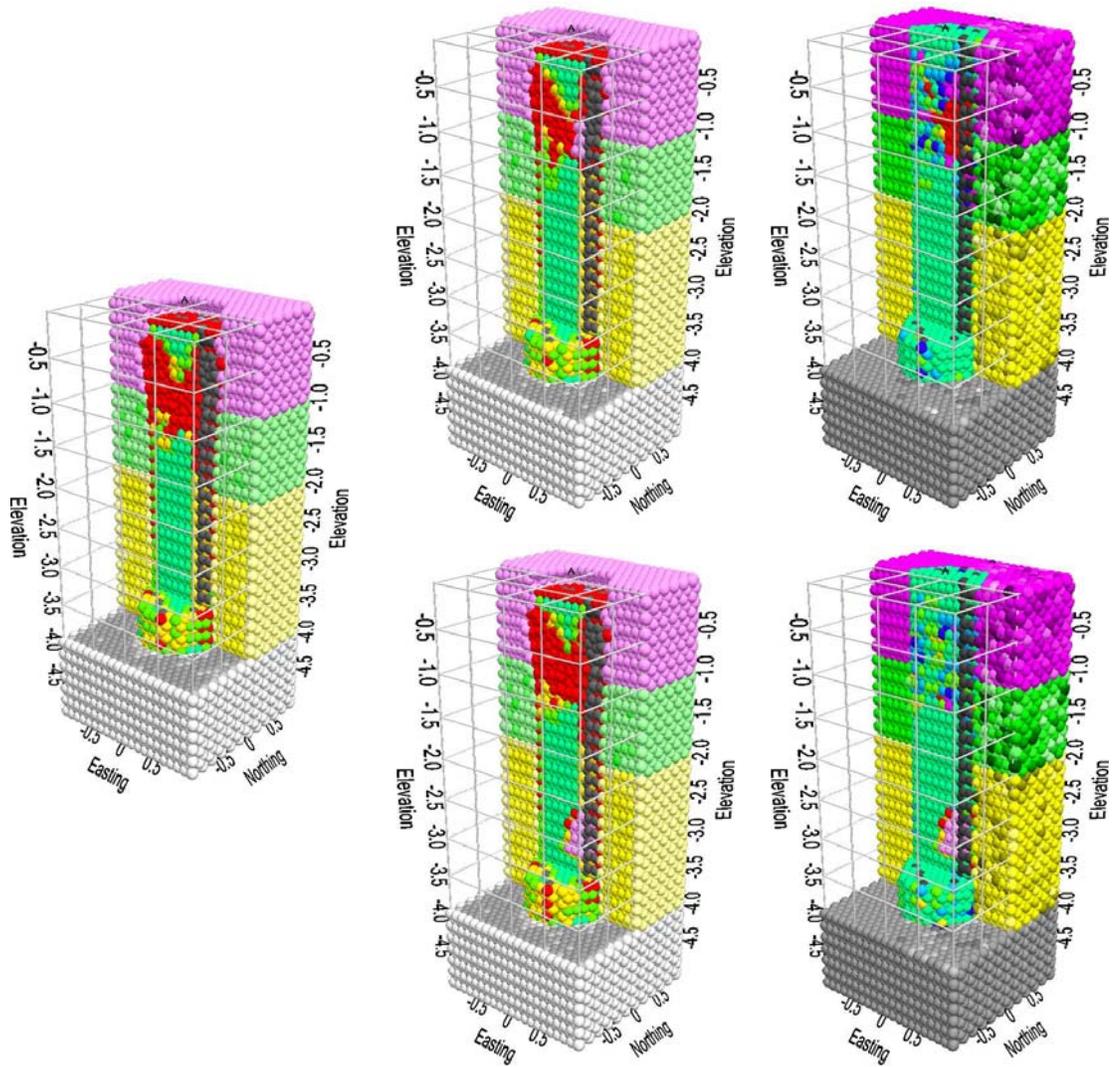
**Figure 8.9 Compression Stress at 16 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference**



**Figure 8.10 Fracture Extent at 16 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference**



**Figure 8.11 Compression Stress at 20 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Compression Stress, No Defect. Center: Compression Stress. Right: Compression Stress Difference**



**Figure 8.12 Fracture Extent at 20 cm Vertical Displacement. Top: Sand Intrusion at 1 m Depth. Bottom: Sand Intrusion 3 m Depth. Left: Fractures, No Defect. Center: Fractures. Right: Fracture Difference**

clays. Many different methods have been proposed for interpreting this type of load-settlement curve without the plunge point. The Davisson's method is commonly recommended in specifications and procedures, that defines ultimate bearing capacity at a settlement of 4 mm as:

$$P_{ult} = 4 \text{ mm} + B/120 + PD/AE \quad (8.1)$$

where

$P_{ult}$  is ultimate capacity

B is the foundation diameter

P is applied load

D is the foundation depth

A is the foundation cross-sectional area

E is the foundation elastic modulus

### 8.2.1 Loosened Soil

Figure 8.13 is a graph of the loading curves from the axial load test performed in the previous section. The surrounding sand and clay were assumed to be loosened, a typical condition that occurs after soil is affected by excavation and thermal contraction after concrete curing.

The load-settlement curves are typical of the ground conditions. The load initially increases sharply, then gradually peaks at about 8 cm displacement. The plunging phase begins at approximately 5 cm displacement.

The effect on load bearing capacity from the drilled shaft with the 1 m the 3 m defect is plotted as a percentage, compared with the shaft with no defect. The 3 m defect shows no significant change in shaft load capacity throughout the test. Although the difference in shafts load capacity for the 1 m defect exceeds 10%, this is at a

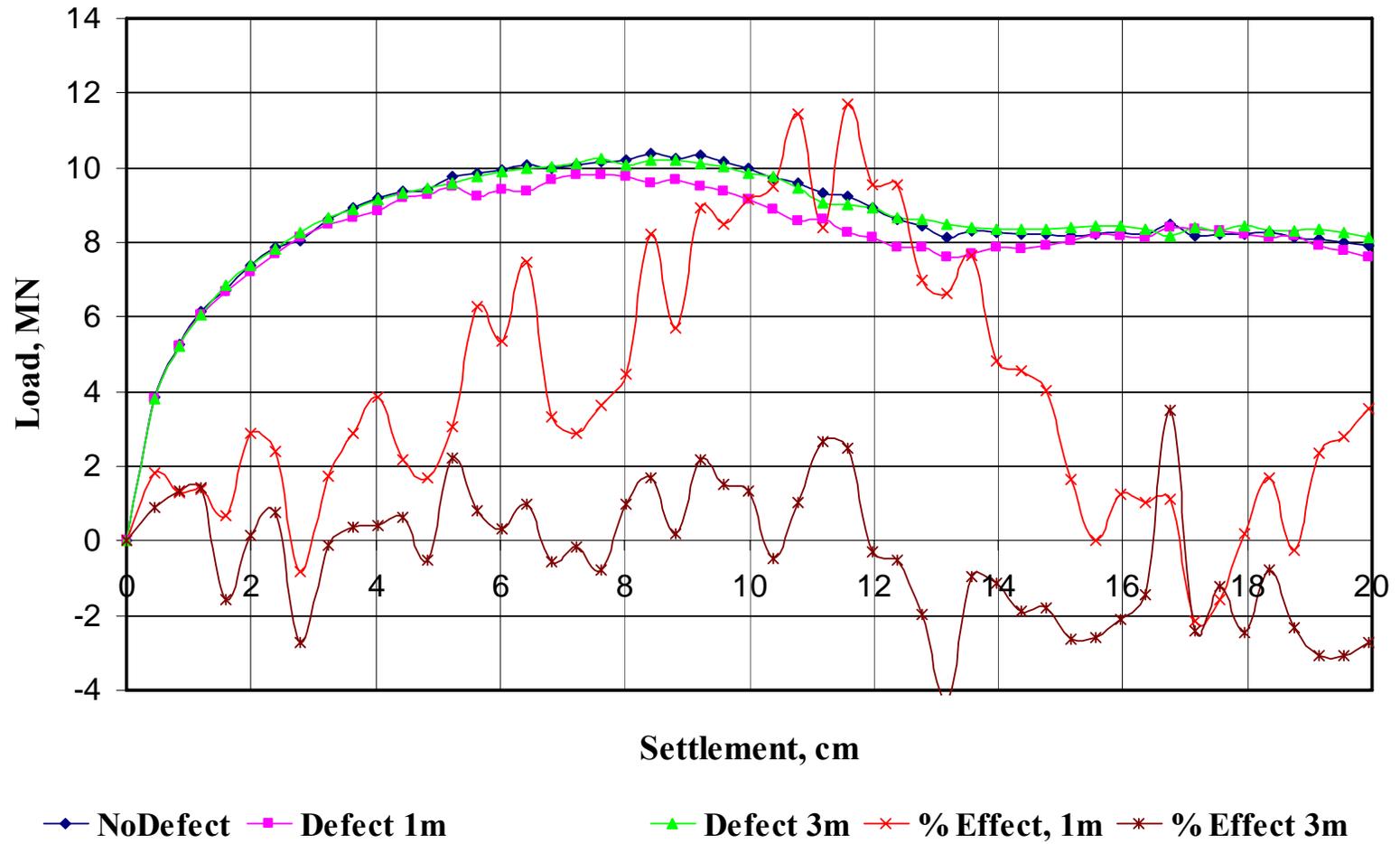


Figure 8.13 Effect of a Defect at Two Different Depths on Load Bearing Capacity

displacement far beyond the failure criteria of 2.5 cm. There is actually no significant change in load performance for either defective shaft in the first 2.5 cm of displacement.

Figure 8.14 is a graph of the loading curves from an axial load test performed using the same shafts in the previous section, but with compacted sand and clay layers surrounding the drilled shaft. This condition could be produced by compacting the ground around the shaft near the surface, by pressurizing the concrete during placement, or by surrounding the shaft with a few jet-grouted micro-piles or driven piles to compact the soil. Figure 8.14 is relatively equivalent to the test conducted with loosened soil, shown in Figure 8.13.

Figure 8.15 compares the loading curves from the two tests. The effect of soil compaction is far more significant than the effect of the defect. The improvement in load capacity in the first 2.5 cm reaches an average of nearly 10%. This suggests that the primary control factor is not the slight variations in concrete quality, but in the condition of the surrounding soil in the near surface.

### **8.3 Discussion**

The modeling and analysis above show that the stress in the drilled shaft is not uniformly distributed through out the depth of the shaft. Soil density, friction angles of geo-materials, defects in the shaft, and compaction levels are the major control factors for stress concentration. In these stress concentration zones, local stresses may exceed the strength of the material to cause local failure within the material. In these stress concentration zones, materials may also experience large plastic deformations, which aggravate the propagation of cracks and worsen the corrosion process. Further stress analysis with fracture and non-elastic constitutive modeling in the stress concentration zones is recommended for further study.

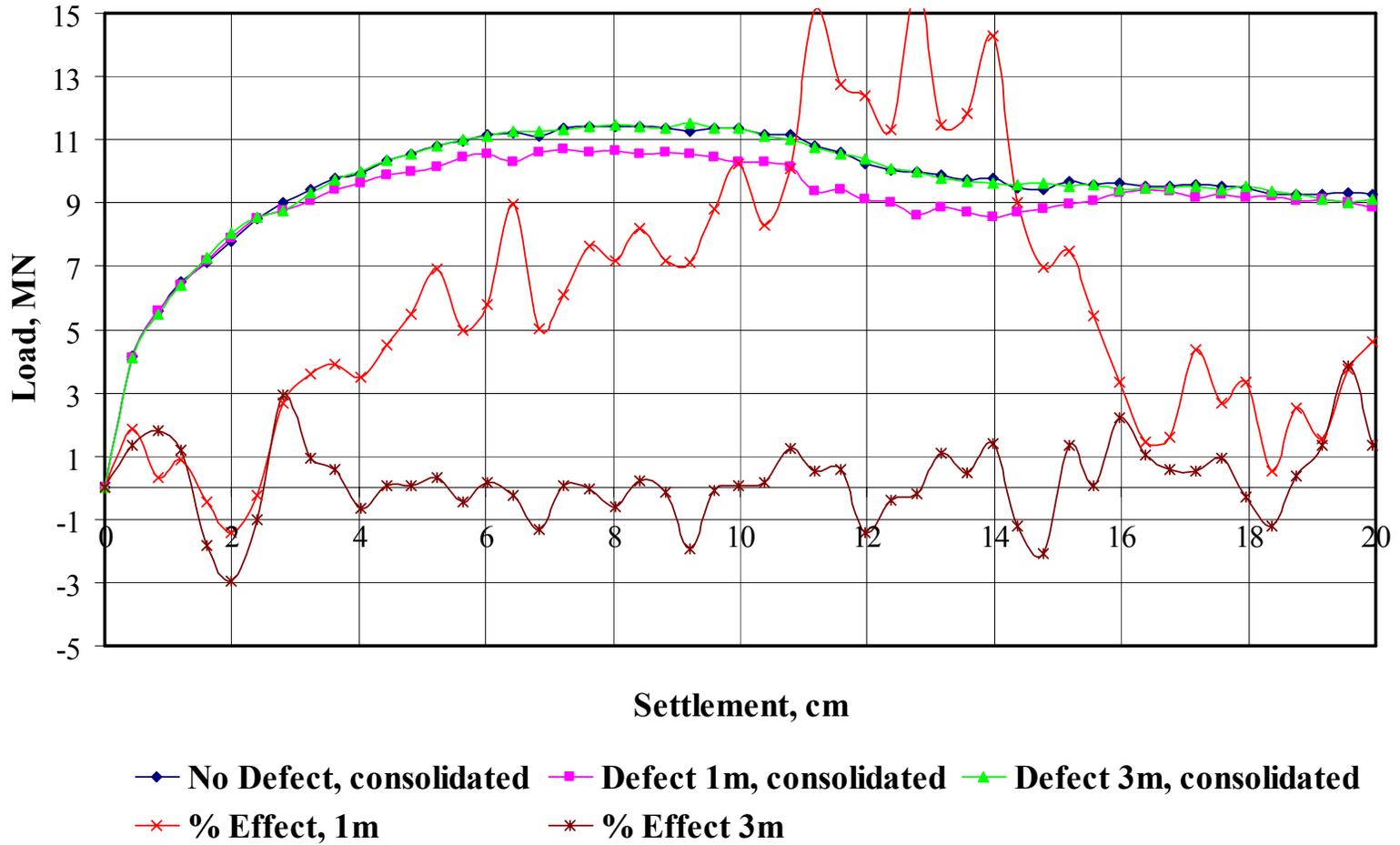


Figure 8.14 Effect of a Defect on Load Bearing Capacity with Shaft in Compacted Soil

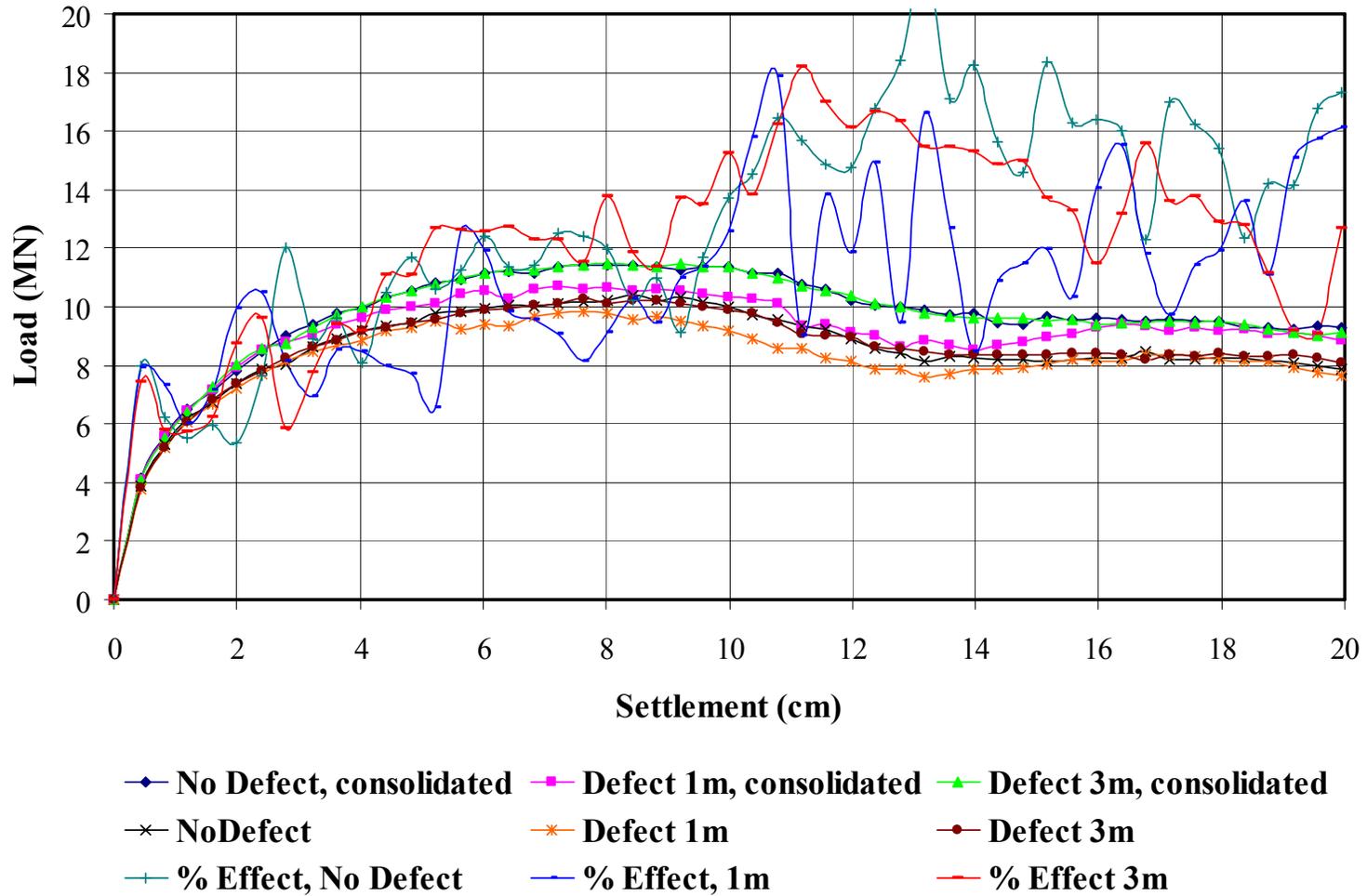


Figure 8.15 Effect of Soil Compaction on Load Bearing Capacity

## **9 Summary, Conclusions, and Recommendations for Future Research**

The most important conclusions of this study can be summarized as follows:

### **9.1 Use and Interpretation of CSL Data**

1. CSL data plots of velocity and energy are unreliable for detecting cracking and estimating concrete strength in drilled shafts.
2. CSL plots of velocity and energy are to some degree reliable for estimating concrete consistency.
3. CSL data processing techniques have potential to detect anomalies such as large voids and honeycomb regions.
4. Current methods employed for first arrival determination are arbitrary and open to manipulation.
5. Manipulation of arrival picks can result in velocity artifacts, or can eliminate existing defects.
6. Failure to account for variations in curing rates and shaft temperatures results in velocity artifacts.
7. Lack of tolerances in CSL data collection equipment results in velocity artifacts. This includes variations in source activation energy, source activation time, and receiver data acquisition trigger time.
8. Poor quality CSL data collection equipment results in poor quality, noisy, and unreliable data.
9. Tomography should not be used on CSL data that has not been carefully acquired. Tomography requires absolute data, not relative guidelines.

#### **9.1.1 Effects of CSL Access Tubes**

10. Failure to account for tube bending results in velocity artifacts. Access tube deviation surveys are critical.

11. PVC access tubes transmit higher amplitude signals than steel.
12. Steel access tubes are more resistant to breaking and bending during concrete placement and curing..
13. Steel access tubes reduce tube de-bonding due to lower thermal expansion. The thermal expansion of PVC is 5 times higher than steel.
14. Thermal expansion of access tubes results in tube de-bonding in the upper portions of the shaft.
15. Access tubes transport heat from the shaft. Resulting temperature gradients result in concrete cracking in the vicinity of the access tubes. This effect is often misinterpreted as tube de-bonding, as it also is more likely to occur in the upper portions of the shaft where tubes are exposed to the surface. Filling tubes with water prior to concrete placement reduces this effect.
16. Failure to account for sensor position and orientation in access tubes results in velocity artifacts.

### **9.1.2 The Potential of Numerical Modeling**

17. Numerical modeling has potential to improve data processing for CSL and Sonic Echo. This includes in situ measurement of concrete properties, shaft evaluation outside of the reinforcement cage, shaft cohesion with the surrounding ground, shaft bulging or necking, and cracking defects.
18. Numerical modeling has potential to evaluate effects of shaft defects and estimate load capacity.
19. Numerical modeling has potential to account for variations in curing rates and estimate cracking extent.

### **9.1.3 Concrete Curing and Stress**

20. Concrete cures as a result of chemical hydration processes, and does not dry by loss of moisture.
21. Surrounding ground conditions affect curing rates and temperature gradients. This includes lithology, ground water, and surface exposure.
22. Temperature gradients above a certain level result in cracking
23. Stress in the drilled shaft is not uniformly distributed through out the depth of the shaft.
24. Soil density, friction angles of geo-materials, defects in the shaft, and compaction levels are the major control factors for stress concentration.

## **9.2 Suggestions for Improvements**

### **9.2.1 Use and Interpretation of CSL Data**

1. Specify tolerances for more accurate CSL data acquisition.
2. Standardize signal processing and arrival picking techniques. Eliminate manual adjustments.
3. Collect signal in source tube to reduce errors introduced by data collection hardware.

### **9.2.2 Use of CSL Access Tubes**

4. Fill access tubes with water immediately before concrete placement.
5. Require deviation surveys of access tubes
6. Use access tube material with a thermal expansion rate similar to concrete.

### **9.2.3 Concrete Pouring**

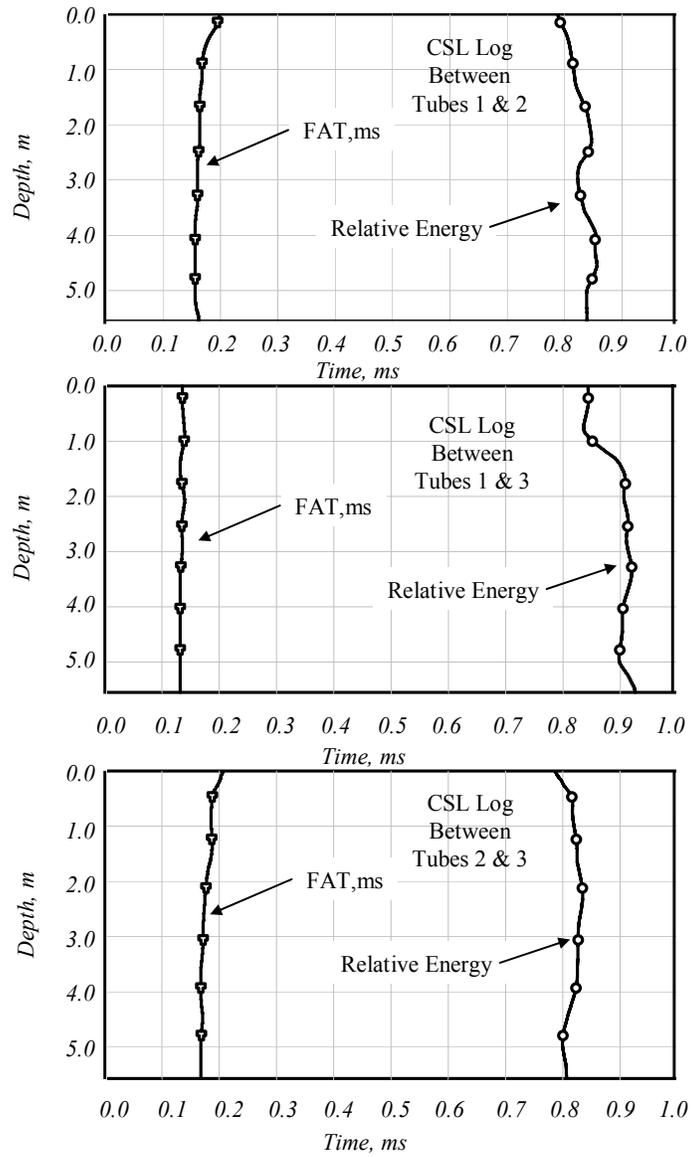
7. Use mix with higher fly-ash content for larger shafts.

8. Reduce placement temperature of mix.
9. Insulate the top of the shaft and access tubes quickly after concrete placement.
10. Increase shaft monitoring. Instrument tubes and monitor shaft during concrete placement.

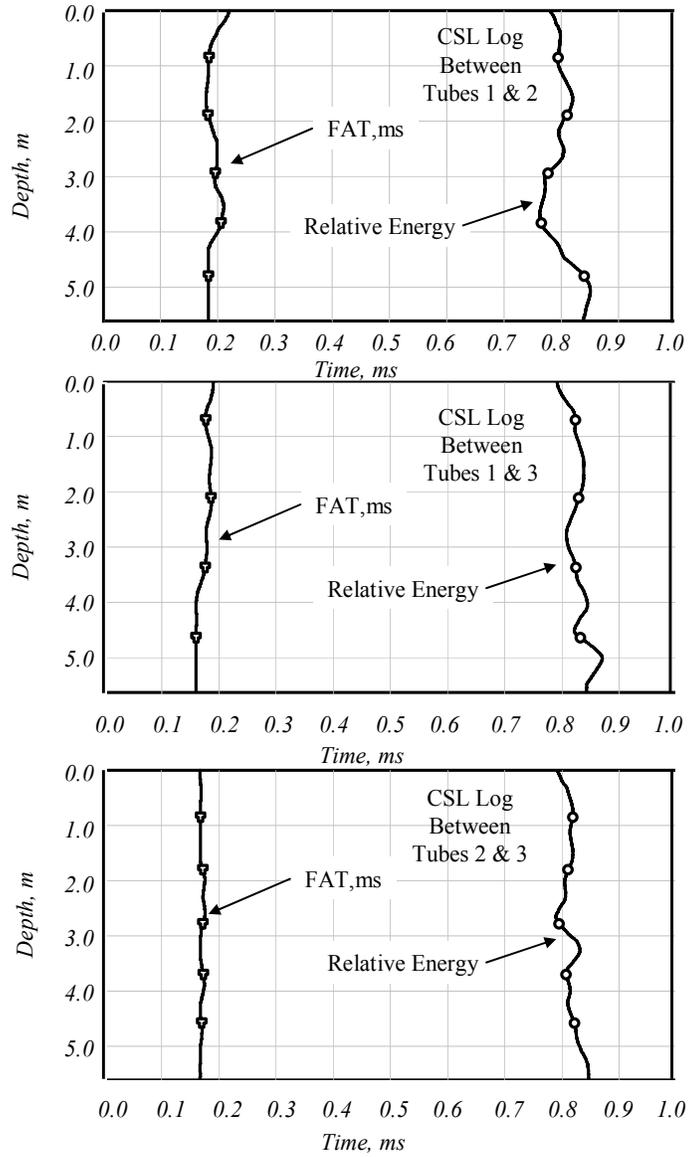
### **9.3 Suggestions for Future Direction<sup>65</sup>**

1. Incorporate numerical modeling techniques for data processing, defect classification, and shaft capacity analysis.
2. Apply stress analysis with fracture and non-elastic constitutive modeling.

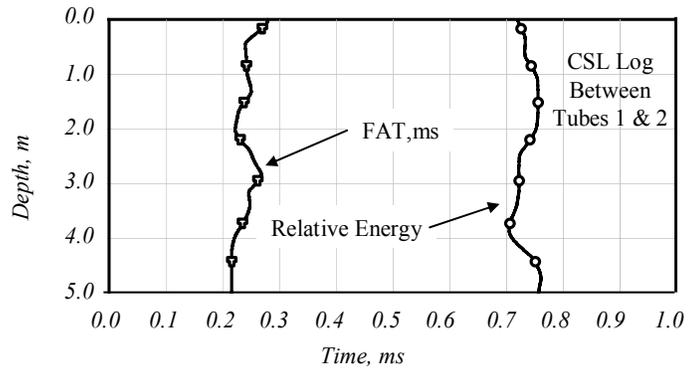
**Appendix A**  
**CSL Data from Site #1**



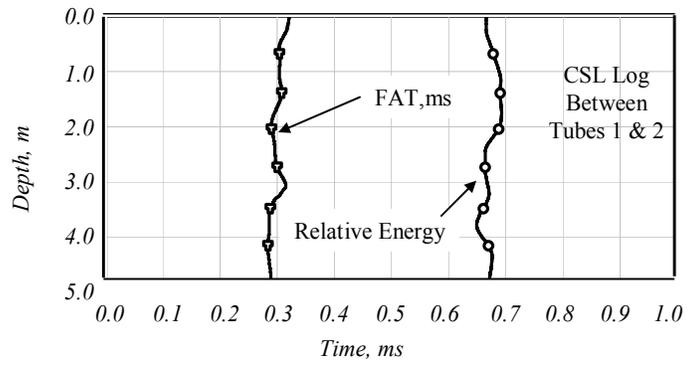
**Figure A1 CSL Data from Site#1 Abutment 1 Shaft 1**



**Figure A2 CSL Data from Site#1 Abutment 1 Shaft 2**

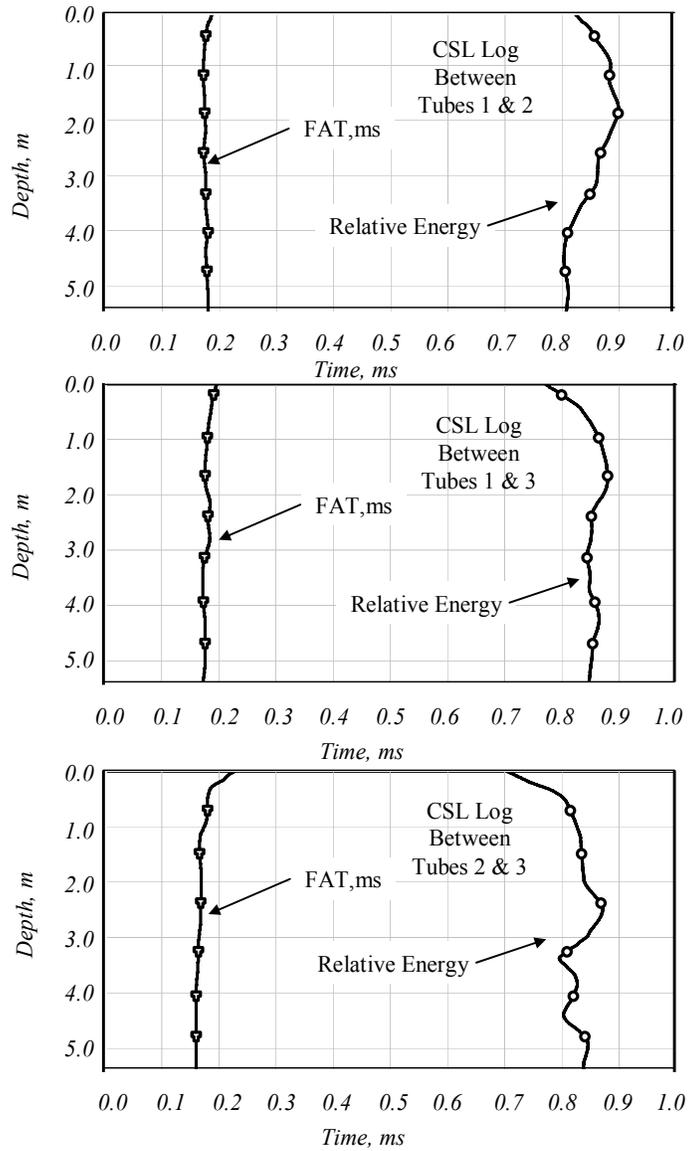


Retest with 500 mm offset

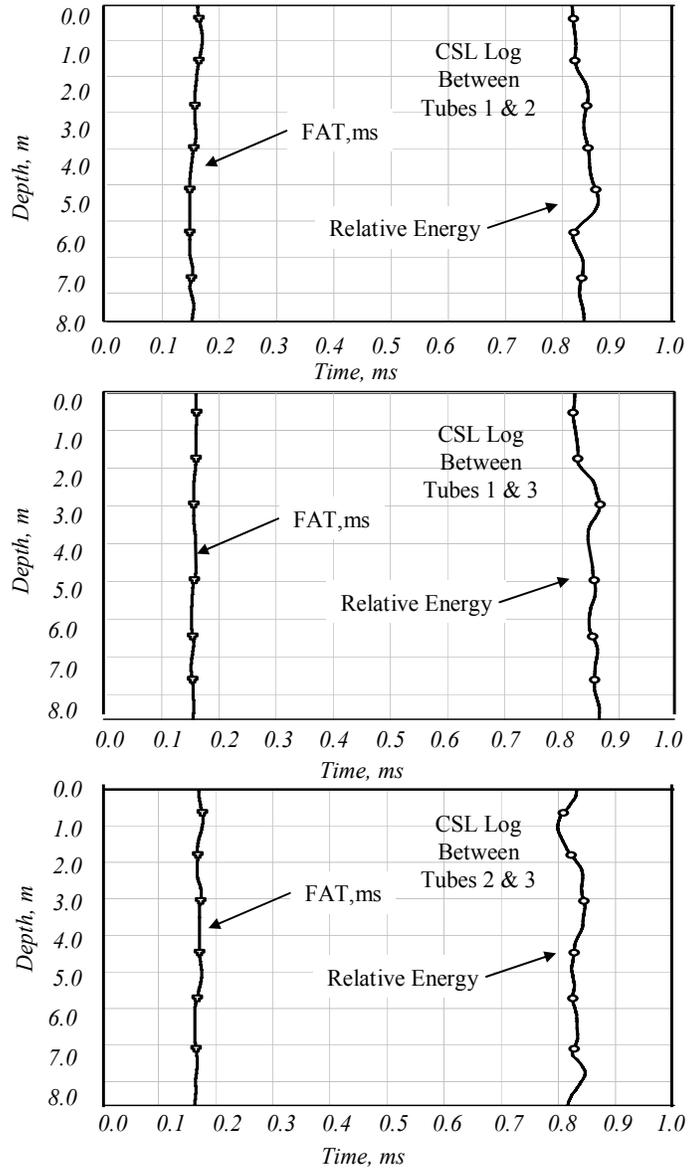


Retest with 1000 mm offset

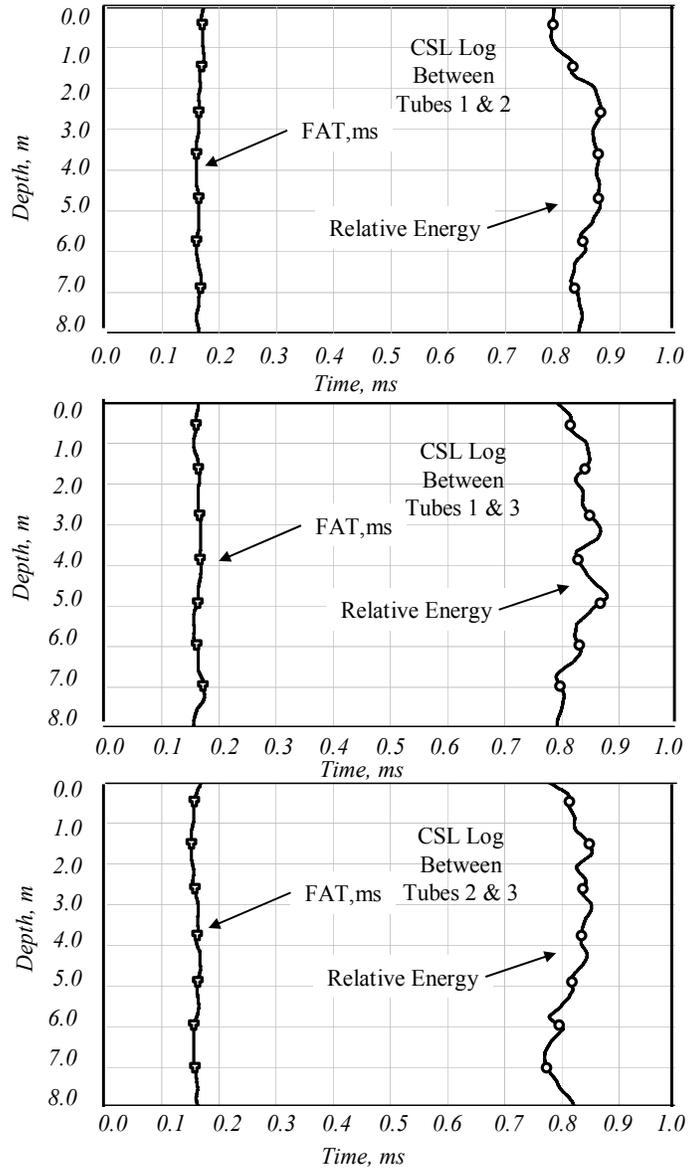
**Figure A3 Retest Data from Site#1 Abutment 1 Shaft 2**



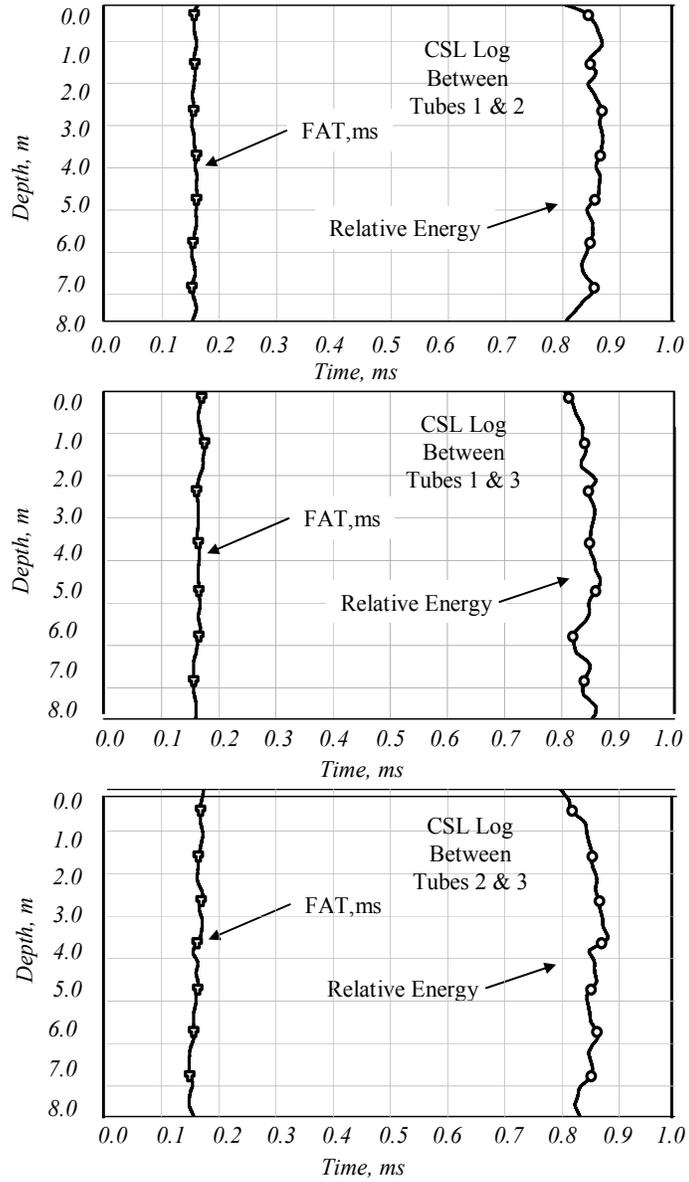
**Figure A4 CSL Data from Site#1 Abutment 1 Shaft 3**



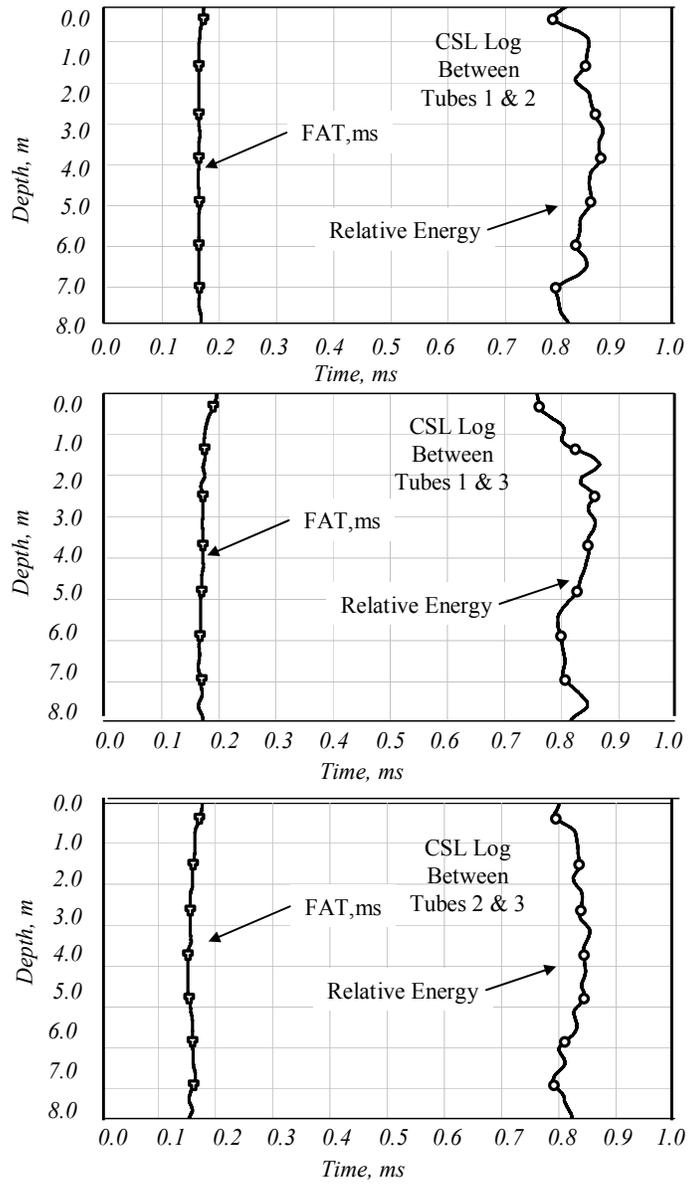
**Figure A5 CSL Data from Site#1 Abutment 1 Shaft 4**



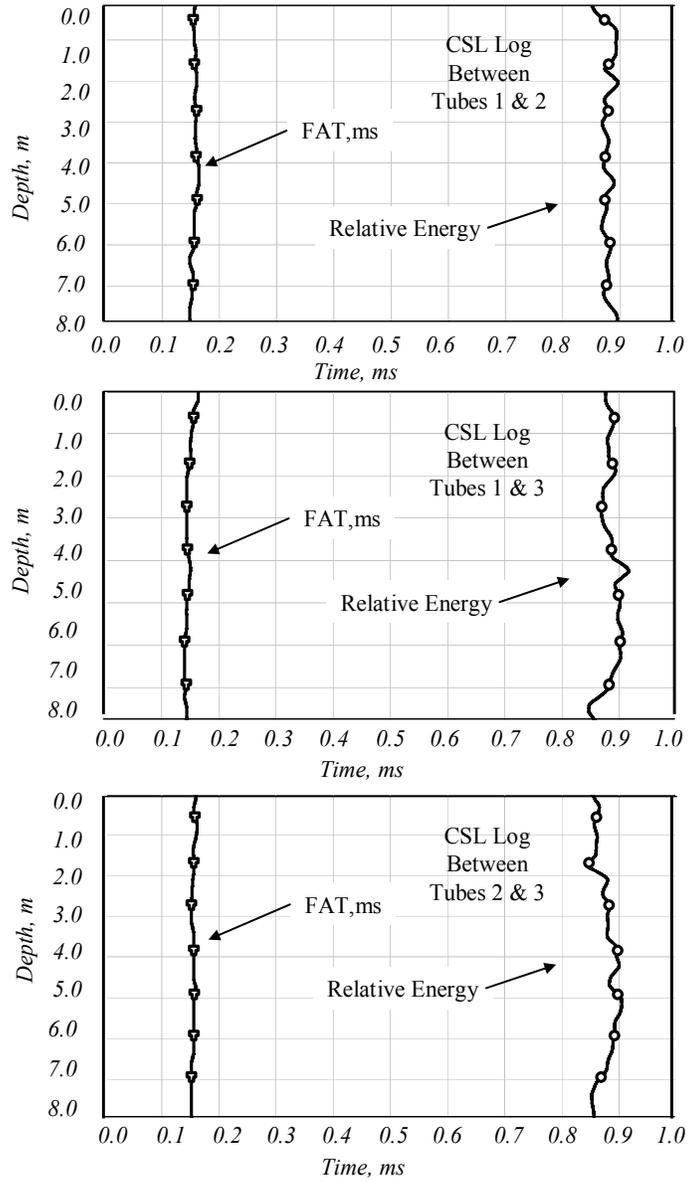
**Figure A6 CSL Data from Site#1 Abutment 2 Shaft 1**



**Figure A7 CSL Data from Site#1 Abutment 2 Shaft 2**

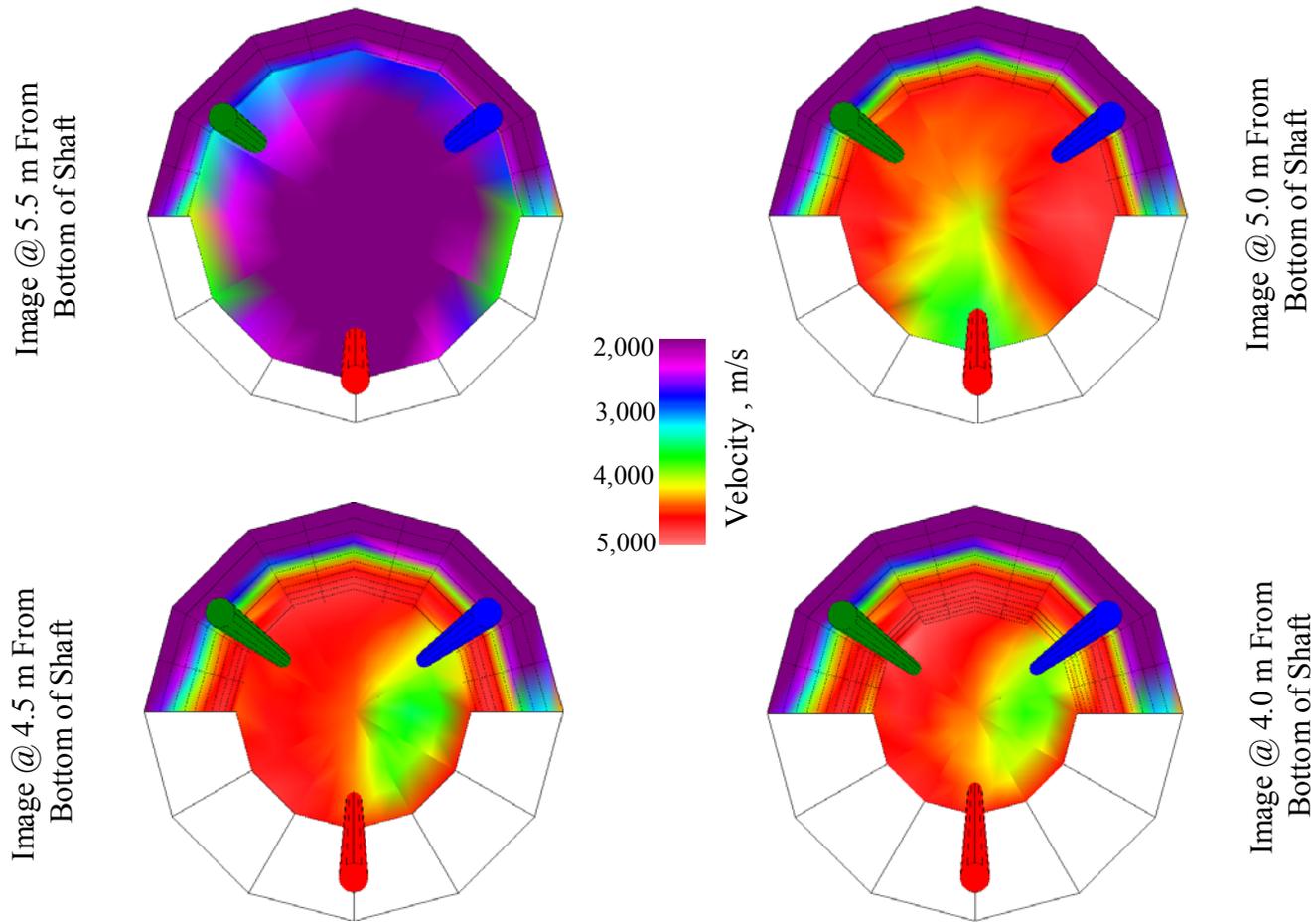


**Figure A8 CSL Data from Site#1 Abutment 2 Shaft 3**

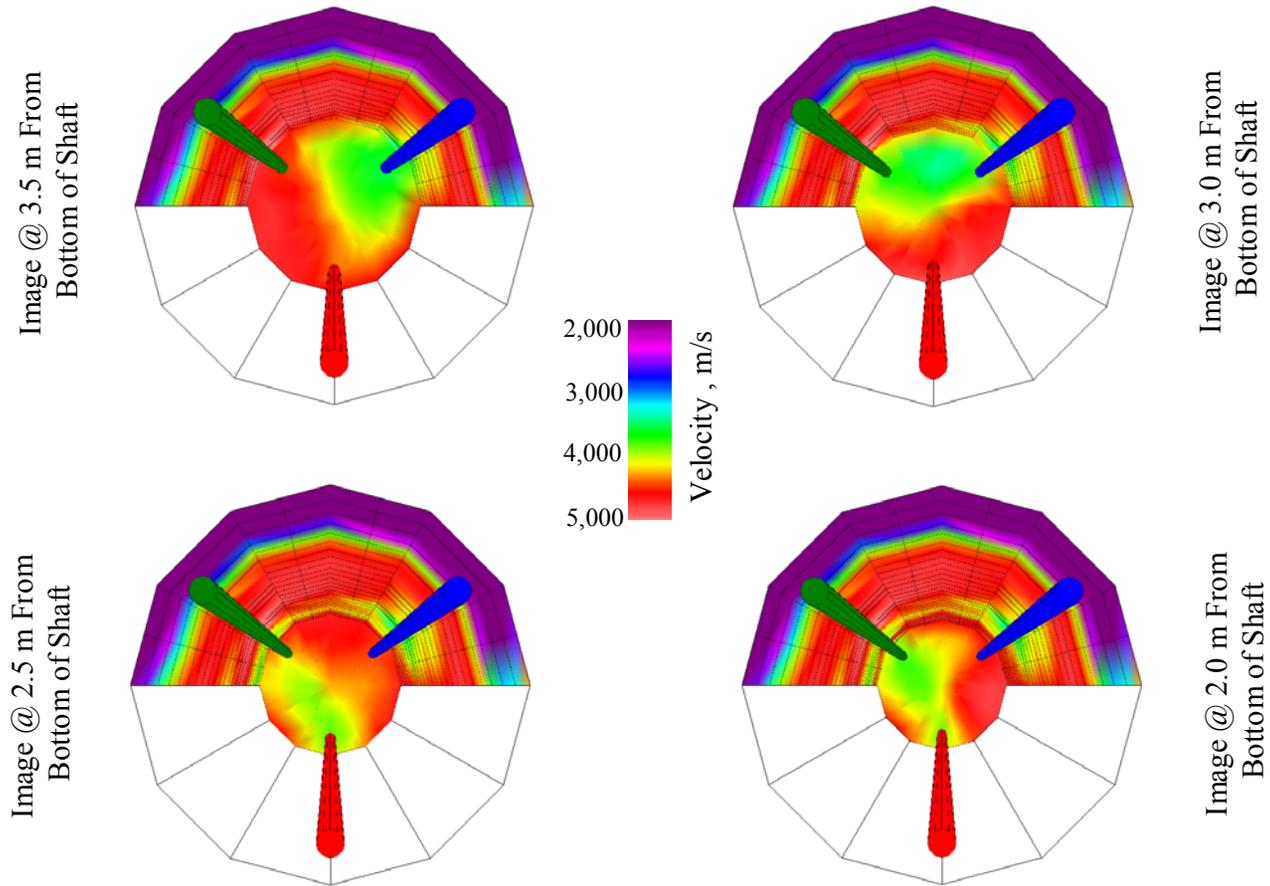


**Figure A9 CSL Data from Site#1 Abutment 2 Shaft 4**

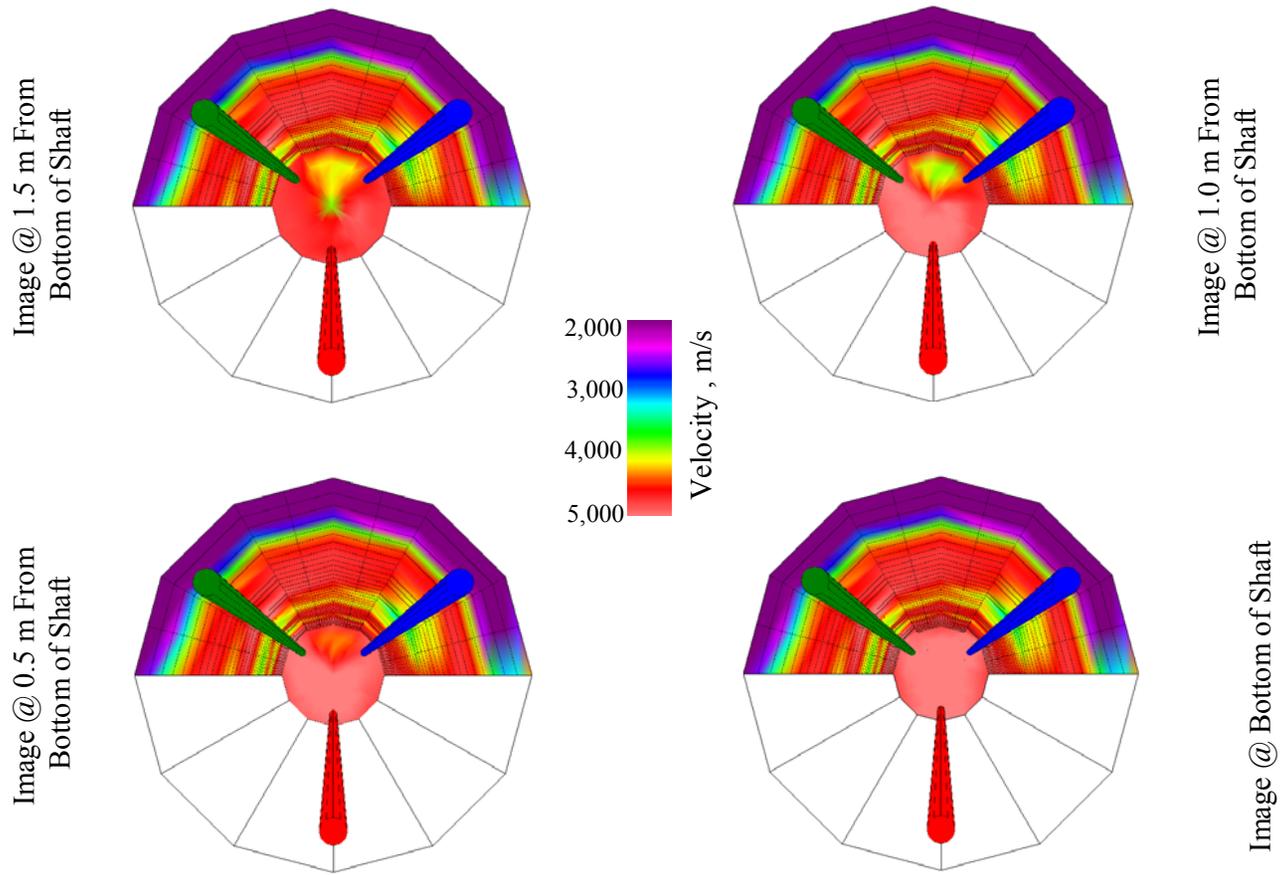
**Appendix B**  
**Site #1 Vertical Cross Sections**



**Figure B1 Site #1 Abutment 1 Shaft 2 Vertical Cross Sections Looking from the Top**



**Figure B2 Site #1 Abutment 1 Shaft 2 Vertical Cross Sections Looking from the Top**



**Figure B3 Site #1 Abutment 1 Shaft 2 Vertical Cross Sections Looking from the Top**

## **Appendix C**

CSL Data from Site #2

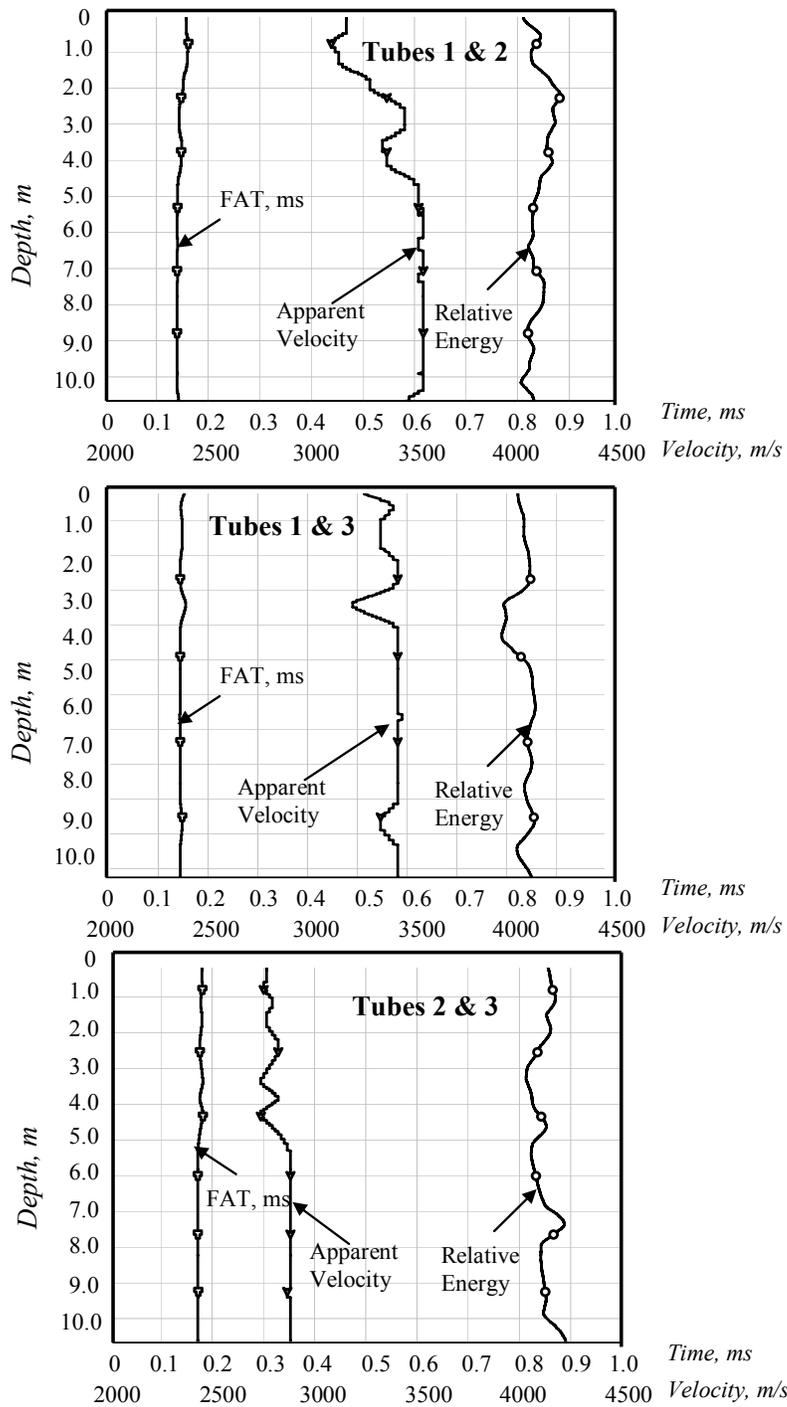
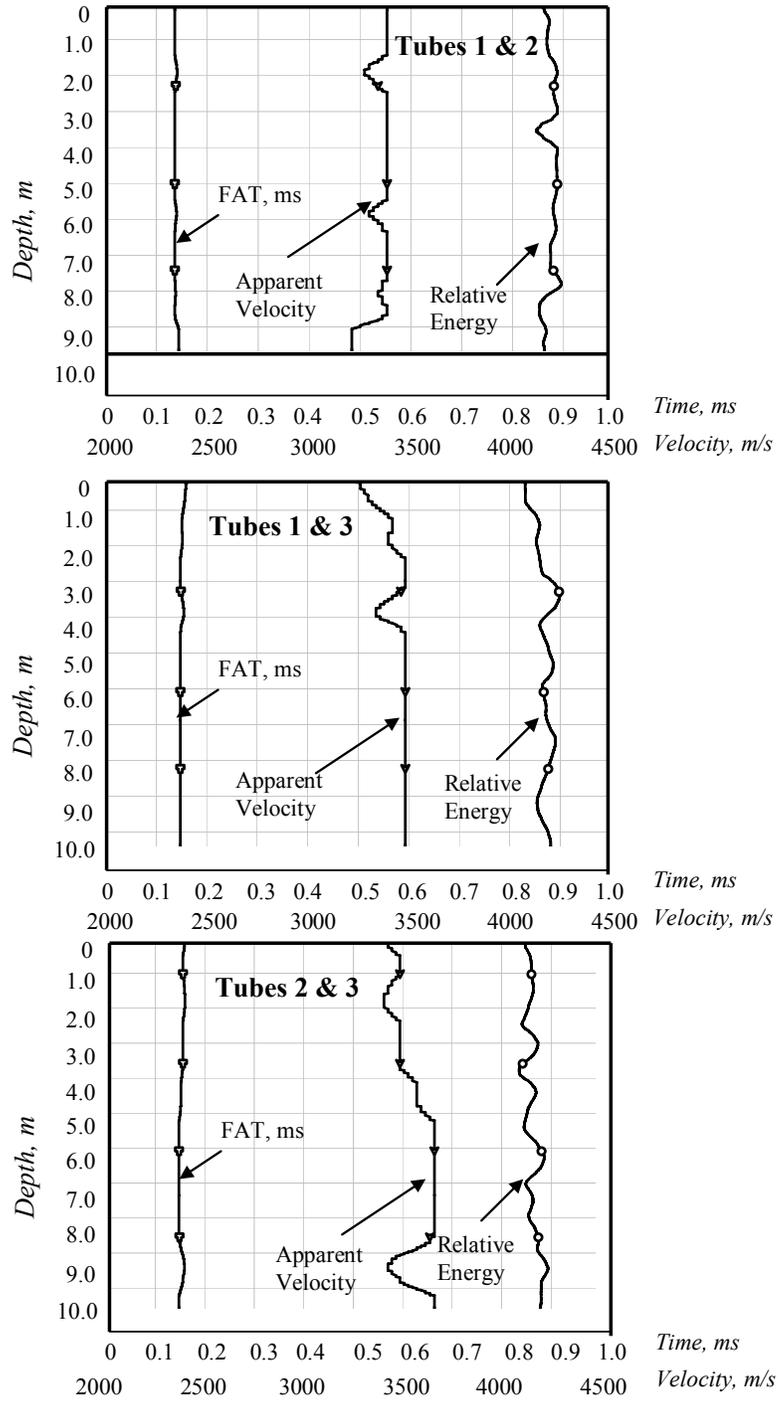
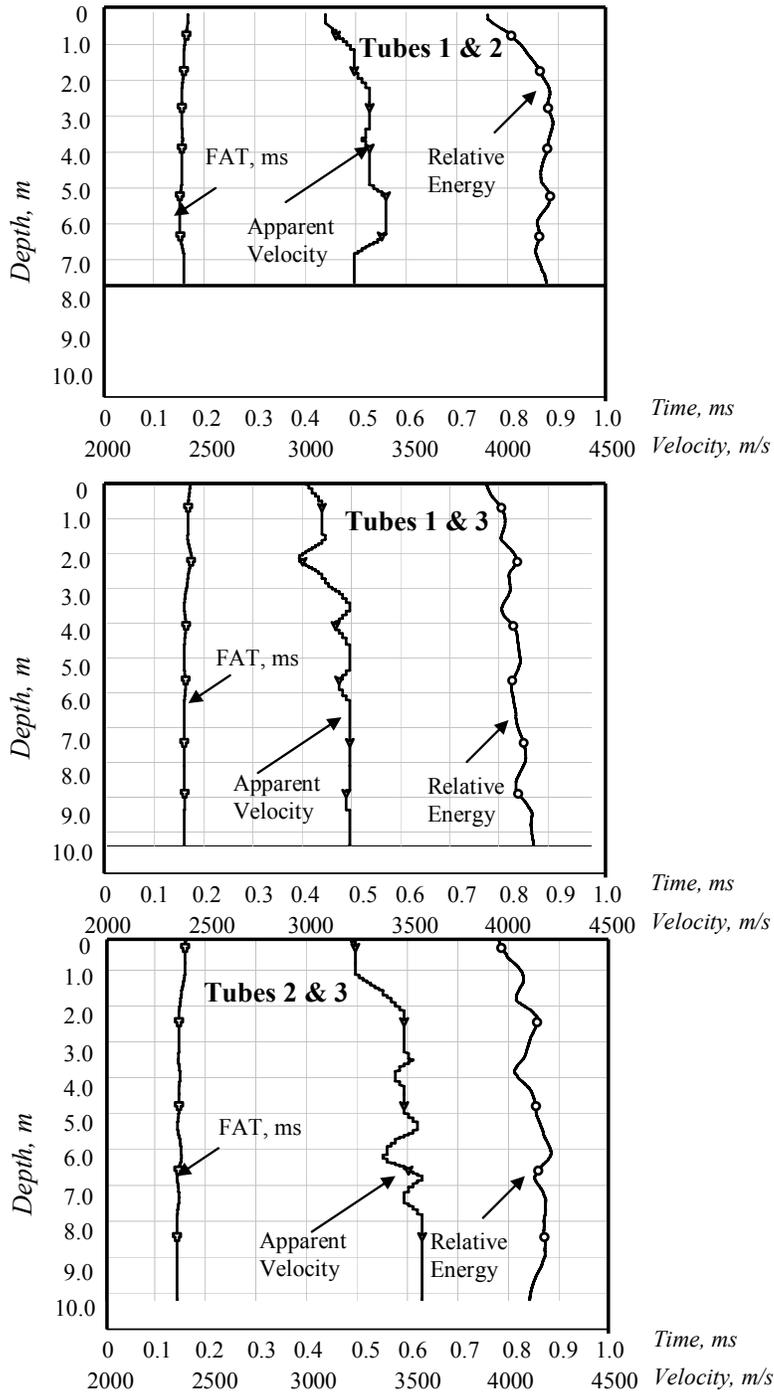


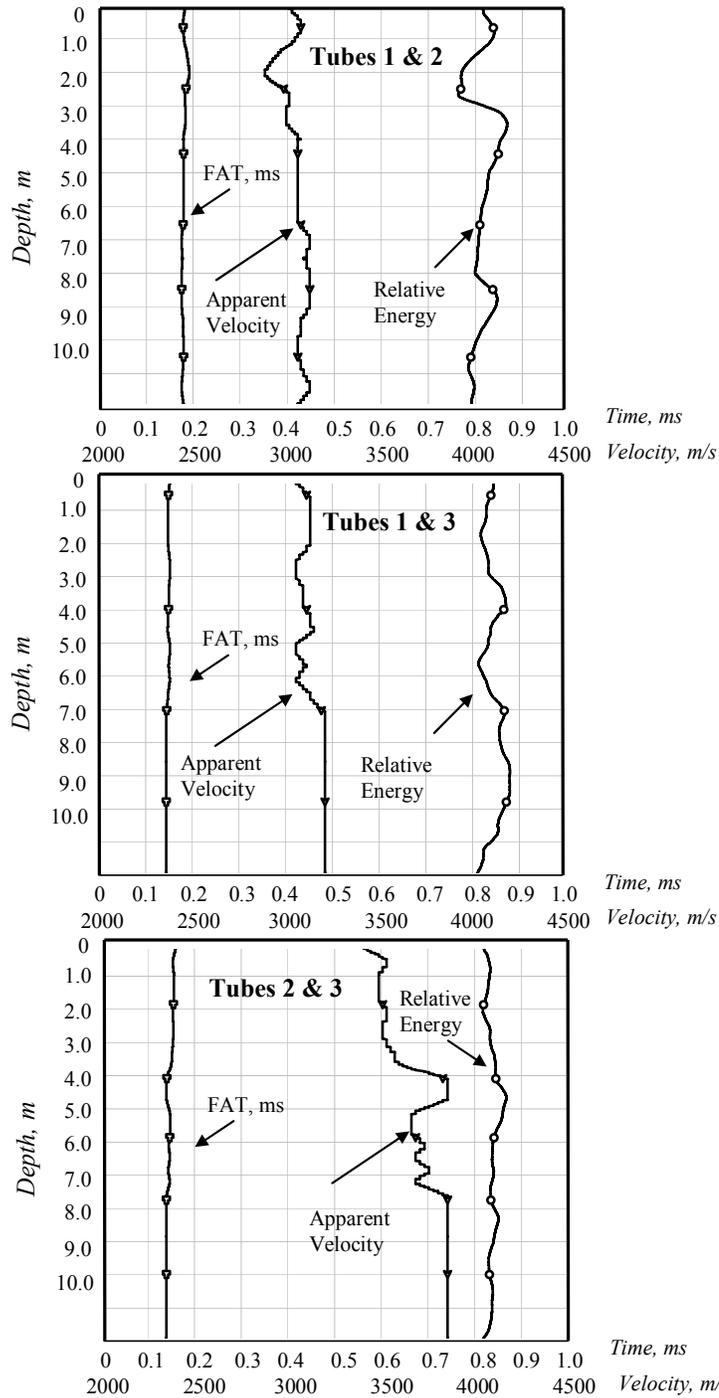
Figure C1 CSL Data from Site #2 Abutment 1 Shaft 1



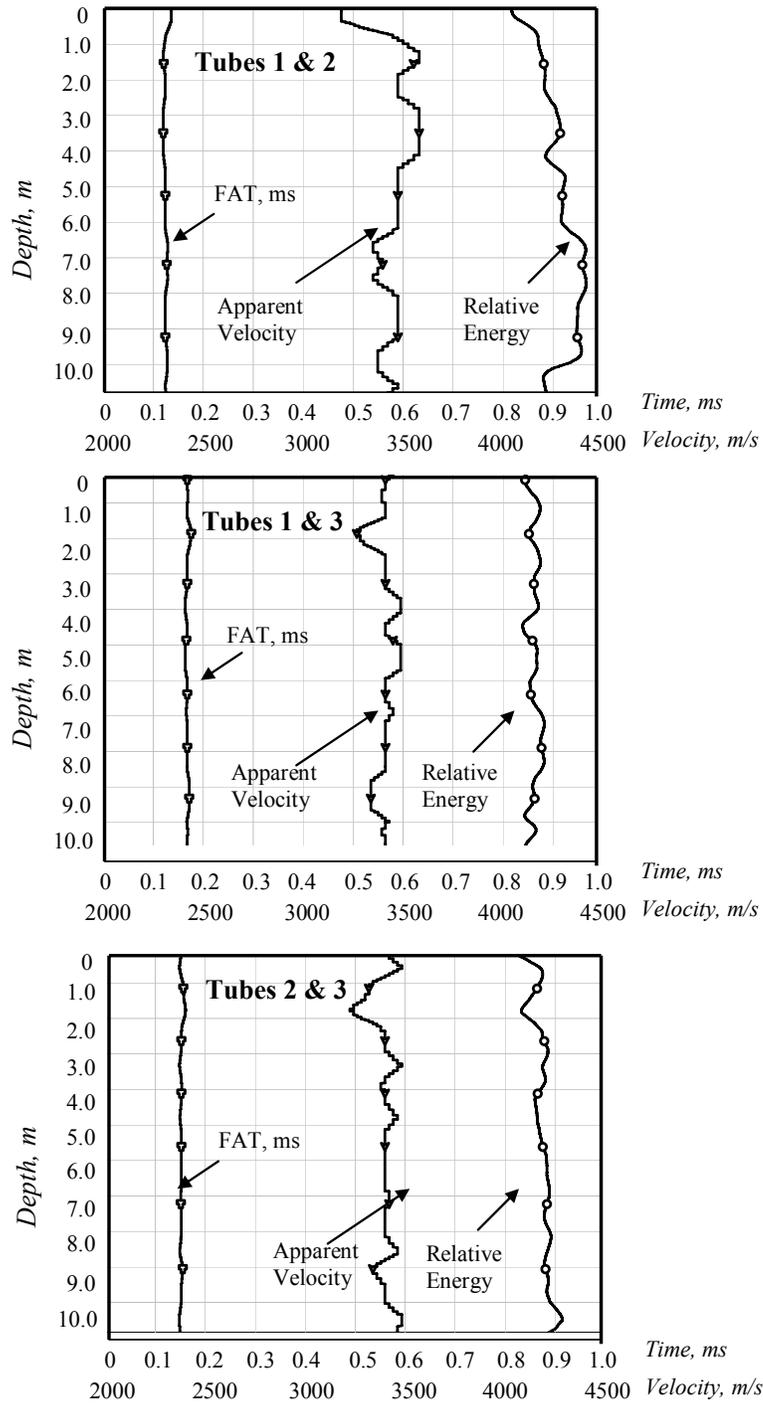
**Figure C2 CSL Data from Site #2 Abutment 1 Shaft 2**



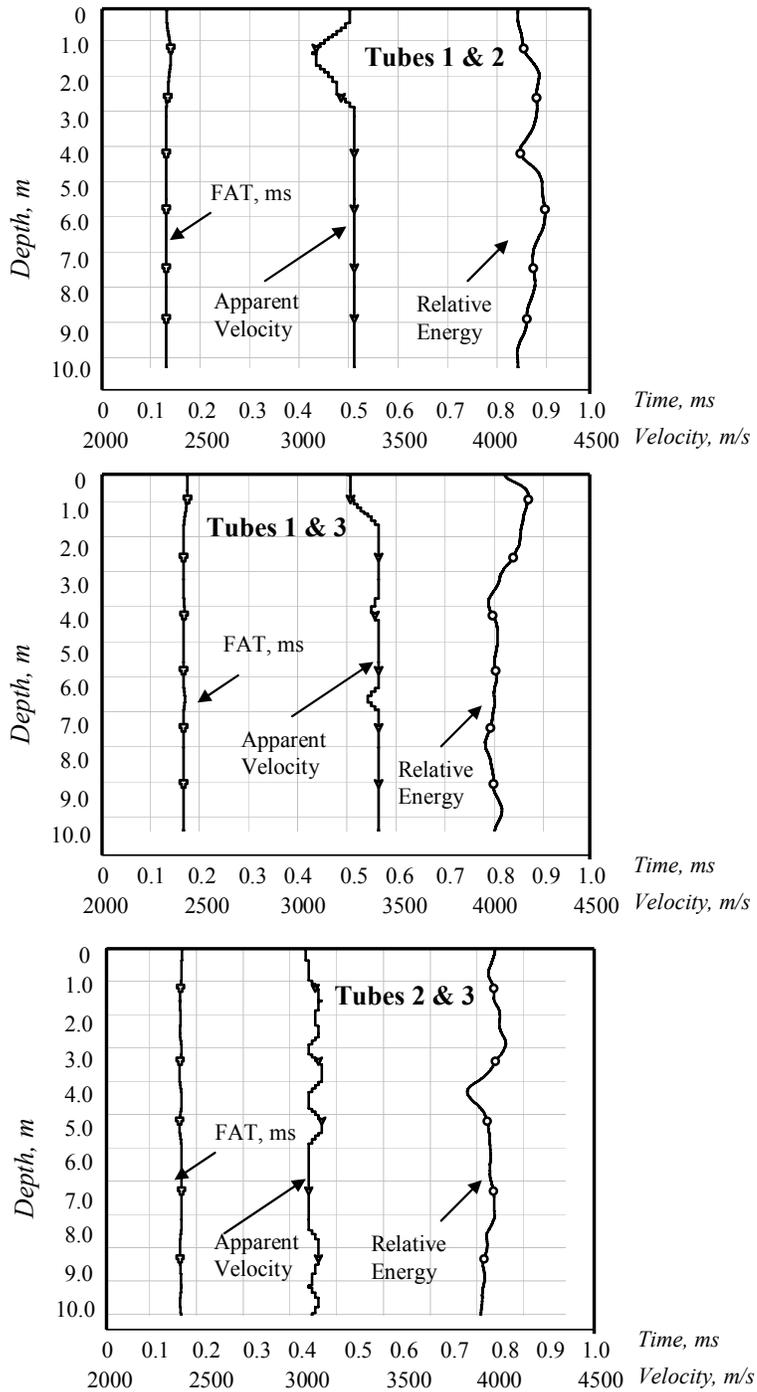
**Figure C3 CSL Data from Site #2 Abutment 1 Shaft 3**



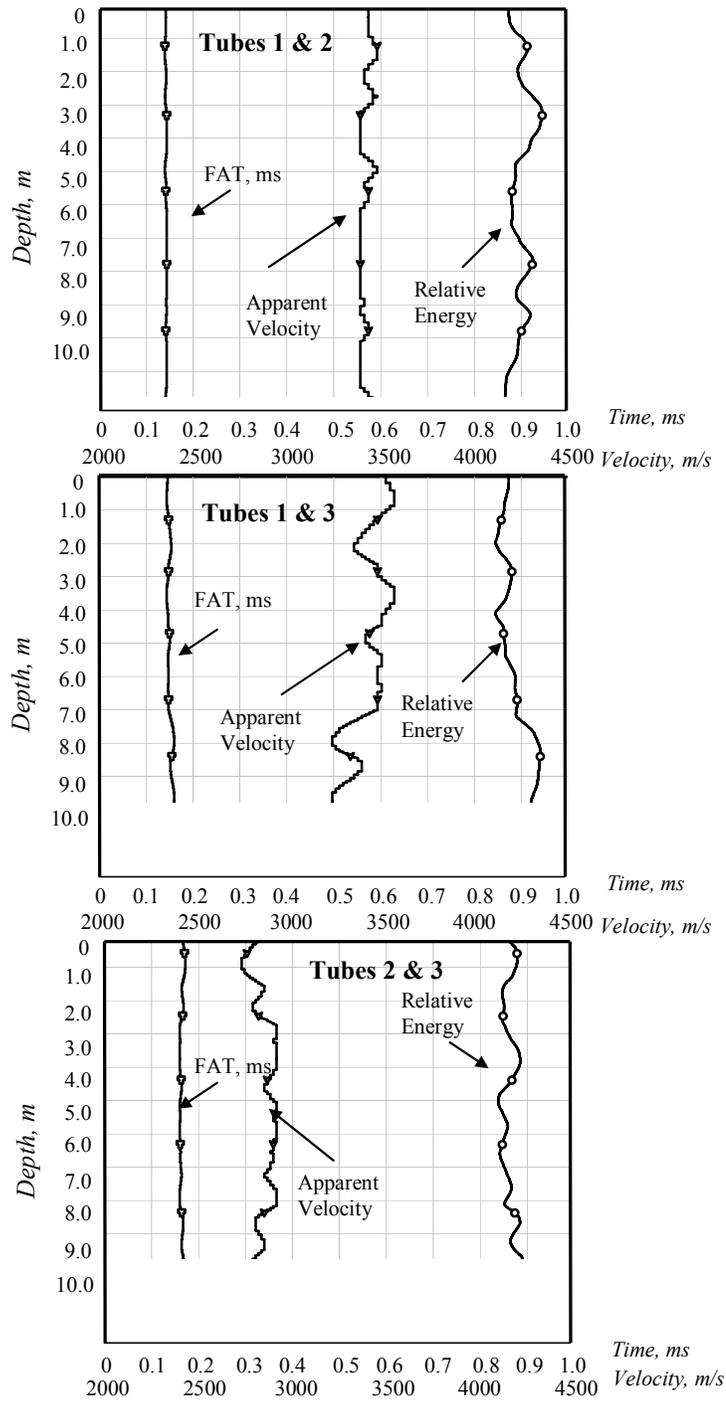
**Figure C4 CSL Data from Site #2 Abutment 1 Shaft 4**



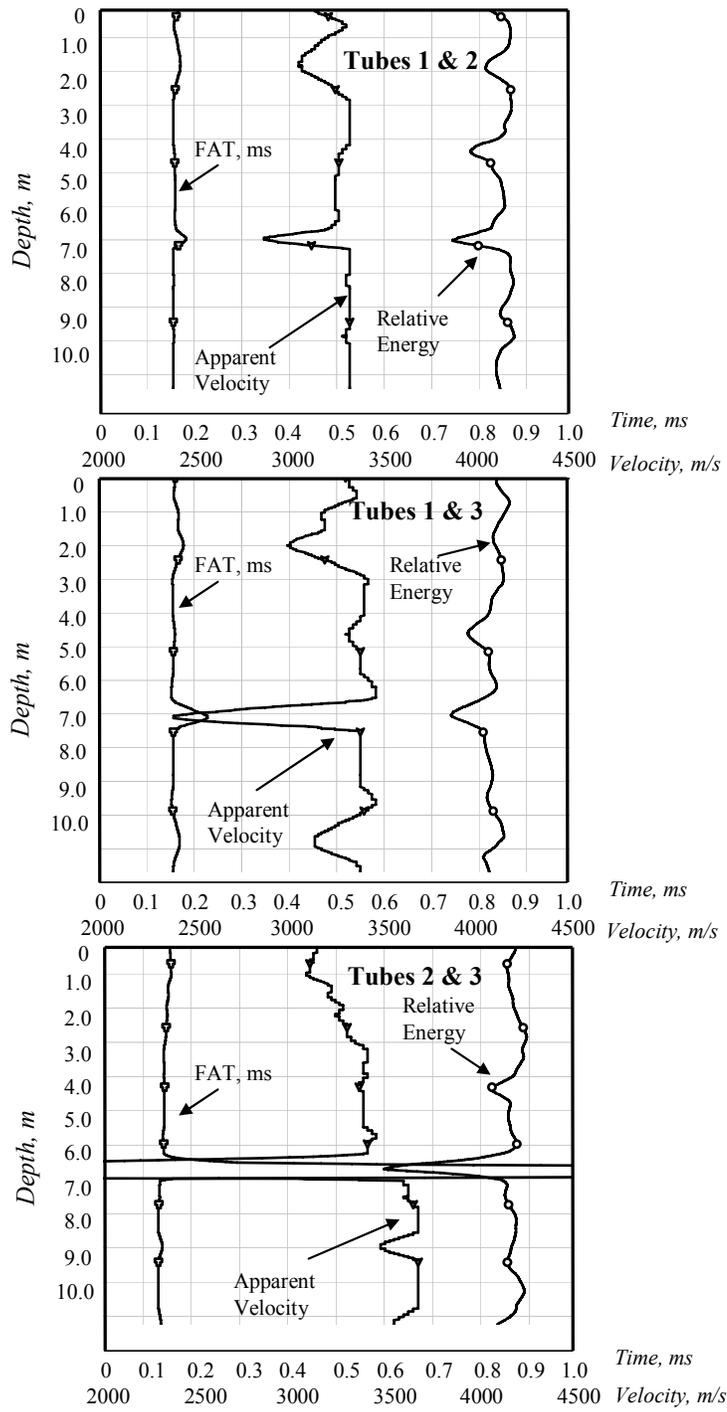
**Figure C5 CSL Data from Site #2 Abutment 2 Shaft 1**



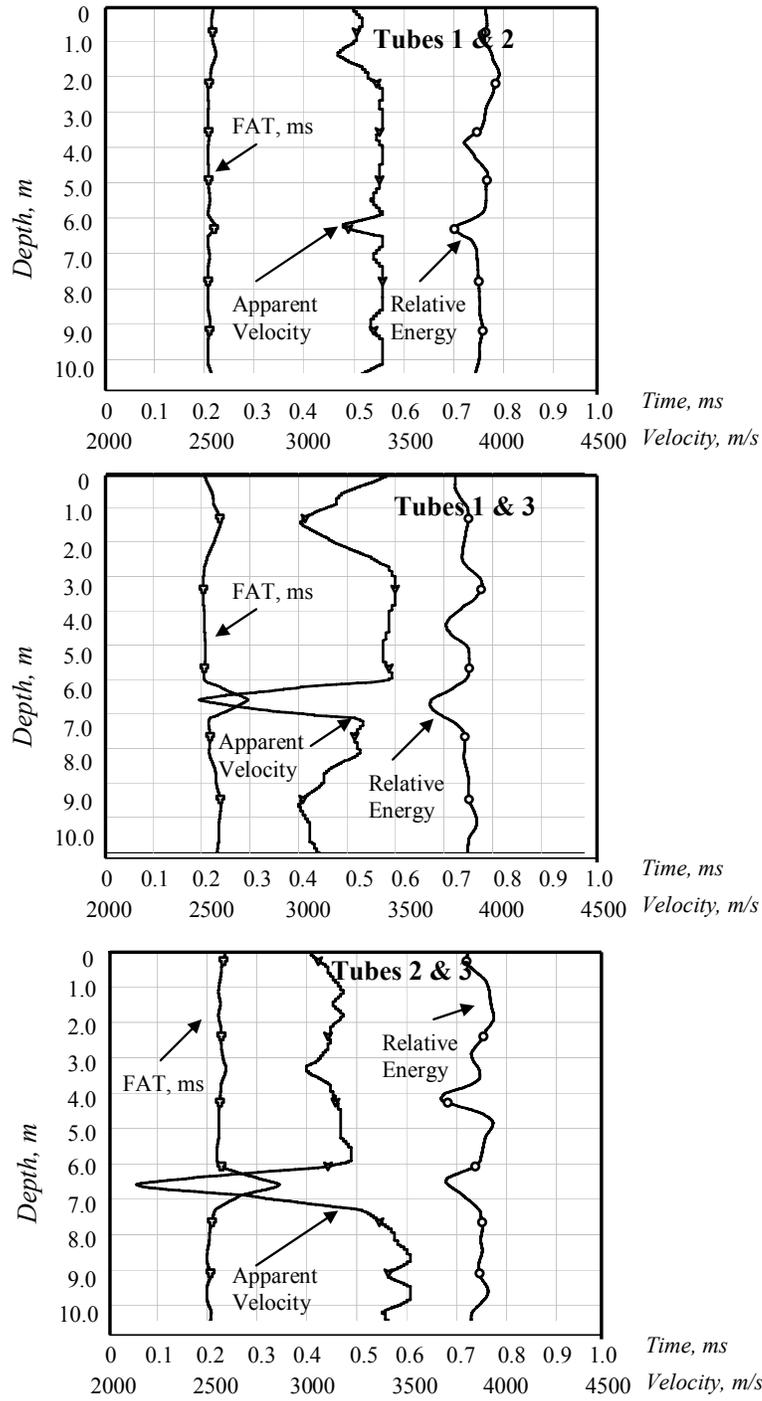
**Figure C6 CSL Data from Site #2 Abutment 2 Shaft 2**



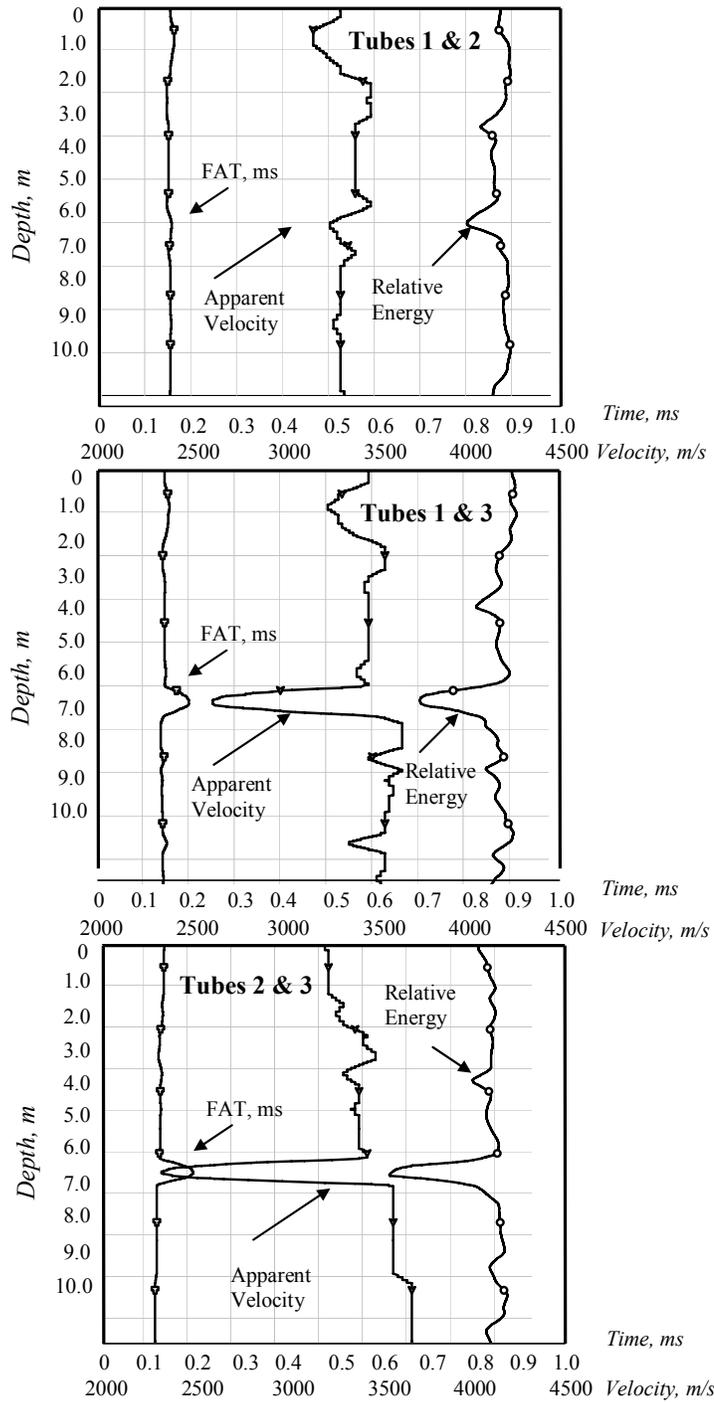
**Figure C7 CSL Data from Site #2 Abutment 2 Shaft 3**



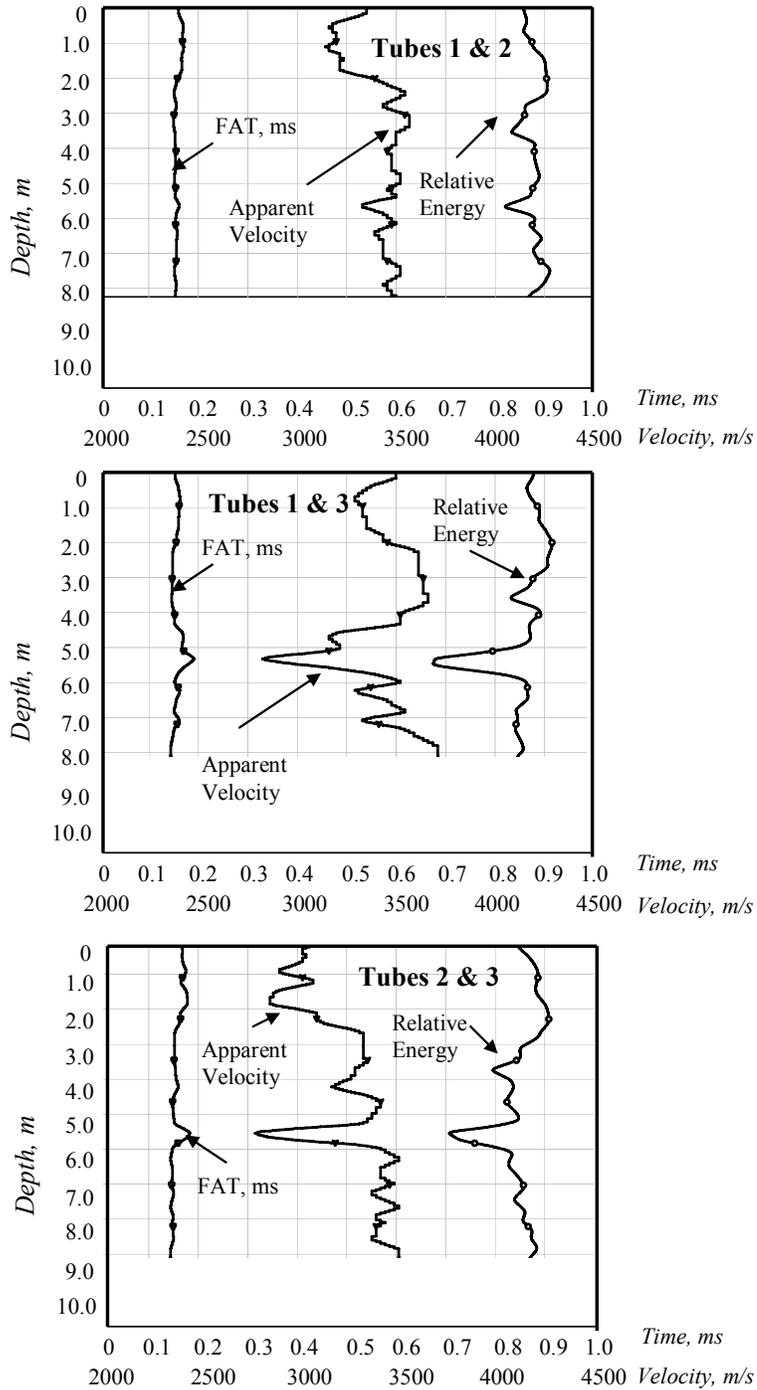
**Figure C8 CSL Data from Site #2 Abutment 2 Shaft 4**



**Figure C9 CSL Data from Site #2 Abutment 2 Shaft 4 with Offset**



**Figure C10 CSL Data from Site #2 Abutment 2 Shaft 4 Retest**



**Figure C11 CSL Data from Site #2 Abutment 2 Shaft 4 after Repair**

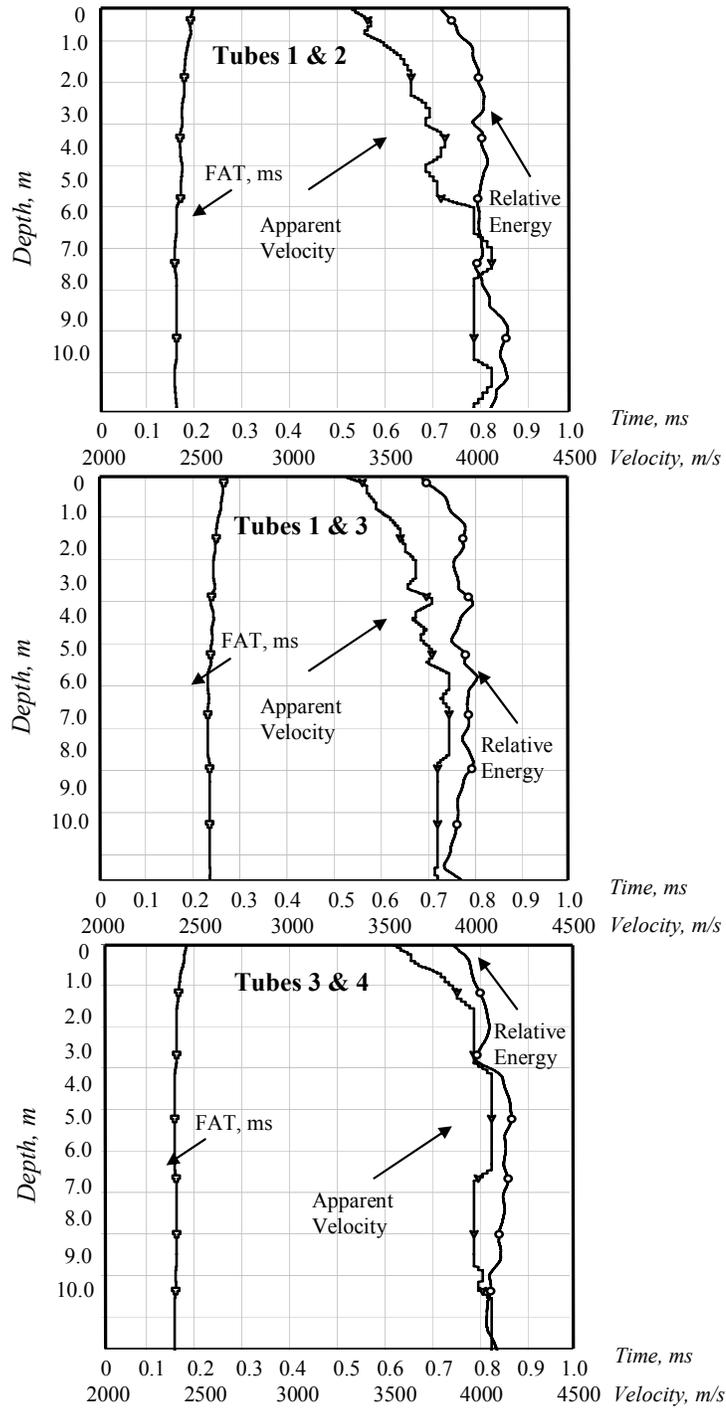
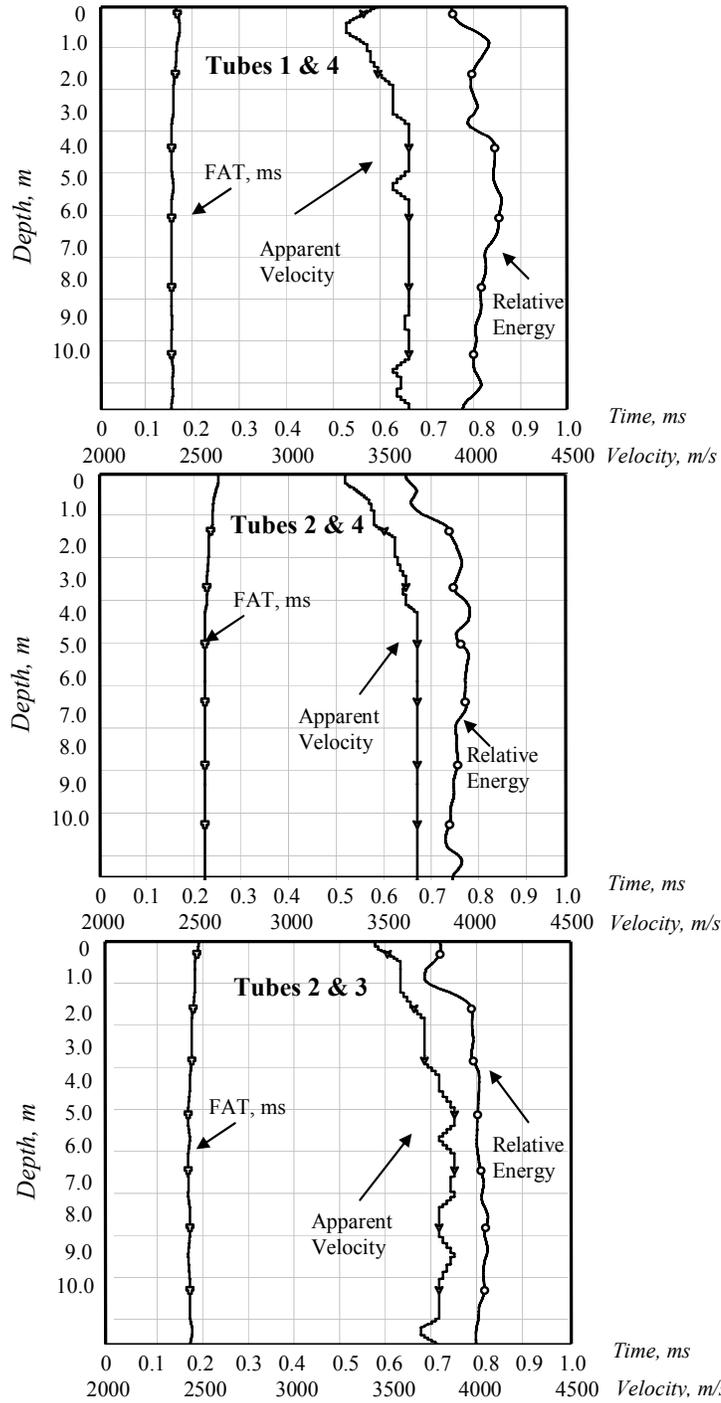
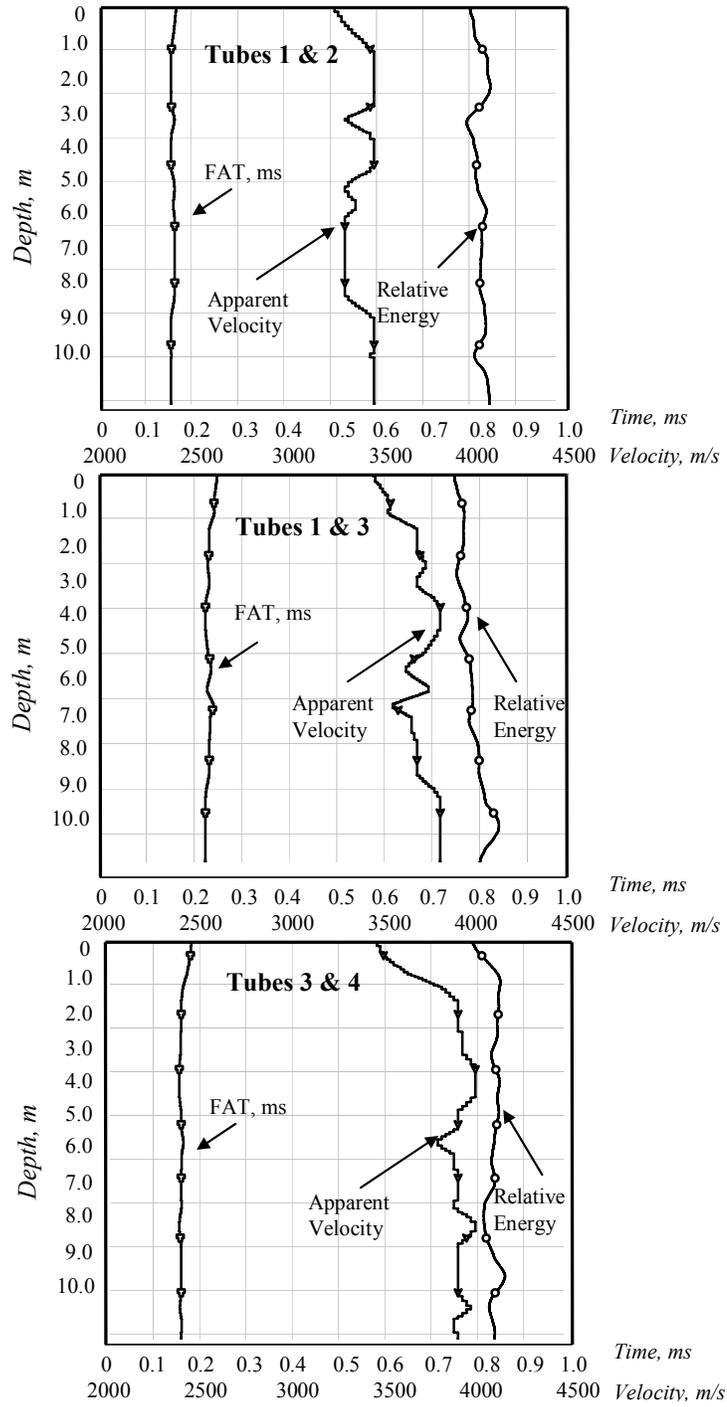


Figure C12 CSL Data from Site #2 CenterPier Shaft 1



**Figure C13 CSL Data from Site #2 Center Pier Shaft 1**



**Figure C14 CSL Data from Site #2 Center Pier Shaft 2**

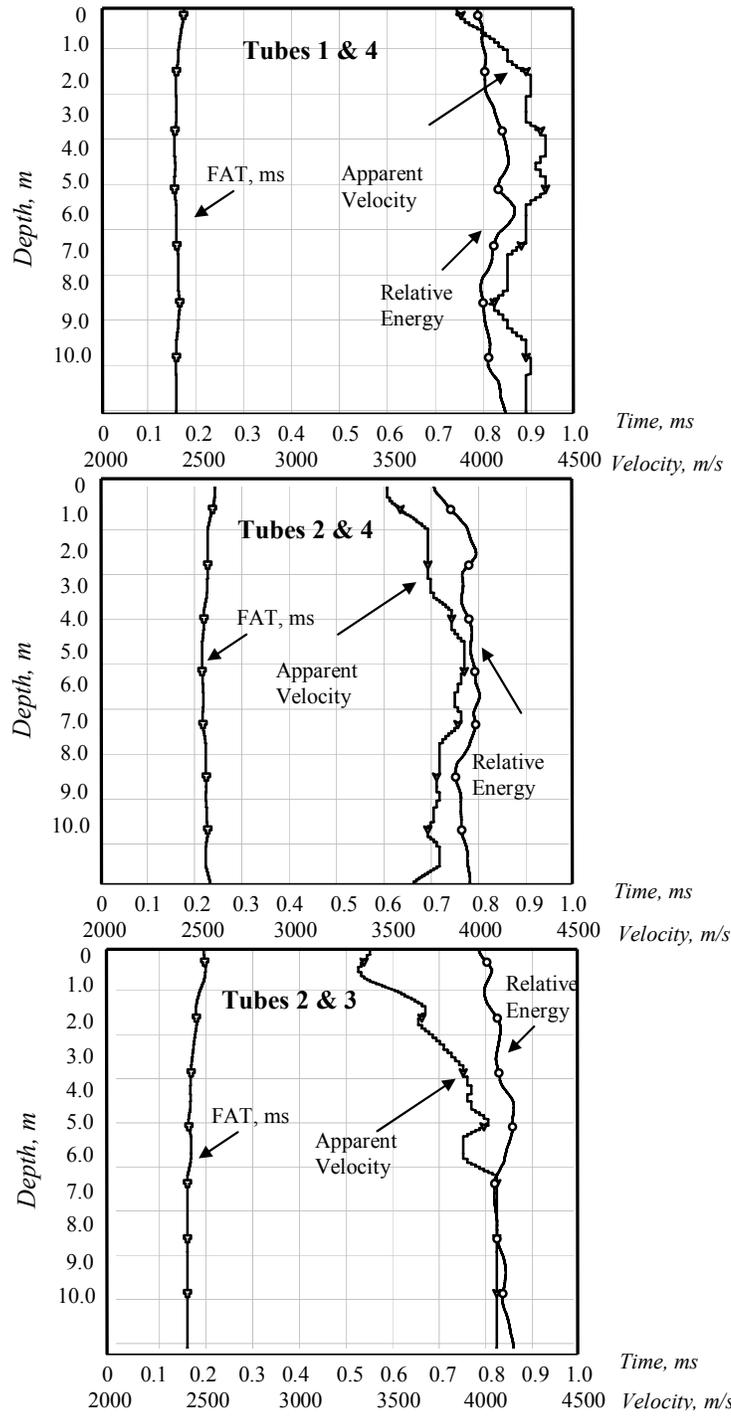
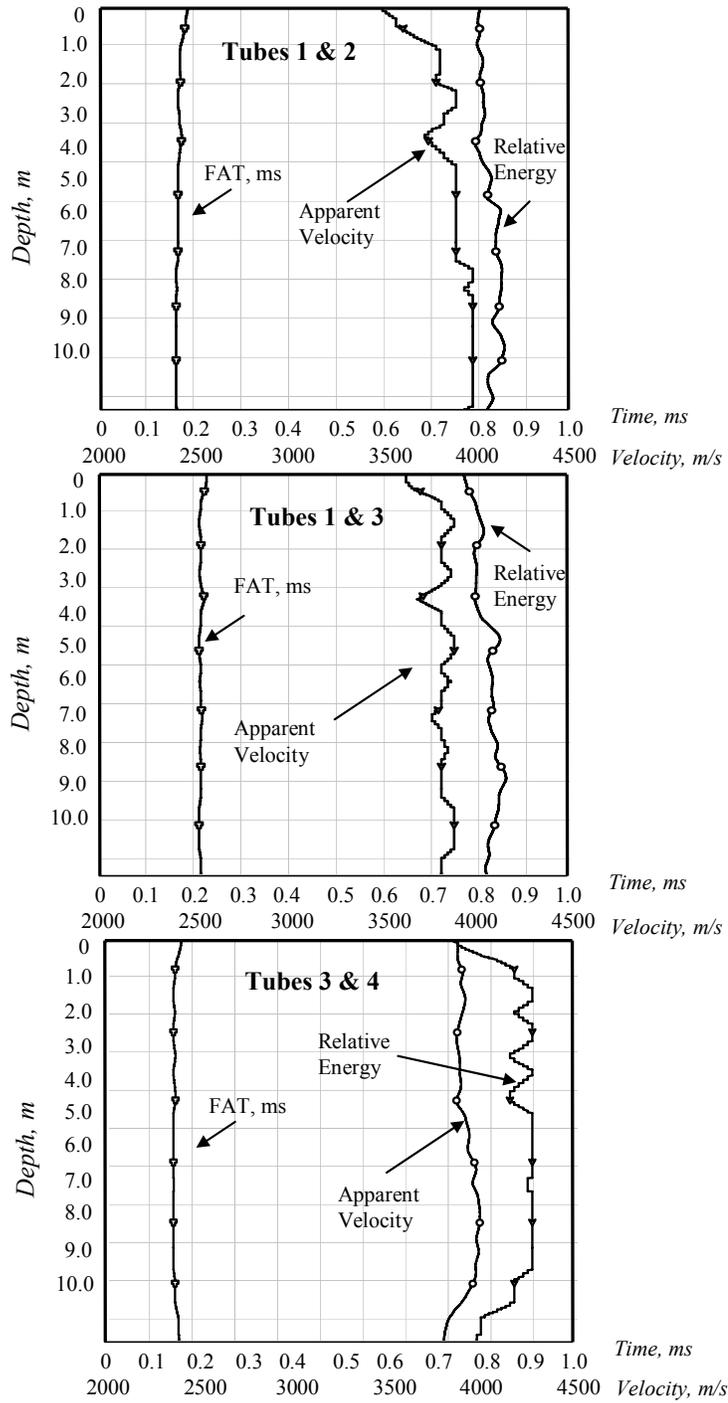
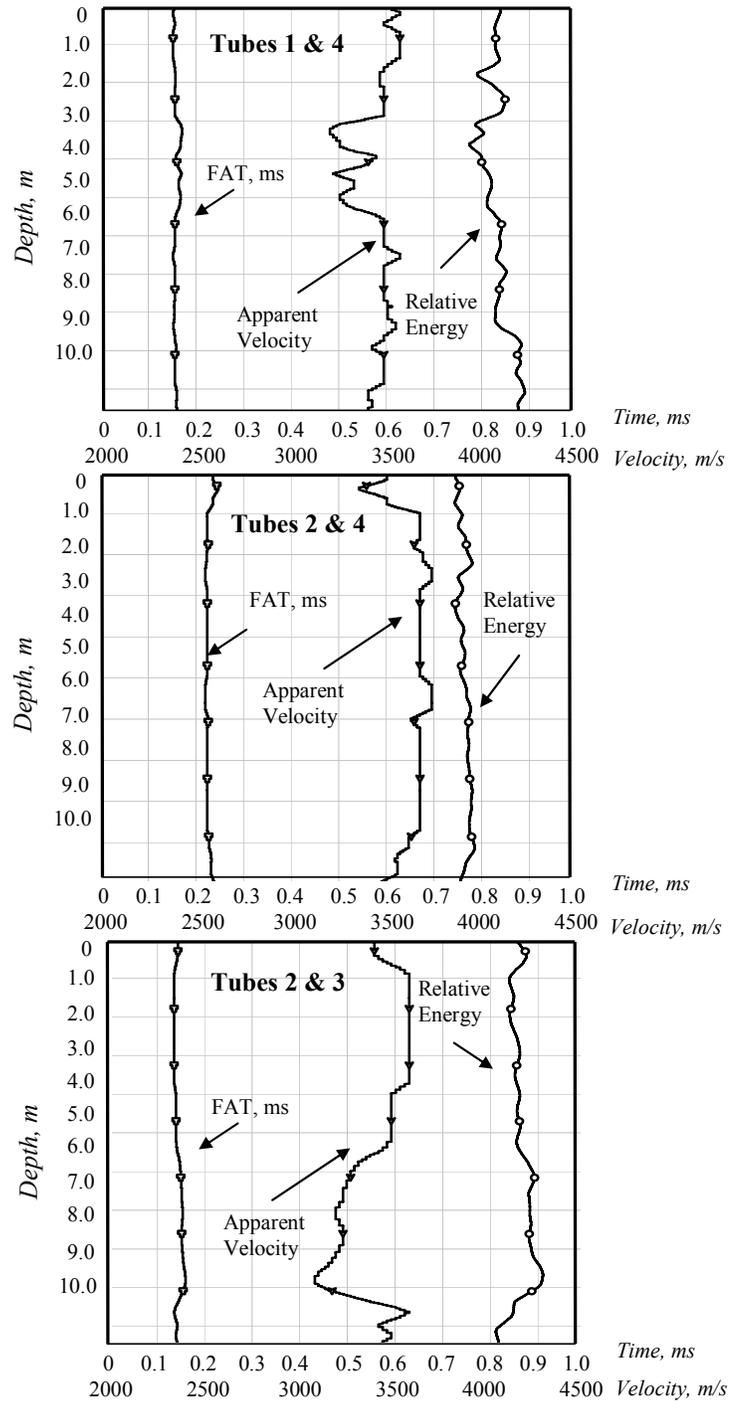


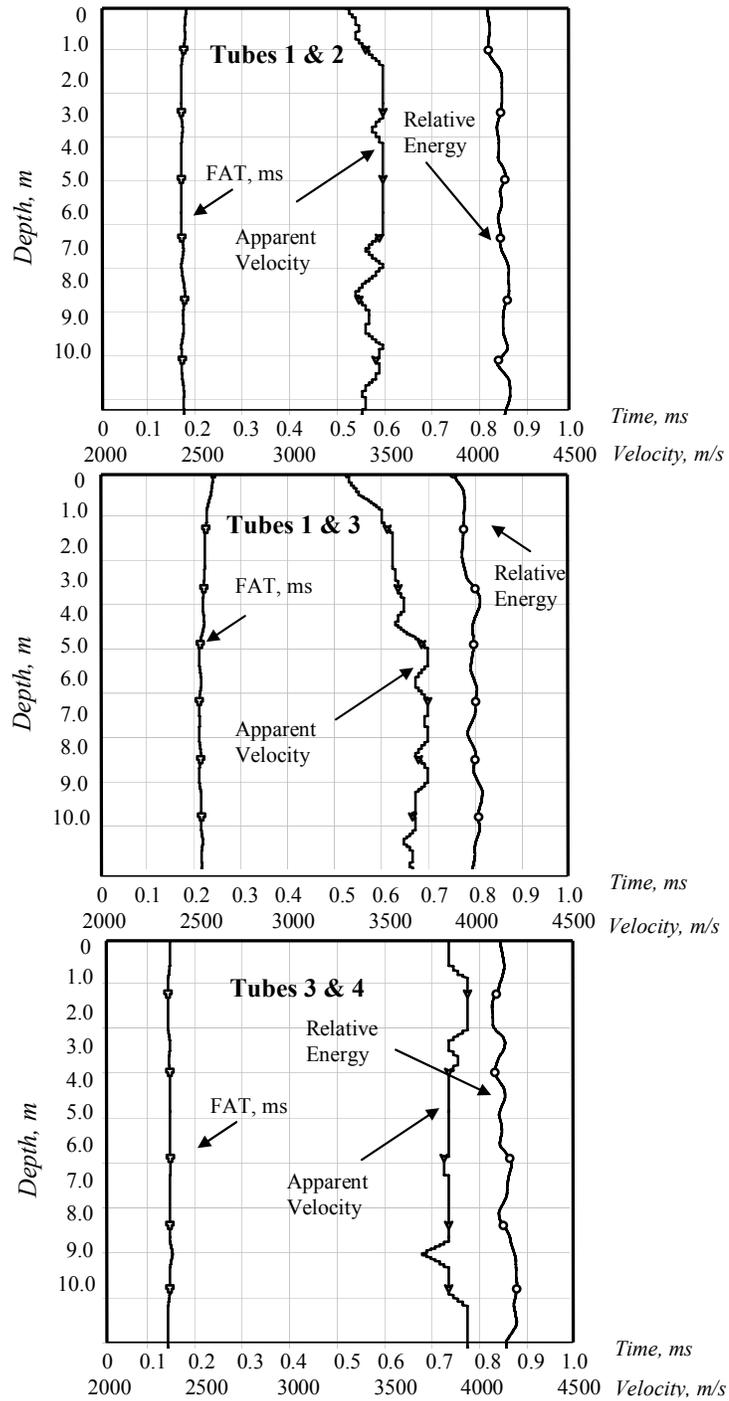
Figure C15 CSL Data from Site #2 Center Pier Shaft 2



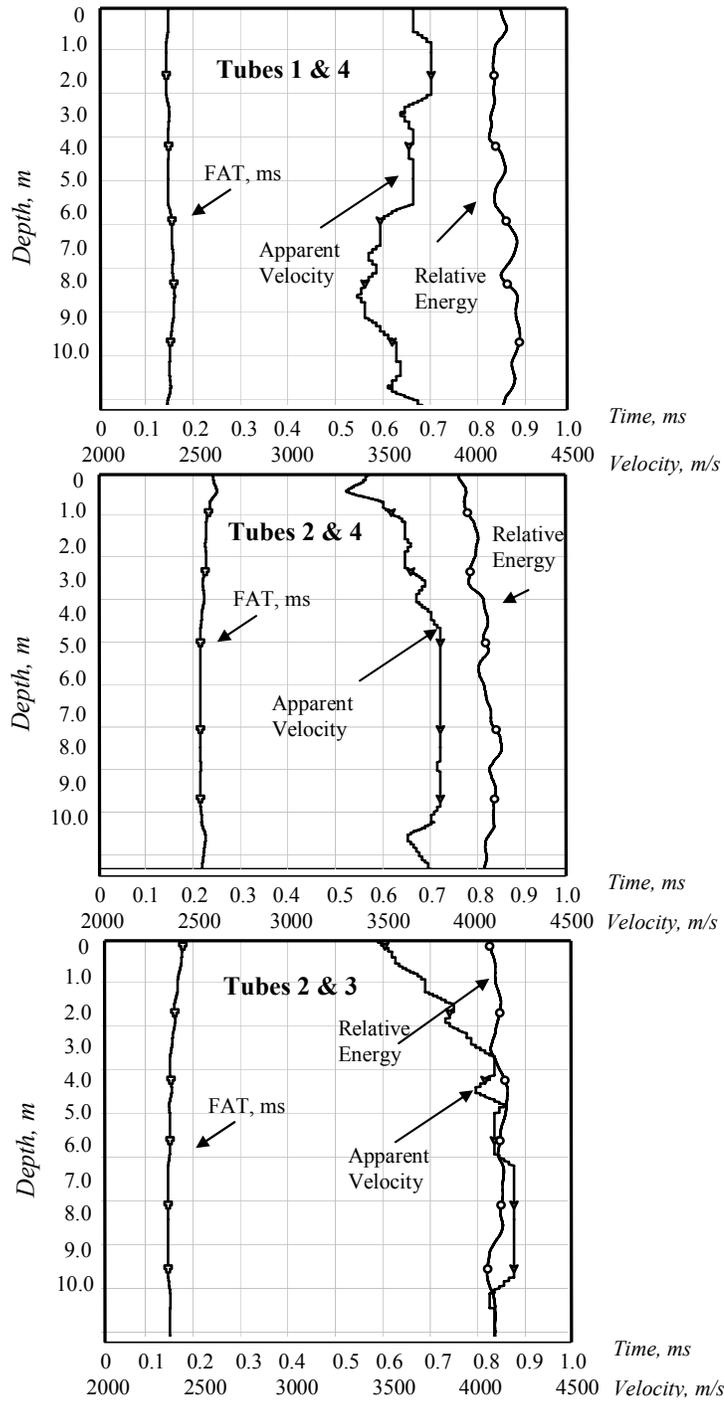
**Figure C16 CSL Data from Site #2 Center Pier Shaft 3**



**Figure C17 CSL Data from Site #2 Center Pier Shaft 3**



**Figure C18 CSL Data from Site #2 Center Pier Shaft 4**



**Figure C19 CSL Data from Site #2 Center Pier Shaft 4**

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